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# ENGINEERING DESIGN HANDBOOK

# **GUNS SERIES**

# **AUTOMATIC WEAPONS**



HEADQUARTERS, U.S. ARMY MATERIEL COMMAND

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## LIST OF SYMBOLS

A	= coefficient in equation defining the tube recoil travel	В	= coefficient in equation defining recoil travel; collective term in defining time during polytropic expansion of gas	
$A_b$	= bore area	b	=minor axis of an elliptical cam; length of	
$A_c$	= peripheral surface contact area between case and chamber; operating cylinder piston area		long segment of rectangular coil spring; spring width	
$A_i$	= differential area under pressure-time curve	$b_{cr}$	= minor axis of counterrecoil section of elliptical cam	
$A_o$	= orifice area	$b_r$	=minor axis of recoil section of elliptical cam	
$A_{pt}$	= area under pressure-time curve	С	= orifice coefficient	
$A_1, A_2, \dots A_n$	1, = coefficients of $x$ in a series	$C_r$	= end clearance of round	
а	= general expression for linear acceleration; major axis of elliptical cam; length of	r D	= mean coil diameter	
	short segment of rectangular coil spring		= bore diameter	
$a_a$	= average linear acceleration	$D_b$		
$a_c$	= acceleration of chutes	$D_r$	<ul> <li>horizontal distance between trunnion and rear support</li> </ul>	
	= counterrecoil acceleration	$D_c$	= diameter of cartridge case base	
$a_{crc}$	= major axis of counterrecoil portion of elliptical cam	$D_d$	= drum diameter	
	elliptical cam	$D_d$ $d$	= drum diameter = wire diameter	
$a_{crc}$ $a_d$		_		
	elliptical cam  = tangential acceleration of cam roller on	d	= wire diameter	
$a_d$	elliptical cam  = tangential acceleration of cam roller on cam path  = entrance unit acceleration; exit unit acceleration  = nor: al acceleration of cam roller on cam	$d$ $d_c$	<ul><li>= wire diameter</li><li>= gas cylinder diameter</li><li>= gas port diameter; piston diameter of</li></ul>	
a <sub>d</sub>	<ul> <li>elliptical cam</li> <li>tangential acceleration of cam roller on cam path</li> <li>entrance unit acceleration; exit unit acceleration</li> <li>nor: al acceleration of cam roller on cam path</li> </ul>	$d$ $d_c$ $d_p$	<ul><li>= wire diameter</li><li>= gas cylinder diameter</li><li>= gas port diameter; piston diameter of operating cylinder</li></ul>	
a <sub>d</sub>	elliptical cam  = tangential acceleration of cam roller on cam path  = entrance unit acceleration; exit unit acceleration  = nor: al acceleration of cam roller on cam	$d$ $d_c$ $d_p$	<ul> <li>= wire diameter</li> <li>= gas cylinder diameter</li> <li>= gas port diameter; piston diameter of operating cylinder</li> <li>= differential time</li> </ul>	
a <sub>d</sub>	<ul> <li>elliptical cam</li> <li>tangential acceleration of cam roller on cam path</li> <li>entrance unit acceleration; exit unit acceleration</li> <li>nor: al acceleration of cam roller on cam path</li> <li>recoil acceleration; retainer acceleration</li> <li>major axis of recoil portion of elliptical</li> </ul>	$d \\ d_c \\ d_p \\ dt \\ dx$	<ul> <li>= wire diameter</li> <li>= gas cylinder diameter</li> <li>= gas port diameter; piston diameter of operating cylinder</li> <li>= differential time</li> <li>= differential distance</li> </ul>	
a <sub>d</sub> e a <sub>n</sub>	<ul> <li>elliptical cam</li> <li>tangential acceleration of cam roller on cam path</li> <li>entrance unit acceleration; exit unit acceleration</li> <li>nor: al acceleration of cam roller on cam path</li> <li>recoil acceleration; retainer acceleration</li> <li>major axis of recoil portion of elliptical cam; slide travel during slide deceleration</li> </ul>	$d$ $d_{c}$ $d_{p}$ $dt$ $dx$	<ul> <li>= wire diameter</li> <li>= gas cylinder diameter</li> <li>= gas port diameter; piston diameter of operating cylinder</li> <li>= differential time</li> <li>= differential distance</li> <li>= modulus of elasticity; energy</li> <li>= energy of ammunition belt</li> <li>= bolt energy; combined energy of buffer</li> </ul>	
a <sub>d</sub> e a <sub>n</sub>	<ul> <li>elliptical cam</li> <li>tangential acceleration of cam roller on cam path</li> <li>entrance unit acceleration; exit unit acceleration</li> <li>nor: al acceleration of cam roller on cam path</li> <li>recoil acceleration; retainer acceleration</li> <li>major axis of recoil portion of elliptical</li> </ul>	$d$ $d_c$ $d_p$ $dt$ $dx$ $E$	<ul> <li>= wire diameter</li> <li>= gas cylinder diameter</li> <li>= gas port diameter; piston diameter of operating cylinder</li> <li>= differential time</li> <li>= differential distance</li> <li>= modulus of elasticity; energy</li> <li>= energy of ammunition belt</li> </ul>	

	$E_c$	=modulus of elasticity of case; energy at gas cutoff	$E_{to}$	= barrel energy when bolt is unlocked
			$E_{\epsilon}$	= energy loss attributed to spring system
	r	= counterrecoil energy	$E_{\mu}$	= total energy loss caused by friction
	$E_{cs}$	= energy needed to bring slide up to speed	$E_{\mu d}$	= energy loss in drum
	$E_{crb}$	= counterrecoil energy of barrel at end of buffer action	$E_{\mu s}$	= energy loss in slide
	$E_{cri}$	= counterrecoil energy at beginning of incre-	e	= base of natural logarithms
	$E_{crt}$	ment = maximum counterrecoil energy of barrel	F	= general expression for force; driving spring force; spring force at beginning of recoil
	$E_d$	= energy of rotating parts, drum energy	$F_{a}$	= general expression for average force; average driving spring force; axial inertial
	$E_{dcr}$	= counterrecoil energy of drum		force
	$E_{ds}$	= energy of drum-slide system	$F_{ab}$	= average force of spring-buffer system
	$E_e$	= ejection energy of case	Fas	= average force of spring system
	$E_{i}$	=input energy of each increment; total	$F_{b}$	= buffer spring force
		energy at any given increment	$\frac{F_c}{c}$	= operating cylinder force
	$E_o$	= energy of operating rod	F ca	= average operating cylinder force
	$E_{oi}$	= energy of operating rod at gas cutoff	$F_{cr}$	= counterrecoil force
	$E_{r}$	=energy of recoiling parts; energy to be absorbed by mount		= general expression for effective force, exit force, entrance force, maximum extractor
	$E_{rb}$	= recoil energy of bolt		load to clear cartridge case
	$E_{s}$	= energy transferred from slide to driving spring; driving spring energy	$F_{eb}$	= effective force on barrel
			$F_{es}$	= load when cartridge is seated
	$E_{sc}$	= total work done by all springs until start of unlocking of bolt	$F_{g}$	= residual propellant gas force; propellant gas force
	$E_{scr}$	= slide counterrecoil energy	$F_{i}$	= initial spring force
	$E_{sr}$	= slide recoil energy	$F_L$	= transverse force on locking lug; reaction
$E_{ss}$	$E_{ss}$	= energy transferred from driving spring to slide	· L	on bolt
	$E_t$	= barrel energy	$F_m$	= maximum spring force; spring force at end of recoil

$F_{mb}$	= maximum force of spring-buffer system		= acceleration due to gravity			
$F_{ms}$	=maximum force of barrel and driving	Н	= command height			
	spring		= horsepower			
$F_{mt}$	= maximum force of barrel spring; of adapter	$H_{s}$	= solid height of spring			
$F_o$	= minimum spring force; minimum operating load		= depth of magazine storage space			
			= distance between trunnion and pintle-leg			
$F_{ob}$	= initial buffer spring system force		intersection			
$F_{obs}$	= initial buffer spring force	I	= area moment of inertia; general term for mass moment of inertia			
$F_{ot}$	= initial force of barrel spring; of adapter	$I_{b}$	= mass moment of inertia of bolt			
$F_{p}$	= cam roller pin load					
$F_r$	= average force during recoil	$I_{d}$	=mass moment of inertia of drum; mass moment of inertia of all rotating parts			
$F_{s}$	= sear spring force; centrifugal force of cartridge case or round		= effective mass moment of inertia of drum			
	-	$\boldsymbol{J}$	= area polar moment of inertia			
$F_{sh}$	= horizontal component of safety spring force		= spring constant, general; driving spring constant			
$F_{sv}$	= safety spring force		= coefficient in gas <b>flow</b> equation			
$F_t$	= force of barrel spring; of adapter; vertical reaction of trigger spring pin		= combined spring constant during buffing			
$\overline{F_t}$	= average adapter force for time interval $dt$	$K_{bs}$	= buffer spring constant			
$F_{tb}$	= barrel spring force at end of propellant gas period		=combined constant of barrel and driving springs			
$F_{x}$	= resultant force of x-axis	$K_t$	= spring constant of barrel spring, of adapter			
$F_{y}$	= resultant force of y-axis	$K_{w}$	=coefficient in the rate of gas flow equa-			
$F_{\mu s}$	= frictional force		tion			
Fdt, F∆t	= general expressions for differential impulse		= directional coefficient in $F_x$ equation			
f	= rate of fire	$K_{y}$	= directional coefficient in $F_y$ equation			
f <sub>r</sub>		k	= ratio of specific heats; radius of gyration;			
$f(T_c/T)$	= function of the ratio of compression time to surge time		bolt polar radius of gyration			
<i>G</i>	= torsional modulus; shear modulus	L	= general expression for lengths; length of recoil; bolt travel; length of flat spring			
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$L_{b}$	= length of buffer spring travel $M_o$		= mass of operating rod; bending moment at first bend of flat tape spring	
$L_{bt}$	= length of total bullet travel in barrel			
$L_{c}$	= axial length of cam; length of slide travel; total peripheral length of cam		= mass of projectile	
v			= mass of recoiling parts	
$L_d$	= decelerating distance prior to buffer contact; operating distance of operating rod	$M_{re}$	= effective mass of recoiling parts	
	spring; length of drum; driving spring		= mass of slide; mass of spring	
		$M_{t}$	= mass of barrel	
$L_{e}$	= extractor length  = length of front pintle leg		= number of coils; normal reaction on cam curve; normal force on roller; number of	
$L_f$				
$L_p$	= location of gas port along barrel		rounds; number of active segments in flat spring	
$L_r$	= length of round; length of rear pintle leg	N <sub>a</sub>	= axial component of normal force; number of links of ammunition	
$L_{t}$	= tappet travel; barrel spring operating deflection	$N_c$	= number of chambers in drum	
М	= mass, general; mass of accelerating parts;	N,	= number of retainer partitions	
	bending moment			
$M_{a}$	<ul><li>= mass of round; mass of ammunition unit</li><li>= effective mass of ammunition</li></ul>		= transverse component of normal force	
$M_{ae}$			= cam tangential friction force	
$M_{b}$	= mass of bolt	P	= general term for power	
$M_{cc}$	= mass of cartridge case	$P_f$	= power required to drive feed system	
$M_{d}$	= mass of drum	$P_t$	= trigger pull	
$M_{de}$	= effective mass of drum and ammunition belt; effective mass of rotating drum		= pressure, general; pressure in reservoir; general term for space between rounds (pitch)	
$M_{e}$	= effective mass, general; of extractor unit		-	
$M_{ee}$	= effective mass of extractor unit		= average pressure; average bore pressure	
$M_{ei}$	= mass of ejector		= bore pressure	
•	= mass of propellant gas	$p_c$	= average gas cylinder pressure	
M <sub>g</sub>		$p_{cr}$	=.critical pressure	
$M_n$	m = momentum of recoiling or counterrecoiling parts		= pitch of double helix drive	
		$p_{d}$		

$p_{i}$	= interface pressure	S	= travel distance		
$p_{m}$	=propellant gas pressure as bullet leaves	$s_a$	= accelerating distance		
$p_u$	= component of pressure that dilates cartridge case	s <sub>b</sub>	= bore travel; distance of bolt retraction during recoil		
р,	= initial pressure		= cutoff distance		
	= final pressure	Scr	= cam follower travel during counterrecoil		
p <sub>2</sub> R	= radius of bolt outer surface	$s_d$	= dwell distance		
$R_a$	= reaction of rear support; radius to CG of round	$s_n$	= travel distance of operating unit at given time		
R,	= reaction of front support		= initial distance		
$R_c$	=cam radius	Socr	=straight length of cam during counter- recoil		
$R_{ch}$	= radius of chamber centers of drum	'or	= straight length of cam during recoil; posi-		
$R_{d}$	= distance from cam contact point to drum axis		tion where slide contacts gas operating unit		
$R_L$	= radius of locking lug pressure center	$s_r$	=cam follower travel during recoil; operating rod travel before bolt pickup		
$R_r$	≈ roller radius; track reactions due to rotational forces	$s_1$	= travel component due to change in velocity		
RT	= specific impetus	s <sub>2</sub>	= travel component due to velocity		
$R_t$	= track reactions due to tipping forces; trig- ger reaction on sear	T	= surge time of spring; absolute tempera- ture; torque about gun axis; applied		
$R_{y}$	= horizontal reaction on drum shaft		torque of trigger spring		
r	= mean radius of case	$T_c$	= compression time of spring		
<u></u>	= distance from tipping point on rim to CG .of case	$T_d$	= required drum torque		
$r_b$	= cam radius to contact point on bolt	$T_{g}$	=torque due to friction on drum bearing and case		
r <sub>e</sub>	= extractor radius	$T_L$	= locking lug torque		
rs	= striker radius	$T_r$	= required retainer torque		
$r_{t}$	= cam radius to contact point on barrel	$T_{i}$ , $T_{2}$	= applied torques		

$T_{\alpha}$	= accelerating torque	$V_{b}$	= bore volume		
$T_{\mu}$	= resisting torque	$V_c$	= gas volume in operating cylinder		
$T_{\theta}$	= applied torque	$V_{ch}$	= chamber volume		
t	= time	$V_{co}$	= operating cylinder displacement		
<i>t</i> "	= time to complete counterrecoil of slide	'co V <sub>e</sub>	= equivalent gas volume		
$t_b$	= buffer time	'e V <sub>ec</sub>	= equivalent bore volume		
$t_{b\mathtt{c}}$	= buffer time during counterrecoil	ec V <sub>m</sub>	= chamber volume plus total bore volume		
	= time of firing cycle	'm V	= initial volume of gas operating cylinder		
$t_{cr}$	= counterrecoil time	'o V <sub>s</sub>	= vertical component of spring load		
$t_{crb}$	= time of buffer counterrecoil	$V_1$	= initial volume in gas equations		
t <sub>crt</sub>	= counterrecod time of barrel after buffer	$V_2$	= initial volume in gas equations = final volume in gas equations		
	action	_	= velocity, general		
$t_{ct}$	= counterrecoil time of barrel	v v			
t <sub>d</sub>	contacted		= average velocity; axial velocity		
$t_e$	= time of gas expansion		= buffer velocity during recoil		
$t_{\mathbf{g}}$	= duration of propellant gas period	$v_{bc}$	= bolt velocity during counterrecoil		
t <sub>i</sub>	=time interval of dwell between counter- recoil and recoil		<ul> <li>linear velocity of cam follower along cam; velocity of chutes; linear ejected velocity of cartridge case</li> </ul>		
$t_r$	= recoil time of bolt	$v_{cr}$	= counterrecoil velocity		
$t_{rb}$	= bolt decelerating time during recoil	$v_{crb}$	= counterrecoil velocity of buffer		
$t_{rs}$	= counterrecod time after buffer action	$v_d$	= peripheral velocity of drum		
$t_{rt}$	= recoil time of barrel during pressure decay	$v_{dm}$	= maximum peripheral velocity of drum		
ts	after bolt unlocking  = thickness of spring		= extractor velocity; maximum ejection velocity		
	= counterrecoil time of slide	$v_f$	= velocity of free recoil		
t <sub>scr</sub>	= barrel spring compression time	v <sub>i</sub>	= impact velocity		
t <sub>t</sub>	= accelerating time of rotor	<del>-</del>	= muzzle velocity of projectile		
$t_{\alpha}$	- accelerating time of fotol	v <sub>m</sub>	- muzzie velocity of projectile		

$v_o$	= initial velocity, general term	$W_s$	= work needed to compress spring; slide weight; weight of spring		
$v_{ot}$	= initial velocity of barrel	$W_{se}$	= equivalent weight of spring in motion		
$v_r$	= recoil velocity	W <sub>sr</sub>	= weight of slide with 2 rounds		
$v_s$	= slide velocity		=weight of slide, 2 rounds, and gas oper-		
"sa	=velocity of recoiling parts at end of accelerating travel	$W_{srp}$	ating unit		
v <sub>scr</sub>	= counterrecoil velocity of slide		= barrel weight		
v'scr	= slide velocity before impact	W	= rate of gas flow; width of magazine; width of flat spring		
v <sub>sm</sub>	= maximum slide velocity	$w_c$	= width of cam		
$v_t$	= barrel velocity; tangential velocity of car- tridge case at ejection, velocity of transfer unit	x	= recoil travel, general; case travel; distance in x-direction		
W	= general term for weight; wall ratio; work	x	= axial acceleration of bolt		
w <sub>a</sub>	= weight of round	$x_b$	= bolt travel		
	= bolt weight	$x_{bo}$	= bolt travel at end of propellant gas period		
W <sub>b</sub>	-	$x_m$	= axial length of parabola		
$W_c$	= wall ratio of case; weight of gas in cylinder; weight of propellant charge	$x_r$	= recoil distance during propellant gas		
$W_{cc}$	weight of cartridge case; weight of empty case		period; recoil travel of drum and barrel assembly		
$W_{ce}$	= weight of gas at critical pressure	$x_{rn}$	= recoil travel during impulse period		
W <sub>d</sub>	= weight of drum	$x_{ro}$	<ul> <li>counterrecoiling travel during impulse period</li> </ul>		
$W_e$	= equivalent weight of moving parts	$x_s$	= slide travel; relative axial travel between cam follower and drum		
Wg	= total weight of propellant or propellant gas	x <sub>rd</sub>	= travel of recoiling parts during cam dwell period		
$W_o$	= weight of moving operating cylinder components	$x_t$	= barrel travel with respect to gun frame		
$W_{os}$	= combined weight of components and slide	$x_{tf}$	= barrel travel during free recoil		
$W_p$	= weight of projectile	$x_{to}$	= barrel travel during propellant gas period;		
$W_r$	= weight of recoiling parts		after buffer engagement; recoil travel dur- ing cam dwell period		

- y = distance in y-direction, spring deflection  $y_a$  = shear deflection
- $y_a$  = peripheral length of constant slope of cam = peripheral width of parabola; moment deflection

#### **GREEK LETTERS**

α	= angular	acceleration,	general;	angular
	acceleration	on of bolt; an	gular acco	eleration
	of rotor			

 $\alpha_d$  = angular acceleration of drum

 $\beta$  = cam angle

 $\beta_L$  = cam locking angle

 $\beta_o$  = slope of cam helix

 $\gamma$  = correction factor

 $\Delta t$  = time differential

 $\Delta v$  = velocity differential

 $\Delta x$  = distance differential

 $\Delta y$  = differential deflection; relative deflection of one spring segment

 $\epsilon$  = efficiency of spring system

 $\epsilon_b$  = efficiency of buffer system

 $\epsilon_t$  = efficiency of recoil adapter

θ = angular displacement, general; angular displacement of rotor; angle of elevation; angular deflection in rectangular coil spring

 $\theta_a$  = rotor travel for constant cam slope

 $\theta_{e}$  = angular shear deflection

 $\theta_m$  = angular moment deflection

λ =angle of bolt locking cam; slope of lug

helix

 $\mu$  = coefficient of friction

 $\mu_i$  = index of friction

 $\mu_r$  = coefficient of rolling friction

 $\mu_s$  = coefficient of sliding friction

 $\mu_r$  = coefficient of friction of track

ν = Poisson's ratio

 $\rho$  = ratio of spring energy to drum energy

 $\Sigma$  = summation

 $\sigma_t$  = tensile stress

 $\sigma_{w}$  = working stress of spring

 $\tau$  = static stress of spring

 $\tau_d$  = dynamic stress of spring

 $\phi$  = angle of double helix drive

 $\omega$  = angular velocity

 $\omega_d$  = angular velocity of drum

#### **PREFACE**

This handbook is one of a series on Guns. It is part of a group of handbooks covering the engineering principles and fundamental data needed in the development of Army materiel, which (as a, group) constitutes the Engineering Design Handbook Series. This handbook presents information on the fundamental operating principles and design of automatic weapons and applies specifically to automatic weapons of all types such as blowback, recoil-operated, gas-operated, and externally powered. These include single, double, multibarrel, and revolver-type machine guns and range from the simple blowback to the intricate M61A1 Vulcan and Navy 20 mm Aircraft Gun Mark II Mod 5 Machine Guns. Methods are advanced for preparing engineering design data on firing cycle, spring design, gas dynamics, magazines, loaders, firing pins, etc. All components are considered except tube design which appears in another handbook, AMCP 706-252, *Gun Tubes*.

This handbook was prepared by The Franklin Institute, Philadelphia, Pennsylvania, for the Engineering Handbook Office of Duke University, prime contractor to the U.S. Army, and was under the technical guidance and coordination of a special subcommittee with representation from Watervliet Arsenal, Rock Island Arsenal, and Springfield Armory.

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Comments and suggestions on this handbook are welcome and should be addressed to Army Research Office—Durham, **Box** CM, Duke Station, Durham, N. C. 27706.

#### CHAPTER 1

#### INTRODUCTION\*

#### 1-1 SCOPE AND PURPOSE

This handbook presents and discusses procedures normally practiced for the design of automatic weapons, and explores the problems stemming from the functions of each weapon and its components. It is intended to assist and guide the designer of automatic weapons of the gun type, and to contain pertinent design information and references.

#### 1-2 GENERAL

The purpose of the handbook is (1) to acquaint new personnel with the many phases of automatic weapon design, and (2) to serve as a useful reference for the experienced engineer. It does not duplicate material available in other handbooks of the weapon series. Those topics which are presented in detail in other handbooks are discussed here only in a general sense; consequently, the reader must depend on the referenced handbook for the details. Unless repetitive, the text - for cyclic analyses, time-displacement (T-D) curves, chamber design, strength requirements, springs, cams, and drive systems - includes mathematical analyses embodying sketches, curves, and illustrative problems. Topics such as ammunition characteristics, lubrication, handling and operating features, and advantages and disadvantages are generally described more qualitatively than quantitatively.

Appendix B is included to merely introduce the idea of the automatic control of a burst of rounds for weapon effectiveness in the point fire mode — a facet which the gun designer may wish to consider.

#### 1-3 DEFINITIONS

An automatic weapon is a self-firing gun. To be fully automatic, the weapon must load, fire, extract, and eject continuously after the first round is loaded and fired – provided that the firing mechanism is held unlocked. Furthermore, the automatic weapon derives all its operating energy from the propellant. Some weapons have external power units attached and, although not automatic in the strictest sense, are still classified as such.

There are three general classes of automatic weapons, all defined according to their system of operation, namely: blowback, gas-operated, and recoil-operated\*\*\*

- a. Blowback is the system of operating the gun mechanism that uses propellant gas pressure to force the bolt to the rear; barrel and receiver remaining relatively fixed. The pressure force is transmitted directly by the cartridge case base to the bolt.
- b. Gas-operated is the system that uses the propellant gases that have been vented from the bore to drive a piston linked to the bolt. The moving piston first unlocks the bolt, then drives it rearward.
- c. Recoil-operated is the system that uses the energy of the recoiling parts to operate the gun.

Each system has variations that may borrow one or more operational features from the others. These variations, as well as the basic systems, are discussed thoroughly in later chapters.

# 1-4 DESIGN PRINCIPLES FOR AUTOMATIC WEAPONS

The automatic weapon, in the process of firing a round of ammunition, is essentially the same as any other gun. Its basic difference is having the ability to continue firing many rounds rapidly and automatically. An outer stimulus is needed only to start or stop firing, unless the latter occurs when ammunition supply is exhausted. The automatic features require major effort in design and development. The design philosophy has been established, then the gun is to fire as fast as required without stressing any component to the extent where damage and therefore malfunction is imminent.

An extremely short firing cycle being basic, the designer must exploit to the fullest the inherent properties of each type of automatic weapon. Generally, each type must meet certain requirements in addition to

<sup>\*</sup>Prepared by Martin Regina, Franklin Institute Research Laboratories, Philadelphia, Pennsylvania.

<sup>\*\*</sup>References are identified by a superscript number and are listed at the end of this handbook.

being capable of operating automatically. These requirements or design features are:

- 1. Use part of the available energy of the propellant gases without materially affecting the ballistics.
- 2. Fire accurately at a sustained rate compatible with the required tactics.
- 3. Use standard ammunition.
- 4. Be light for easy handling.
- 5. Have a mechanism that is:
  - a. simple to operate

- b. safe
- c. easy to maintain
- d. economical with respect to manufacturing.
- Have positive action for feeding, extracting, ejecting.
- 7. Insure effective breech closure until the propellant gas pressure has dropped to safe limits.

All successful automatic weapons meet these requirements but to a degree normally limited by type of weapon. Conflicting requirements are resolved by compromise.

#### CHAPTER 2

#### **BLOWBACK WEAPONS**

#### 2-1 GENERAL

Controlling the response of the cartridge case to the propellant gas pressure is the basic design criterion of blowback weapons. The case responds by tending to move rearward under the influence of the axial force generated by the gas pressure on its base. Meanwhile, because of this same pressure, the case dilates to press on the inner wall of the chamber. The axial force tends to

push the bolt rearward, opposed only by the resistance offered by the bolt inertia and the frictional resistance between case and chamber wall. The question now arises as to which response predominates, the impending axial motion or the frictional resistance inhibiting this motion.

Time studies resolve the problem. Fig. 2-1 is a typical pressure-time curve of a round of ammunition.

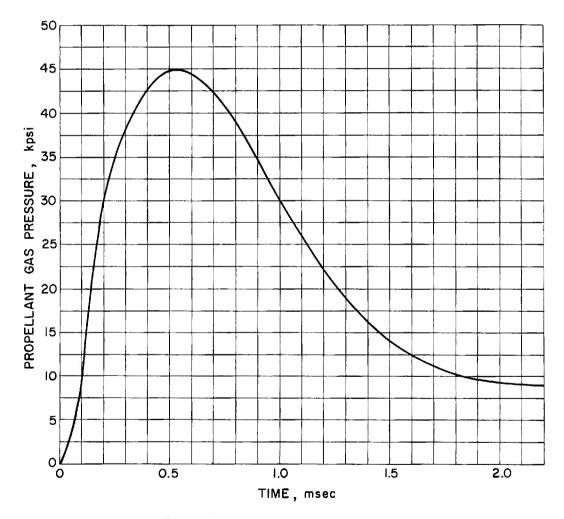


Figure 2-1. Typical Pressure-time Curve

For simplicity, assume unity for bore area and bolt weight. According to Fig. 2–1, the maximum pressure of 45,000 psi develops in 0.0005 sec. Again for simplicity, assume that the pressure varies linearly from t = 0 to t = 0.0005 sec. The pressure p at any time during the interval

$$p = \left(\frac{45000}{0.0005}\right) t = 9 \times 10^7 t \text{ lb/in.}^2$$
 (2-1)

The corresponding force F driving the cartridge case and bolt rearward is

$$F = A_b p = 9 \times 10^7 tA \text{ lb}$$
 (2-2)

where  $A_b$  = bore area in square inches

but, by assumption,  $A_b = 1.0$  in? , therefore

$$F = 9 \times 10^7 t = \text{Kt.}$$
 (2-3)

From mechanics

$$F = M_b a \tag{2-4}$$

where a = bolt acceleration

 $M_h$  = mass of bolt.

According to an earlier assumption  $M_b = \frac{W}{g} = \frac{1.0}{g}$ 

Solve for a in Eq. 2-4

$$a = \frac{F}{M_1} = Kgt \tag{2-5}$$

but

$$a = \frac{d^2s}{dt^2} = \text{Kgt}. \tag{2-6}$$

Integration of Eq. 2-6 yields

$$v = \int \frac{d^2s}{dt^2} = \frac{ds}{dt} + C = \frac{1}{2} Kgt^2 + C_1$$
 (2-7)

when t = 0, v = 0, therefore  $C_1 = 0$ .

Integration of Eq. 2-7 yields

$$s = \int \frac{ds}{dt} = \frac{1}{6} Kgt^3 + C_2$$
 (2-8)

when t = 0, s = 0, therefore,  $C_2 = 0$ .

Assume that the limiting clearance between case and chamber is equal to the case dilation as it reaches the ultimate strength, and assume further that the cartridge case has a nominal outside diameter of 1.5 in., a wall thickness of 0.05 in., and an ultimate strength of 50,000 psi. Then, according to the thin-walled pressure vessel formula, the pressure at which failure impends and which presses the case firmly against the chamber wall is  $p_u$ .

$$p_u = \frac{\sigma_t t}{r} = \frac{50,000 \times 0.05}{0.725} = 3440 \text{ psi}$$
 (2-9)

where

r = 0.725 in., mean radius of case

 $t_c = 0.05$  in., wall thickness

 $\sigma_r = 50,000 \text{ lb/in.}^2$ , tensile stress

From Eq. 2-1, t is the time elapsed to reach this pressure.

$$t = \frac{p_u}{9 \times 10^7} = 3.83 \times 10^{-5} \text{ sec}$$
 (2-10)

From Eq. 2-8, s is the distance that the case and bolt travel during this time, i.e., when only the inertia of the system is considered.

$$s = \frac{1}{6} Kgt^3$$

$$= \frac{1}{6} \times 9 \times 10^7 \times 386 \times 56 \times 10^{-15} \ll 0.001 \text{ in.}$$

This analysis indicates that when optimum conditions prevail, the cartridge case scarcely moves before frictional resistance begins to take effect. Motion will continue until Eq. 2–11 is satisfied.

$$A_b p = \mu A_c p_i \tag{2-11}$$

where

 $A_{\bullet}$  = bore area

A, = peripheral surface contact area between case and chamber

p = propellant gas pressure

 $p_i$  = interface pressure of case and chamber

 $\mu$  = coefficient of friction

With no initial clearance between the case and chamber, an approximate interface pressure  $p_i$  may be determined by equating the inside deflection of the chamber, due to this pressure, to the outside deflection of the cartridge case, due to both interface and propellant gas pressure, when both case and chamber are considered cylindrical. Solve for the interface pressure.

$$p_{i} = \frac{\frac{2p}{w_{i}^{2} - 1}}{\frac{E_{c}}{W^{2} - 1} + v} + \left(\frac{W_{c}^{2} + 1}{W_{e}^{2} - 1} - v\right)$$
(2-12)

where

E = modulus of elasticity of chamber

 $E_{\rm h}$  = modulus of elasticity of case

W = wall ratio of chamber

 $W_c$  = wall ratio of case

 $\nu$  = Poisson's ratio (assumed to be equal for both materials)

Spot checks indicate that those pressures which dilate unsupported cartridge cases to the limit of their strength are reasonably close to the difference in propellant gas pressure and computed interface pressure. Thus

$$p_u \approx p - p_i \tag{2-13}$$

Ample clearance between case and chamber is always provided but is never so large that barrel recovery exceeds case recovery after gas pressures subside; otherwise, interference develops, i.e., clamping the case to the chamber wall and rendering extraction difficult\*.

#### 2-2 SIMPLE BLOWBACK

Simple blowback is the system wherein all the operating energy is derived from blowback with the inertia of the bolt alone restraining the rearward movement of the cartridge case.

#### 2-2.1 SPECIFIC REQUIREMENTS

Being restricted to low rates of fire because massive bolts are needed for their inertial properties, simple blowback systems are suitable only for low impulse, relatively low rate of fire weapons<sup>3</sup>.

The restraining components of a simple blowback mechanism are the bolt and driving spring. Fig. 2-2 is a schematic of an assembled unit. Immediate resistance to case movement offered by the return spring is usually negligible. This burden falls almost totally on the bolt. It begins to move as soon as the projectile starts but at a much lower acceleration so that the cartridge case is still supported by the chamber until propellant gas pressure becomes too low to rupture the case. To realize a low acceleration, the bolt must be considerably heavier than needed as a load-supporting component. In high impulse guns, bolt sizes can be ridiculously large. The large mass, being subjected to the same impulse as that applied to propellant gas and projectile, will develop the same momentum; consequently, its velocity and corresponding kinetic energy will be comparatively low. The slowly moving bolt confines the gun to a low rate of

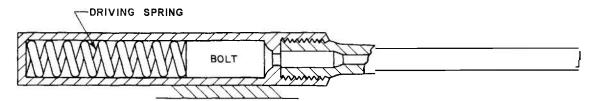


Figure 2-2. Schematic of Simple Blowback Mechanism

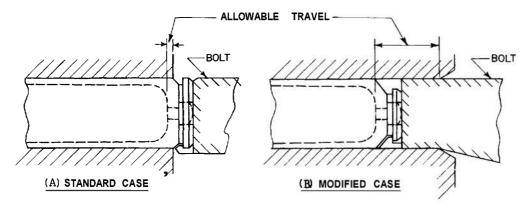


Figure 2-3. Allowable Case Travel

Although the bolt moves slowly, it still permits the case to move. The permissible travel while gas pressures are still high enough to rupture an unsupported case is indicated by Fig. 2-3(A) for a standard cartridge case. Fig. 2-3(B) illustrates how a modified case can increase the permissible travel. The geometry of chamber and cartridge case are also involved. A slight taper or no taper at all presents no problem but, for a large taper, an axial displacement creates an appreciable gap between case and chamber, thereby, exposing the case to deflections verging on rupture. Therefore, for weapons adaptable to simple blowback operation, chamber and case design takes on special significance if bolt travel is reasonable while propollant gases are active. For high-powered guns, exploiting this same advantage gains little. How little effect an increase in travel has on reducing bolts to acceptable sizes is demonstrated later.

The driving spring has one basic function. It stores some of the energy of the recoiling bolt, later using this energy to slam the bolt back into firing position and in the process, cocks the firing mechanism, reloads, and trips the trigger to repeat the firing cycle. That the driving spring stores only some of the energy of the recoiling bolt when firing semiautomatic shotguns, rifles, and pistols is indicated by the forward momentum not being perceptible during reloading whereas the kick during firing is pronounced.

#### 2-2.2 TIME OF CYCLE

The time of the firing cycle is determined by the impulse created by the propellant gases, and by the bolt and driving spring characteristics. The impulse  $\int Fdt$  is computed from the area beneath the force-time curve. It is equated to the momentum of the bolt assembly, i.e.,

$$\int_{t_1}^{t_2} F_g dt = M_b \nu_f \tag{2-14}$$

where

 $F_{g}$  = propellant gas force

 $M_b = \text{mass of bolt assembly}$ 

 $v_f$  = velocity of free recoil

dt = time differential

The mass of the bolt assembly includes about one-third the spring as the equivalent mass of the spring in motion. However, the effect of the equivalent spring mass is usually very small and, for all practical purposes, may be neglected. After the energy of free recoil is known, the recoil energy  $E_r$  and the average driving spring force become available

$$E_{r} = \frac{1}{2} M_b v_f^2 \qquad (2-15)$$

The average force  $F_{\pmb{a}}$  depends on the efficiency of the mechanical system

$$F_a = \frac{\epsilon E_r}{L} \tag{2-16}$$

where L = length of recoil or bolt travel

e = efficiency of system

#### 2-2.2.1 Recoil Time

The bolt travel must be sufficient to permit ready cartridge loading and case extraction. The initial spring force F, is based on experience and, when feasible, is selected as four times the weight of the recoiling mass. The maximum spring force  $F_m$ , when the bolt is fully recoiled, is

$$F_m = 2F_a - F_o (2-17)$$

The spring force at any time of recoil is

$$F = F_o + Kx \tag{2-18}$$

where K = spring constant

x = recoil distance at time t

At time t the energy remaining in the recoiling mass is

$$\frac{1}{2} M_b v_r^2 = \frac{1}{2} M_b v_f^2 - \frac{1}{\epsilon} \left( F_o x + \frac{1}{2} K x^2 \right)$$
 (2-19)

where E is the efficiency of the spring system. An inefficient system helps to resist recoil by absorbing energy.

But  $v_r = \frac{dx}{dt_r}$ , therefore

$$\frac{dx}{dt_r} = \sqrt{\frac{2}{M_b}} \sqrt{\frac{M_b}{2} v_f^2 - \frac{1}{\epsilon} F_o x - \frac{1}{2\epsilon} K x^2}$$
 (2-20)

Solve for dt,.

$$dt_{r} = \frac{\sqrt{\frac{M_{b}}{2}} dx}{\sqrt{\frac{M_{b}}{2} v_{f}^{2} - \frac{1}{\epsilon} F_{o}x - \frac{1}{2\epsilon} Kx^{2}}}$$
(2-21)

Set  $\nabla_{f} = \nu_{f}$ , the initial velocity at time zero, and integrate.

$$t_r = \left(\sqrt{\frac{\epsilon M_b}{K}} \quad \sin^{-1} \quad \frac{F_o + Kx}{\sqrt{F_o^2 + \epsilon K M_b v_o^2}}\right) \begin{vmatrix} x = L \\ x = 0 \end{vmatrix}$$
 (2-22)

This computed time does not include the time while propellant gases are acting. The exclusion provides a simple solution without serious error. Since  $Mv_o^2 = \frac{L}{E} (F_m + F_o)$  and, by definition,

$$K = \frac{F_m - F_o}{L} \text{ and } \sqrt{F_o^2 + \epsilon K M v_o^2} = F_m.$$

Therefore, the time elapsed during recoil t, from x = 0 to x = L is

$$t_r = \sqrt{\frac{\epsilon M_b}{K}} \left( \frac{\pi}{2} - \sin^{-1} \frac{F_o}{F_m} \right) = \sqrt{\frac{\epsilon M_b}{K}} \cos^{-1} \frac{F_o}{F_m}. \tag{2-23}$$

#### 2-2.2.2 Counterrecoil Time

The counterrecoil time is determined by the same procedure as that for recoil, except that the low efficiency of springs deters rapid counterrecoil. The energy of the counterrecoiling mass of the bolt assembly at any time  $t_{cr}$  is

$$E_{cr} = \frac{1}{2} M_b v_{cr}^2 = \frac{1}{2} M_b v_o^2 + \epsilon (F_m x - \frac{1}{2} K x^2)$$
 (2-24)

where  $v_o = \text{initial velocity}$ 

 $v_{cr}$  = counterrecoil velocity at any time

Since  $v_{r} = \frac{dx}{dt_{cr}}$ 

$$dt, = \frac{\sqrt{\frac{M_b}{2}} dx}{\sqrt{\frac{M_b}{2} v_o^2 + \epsilon F_m x - \frac{\epsilon}{2} K x^2}}$$
 (2-25)

Integrating

$$t_{cr} = \sqrt{\frac{M_b}{\epsilon K}} \left( \operatorname{Sin}^{-1} \frac{Kx - F_m}{\sqrt{F_m^2 + \frac{K}{\epsilon} M_b v_o^2}} - \operatorname{Sin}^{-1} \frac{-F_m}{\sqrt{F_m^2 + \frac{K}{\epsilon} M_b v_o^2}} \right)$$
 (2-26)

When the initial velocity is zero, the time  $t_{cr}$  to counterrecoil the total distance is

$$t_{cr} = \sqrt{\frac{M_b}{\epsilon K}} \quad \left( \sin^{-1} \frac{-F_o}{F_m} - \frac{3\pi}{2} \right) = \sqrt{\frac{M_b}{\epsilon K}} \quad \cos^{-1} \frac{F_o}{F_m}$$
 (2-27)

#### 2-2.2.3 Total Cycle Time

The mass of the bolt assembly and the bolt travel are the controlling elements of a simple blowback system. Large values will decrease firing rate whereas the converse is true for small values. The driving spring characteristics are determined after mass and travel are established. The total weapon weight limits, to a great extent, the weight and travel of the bolt.

Because of the efficiency of the spring system, counterrecoil of the bolt will always take longer than recoil. The time  $t_c$  for the firing cycle is

$$t_{i} = t_{i} + t_{cr} + t_{i} (2-28)$$

where  $t_i$  is time elapsed at the end of counterrecod until the bolt mechanism begins to move in recoil. Since the firing rate is specified,  $t_i$  is

$$t_r = \frac{60}{f_r} \quad , sec/round \qquad (2-29)$$

where  $f_r$  = firing rate in rounds/min.

Initial approximations of blowback parameters may be computed by relating average spring forces and acceleration to the recoil energy. The average spring force  $F_a$  needed to stop the recoiling mass is

$$F_a = \frac{\epsilon E_r}{I} = \frac{\epsilon M_b v_f^2}{3I} \tag{2-30}$$

where, according to Eq. 2-15,  $E_r = \frac{1}{2} M_b v_f^2$  . Since  $F_a = \epsilon M_b a_r$ 

$$a_r = \frac{F_a}{\epsilon M_b} = \frac{v_f^2}{2L} \tag{2-31}$$

From the general expression for computing distance in

terms of time and acceleration,  $L = \frac{1}{2} a$ ,  $t_r^2$ , the recoil time becomes

$$t_r = \sqrt{\frac{2L}{a_r}} = \sqrt{\frac{4L^2}{v_f^2}} = \frac{2L}{v_f}.$$
 (2-32)

During counterrecoil, the effectiveness of the spring force is reduced by the inefficiency of the system. This force is

$$F_{cr} = \epsilon F_a = M_b a, \qquad (2-33)$$

where  $a_{ij}$  is the counterrecoil acceleration. According to Eq.  $2-3\theta$ 

$$eF_a = \frac{e^2 M_b v_f^2}{2L} = M_b a_{cr}.$$
 (2-34)

Proceed similarly as for recoil

$$t_{,,} = \sqrt{\frac{2L}{a_{cr}}} = \sqrt{\frac{4L^2}{\epsilon^2 v_f^2}} = \frac{2L}{\epsilon v_f}.$$
 (2-35)

The approximate time of the firing cycle becomes

$$t_r = t_r + t_{cr} = \frac{2L}{v_f} (1 + \frac{1}{\epsilon}).$$
 (2-36)

By knowing the required cycle time and the computed velocity of free recoil, the distance of bolt travel can be determined from Eq. 2-36. This computed distance will be less than the actual because the accelerations are not constant thereby having the effect of needing less time to negotiate the distance in Eq. 2-36. In order to compensate for the shorter time, the bolt travel is increased until the sum oft, and  $t_1$ , from Eqs. 2-23 and 2-27 equals the cycle time.

$$t_{r} = t_{r} + t_{cr}$$

$$= \left(\sqrt{\frac{eM_{b}}{K}} + \sqrt{\frac{M_{b}}{eK}}\right) Cos^{-1} \frac{F_{o}}{F_{m}}. (2-37)$$

Substitute  $2F_a - F_m$  for  $F_o$  and rewrite Eq. 2-37

os 
$$\frac{t_c}{\sqrt{\epsilon M_b} + \sqrt{\frac{M_b}{\epsilon}}} \sqrt{K} = \frac{2F_a - F_m}{F_m}$$

 $F_a$  is computed from Eq. 2-30. Note that

$$t_c / \left( \sqrt{\epsilon M_b} + \sqrt{\frac{M_b}{\epsilon}} \right)$$

is a constant for any given problem. Now by the judicious selection of L (using  $Eq.\ 2-36$  for guidance) and K, the spring forces may be computed by iterative procedures so that (1) when substituted into Eq. 2-37 the specified time is matched, and (2) then into Eq. 2-17 to check whether  $F_a$  corresponds with the computed value obtained earlier from Eq. 2-30.

The actual firing rate is determined from the final computed cycle time.

$$f_r = \frac{60}{t_c}$$
 rounds/min (2-39)

#### 2-23 EXAMPLE OF SIMPLE BLOWBACK GUN

#### 2-2.3.1 Specifications

Gun: 11.42 mm (Cal .45) machine gun

Firing Rate: 400 rounds per minute

Interior Ballistics: Pressurevs Time (Fig. 2–4) Velocity vs Time (Fig. 2–4)

Weight of moving bolt assembly: 3 lb

#### 2-2.3.2 Computed Design Data

The area beneath the pressure-timecurve of Fig. 2-4 represents an impulse of

 $\int F_g dt = 0.935 \text{ lb-see.}$ 

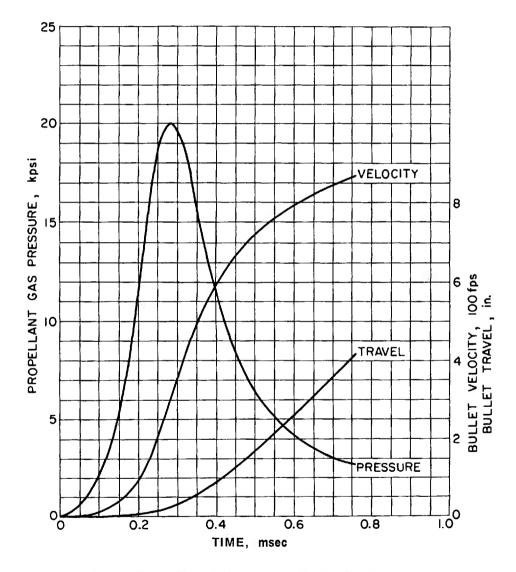


Figure 2-4. Pressure-time Curve of Cal.45 (11.42mm) Round

The velocity of free recoil according to Eq. 2-14 is

$$v_f = \frac{\int F_g dt}{M_b} = \frac{0.935 \times 386.4}{3} = 120.4 \text{ in./sec.}$$

The recoil energy from Eq. 2–15 is

$$E_r = \frac{1}{2} M_b v_f^2 = \frac{1}{2} \times \frac{3}{386.4} \times 14500 = 56.3 \text{ in.-lb.}$$

The time of the firing cycle for 400 rpm is

$$t_c = \frac{60}{400} = 0.15 \text{ sec.}$$

From Eq. 2-36, the approximate bolt travel is

$$L = \frac{1}{2} t_c v_f \left( \frac{\epsilon}{\epsilon + 1} \right) = \frac{1}{2} \times 0.15 \times 120.4 \left( \frac{0.40}{0.40 + 1.0} \right) = 2.58 \text{ in.}$$

where  $\epsilon = 0.40$ , the efficiency of system.

K = 1.0 lb/in. is selected as practical for the first trials. This value may be revised if the bolt travel becomes excessive or other specifications cannot be met. From **Eq.** 2-30 the average spring force

$$F_a = \frac{\epsilon E_r}{L} = \frac{0.40 \text{ x } 56.3}{2.58} = 8.72 \text{ lb.}$$

From **Eqs.** 2–17 and 2–18 the minimum and maximum spring forces are

$$F_o = F_a - \frac{1}{2} KL = 8.72 - 1.29 = 7.43 \text{ lb}$$

$$F_m = F_0 + KL = 7.43 \pm 2.58 = 10.011b.$$

Compute the characteristics of Eq. 2-37

$$\sqrt{\epsilon M_b} = \sqrt{\frac{0.4 \times 3}{386.4}} = \sqrt{0.003106} = 0.0557 \text{ lb-sec}^2/\text{in}.$$

$$\sqrt{\frac{M_b}{\epsilon}} = \sqrt{\frac{3}{0.4 \times 386.4}} = \sqrt{0.01941} = 0.1393 \text{ lb-sec}^2/\text{in}.$$

The time of the firing cycle for K = 1 lb/in. is

$$t_c = \left(\sqrt{\frac{\epsilon M_b}{K}} + \sqrt{\frac{M_b}{\epsilon K}}\right) \text{Cos}^{-1} \frac{F_o}{F_m} = (0.0557 + 0.1393) \frac{1}{\sqrt{1}} \text{Cos}^{-1} \frac{7.43}{10.01}$$

= 0.195 Cos-' 0.74226 = 0.195 
$$\left(\frac{42.08}{57.3}\right)$$
 = 0.143 sec.

therefore, to have  $t_c = 0.15 \text{ sec}$ , Cos-'  $\frac{1}{F_m} = 0.76923$  rad and  $\cos 0.76923$  rad = 0.7185 so that

$$\frac{F_o}{F_m} = \frac{F_o}{F_o + KL} = 0.7185.$$

Since 
$$K = 1$$
,  $\frac{F_o}{F_o + L} = 0.7185$  and  $F_o = 2.552L$ .

Also, since 
$$\frac{1}{\epsilon}F_aL = \frac{(F_{o+}F_m)L}{2E} = E_r = 56.3$$
 in.-lb

$$2F_o + L = 2F_a = \frac{2(0.40 \times 56.3)}{L} = \frac{45.04}{L}$$

Therefore

$$L^2 = 7.379 \text{ in}^2$$
  $L = 2.72 \text{ in}$   
 $F_0 = 6.94 \text{ lb}$   $F_m = 9.62 \text{ lb}$ 

The spring work  $W_s = \frac{1}{2}(F_o + F_m)L = 22.52$  in.-lb, which matches the input. The time  $t_c$  of the firing cycle for K = 1

$$t_c = \left(\sqrt{\frac{eM_b}{K}} + \sqrt{\frac{M_b}{eK}}\right) \cos^{-1} \frac{F_o}{F_m}$$

$$= (0.557 + 0.1393) \cos^{-1} \frac{6.94}{9.62}$$

$$= 0.195 \cos^{-1} 0.7214 = 0.195 \left(\frac{43.83}{57.3}\right)$$

$$= 0.15 \text{ sec.}$$

#### 2-2.3.3 Case Travel During Propellant Gas Period

Case travel while propellant gas pressures are active is found by numerically integrating the interior ballistics pressure-time curve and the velocity-time curve of the

$$t \mid At \mid A_i \mid F_g \Delta t \mid Av \mid v \mid v_a \mid Ax$$

t = time, abscissa of pressure-time curve

$$At = t_n - t_{n-1}$$
, differential time

 $A_i$  = differential area under pressure-time

 $F_{\varphi}\Delta t = A_{h}A_{i}$ , differential impulse

 $A_{,}$  = bore area

 $\Delta v = F_g \Delta t / M_b$ , differential velocity

 $M_h$  = mass of bolt

 $v = \Sigma \Delta v$  velocity at end of each time increment

$$v_a = \frac{1}{2}(v_n + v_{n-1})$$
 average velocity for each time increment

 $Ax = v_a \Delta t$ , differential distance of case travel

 $x = \Sigma \Delta x$ , case travel during propellant gas period

#### 2-2.3.4 Sample Problem of Case Travel

The distance that the case is extracted as the projectile leaves the bore is determined by numerically integrating the pressure-time curve of Fig. 2-4.

$$A_b = \frac{\pi}{4} D_b = \frac{\pi}{4} \times 0.45^2 = 0.159 \text{ in}^2$$
, bore area

$$AV = F_g \Delta / M_b = \frac{32.2 \times 12 F_g \Delta t}{3} = \frac{386.4 F_g \Delta t}{3}$$
  
= 128.8  $F_g \Delta t$ 

Ax = 0.053 in., the case travel distance when the projectile leaves the muzzle. This unsupported distance of the case is still within the allowable travel illustrated in Fig. 2-3.

t, msec	$\Delta t$ , msec	$A_i$ , lb-sec/in. <sup>2</sup>	$F_g \Delta t$ , lb-sec	Δν, in./sec	v, in./sec	ν <sub>α</sub> , in./sec	Δx, in.
0.1	0.1	0.07	0.011	1.4	1.4	0.70	0.00007
0.2	0.1	0.56	0.089	11.4	12.8	7.10	0.00071
0.3	0.1	1.73	0.275	35.4	48.2	30.50	0.00305
0.4	0.1	1.60	0.255	32.8	81.0	64.60	0.00646
0.5	0.1	0.88	0.140	18.0	99.0	90.00	0.00900
0.6	0.1	0.52	0.083	10.7	109.7	104.35	0.01043
0.7	0.1	0.36	0.057	7.3	117.0	113.35	0.01134
0.76	0.06	0.16	0.025	3.2	120.2	118.60	0.01186
$\Sigma$	0.76	5.88	0.935	120.2			0.05292

TABLE 2-1. CASE TRAVEL OF CAL .45 (11.42 mm) GUN

#### 2-2.3.5 Driving Spring Design

Driving springs must be compatible with operation and with the space available for their assembly, two factors that limit their outside diameter, and assembled and solid heights. The driving springs must also be designed to meet the time and energy requirement of the firing cycle and still have the characteristics that are essential for maintaining low dynamic stresses. The criteria for dynamic stresses have been established by Springfield Armory<sup>4</sup>. The procedures in the subsequent analyses follow these criteria.

The spring design data developed for the firing cycle calculations are

K = 1.0 lb/in., spring constant

 $F_0$  = 6.94 lb, spring force at assembled height

 $F_m$  = 9.62 lb, static spring force at end of recoil

L = 2.72 in., bolt travel

 $t_c = 0.15 \text{ sec}$ , time of firing cycle

$$t_r = \left(\frac{0.0557}{0.195}\right) t_c = 0.0428 \text{ sec, time of recoil}$$
 (see par. 2–2.3.2)

 $v_f = 120.4 \text{ in./sec}$ , spring velocity of free recoil

According to the theory of surge waves in springs, the dynamic stress increases only slightly over the static stress if the following conditions exist:

1.67 
$$\leq \frac{T}{T'}$$
  $\leq$  2.0 when 25  $\leq \nu_i \leq$  50 fps

(Ref. 4)

3.33  $\leq \frac{T_c}{T} \leq$  4.0 when 20  $\leq \nu_i \leq$  25 fps

(Ref. 4)

5.0  $\leq \frac{T_c}{T} \leq$  6.0 when  $\nu_i \leq$  20 fps
(Ref. 4)

where T = surge time

 $T_c$  = compression time of spring

 $v_i$  = impact velocity, ft/sec

The impact velocity of 50 ft/sec should not be exceeded, neither should the velocity be less than the lower limit of each range, however, the limits of the ratio  $\frac{T}{C}$  need not necessarily be restricted to the two

lower ranges. For instance, if speeds are less than 20 ft/sec, the limits of  $\frac{T_{\theta}}{T}$  may be shifted to the upper range

which varies between 3.33 and 4.0, or even to the first range of limits 1.67 to 2.0. For speeds between 20 and 25 ft/sec, the limits of the ratio may be shifted to the upper range that varies between 1.67 and 2.0.

The surge time, in terms of spring characteristics is<sup>5</sup>

$$T = 35.5 \times 10^{-6} \left(\frac{D^2}{d}\right) N \tag{2-40}$$

where d = wire diameter

D = mean coil diameter

N = number of coils

Refer to the spring design data.

$$T_c = t_r = 0.0428$$
 sec, compression time of spring

Select 
$$\frac{T_c}{T} = 3.8$$
, or

$$T = \frac{T_c}{3.8} = \frac{0.0428}{3.8} = 0.01125 \text{ sec}$$

$$K = \frac{Gd^4}{8D^3N}$$
 or  $N = \frac{Gd^4}{8D^3K}$  (Ref. 6) (2-41)

G = torsional modulus (11.5 x  $10^6$  lb/in.<sup>2</sup> for where

K = spring constant

Substitute the expression for N of Eq. 2-41 into Eq. 2-40, insert known values, and solve ford

$$d = 0.27 \sqrt[3]{DKT} (2-42)$$

When D = 0.5 in., and K = 1.0 (from spring data)

$$d = 0.27 \sqrt[3]{0.5 \times 1.0 \times 0.01126} = 0.048 \text{ in.}$$

From Eq. 2-41

$$N = \frac{Gd^4}{8D^3K} = \frac{11.5 \times 10^6 \times 530 \times 10^{-8}}{8 \times 0.125 \times 1.0} = 61 \text{ coils}$$

$$H_s = Nd = 61 \times 0.048 = 2.93$$
 in., solid height.

The static torsional stress  $\tau$  is <sup>6</sup>

$$\tau = \frac{8F_m D}{\pi d^3} = \frac{8 \times 9.62 \times 0.5}{111 \times 10^{-6} \pi} = 110,0001 \text{b/in}^2$$
(2-43)

According to Eq. 34 in Ref. 4, the dynamic torsional stress is

$$\tau_d = \tau \left(\frac{T}{T_c}\right) \left[ f\left(\frac{T_c}{T}\right) \right]$$
 (2-44)

$$\tau_d = 110,000 \left(\frac{1}{3.8}\right) 4 = 116,000 \,\text{lb/in.}^2$$

This stress is acceptable since the recommended maximum stress for music wire is 150,000 lb/in.2 In Eq.

$$2-44$$
,  $f\left(\frac{T_c}{T}\right)$  is the next largest even whole number larger than the value of  $\frac{T_c}{T}$  if this ratio is not an even whole number.

#### 2-3 ADVANCED PRIMER IGNITION BLOW-**BACK**

Timing the ignition so that the new round is firedjust before the bolt seats gives the first part of the impulse created by the propellant gas force opportunity to act as a buffer for the returning bolt. The rest of the impulse provides the effort for recoiling the bolt. The system that absorbs a portion of the impulse in this manner is called Advanced Primer Ignition Blowback. This system has its artillery counterpart in the out-of-battery firing system, i.e., the firing of the artillery weapon being initiated during counterrecoil but with the breechblock closed.

#### 2-3.1 SPECIFIC REQUIREMENTS

By virtue of its ability to dispose of the early influence of propellant gas force on recoil, the advanced primer ignition system is much more adaptable to high rates of fire than the simple blowback system. Reducing the effectiveness of the impulse by fifty percent alone reduces the bolt weight by a factor of two with a substantial increase in firing rate.

The restraining components may be considered as real and virtual: the real being the bolt and driving spring: the virtual, the momentum of the returning bolt. Fig. 2-5 is a schematic of the advanced primer ignition system. The firing cycle starts with the bolt latched open by a sear and the driving spring compressed. Releasing the sear, frees the bolt for the spring to drive it forward. The

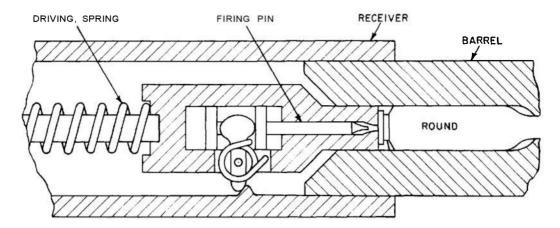


Figure 2-5. Schematic of Advanced Primer Ignition System

moving bolt picks up a round from the feed mechanisms and pushes it into the chamber. Shortly before the round is seated, the firing mechanism activitates the primer. The firing mechanism is so positioned and timed that the case is adequately supported when propellant gas pressures reach case-damaging proportions. The case and bolt become fully seated just as the impulse of the propellant gas force equals the momentum of the returning bolt. This part of the impulse is usually approximately half the total, thus establishing the driving spring characteristics.

As soon as forward motion stops, the continuously applied propellant gas force drives the bolt rearward in recoil. During recoil, the case is extracted and the driving spring compressed until all the recoil energy is absorbed to stop the recoiling parts. If the sear is held in the released position, the cycle is repeated and firing continues automatically. Firing ceases when the sear moves to the latched position.

# 2-3.2 SAMPLE CALCULATIONS OF ADVANCED PRIMER IGNITION

#### 2-3.2.1 Firing Rate

To illustrate the effectiveness of advanced primer type performance, start with the same initial conditions as for the simple blowback problem with the added provision that half the impulse of the propellant gas is used *to* stop the returning bolt just as the cartridge seats. Thus

$$\int F_g dt = \frac{0.935}{2} = 0.4675 \text{ lb-sec}$$

Eqs. 2-14 through 2-39 are again used. Since only half the impulse is available to drive the bolt in recoil, its mass must be reduced by half in order to retain the 120.4 in./sec velocity of free recoil. Thus the weight of this bolt assembly is specified as 1.5 lb and

$$v_f = \frac{\int F_g dt}{M_b} = \frac{0.4675 \times 386.4}{1.5} = 120.4 \text{ in./sec}$$

$$E_r = \frac{1}{2} M_b v_f^2 = \frac{1}{2} \times \frac{1.5}{386.4} \times 14500$$
  
= 28.2 in.-lb.

According to Eq. 2-36, the approximate bolt travel is the same (2.58 in.) as that for the simple blowback gun in the preceding problem. Again, as in the earlier problem, the 2.58 in. bolt travel does not yield totally compatible results and must be modified to meet the rate of fire of 400 rounds per minute or the cycle time oft, = 0.15 sec.

Since the initial dynamic conditions, impulse and energy of recoil are half as much as those of the preceding problem, the spring constant must also be half in order to have the same bolt travel. Eq. 2-37 shows the firing cycle time to be

$$t_c = \left(\sqrt{\frac{\epsilon M_b}{K}} + \sqrt{\frac{M_b}{\epsilon K}}\right) \mathrm{Cos^{-1}} \frac{E_o}{\sigma}.$$

Since K = 0.5 lb/in., E = 0.40,  $M_b = \frac{1.5}{386.4} \frac{\text{lb-sec}^2}{\text{in.}}$ , and  $t_c = 0.15 \text{ sec}$ ,

$$E_{0m} - F_{0} = F_{0} = \cos \left[ \left( \frac{0.15}{0.195} \right) 57.3^{\circ} \right]$$

$$= \cos 44^{\circ}04' = 0.7185$$

Solve for  $F_{o}$ 

$$F_0 = 1.2762 L$$
.

Also

$$2 F_o + KL = 2F_o + 0.5L = 2F_a = \frac{2eE_r}{L}$$
$$- \frac{2 \times 0.4 \times 28.2}{L}.$$

Substitute for  $F_o$  and collect terms

$$L^2 = \frac{22.56}{3.0524} = 7.39 \text{ in.}^2$$
  
 $L = 2.72 \text{ in.}$   
 $F_o = 3.47 \text{ lb}$   
 $F_m = 4.83 \text{ lb}$ 

Recompute the time for the firing cycle

$$t_c = \left(\sqrt{\frac{\epsilon M_b}{K}} + \sqrt{\frac{M_b}{\epsilon K}}\right) \cos^{-1} \frac{F_o}{F_m}$$
$$= 0.195 \cos^{-1} \left(\frac{3.47}{4.83}\right) = 0.195 \times 0.769 = 0.15 \sec^{-1} \frac{F_o}{F_m}$$

Another approach illustrates the advantage of increasing the firing rate by incorporating the advanced primer technique. The length of recoil in the preceding problems was selected to balance the dynamics of the problem and is not necessarily the ideal minimum distance. Suppose that the ideal bolt travel is 1.5 in. and that the recoil force of the simple blowback gun is acceptable. The mass of the bolt is adjusted to suit the requirements.

$$\int F_{o}dt = 0.4675 \text{ lb-sec}$$

*F<sub>o</sub>* = 7.49 lb, minimum spring load, simple blowback

$$F_m = 10.08 \, \text{lb}$$
, maximum

$$K = \frac{F_{mL} - F_{o}}{L} = \frac{2.59}{1.5} = 1.727 \text{ lb/in.}$$

e = 0.40, efficiency of spring system

The work  $W_s$  done to compress the springs is

$$W_e = \frac{1}{2} (F_o + F_m) L = 8.785 \times 1.5 = 13.18 \text{ in.-lb.}$$

The velocity  $v_f$  of free recoil is

$$v_f = \frac{\int F_g dt}{M_b} = \frac{g \int F_g dt}{W_b}.$$

The recoil energy  $E_r = \frac{1}{2} M_b v_f^2 = \frac{1}{2} \left( \frac{W_b}{g} \right) v_f^2$ .

Substitute for  $v_f$ 

$$E_r = + (\int F_g dt)^2 \frac{g}{W} .$$

When the efficiency of the system is considered, the spring work is

$$W_s = 0.4E_r$$
 or  $E_r = 2.5W_s$ .

Substitute for  $E_r$  and solve for  $W_b$ , the weight of the bolt

$$2.5W_s = \frac{1}{2} (fF_g dt)^2 \frac{g}{W_b}$$

$$32.95 = \frac{1}{2} \times 0.2185 \left(\frac{386.4}{W_b}\right)$$

$$W_b = \frac{42.214}{32.95} = 1.281 \text{ lb.}$$

The velocity of free recoil becomes

$$v_f = \frac{gfF_g dt}{W_b} = \frac{386.4 \times 0.4675}{1.281} = 141 \text{ in./sec}$$

The recoil energy  $E_r = \frac{1}{2} \left( M v_f^2 \right) = \frac{1}{2} \left( \frac{1.281}{386.4} \right) 19880 = 32.95 \text{ in.-lb.}$ 

The time of a firing cycle is

$$t_c = \left(\sqrt{\frac{\epsilon M_b}{K}} + \sqrt{\frac{M_b}{\epsilon K}}\right) \cos^{-1} \frac{F_o}{F_m} = 0.0970 \times 0.733 = 0.071 \text{ sec}$$

where

$$\sqrt{\frac{\epsilon M_b}{K}} = \sqrt{\frac{0.40 \times 1.281}{1.727 \times 386.4}} = \sqrt{0.000768} = 0.0277$$

$$\sqrt{\frac{M_b}{eK}} = \sqrt{\frac{1.281}{0.40 \text{ x } 1.727 \text{ x } 386.4}} = \sqrt{0.00480} = 0.0693$$

$$cos^{-1} \frac{F_o}{F_m} = Cos^{-1} \left( \frac{7.49}{10.08} \right) = 42^\circ = 0.733 \text{ rad}$$

The firing rate is

$$f_r = \frac{60}{t_c} = \frac{60}{0.071} = 845 \text{ rounds/min}.$$

# 2-3.2.2 Driving Spring Design

The driving spring for the advanced primer ignition blowback gun has been assigned the following characteristics to comply with the requirements of the firing cycle for the simple blowback gun:

K = 0.5 lb/in., spring constant

 $F_o = 3.48$  lb, spring force at assembled height

 $F_m = 4.85$  lb, spring force at end of recoil

L = 2.73 in., bolt travel

 $t_r = T_c = 0.0428$  sec, compression time of spring

 $v_f = v_i = 120.4$  in./sec, velocity of free recoil, spring impact velocity

Select 
$$\frac{T_c}{T}$$
 = 3.8. Therefore, T =  $\frac{0.0428}{3.8}$  = 0.1126 sec.

When D = 0.5 in., according to Eq. 2-42

$$d = 0.27 \sqrt[3]{DKT} = 0.27 \sqrt[3]{0.5 \times 0.5 \times 0.01125} = 0.038 \text{ in.}$$

From Eq. 2-41

$$N = \frac{Gd^4}{8D^3K} = \frac{11.5 \times 10^6 \times 208 \times 10^{-8}}{8 \times 0.125 \times 0.5} = 48 \text{ coils}$$

$$H_s = Nd = 48 \times 0.038 = 1.83 \text{ in., solid height.}$$

The static torsional stress, Eq. 2-43, is

$$\tau = \frac{8F_m D}{\pi d^3} = \frac{8 \times 4.85 \times 0.5}{54.8 \times 10^{-6} \pi} = 113,000 \text{ lb/in}^2$$

Eq. 2-44 has the dynamic stress of

$$\tau_d = \tau \left(\frac{T}{T_c}\right) \left[ f\left(\frac{T_c}{T}\right) \right] = 113000 \left(\frac{1}{3.8}\right) 4 = 119,000 \text{ lb/in}^2$$

The driving spring for the advanced primer ignition when the recoil force is equal to that of the simple blowback gun has the following characteristics:

K = 1.727 lb/in., spring constant

 $F_o = 7.49$  lb, spring force at assembled height

 $F_m = 10.08$ lb, spring force at end of recoil

L = 1.5 in., bolt travel

 $t_r = T_c = 0.0203$  sec, compression time of spring

 $v_f = v_i = 141 \text{ in./sec, velocity of free recoil}$ 

Select 
$$\frac{T_c}{T}$$
 = 3.8. Therefore,  $T = \frac{0.0203}{3.8}$  = 0.00535 sec.

When D = 0.5, according to Eq. 2-42

$$d = 0.27 \sqrt[3]{DKT} = 0.27 \sqrt[3]{0.5 \times 1.727 \times 0.00535} = 0.045 \text{ in.}$$

From Eq. 2-41

$$N = \frac{Gd^4}{8D^3K} = \frac{11.5 \times 10^6 \times 41 \times 10^{-7}}{8 \times 0.125 \times 1.727} = 27.3 \text{ coils}$$

$$H_s = Nd = 27.3 \times 0.045 = 1.23 \text{ in., solid height.}$$

The static torsional stress, Eq. 2-43, is

$$\tau = \frac{8F_m D}{\pi d^3} = \frac{8 \times 10.08 \times 0.5}{91.1 \times 10^{-6} \pi} = 141,000 \text{ lb/in}^2$$

The dynamic stress, Eq. 2–44, is  $\tau_d = \tau \left(\frac{T}{T_c}\right) \left[ f\left(\frac{T_c}{T}\right) \right] = 141,000 \left(\frac{1}{3.8}\right) 4 = 148,500 \text{ lb/in.}^2$ 

## 2-4 DELAYED BLOWBACK

Delayed blowback is the system that keeps the bolt locked until the projectile leaves the muzzle. At this instant an unlocking mechanism, responding to some influence such as recoil or propellant gas pressure, releases the bolt thereby permitting blowback to take effect.

#### 2-4.1 SPECIFIC REQUIREMENTS

Since the tremendous impulse developed by the propellant gases while the projectile is in the bore is not available for operating the bolt, the recoiling mass — including driving, buffing, and barrel springs — need not be nearly so heavy as the two types of blowback discussed earlier. The smaller recoiling mass moves relatively faster and the rate of fire increases correspondingly.

Delayed blowback guns may borrow operating principles from other types of action, e.g., the piston action of the gas operating gun or the moving recoiling parts of the recoil operating gun. In either case, only unlocking activity is associated with these two types, the primary activity involving bolt action still functions according to the blowback principle. Fig. 2-6 shows a simple locking system.

Like any other automatic gun, bolt action is congruous with timing particularly with respect to unlocking time. If recoil operated, distance also becomes an important factor. For this type gun, the barrel must recoil a short distance before the moving parts force open the bolt lock. Sufficient time should elapse to permit the propellant gas pressure to drop to levels below the bursting pressure of the cartridge case but retain enough intensity to blow back the bolt.

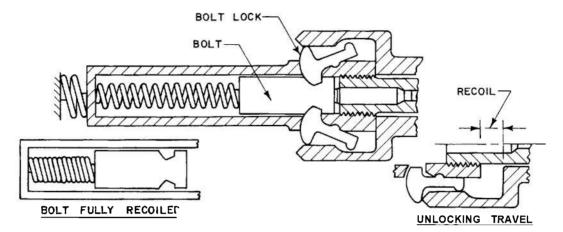


Figure 2-6. Locking System for Delayed Blowback

The stiffness of the springs should not be so great as to interfere unduly with early recoil. Therefore, a system consisting of three springs is customarily used: (1) a barrel spring having an initial load slightly larger than the recoiling weight to insure almost free recoil and still have the capacity to hold the barrel in battery, (2) a buffer spring to stop the recoiling parts and return them, and (3) a bolt driving spring to control bolt activity. Before the bolt is unlocked, all moving parts recoil as one mass with only the barrel spring resisting recoil but this spring force is negligible compared to the propellant gas force and may be neglected during recoil. After the bolt becomes unlocked, the barrel spring combines with the buffer spring to arrest the recoiling barrel unit.

The unlocked bolt continues to be accelerated to the rear by the impetus of the decaying propellant gas pressure whose only resistance now is the force of the driving spring, a negligible resistance until the propellant gas pressure becomes almost zero. Thereafter, the spring stops the bolt and later closes it. Normally the barrel unit has completed counterrecoil long before the bolt has fully recoiled to provide the time and relative distance needed for extracting, ejecting, and loading. After the barrel unit is in battery, the bolt unit functions as a single spring unit.

#### 2-4.2 DYNAMICS OF DELAYED BLOWBACK

While the complete unit is recoiling freely and later while all springs are operating effectively, the dynamics of the system are readily computed by an iterative process. Given the pressure-time curve, by knowing the

size of the masses in motion, the dynamics at any given time are determined by the summations of computed values for all preceding increments of time. The impulse during each increment is

$$F\Delta t = A_b A_i \tag{2-45}$$

where

 $A_b$  = bore area

 $A_i$  = area under At of pressure-time curve

At = time increment

When the impulse is being determined during low pressure periods due consideration should be given to the resistance offered by the driving spring.  $F_g\Delta t$  should be adjusted after the driving spring and gas pressure forces become relatively significant. During each increment, the differential velocity is

$$Av = \frac{F_g \Delta t}{M_r} \tag{2-46}$$

where  $M_r$  = mass of the recoiling parts influenced by FAt.

The velocity of recoil at the end of each increment becomes

$$v = v_{(n-1)} + Av$$
 (2-47)

where  $v_{(n-1)}$  = velocity at the preceding increment

The distance traveled by the bolt with respect to the gun frame during the increment is

$$\Delta x = v_a \Delta t = \left(v_{(n-1)} + \frac{1}{2} A v\right) A t$$
 (2-48)

where  $v_a$  = average velocity for the increment.

The total distance at the end of each increment is

$$x = \sum \Delta x. \tag{2-49}$$

When the propellant gas pressures cease to be effective, the behavior of the barrel and bolt units depend entirely on springs. One such instance involving the buffer spring occurs when the bolt is unlocked. Although the gas pressure continues its effective action on the bolt, it can no longer influence the barrel unit except secondarily through the driving spring. Rewrite Eq. 2–19 for the isolated barrel unit and include the influence of the driving spring. Thus, the energy remaining in the recoiling mass is

$$\frac{1}{2}\left(M_t v_t^2\right) = \frac{1}{2}\left(M_t v_{ot}^2\right) - \frac{1}{\epsilon_b}\left[F_{ob} x_t + \frac{1}{2}\left(K_b x_t^2\right)\right] + \frac{1}{\epsilon}\left(F x_t\right) \tag{2-50}$$

where F = drive spring force

 $F_{ob}$  = initial buffer spring force

K<sub>b</sub> = spring constant of combined buffer and barrel springs

 $M_r$  = mass of barrel unit

 $v_{ot}$  = initial velocity of barrel unit

 $v_t$  = final velocity of barrel unit

 $x_t$  = travel of barrel with respect to gun frame

 $\epsilon$  = efficiency of drive spring unit

 $\epsilon_b$  = efficiency of buffer spring unit which includes the barrel spring

The buffer spring performs in unison with the barrel spring. During counterrecoil, at the end of buffer spring

travel, the barrel spring continues to accelerate the barrel unit in its return to battery. During recoil, the propellant gas force is so much larger than the barrel spring force as to render the latter practically ineffective. Except for the last millisecond or two, the bolt driving spring also offers a negligible resistance to the propellant gas force. However, it does contribute a small force opposing the buffer spring and is represented in Eq. 2-50 by the expression  $\frac{1}{e} \left( Fx_t \right)$ , the effective force of the driving spring. The actual spring force F may be assumed to be the driving spring force at the time when the bolt is unlocked. Preliminary estimates should provide reasonable approximations at this stage of the design study.

An equation can be derived for the recoil time of the barrel unit by developing Eq. 2-50 by the same procedure used for Eq. 2-19. The recoil time for the barrel after bolt unlocking until pressure becomes zero is

$$t_{rt} = \sqrt{\frac{\epsilon_b M_t}{K_b}} \left[ \sin^{-1} \frac{K_b x_{to} + F_{ob} - \left(\frac{\epsilon_b}{\epsilon}\right) F}{\sqrt{F_{ob} - \left(\frac{\epsilon_b}{\epsilon}\right)^2 + \epsilon_b K_b M_t v_{ot}^2}} - \sin^{-1} \frac{F_{ob} - \frac{\epsilon_b}{\epsilon} F}{\sqrt{F_{ob} - \left(\frac{\epsilon_b}{\epsilon}\right) F^2 + \epsilon_b K_b M_t v_{ot}^2}} \right]$$
(2-51)

where  $x_{to}$  = barrel travel from time of buffer engagement to end of propellant gas period

All values are known except  $x_{to}$ . Since  $t_{rt}$  is the time elapsed from bolt unlocking to pressure effectiveness reaching zero, this distance may be computed from Eq. 2-51. It represents the buffer spring deflection. The total barrel travel with respect to the frame is

$$x_{t} = x_{to} + x_{tf} (2-52)$$

where  $x_{tf}$  = barrel travel during free recoil.

The amount that the driving spring is compressed, while the barrel traverses  $x_t$ , is the relative travel distance between barrel and bolt, thus

$$x_b = x - x_t \tag{2-53a}$$

In terms of differential values, the equation becomes

$$\Delta x_b = AX - \Delta x_t \tag{2-53b}$$

On the assumption that the recoil velocity of the bolt has been computed at the time corresponding to  $x_{to}$ , the energy of the bolt can be computed and converted to the potential energy of the driving spring from which the spring forces may be determined. The average driving spring force over the remaining distance, Eq. 2-16, is

$$F_a = \frac{\epsilon E_b}{L_b - x_b} \tag{2-54}$$

where  $E_b$  is calculated according to Eq. 2-15 and  $L_b - x_b$  is the spring deflection remaining at the end of free recoil of the bolt.

For the remainder of the buffer stroke and for the time that the barrel unit is counterrecoiling, the dynamics of the system may be computed by dividing the time into convenient intervals, and by use of the relationship existing between impulse and momentum, computing the dynamics for each corresponding increment of travel. Both recoil and counterrecoil of the barrel take place while the bolt is recoiling which changes the effective buffer spring forces for the two directions. The expression of the driving spring effective force does not change since the bolt travel direction does not change. The force of the driving spring at the end of each increment of travel is

$$F = F_{(n-1)} + K\Delta x_h (2-55)$$

where

 $F_{(n-1)}$  = driving spring force at beginning of increment

K = driving spring constant

 $\Delta x_h$  = incremental driving spring deflection

The buffer spring force at the end of its increment of travel is

$$F_b = F_{b(n-1)} + K_b \Delta x_t \tag{2-56}$$

where

 $F_{b(n-1)}$  = buffer spring force at beginning of increment

 $K_b$  = buffer spring constant which includes the barrel spring

Ax, = incremental buffer spring deflection

The effective spring force on the bolt while it is recoiling is

$$F_e = \frac{F_+ F_{(n-1)}}{E} \tag{2-57}$$

The effective spring force on the barrel while it is recoiling is

$$F_{eb} = \frac{F_b + F_{b(n-1)}}{2\epsilon_b} - F_e.$$
 (2-58)

According to the relationship of impulse and momentum,  $Fdt = M\nu$ , the general expression for differential velocity is

$$AV = \frac{F\Delta t}{M}. (2-59)$$

Based on this expression, the bolt travel during each increment is derived in a sequence of algebraic expressions. Thus

$$A_X = v_{(n-1)} \Delta t - \frac{1}{3} \left( \Delta v \Delta t \right) = v_{(n-1)} \Delta t - \frac{F_e \Delta t^2}{2M_h}$$
 (2-60a)

$$\Delta x = v_{(n-1)} \Delta t - \frac{F_{(n-1)} \Delta t^2}{2\epsilon M_b} - \left(\frac{K \Delta t^2}{4\epsilon M_b}\right) \Delta x_b. \tag{2-60b}$$

But  $\Delta x_b = \Delta x - \Delta x_t$  (see Eq. 2-53b). Substituting this expression and collecting terms, the incremental travel of the bolt becomes

$$\Delta x = \frac{4\epsilon M_b}{4\epsilon M_b + K\Delta t^2} \left[ \nu_{(n-1)} \Delta t - \frac{F_{(n-1)} \Delta t^2}{2\epsilon M_b} + \left( \frac{K\Delta t^2}{4\epsilon M_b} \right) \Delta x_t \right]. \tag{2-60c}$$

The incremental travel for the barrel is a similar expression

$$\Delta x_{t} = v_{t(n-1)} \Delta t - \frac{1}{2} \left( \Delta v_{t} \Delta t \right) = v_{t(n-1)} \Delta t - \frac{F_{eb} \Delta t^{2}}{2M_{t}}$$
 (2-61a)

$$Ax_{t} = v_{t(n-1)} \Delta t - \frac{\Delta t^{2}}{2M_{t}} \left[ \frac{F_{b(n-1)}}{\epsilon} + \frac{K_{b} \Delta x_{t}}{\epsilon} - \frac{F_{(n-1)}}{\epsilon} - \frac{K \Delta x_{b}}{2\epsilon} \right]. \tag{2-61b}$$

Again substituting  $\Delta x - Ax$ , for  $\Delta x_b$  and collecting terms, the incremental travel of the barrel in recoil is

$$\Delta x_{t} = \frac{4\epsilon\epsilon_{b}M_{t}}{4\epsilon\epsilon_{b}M_{t} + \epsilon K_{b}\Delta t^{2} + \epsilon_{b}K\Delta t^{2}} \left[ v_{t(n-1)}\Delta t - F_{b}(2\epsilon_{b}M_{t}\Delta t^{2} + F_{(n2\epsilon M_{t}^{2}\Delta t^{2})} + \left(\frac{K\Delta t^{2}}{4\epsilon M_{t}}\right)\Delta x \right]. \tag{2-61c}$$

While the barrel is counterrecoiling, and the bolt recoiling, the effective spring force on the barrel is

$$F_{eb} = \epsilon_b F_b - F_e = \epsilon_b F_{b(n-1)} - \left(\frac{\epsilon_b}{2}\right) K_b \Delta x_t - \frac{F_{(n-1)}}{\epsilon} - \frac{K \Delta x_b}{2\epsilon}. \tag{2-62}$$

The incremental travel of the barrel now becomes

$$\Delta x_t = v_{t(n-1)} \Delta t + \frac{1}{2} \left( \Delta v_t \Delta t \right) = v_{t(n-1)} \Delta t + \frac{F_{eb} \Delta t^2}{2M_t}$$
 (2-63a)

$$\Delta x_t = v_{t(n-1)} \Delta t + \frac{\epsilon_b F_{b(n-1)} \Delta t^2}{2M_t} - \left(\frac{\epsilon_b K_b \Delta t^2}{4M_t}\right) \Delta x_t - \frac{F_{(n-1)} \Delta t^2}{2\epsilon M_t} - \left(\frac{K \Delta t^2}{4\epsilon M_t}\right) \Delta x_b. \tag{2-63b}$$

Substitute  $\Delta x - \Delta x_t$  for  $\Delta x_b$ , collect terms and solve for Ax,

$$\Delta x_{t} = \frac{4\epsilon M_{t}}{4\epsilon M_{t} + \epsilon \epsilon_{b} K_{b} \Delta t^{2} - K \Delta t^{2}} \left[ v_{t(n-1)} \Delta t + \frac{\epsilon_{b} F_{b(n-1)} \Delta t^{2}}{2M_{t}} - \frac{F_{(n-1)} \Delta t^{2}}{2\epsilon M_{t}} - \left( \frac{K \Delta t^{2}}{4\epsilon M_{t}} \right) \Delta x \right]$$
(2-63c)

While both bolt and barrel are counterrecoiling, the effective spring force on the bolt is

$$F_e = \epsilon (F + F_{n-1})/2 = \epsilon F_{(n-1)} - \epsilon K \Delta x_b/2.$$
 (2-64a)

Now, substitute for  $F_e$  and expand Eq. 2-60a so that

$$\Delta x = \nu_{(n-1)} \Delta t - \left[ \frac{\epsilon F_{(n-1)}}{2M_b} - \left( \frac{\epsilon K}{4M_b} \right) \Delta x_b \right] \Delta t^2.$$
 (2-64b)

But, according to Eq. 2-53b,  $\Delta x_b = Ax - \Delta x_t$ , therefore

$$\Delta x = v_{(n-1)} \Delta t - \left[ \frac{\epsilon F_{(n-1)}}{2M_b} \right] \Delta t^2 + \left( \frac{\epsilon K}{4M_b} \right) \Delta t^2 \Delta x - \left( \frac{\epsilon K}{4M_b} \right) \Delta t^2 \Delta x_t. \tag{2-64c}$$

Collect terms and solve for Ax

$$\Delta x = \frac{4M_b}{4M_b - \epsilon K \Delta t^2} \left[ v_{(n-1)} \Delta t - \frac{\epsilon F_{(n-1)} \Delta t^2}{2M_b} - \left( \frac{\epsilon K \Delta t^2}{4M_b} \right) \Delta x_t \right]. \tag{2-64d}$$

The effective force on the barrel during this period is

$$F_{eb} = \epsilon_b F_b - F_e = \epsilon_b \left[ F_{b(n-1)} - \frac{K_b \Delta x_t}{2} \right] - \epsilon \left[ F_{(n-1)} - \frac{K \Delta x_b}{2} \right]. \tag{2-65a}$$

The incremental barrel travel is, according to Eq. 2-63a

$$\Delta x_t = V_{t(n-1)} \Delta t + \frac{F_{eb} \Delta t^2}{2M_t}.$$
 (2-65b)

Substitute the expression for  $F_{eb}$  of Eq. 2-65b,  $\Delta x - \Delta x_t$  for  $\Delta x_b$ , and collect terms. The incremental barrel travel now becomes

$$Ax_{t} = \frac{4M_{t}}{4M_{t} + (\epsilon K + \epsilon_{b}K_{b})\Delta t^{2}} \left\{ v_{t(n-1)}\Delta t + \left[ \frac{\epsilon_{b}F_{b(n-1)}}{2M_{t}} \right] \Delta t^{2} - \left[ \frac{\epsilon F_{(n-1)}}{2M_{t}} \right] \Delta t^{2} + \frac{\epsilon K}{4M_{t}} \Delta t^{2} \Delta x \right\}.$$
(2-65c)

To avoid repetition, general expressions are used to complete the analysis. The distinction between bolt and barrel activities will be demonstrated later in the sample problem. The spring force at the end of each increment is computed by Eqs. 2-55 and 2-56. The total energy absorbed by a spring system over a distance Ax is

$$\Delta E = \left[ \frac{F_{(n-1)} + F}{2\epsilon} \right] \Delta x. \qquad (2-66a)$$

The energy released by a spring system over a distance  $\mathbf{A}\mathbf{x}$  is

$$A E = \epsilon \left[ \frac{F_{(n-1)} + F}{2} \right] \Delta x. \tag{2-66b}$$

The total energy at the end of the increment is found by adding the incremental energy to the total at the end of the preceding increment when energy is released, or subtracting when it is being absorbed.

$$E = E_{(n-1)} \pm AE$$
 (2-66c)

$$v = \sqrt{\frac{2E}{M}}$$
 (2-66d)

# 2-4.3 SAMPLE PROBLEM FOR DELAYED BLOWBACKACTION

## 2-4.3.1 Specifications

Gun: 20 mm machine gun

Firing rate: corresponding to minimum bolt travel

Interior ballistics: Pressure vs Time, Fig. 2–7

$$A_b = 0.515 \text{ in.}^2$$
, bore area

#### 2-4.3.2 Design Data

L = 10 in., minimum bolt travel

 $W_h = 10$  lb, weight of bolt unit

 $W_t = 50 \text{ lb}$ , weight of barrel unit

 $x_{to} = 0.5$  in., recoil distance to unlock bolt

E = 0.5, efficiency of driving spring unit

 $\epsilon_b = 0.3$ , efficiency of combined buffer and barrel spring system

 $\epsilon_t = 0.5$ , efficiency of barrel spring unit

Table 2–2 has the numerical integration for a recoiling weight of 60 lb. In Table 2–2, the area  $A_i$  is measured under the pressure-time curve, Fig. 2–7

$$F_{g}\Delta t = A_{b}A_{i} = 0.515A_{i}$$
 lb-sec

$$Av = \frac{F_g \Delta t}{M_r}$$

= 6.44  $F\Delta t$  in /sec when  $t \le 0.003252$  sec

where

$$M_r = \frac{W_r}{g} = \frac{60}{386.4}$$

$$A v = \frac{F_g \Delta t}{M_b}$$

= 38.64  $F_g \Delta t$  in./sec when t  $\geq 0.003252$  sec

where

$$M_b = \frac{W_b}{g} = \frac{10}{386.4}$$

$$Ax = v_a \Delta t = \left[ \frac{v_{(n-1)} + v}{2} \right] \Delta t, \text{ in.}$$

When the bolt is unlocked at t = 3.252 msec, the velocity attained by the recoiling parts is 232.3 in./sec (see Table 2-2).

The energy of the barrel unit at this velocity is

$$E_{to} = \frac{1}{2} \left( M_t v_t^2 \right) = \frac{1}{2} \left( \frac{50}{386.4} \right) 53960$$

= 3491 in.-lb.

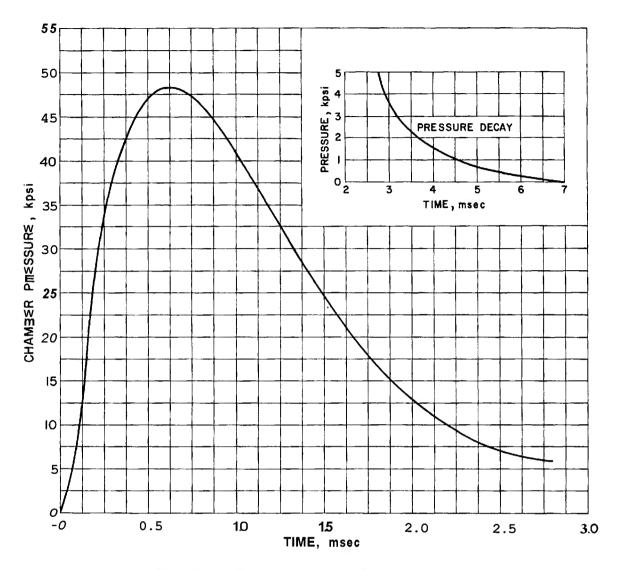


Figure 2-7. Pressure-time Curve of 20 mm Round

The velocity attained by the bolt at the end of the pressure period,  $\nu$  = 285 in./sec (see Table 2–2). The energy of the bolt is

$$E_b = \frac{1}{2} \left( M_b v^2 \right) = \frac{1}{2} \left( \frac{10}{386.4} \right) 81200$$
  
= 1051 in.-lb.

On the assumption that the driving spring system absorbs this energy over its total deflection of 10 in., the average force is

$$F_a = \frac{\epsilon_b E_b}{L} = \frac{0.5 \times 1051}{10} = 52.6 \text{ lb.}$$

Earlier, a spring constant of K=3 appeared practical, but the resulting stress was too large. Also an earlier attempt at having a buffer stroke of half an inch proved impractical from the dynamic stress point of view. Increasing the stroke to one inch and applying recommended dynamic spring behavior, meanwhile retaining an acceptable firing rate, led to a feasible spring constant for all three springs — driving, buffer,

and barrel. The allowable static shear stress of the spring is

$$\tau = \frac{8F_m D}{\pi d^3}$$
 (see Eq. 2–43)

Since T = 3.55 x 10<sup>-5</sup> 
$$\left(\frac{D^2}{d}\right) N$$
 (Ref. 1) and  $N = \frac{Gd^4}{8KD^3}$  (see Eqs. 2–40 and 2–41)

substitute for T and N and solve for  $\frac{d^3}{D}$  in the equation for  $\tau$  and T.

Thus

$$\frac{d^3}{D} = \frac{8F_m}{\pi \tau} = \frac{8KT}{3.55 \times 10^{-5} G}$$
 (2-67a)

where  $G = 11.5 \times 10^6 \text{ lb/in}^2$ , torsional modulus

 $\tau = 135,000 \, \text{lb/in.}^2$ , allowable static shear stress

$$KT = \frac{F_m}{1037}$$
 (2–67b)

Based on constant acceleration, an approximate time of spring compression will, in most applications, determine a spring constant compatible with both spring dynamics and allowable stresses. The approximate time of bolt recoil is

$$t_r = \frac{2x_b}{v} = \frac{2(10)}{285} = 0.070 \text{ sec.}$$

TABLE 2-2. RECOIL TRAVEL OF 20 mm GUN

t, msec	$\Delta t$ , msec	$A_i$ , lb-sec/in?	$F_{\mathbf{g}}\Delta t$ , lb-sec	Δν, in./sec	ν, in./sec	v <sub>a</sub> ' in./sec	$\Delta x$ , in.	x, in.
0.25	0.25	3.44	1.77	11.4	11.4	5.7	0.0014	0.0014
0.50	0.25	10.15	5.24	33.7	45.1	28.2	0.0071	0.0085
0.75	0.25	11.89	6.13	39.5	84.6	64.8	0.0162	0.0247
1.00	0.25	11.12	5.74	37.0	121.6	103.1	0.0258	0.0505
1.25	0.25	9.25	4.76	30.6	152.2	136.9	0.0342	0.0847
1.50	0.25	7.30	3.76	24.2	176.4	164.3	0.0411	0.1258
1.75	0.25	5.23	2.69	17.3	193.7	185.0	0.0462	0.1720
2.00	0.25	3.71	1.91	12.6	206.3	200.0	0.0500	0.2220
2.25	0.25	2.58	1.34	8.6	214.9	210.6	0.0526	0.2746
2.50	0.25	1.82	0.94	6.1	221.0	218.0	0.0545	0.3291
2.75	0.25	1.39	0.72	4.6	225.6	223.3	0.0588	0.3849
3.00	0.25	1.06	0.55	3.5	229.1	227.4	0.0569	0.4418
3.252	0.252	0.97	0.50	3.2	232.3	230.7	0.0582	0.5000
4.00	0.748	1.37	0.70	27.0	258.3	245.3	0.1838	0.6838
5.00	1.00	0.97	0.50	19.3	278.6	269.0	0.2690	0.9528
6.00	1.00	0.32	0.165	6.4	285.0	281.8	0.2818	1.2346

Since v < 25 ft/sec, (see par. 2-2.3.5),  $\frac{Tc}{T} = 3.8$ ,  $T_c = t_r$  and  $F_m = F_a + \frac{1}{2}$  (KL) (Eqs. 2-17 and 2-18), Eq. 2-67b, after  $T_c/3.8$  is substituted for  $T_r$  becomes

$$KT_{,} = \frac{F_{a} + 0.5KL}{273}$$
$$0.070K = \frac{52.6 + 5K}{273}.$$

Solve for K, thus

$$K = \frac{52.6}{14.11} = 3.72 \text{lb/in}.$$

$$F_m = F_a + \frac{1}{2}(KL) = 52.6 + 5 \times 3.72 = 71.2 \text{ lb}$$

$$F_{o} = F_{m} - KL = 71.2 - 37.2 = 34.0$$
lb.

Compute t from Eq. 2–23

$$t = \sqrt{\frac{\epsilon M_b}{K}} \quad \cos^{-1} \frac{F_o}{F_m}$$

$$= \sqrt{\frac{3.72 \times 386.4}{3.72 \times 386.4}} \quad \cos^{-1} \left(\frac{34.0}{71.2}\right)$$

$$= 0.059 \left(\frac{61.5}{57.3}\right) = 0.063 \text{sec.}$$

Recomputing by inserting the newly calculated time t for  $T_c$ , the data converge to K = 4.4 lb/in. and t = 0.062 sec.

The first set of detailed calculations (not shown) yielded a bolt recoil time of  $t = T_c = 51.5$  msec. For this time, the computed spring constant of K = 5.8 lb/in. becomes the final value for computing the dynamics of Table 2-3.

The spring constant of the buffer system is found by assuming that the energy  $E_{to}$ =3491 in.-lb will be absorbed over the 1-inch buffer stroke. Later, adjustments will be made to compensate for the small discrepancies involving the spring forces. The time  $t_b$  of buffer action during recoil is

$$t_b = \frac{2L_b}{v_b} = \frac{2 \times 1.0}{232.3} - 0.0086 \text{sec}$$

where  $L_b =$ buffer stroke

 $v_b$  = recoil velocity of barrel when buffer is contacted

The average buffer force  $F_{ab}$  is

$$F_{ab} = \frac{\epsilon_b E_{to}}{L_b} = \frac{0.3 \times 3491}{1.0} = 1047 \text{ lb.}$$

Follow the same procedure for the buffer as for the driving spring

$$K_b T_c = \frac{F_{ab} + 0.5 K_b L_b}{273}$$

$$273 \times 0.0086 K_b = 1047 + 0.5 K_b$$
.

Solve for  $K_b$ , thus

$$K_b = \frac{1047}{1.85} = 566$$
 lb/in., buffer spring

$$F_{mb}$$
 = 1047 + 283 = 1330 Ib, max buffer force

$$F_{ob}$$
 = 1047 - 283 = 764 lb, min buffer force

Compute th from Eq. 2-23

$$t_b = \sqrt{\frac{\epsilon_b M_t}{K_b}} \cos^{-1} \frac{F_{ob}}{F_{mb}}$$

$$= \sqrt{\frac{0.3 \times 50}{566 \times 386.44}} \cos^{-1} \left(\frac{764}{1330}\right) = 0.0079 \text{sec.}$$

Recompute  $K_b$  by inserting the time 0.0079 sec for  $T_c$ . The new value of the spring constant  $K_b$  is 630 lb/in., but the new time remains  $t_b = 0.0079$  sec.

The spring constant for the barrel spring is computed similarly but in this instance the spring force at the assembled height is set at  $F_o = 70$  lb, a minimal value so that recoil distance and velocity are appropriate for bolt action. The time of barrel spring compression is the same as that for the buffer plus the propellant gas period.

$$t_t = t_h + t = 0.0079 + 0.006 = 0.0139 \text{ sec}$$

The barrel spring has an operating deflection of  $L_t = 2.0$  in.

$$F_{mt} = \frac{F_{ot} + K_t L_t}{K_t} = 70 + 2K_t \text{ 'max barrel spring force}$$
With  $T = \frac{T_c}{3.8} = \frac{0.0139}{3.8}$  sec,

Eq. 2-67b may be written as

$$0.0139K_t = \frac{70 + 2K_t}{273}.$$

Thus

$$K_t = \frac{70}{1.8} = 39 \text{ lb/in., barrel spring constant}$$

$$F_{mt} = 70 + 78 = 148 \text{ lb}$$
, max barrel spring force

Before recomputing time t,, according to Eq. 2–23, some allowance must be made for the effective barrel mass. Since both barrel and buffer springs are active over the buffer stroke, a logical distribution can be arranged according to the average spring forces. The effective mass for the barrel spring is

$$M_e = \frac{W_t}{g} \left( \frac{F_{ot} + F_{mt}}{F_{ob} + F_{mb}} \right) = \frac{50}{g} \left( \frac{218}{2096} \right) = \frac{5.2}{g}$$

$$\begin{split} t_t &= \sqrt{\frac{\epsilon_t \, M_e}{K_t}} \, \cos^{-1} \frac{F_{ot}}{F_{mt}} \\ &= \sqrt{\frac{0.5 \times 5.2}{39 \times 386.4}} \, \cos^{-1} \left(\frac{70}{148}\right) \\ &= 0.0132 \left(\frac{61.8}{57.3}\right) = 0.0142 \, \text{sec.} \end{split}$$

Substitute the new value of  $T_c = t_t$  and compute. The time and spring constant coverge to  $t_t = 0.0143$  sec and  $K_t = 37$  lb/in., and  $F_m = 144$  lb. The buffer spring constant is

$$K_{hs} = K_h - K_t = 630 - 37 = 593 \text{ lb/in.}$$

Now that the constants of all three springs are firmly established, more exact values of the minimum and maximum spring forces of the buffer spring system are computed. Since the driving spring does deflect while the propellant gas pressure is still effective, less than the full spring deflection is available to absorb the bolt energy. For this reason, increasing the initial load to  $F_o = 25$  lb for early estimates seems advisable. This spring force became effective and therefore is included in Table 2-2 after the 4 msec interval. In the meantime, the driving spring transfers some of the bolt energy to the moving barrel. The average driving spring force after bolt unlocking until, the barrel stops recoiling is approximately 27 lb.

$$E_t = E_{to} + \left(\frac{F_a}{\epsilon}\right) L_t'$$
  
= 3491 +  $\left(\frac{27}{0.5}\right)$ 1.5 = 3572 in.-lb

where  $L_t'$  is the barrel travel after the bolt is unlocked. From Table 2-2, when t = 3.252, x = 0.5, then  $L_t' = L$ , -x = 2.0 - 0.5 = 1.5 in.

The energy absorbed by the barrel spring over the half-inch travel before the buffer is contacted is

$$\Delta E_t = \frac{1}{2} \left[ \frac{(F_t' + F_t'')\Delta L}{\epsilon_t} \right] = \frac{(88.5 + 107)0.5}{2 \times 0.5}$$
= 98 in.-lb

where  $F'_t$  and  $F''_t$  are the barrel spring forces at half-inch and one-inch travel positions, respectively.

The average force of the buffer spring system found according to Eq. 2-30 is

$$F_{ab} = \frac{\epsilon_b (E_t - \Delta E_t)}{L_b} - \frac{0.3 \times 3474}{1.0} = 10421b.$$

The initial force of the buffer spring system is

$$F_{ob} = F_{ab} - \frac{1}{2} \left( K_b L_b \right) = 1042 - \frac{1}{2} \left( 630 \right) 1.0 = 727 \text{ lb}$$
  
 $F_{obs} = F_{ob} - \left( F_{ot} + 1.0 K_t \right) = 620 \text{ lb}$ 

where  $K_b = 630$  lb/in., the buffer spring system constant.

The maximum buffer spring system force is

$$F_{mb} = F_{ob} + K_b L_b = 727 + 630 \times 1.0 = 1357 \text{ lb}$$

$$F_{mhs} = F_{mh} - F_{mt} = 1213 \text{ lb}$$

The impact velocity of the barrel on the buffer spring is

$$v_i = \sqrt{\frac{2(E_t - \Delta E_t)}{M_t}} = \sqrt{\frac{2(3572 - 98)386.4}{50}} = 231.7 \text{ in./sec.}$$

The bolt is unlocked at 3.252 msec and continues to be accelerated until 6 msec. During most of the remaining time of 2.748 msec the barrel spring is the sole resistance to barrel recoil. After the barrel recoils a half-inch farther, the barrel spring is joined by the buffer spring. Based on Eq. 2-51, the time increment for this half-inch travel is

$$\Delta t_{rt} = \sqrt{\frac{\epsilon_t M_t}{K_t}} \left[ \operatorname{Sin}^{-1} \frac{F_t'' - \left(\frac{\epsilon_t}{\epsilon}\right) F}{Z} - \operatorname{Sin}^{-1} \frac{F_t' - \left(\frac{\epsilon_t}{\epsilon}\right) F}{Z} \right]$$
$$= \sqrt{\frac{0.5 \times 50}{37 \times 386.4}} \left[ \operatorname{Sin}^{-1} \left(\frac{82}{369}\right) - \operatorname{Sin}^{-1} \left(\frac{63.5}{369}\right) \right]$$

$$\Delta t_{rt} = 0.0418 (12.84 - 9.91)/57.3 = 0.002137 \text{ sec}$$

where

F = 25 lb, estimated driving spring force during period

 $F_t' = 88.5$  lb, barrel spring force when bolt is unlocked

 $F_t'' = 107$  lb, barrel spring force when buffer is contacted

 $\varepsilon = 0.50$ , efficiency of driving spring

 $\epsilon_t = 0.50$ , efficiency of barrel spring

$$\left[F_t' - \left(\frac{e_t}{\epsilon}\right)F\right]^2 = 63.5^2 = 4032 \,\mathrm{lb}^2$$

$$\epsilon_t K_t M_t v_t^2 = 0.5 \times 37 \times 2E_t = 132,164 \text{ lb}^2$$

$$Z = \sqrt{\left[F_t' - \left(\frac{\epsilon_t}{\epsilon}\right)F\right]^2 + \epsilon_t K_t M_t v_t^2} = \sqrt{136307} = 369 \text{ lb.}$$

The time still remaining during propellant gas activity is

$$t_{rt} = 0.006 - 0.003252 - 0.002137 = 0.000611 \text{ sec.}$$

During this time the barrel contacts the buffer and continues rearward over a distance that is computed according to Eq. 2-51.

$$t_{rt} = \sqrt{\frac{\epsilon_b M_t}{K_b}} \left( \operatorname{Sin}^{-1} \frac{F_{me}}{Z} - \operatorname{Sin}^{-1} \frac{F_{oe}}{Z} \right)$$

$$0.000611 = \sqrt{\frac{0.3 \times 50}{630 \times 386.4}} \left[ \operatorname{Sin}^{-1} \left( \frac{630x^{to} + 711}{1348} \right) - \operatorname{Sin}^{-1} \left( \frac{711}{1348} \right) \right]$$

where

$$\epsilon_b = 0.3$$
, efficiency of buffer spring system

$$F_{oe} = F_{ob} - \left(\frac{\epsilon_b}{\epsilon}\right) F_a = 727 - \left(\frac{0.3}{0.5}\right) 27 = 711 \text{ lb}$$

$$F_{me} = K_b x_{to} + F_{oe} = 630 x_{to} + 711 \text{ lb}$$

$$\epsilon_b K_b M_t v_{ot}^2 = 2\epsilon_b K_b (E, -\Delta E_t) = 0.3 \times 630 \times 6948 = 1,313,172 \text{ lb}^2$$

$$Z = \sqrt{F_{oe}^2 + \epsilon_b K_b M_t v_{ot}^2} = \sqrt{1,818,693} = 1348 \text{ lb.}$$

Continuing

$$0.000611 = 0.00785 \left[ \text{Sin-'} \left( \frac{630x_{to} + 711}{1348} \right) - \text{Sin-'} \left( \frac{711}{1348} \right) \right]$$

$$0.0778 = \text{Sin-'} \left( 0.4674x_{to} + 0.5274 \right) - \text{Sin-'} \left( 0.5274 \right)$$

$$\text{Sin-'} \left( 0.4674x_{to} + 0.5274 \right) = 31'' \cdot 50' + 4^{\circ} \cdot 28' = 36'' \cdot 18'$$

$$0.4674x_{to} = 0.5920 - 0.5274 = 0.0646$$

$$x_{to} = 0.138 \text{ in.}$$

The barrel has 0.862 in. to go to complete its buffer stroke. The time needed to tranverse this distance is obtained from Eqs. 2-60c and 2-61c. Calculate the constants in Eq. 2-60c.

$$4\epsilon M_b = 4\left(0.5\right) \frac{10}{386.4} = 0.0518 \text{ lb-sec}^2/\text{in.}$$

$$\frac{1}{2\epsilon M_b} = \frac{386.4}{2 \times 0.5 \times 10} = 38.64 \text{ in./(lb-sec}^2)$$

Substitute these values into Eq. 2-60c.

 $\frac{K}{4\epsilon M_h} = \frac{5.8 \times 386.4}{4 \times 0.5 \times 10} = 112/\text{sec}^2$ 

Ax = B 
$$\left[ \nu_{(n-1)} \text{ At } - 38.64 \ F_{(n-1)} \text{ At'} + 112 \Delta t^2 \Delta x_t \right]$$
 (2-68a)

where

$$B = \frac{0.0518}{0.0518 + 5.8 \ \Delta t^2}$$

Calculate the constants in Eq. 2-61c.

$$4\epsilon\epsilon_b M_t = \frac{4 \times 0.5 \times 0.3 \times 50}{386.4} = 0.0776 \text{ lb-sec}^2/\text{in.}$$

$$\epsilon K_b + \epsilon_b K = 0.5 \times 630 + 0.3 \times 5.8 = 316.7 \text{ lb/in.}$$

$$\frac{1}{2\epsilon_b M_t} = \frac{386.4}{2 \times 0.3 \times 50} = 12.88 \text{ in./(lb-sec}^2)$$

$$\frac{1}{2\epsilon M_t} = \frac{386.4}{2 \times 0.5 \times 50} = 7.73 \text{ in./(lb-sec}^2)$$

$$\frac{K}{4\epsilon M_t} - \frac{5.8 \times 386.4}{4 \times 0.5 \times 50} = 22.41/\text{sec}^2$$

Substitute in Eq. 2-61c.

$$\Delta x_t = A \left[ v_{t(n-1)} At - 12.88 F_{b(n-1)} \Delta t^2 + 7.73 F_{(n-1)} \Delta t^2 + 22.41 \Delta t^2 \Delta x \right]$$
where  $A = \frac{0.0776}{0.0776 + 316.7 \Delta t^2}$ 

Solve for the various parameters and then for At.

$$\Delta x_t = L_b - x_{to} = 1.00 - 0.138 = 0.862 \text{ in.}$$

The driving spring force is estimated as the average during this period

$$F_{(n-1)} = 27$$
 lb (assumed constant)

$$F_{b(n-1)} = F_{ob} + K_b x_{to} = 727 + 630 \times 0.138 = 814 \text{ lb}$$

$$\Delta E'_t = \frac{1}{2\epsilon_b} \left[ F_{ob} + F_{b(n-1)} \right] x_{to} = 354 \text{ in.-lb}$$

$$E_{t(n-1)} = E_t - \Delta E_t - \Delta E_t' = 3572 - 98 - 354 = 3120 \text{ in-lb}$$

Ax = 1.928 (assumed and then verified below)

$$v_{t(n-1)} = \sqrt{\frac{2E_{t(n-1)}}{M_t}} = \sqrt{\frac{6240 \times 386.4}{50}} = \sqrt{48223} = 219.6 \text{ in./sec}$$

$$0.862 = \left(\frac{0.0776}{0.0776 + 316.7 \,\Delta t^2}\right) (219.6 \,\text{At} - 10484 \,\Delta t^2 + 209 \,\Delta t^2 + 43 \,\Delta t^2)$$

$$0.862 + 3518 \Delta t^2 = 219.6 \Delta t - 10232 \Delta t^2$$

$$\Delta t^2 - 15.97 \times 10^{-3} \text{ At} + 62.70 \times 10^{-6} = 0$$

At = 
$$6.96 \times 10^{-3}$$

Since 
$$\Delta t^2 = 48.4 \times 10^{-6}$$
, the fraction  $\frac{0.0518}{0.0518 + 5.8 \Delta t^2} = 0.9946$ 

$$\Delta x = 0.9946 \left[ v_{(n-1)} \Delta t - 38.64 F_{(n-1)} \Delta t^2 + 112 \Delta t^2 \Delta x_t \right]$$

$$= 0.9946 \left[ 285 \times 6.96 \times 10^{-3} - (38.64 \times 27 - 112 \times 0.862) \right] 48.4 \times 1$$

$$Ax = 0.9946 (1.984 - 0.046) = 1.928 in.$$

The absolute distance traveled by the barrel at this time is 2.0 in., and  $x_b$  the distance that the bolt traveled with respect to the barrel is

$$x_b = \Sigma \Delta x - L$$
,  $+ Ax = 1.235 - 2.0 + 1.928 = 1.163$  in.

The total time of buffer spring action during recoil is

$$t_{br} = t_{rt} + At = 0.00061 + 0.00696 = 0.00757 \text{ sec.}$$

The prevailing conditions at the end of the propellant gas period are now computed. The barrel travel is

$$x_t = \sum \Delta x_t + x_{to} = 1.0 + 0.138 = 1.138 \text{ in.}$$

bufffer  $\Delta\Delta 5, \beta \Rightarrow$  in Secin. The arbell transed wheatristing opening deflection is

$$x_{ho} = \Sigma \Delta x - x_t = 1.235 - 1.138 = 0.097 \text{ in.}$$

where  $\Sigma \Delta x = 1.235$  in., absolute bolt travel at end of propellant gas period (Table 2–2). The average driving spring force for the remaining deflection is

$$F_a = \frac{\epsilon E_b}{\Gamma = x_{bo}} = \frac{0.5 \times 1051}{10.0 - 0.097} = 53.1 \text{ lb.}$$

For K = 5.8, the force at 0.10 in. deflection is

$$F'_o = F_a - \frac{1}{2} K(L - x_{bo}) = 53.1 - 28.7 = 24.4 \text{ lb.}$$

The driving spring force when the bolt is fully retracted is

$$F_m = F_o' + K(L - x_{bo}) = 24.4 + 57.4 = 81.8 \text{ lb.}$$

The driving spring force at zero bolt travel is

$$F_0 = F_m - KL = 81.8 - 58 = 23.8 \text{ lb.}$$

The bolt travel from the time that the propellant gas becomes ineffective until the barrel is fully recoiled is

$$x_h' = x_h - x_{ho} = 1.163 - 0.097 = 1.066 \text{ in.}$$

The driving spring force F is

$$F = F'_0 + K x'_b = 24.4 + 5.8 \times 1.066 = 30.6 \text{ lb.}$$

The absorbed energy expressed as the differential energy  $\Delta E$  is

$$AE = \left[\frac{(F_o' \pm F)}{2\epsilon}\right] x_b' = \left(\frac{55}{2 \times 0.5}\right) 1.066 = 58.6 \text{ in.-lb.}$$

The energy remaining becomes

$$E = E_b - AE = 1051 - 58.6 = 992.4 \text{ in.-lb.}$$

The bolt velocity at this time becomes

$$v = \sqrt{\frac{2E}{M_b}} = \sqrt{\frac{2 \times 992.4 \times 386.4}{2 \times 992.4 \times 380.4}}$$
$$= \sqrt{\frac{76693}{10}} = \frac{276.9 \text{ in./sec.}}{276.9 \text{ in./sec.}}$$

The time t at full recoil of the barrel or when barrel begins to counterrecoil is

$$t = t_g + \Delta t = 12.96$$
 msec

where  $t_g = 0.006$  sec, duration of propellant gas period

At = 0.00696 sec, time for barrel to complete recoil after  $t_g$ .

## 2-4.4 COMPUTER ROUTINE FOR COUNTER-RECOILING BARREL DYNAMICS

A digital computer routine is programmed in FORTRAN IV language for computing the dynamics of the barrel during counterrecoil. Since time and distance are the most pertinent parameters, the program is generated about these data. During a given differential time, Eqs. 2–60c and 2–64d give the differential travel 'distance of the bolt while Eqs. 2–63c and 2–65c give the differential travel distance of the barrel. Eq. 2–53a provides the relative travel which is equivalent to the driving spring compression. The differential relative travel between barrel and bolt is computed from Eq. 2–53b.

After substituting the various known constants, Eqs. 2–60c and 2–64d are rewritten as Eqs. 2–68a and 2–70a to define the action of the bolt during recoil and counterrecoil, respectively. The substitution of constants into Eq. 2–63c yields equations for the barrel travel while the bolt is recoiling; Eq. 2–69a when the buffer is active; and Eq. 2–69b when the barrel spring acts alone. Eq. 2–65c, after the substitution of numerical constants, becomes Eq. 2–70b which defines the differential barrel travel if the buffer is still active. When the buffer is inactive, Eq. 2–70c defines the differential barrel travel.

Since the equation for solving Ax includes an expression that contains Ax,, and the equation for solving  $\Delta x_t$ , includes an expression that contains  $Ax_t$ the computer program contains an interative routine that approximates these two differential distances. The approximations for Ax and Ax, eventually approach the true values close enough to render any error negligible.

The computed values of the constants in Eq. 2-63c for the barrel counterrecoiling under the influence of the buffer while the bolt is still recoiling are

$$4\epsilon M_t = \frac{4 \times 0.5 \times 50}{386.4} = 0.2588 \text{ lb-sec}^2/\text{in}.$$

$$\epsilon \epsilon_b K_b - K = 0.5 \times 0.3 \times 630 - 5.8 = 88.7 \text{ lb/in.}$$

$$\frac{\epsilon_b}{2M_t} = \frac{0.3 \times 386.4}{2 \times 50} = 1.159 \text{ in./(lb-sec}^2)$$

$$\frac{1}{2\epsilon \dot{M}_t} = \frac{386.4}{2 \times 0.5 \times 50} = 7.73 \text{ in./(lb-sec}^2)$$

$$\frac{K}{4\epsilon M_t} = \frac{5.8 \times 386.4}{4 \times 0.5 \times 50} = 22.41 / \sec^2$$

Substitute these constants in Eq. 2–63c

Ax, = A[
$$\nu_{t(n-1)}\Delta t + \left(1.159F_{b(n-1)}\right)$$
  
- 7.73 $F_{(n-1)}\Delta t^2 - 22.41 \Delta t^2$  Ax] (2-69a)

where

$$A = \frac{0.2558}{0.2558 + 88.7 \Delta t^2}$$

At the end of buffer return, only barrel and driving springs remain effective. These design data for the barrel spring are

$$K_t = 37 \, \mathrm{lb/in.}, \qquad F_{ot} = 107 \, \mathrm{lb}, \qquad \epsilon_t = 0.5 \qquad \epsilon/2M_t = 1.932 \, \mathrm{in./(lb-sec^2)}$$
 2-34

The constants in Eq. 2-63c now become

$$\epsilon \epsilon_t K_t - K = 0.5 \times 0.5 \times 37 - 5.8 = 3.45 \text{ lb/in.}$$

$$\frac{\epsilon_t}{2M_t} = \frac{0.5 \times 386.4}{2 \times 50} = 1.932 \text{ in./(lb-sec}^2).$$

Substitute the revised constants into Eq. 2–63c.

$$\Delta x_t = A \left\{ v_{t(n-1)} \Delta t + \left[ 1.932 F_{b(n-1)} - 7.73 F_{(n-1)} \right] \Delta t^2 - 22.41 \Delta t^2 \text{ Ax} \right\}$$

where

$$A = \frac{0.2558}{0.2558 + 3.45 \Delta t^2}$$

The constants of Eq. 2-64d, when both bolt and barrel counterrecoil, are computed to be

$$4M_b = 0.1035 \text{ lb-sec}^2/\text{in.}; \quad \epsilon K = 2.9 \text{ lb/in.}$$

$$\epsilon/2M_b = 9.66 \text{ in./(lb-sec}^2); \qquad \epsilon K/4M_b = 28/\text{sec}^2$$

$$B = \frac{0.1035}{0.1035 - 2.9 \Delta t^2}$$

Eq. 2-64d now becomes

$$A_{X} = B \left[ V_{(n-1)} \Delta t - 9.66 F_{(n-1)} \Delta t^{2} - 28 \Delta t^{2} \Delta x_{t} \right]. \tag{2-70a}$$

The constants of Eq. 2-65c also change.

$$4M_t = 0.518 \,\text{lb-sec}^2/\text{in}.$$
  $\epsilon K/4M_t = 5.6/\text{sec}^2$ 

$$\epsilon/2M_{\star} = 1.932 \text{ in } / (\text{lb·sec}^2)$$

If the buffer is still active, the computed constants are

$$\epsilon K + \epsilon_h K_h = 0.5 \times 5.8 + 0.3 \times 630 = 191.9 \text{ lb/in}.$$

$$\epsilon_b/2M_t = 1.159 \text{ in./(lb-sec}^2); A = \frac{0.518}{+191.9\Delta t^2}.$$

After substituting these constants into Eq. 2-65c, the differential barrel travel becomes

$$\Delta x_t = A \left\{ v_{t(n-1)} \Delta t + \left[ 1.159 F_{b(n-1)} - 1.932 F_{(n-1)} + 5.6 \Delta x \right] \Delta t^2 \right\}. \quad (2-70b)$$

With the buffer no longer active, the constants become

$$\epsilon K + \epsilon_t K_t = 0.5 \text{ x } 5.8 + 0.5 \text{ x } 37 = 21.4 \text{ lb/in}.$$

$$\epsilon_t/2M_t = 1.932 \text{ in./(lb-sec}^2); A = \frac{0.518}{+21.4\Delta t^2}$$

After being assigned these constants, Eq. 2--65c becomes

$$\Delta x_t = A \left\{ v_{t(n-1)} \Delta t + \left[ 1.932 F_{b(n-1)} - 1.932 F_{(n-1)} + 5.6 \Delta x \right] \Delta t^2 \right\}.$$
 (2-70c)

Although functions of the spring forces appear in

the equations for computing the distance traveled by bolt and barrel, the spring forces must be computed for each increment of time since those values are projected into the next increment. At the end of each increment, the spring forces on bolt and barrel are computed, respectively, from Eqs. 2–55 and 2–56. The driving spring force is

$$F = F_{(n-1)} + 5.8\Delta x_b. \tag{2-71a}$$

While the buffer is operating, the counterrecoil force on the barrel becomes

$$F_h = F_{h(n-1)} - 630\Delta x_t$$
. (2–71b)

When the barrel spring operates alone, this force is

$$F_b = F_{b(n-1)} - 37\Delta x_t$$
. (2–710)

After the spring forces are computed, the respective energies and velocities of the bolt and barrel are computed from formulas based on Eqs. 2–66a, 2–66b, and 2–66d.

For convenience, the computer program is divided into four periods: (1) during buffer action, (2) during bolt recoil, (3) after buffer action, and (4) during bolt counterrecoil. Bolt action occurs simultaneously with barrel action (buffer action being a part of barrel action), but usually continues after the barrel is fully counterrecoiled. When the bolt is fully recoiled at t = 50.63 msec (Table 2-5), it immediately starts counterrecoiling with the barrel and these two now counterrecoil as one mass. The velocity at this instant is computed from the law of the conservation of momentum.

$$M_t v_t = (M_t + M_h) v_{t(n-1)}$$
 (2-71d)

Table 2-3 lists the variables and corresponding **FORTRAN** code in alphabetical order. Table 2-4 lists the input and Table 2-5 lists the output or results of the computer. The program is found in Appendix A-1 and its flow chart in Appendix A-2.

After the barrel has fully counterrecoiled, all remaining activity is confined to the bolt. It still has to negotiate its complete counterrecoil stroke. The time elasped for the bolt to complete the remaining counterrecoil stroke is computed from Eq. 2–26.

$$t_{crb} = \sqrt{\frac{M_h}{M_h}} \left( \operatorname{Sin}^{-1} \frac{F_{\nu}^{o}}{\sqrt{F_{\nu}^2 + \left(\frac{K}{\epsilon}\right)} \frac{M_h v^2}{M_{\nu}^2}} \right)$$

$$-\operatorname{Sin}^{-1} \frac{-F}{\sqrt{F^2 + \left(\frac{K}{\epsilon}\right) M_l v^2}}$$
 (2-72)

$$t_{crb} = 0.0945 \left[ \text{Sin-'} \left( \frac{-81.77}{88.38} \right) \right]$$

= 0.0945 [Sin-' (-) 0.2693 - Sin-' (-) 0.92521

$$= 0.0945 (344.37 - 292.3)/57.3 = 0.0859 sec$$

SYMBOL-CODE CORR		

Symbol	Code	Symbol	Code
E	E	n	I
AE	DE	t	T
$E_t$	ЕТ	At	DT
$\Delta E_t$	DET	v	$\mathbf{V}$
$\vec{F}$	F	$v_{t}^{}$	VT
$F_{b}$	FB	$w_b$	WB
$F_o$	FO	$w_{bbl}$	WBBL
g	G	Ax	DX
K	SK	$x_b$	XB
$K_{b}$	SKB	$\Delta x_b$	DXB
$K_t$	SKT	$x_t$	XT
$M_{b}$	EMB	$\Delta x_t$	DXT
$M_{t}$	EMT	E	EPS
$M_b^{\nu}$	$\mathbf{BMV}$	$\epsilon_b$	EPSB
$M_{t}v_{t}$	TMV	$\epsilon_t^{\sigma}$	EPST

where

$$M_b = \frac{10}{386.4}$$
 lb-sec<sup>2</sup>/in., mass of bolt

K = 5.8 lb/in., driving spring rate

 $F_o = 23.8$  lb, spring force when bolt is closed

F = 81.77 lb, last driving spring force in Table 2-5

 $M_b v^2 = 2E = 97$  in.-lb, (E is last value of bolt energy in Table 2-5)

E = 0.5, efficiency of driving spring

Time elapsed from the complete cycle of barrel action including free recoil, buffing, and counterrecoil is

$$t_{tc}$$
 = 54.73 msec, elapsed time of barrel cycle (Table 2–5)

$$t_c = t_{tc} + t_{crb} = 0.0547 + 0.0859 = 0.1406 \,\mathrm{sec}.$$

The firing rate is

$$f_r = \frac{\epsilon o}{t_c} = \frac{\epsilon o}{0.1406} = 426 \text{ rounds/min.}$$

The velocity of the bolt just as counterrecoil is completed is

$$v_{crb} = \sqrt{v_o^2 + \frac{2E}{M_b}} = \sqrt{v_o^2 + \frac{\epsilon (F_o + F) x_b}{M_b}}$$

$$= \sqrt{3745 + \frac{0.5 \times 105.57 \times 386.4 \times 9.995}{10}}$$

 $= 155.3 \, \text{in./sec.}$ 

TABLE 2-4. INPUT FOR DELAYED BLOWBACK PROGRAM

Code	Input	Codc	Input
AI	0.2558	WB	10.0
A2	88.7	WBBL	50.0
A3	3.45	FO	23.8
A4	0.518	FST	107.0
A5	191.9	FKCR	9.66
A6	21.4	DKXTCR	28.0
B1	0.0518	DKXCR	5,603
B2	5.8	<b>F</b> (1)	30.6
B3	0.1035	FB(1)	1357.0
B4	2.9	V(1)	276.9
EPS	0.5	VT(1)	0.0
EPSB	0.3	XB(1)	1.163
EPST	0.5	XT(1)	0.0
FK	38.64	T(1)	12.96
DXKT	112.0	DX(1)	0.0
BUFK	1.159	DXB(1)	1.066
BBLK	1.932	DXT(1)	0.0
DKX	22.41	DE(1)	0.0
FBK	7.73	DET(1)	0.0
SK	5.8	E(1)	992.4
SKB	630.0	ET(1)	0.0
SKT	37.0	G	386.4

## 2-4.5 SPRINGS

The driving, barrel, and buffer springs have been assigned characteristics in the dynamic analysis to meet the firing cycle requirements. The analyses which follow of the three springs determine their remaining characteristics that are congruous with the operational and strength requirements.

## 2-4.5.1 Driving Spring

Known Data:

K = 5.8 lb/in., spring constant

 $F_o = 23.8$  lb, spring force with bolt closed

 $F_m = 81.8 \, \text{lb}$ , spring force at full recoil

L = 10.0 in., bolt travel

 $T_c = t_{rb} = 0.0474$  sec, compression time of spring

 $v_i = v_f = 285$  in./sec, bolt velocity of free recoil, impact velocity

The compression time of the spring is measured from the time (3.252 msec, Table 2-2) that the bolt is unlocked until it has fully recoiled (t = 50.6 msec, when  $x_b = 10.0$  in., Table 2-5).

Since 
$$v_i \le 25$$
 fps, select  $\frac{T_c}{T} = 3.8$ , or

$$T = \frac{0.0474}{3.8} = 0.0125$$
 sec.

TABLE 2-5. COUNTERRECOIL DYNAMICS OF DELAYED BLOWBACK GUN

INCRE- MENT 1	KELATIVE DELTA TRAVEL INCH	BELIA BOLT TRAVEL INCH	JELTA JARKEL TRAVEL INCH	TOTAL ROLT TRAVEL IF CH	TOTAL RAPREL TRAVEL INCH	DRIVING SPRING FORCE POUND	BARREL SPRING FORCE POUND
1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19	.000 .549 .538 .527 .514 .499 .406 .447 .426 .464 .330 .354 .326 .155 .278 .244 .236	1.0555 .5555 .5554 .5555 .5554 .5544 .5532 .5532 .5544 .5532 .5544 .5532 .5554 .5554 .5555 .5554 .5556 .5566	.000 .005 .017 .028 .040 .052 .063 .074 .085 .105 .114 .122 .130 .070 .138 .139 .140	1.163 1.717 2.272 2.827 3.381 3.932 4.478 5.018 5.550 6.072 6.580 7.074 7.550 8.005 8.230 8.646 9.023 9.375 9.680	.000 .005 .022 .050 .091 .142 .206 .280 .365 .460 .564 .678 .800 .930 1.000 1.138 1.277 1.417 1.559	30.60 33.76 36.98 40.20 43.41 46.61 49.77 52.91 59.02 61.97 64.83 67.59 70.23 71.53 73.95 76.16 78.17	1357.0 1353.7 1343.2 1325.2 1299.9 1267.2 1227.4 1180.7 1127.2 1067.4 1001.5 929.9 853.0 771.3 107.0 101.9 96.8 91.6 86.3
20 21 22 23 24 25	.114 .017 .000 125 125 606	.257 .064 .060 003 002 .000 DELTA BOLT	.143 .047 .000 .122 .123 .006	9.937 10.000 10.000 9.997 9.995 9.995	1.702 1.749 1.749 1.871 1.994 2.000	81.43 81.80 81.80 81.78 81.77 81.77	81.0 79.3 79.3 74.8 70.2 70.0
I I MEN1	TIME MSEC	ENERGY IN-LB	ENERGY IN-LB	ENERGY IN-LB	EHERGY IN-LB	VELOCITY IN/SEC	VELOCITY IN/SEC
1 2 3 4 3 6 7 6 9 10 11 12 15 14 15 16 17 18 19 20 21 22 23	12.96 14.96 16.96 18.96 20.96 24.96 26.96 26.96 30.96 35.96 35.96 35.99 41.99 43.99 45.99 47.99 45.99 50.63 50.63	35.7 39.8 46.3 49.7 52.5 57.9 61.5 62.8 62.8 62.8 63.6 7.5 41.4 41.4 48.1	.0 2.2 6.8 11.4 15.8 20.0 23.6 26.4 31.3 32.5 32.6 31.6 15.7 7.2 6.9 6.6 6.3 6.0 1916.2	992.4 956.7 917.5 8/4.6 828.3 7/8.7 726.1 6412.7 552.7 491.2 428.6 302.8 2/1.0 210.5 153.0 99.6 48.3 48.4	.0 2.2 8.9 20.3 36.1 56.1 79.7 106.5 135.9 167.2 199.6 232.6 265.2 296.8 312.5 319.7 326.6 333.2 339.6 345.5 347.4 241.3 246.0 250.4	276.9 271.9 266.3 260.0 253.0 245.3 236.9 227.7 217.6 206.7 194.8 182.0 168.1 153.0 144.7 127.5 108.8 87.7 63.6 27.7 -61.1	.0 5.8 11.7 17.7 23.6 29.4 35.1 40.6 45.8 50.d 55.5 60.0 64.0 67.7 69.5 70.3 71.1 71.8 72.4 73.1 73.3 61.1 61.7 62.2

Select a mean coil diameter of 1.0 in. Then according to Eq. 2-42, the wire diameter is

$$d = 0.27 \sqrt[3]{DKT} = 0.27 \sqrt[3]{0.0725} = 0.113 \text{ in.}$$

From Eq. 2-41

$$N = \frac{Gd^4}{8KD^3} = \frac{11.5 \times 10^6 \times 1.63 \times 10^{-4}}{8 \times 5.8 \times 1.0} = 40.5 \text{ coils.}$$

Static shear stress is

$$\tau = \frac{8F_m D}{\pi d^3} = \frac{8 \times 81.8 \times 1.0 \times 10^3}{3.14 \times 1.442} = 144,500 \text{ lb/in}^2.$$

Dynamic shear stress is

$$\tau_d = \tau \left(\frac{T}{T_c}\right) \left[ f\left(\frac{T_c}{T}\right) \right] = \left(144,500\right) \frac{4.0}{3.8}$$

$$= 152.100 \, \text{lb/in}^2$$

#### 2-4.5.2 Barrel Spring

Known Data:

 $K_t = 37 \text{ lb/in.}$ , spring constant

 $F_{ot} = 70$  Ib, spring force with barrel in battery

 $F_{mt}$  = 144 lb, spring force with barrel fully recoiled

 $L_{\star} = 2.0$  in., barrel travel

 $T_c = t_r = 0.013$  sec, compression time of spring

 $v_i = v_f = 232.3$  in./sec, barrel velocity of free recoil, impact velocity

The compression time of the spring includes the time of free recoil and that for the rest of the recoil distance.

Select 
$$\frac{T_c}{T} = 3.8$$
, or

$$T = \frac{T_c}{3.8} = \frac{0.013}{3.8} = 0.0034 \text{ sec.}$$

Select a mean coil diameter of 1.0 in. According to Eq. 2-42, the wire diameter is

$$d = 0.27 \sqrt[3]{DK_*T} = 0.27 \sqrt[3]{0.1258} = 0.136 \text{ in.}$$

From Eq. 2-41

$$N = \frac{Gd^4}{BK_1D^3} = \frac{11.5 \times 10^6 \times 3.42 \times 10^{-4}}{8 \times 37 \times 1.0} = 13 \text{ coils.}$$

The static shear stress is

$$\tau = \frac{8F_{mt}D}{\pi d^3} = \frac{8 \times 144 \times 1.0}{3.14 \times 2.52 \times 10^{-3}} = 145,500 \,\text{lb/in.}^2$$

The dynamic shear stress is

$$\tau_d = \tau \left(\frac{T}{T_c}\right) \left[ f\left(\frac{T_c}{T}\right) \right] = \left(144,500\right) \frac{4.0}{3.8}$$
= 153,000 lb/in?

# 2-4.5.3 Buffer Spring

Known Data:

 $F_{obs}$  = 620 lb, spring force when first contacted

 $F_{mbs} = 1213$  lb, spring force at end of buffer stroke

 $K_{bs} = 593 \text{ lb/in.}$ , spring constant

L = 1.0 in., length of buffer stroke

 $T_c = t_{br} = 0.00757$  sec, compression time of spring (see p. 2–32)

 $v_i = 231.7$  in./sec, impact velocity of buffer (see p. 2–29)

Select 
$$\frac{T_c}{T}$$
 = 3.8, or

$$T = \frac{T_c}{3.3} = \frac{0.00757}{3.8} = 0.00199 \text{ sec.}$$

Select a mean coil diameter of 1.75 in. The wire diameter, from Eq. 2-42, is

$$d = 0.27 \sqrt[3]{DK_{bs}T} = 0.27 \sqrt[3]{2.07} = 0.344 \text{ in.}$$

From Eq. 2-41

$$N = \frac{Gd^4}{8K_{hs}D^3} = \frac{11.5 \times 10^6 \times 0.014}{8 \times 593 \times 5.36} = 6.3 \text{ coils.}$$

The static shear stress is

$$\tau = \frac{8F_{mbs}D}{\pi d^{s}} = \frac{8 \times 1213 \times 1.75}{3.14 \times 0.0407} = 133,000 \text{ lb/in}^{2}$$

The dynamic stress is

$$\tau_d = \tau \left(\frac{T}{T_c}\right) \left[ f\left(\frac{T_c}{T}\right) \right] = 133,000 \left(\frac{4.0}{3.8}\right)$$
$$= 140,000 \text{ lb/in.}^2$$

# 2-5 RETARDED BLOWBACK

The retarded blowback is similar to the simple blowback except that a linkage supplements the massiveness of the bolt as the primary resistance to the early rearward movement of the cartridge case.

#### 2-5.1 SPECIFIC REQUIREMENTS

To develop the same resistance as the inertia of a large mass, a linkage must have a large mechanical disadvantage during the period of high propellant gas pressure and then gradually relax this resistance as the pressure subsides. A linkage showing these features is illustrated in Fig. 2–8. When the force is greatest, the largest component resisting that force is in line with the bolt; thus only a small component is available to accelerate the bolt and linkage. Later, as the link closes, a larger share of the propellant gas force becomes useful for bolt retraction. Although the gas force has degenerated substantially, the accelerating component has grown to the proportions needed for a short firing cycle and, hence, a high rate of fire.

## 2-5.2 DYNAMICS OF RETARDED BLOWBACK

Fig. 2-9 illustrates graphically the kinematics of a retarded blowback linkage. Point A represents the position of the bolt as it moves linearly on line AC. Point B represents the position of the common joint between links AB and BC as BC rotates about the fixed point C. The equations of dynamic equilibrium are developed from the graphic illustration of Fig. 2-10. The kinematics are found by writing the two equations that define the geometric constraints of the linkage and then differentiating twice; then writing all variables in terms of  $\mathbf{x}$  and its derivatives.

#### 2-5.2.1 Kinematics of the Linkage

The two equations defining the geometric constraint are obtained from the geometry of the linkage, (see Fig. 2–9)

$$AB \cos \phi + BC \cos \theta = AC - x$$
 (2-73a)

AB 
$$\sin \phi - BC \sin \theta = 0$$
 (2–73b)

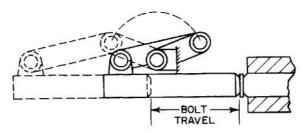


Figure 2–8. Schematic of Retarded Blowback Linkage

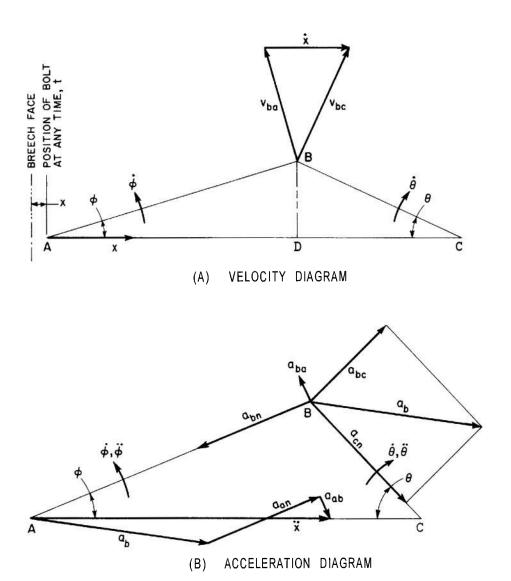


Figure 2-9. Kinematics of Retarded Blowback Linkage

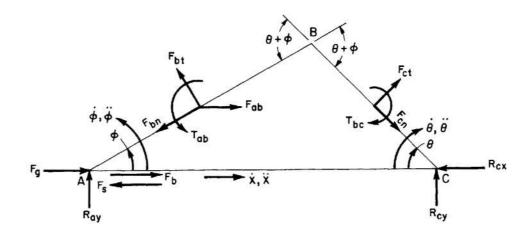


Figure 2-10. Dynamics of Bolt and Linkage

where x is the distance between the breech face and the bolt at any given time t. Differentiate the above equations twice with respect to t.

$$AB (\sin \phi) \dot{\phi} + BC (\sin \theta) \dot{\theta} = \dot{x}$$
 (2-74a)

$$AB [(\sin \phi) \ddot{\phi} + (\cos \phi) \dot{\phi}^2] + BC [(\sin \theta) \ddot{\theta}$$

$$\pm (\cos \theta) \dot{\theta}^2] = \ddot{x} \qquad (2-74b)$$

$$AB (\cos \phi) \dot{\phi} - BC (\cos \theta) \dot{\theta} = 0$$
 (2-75a)

$$AB [(\cos \phi)\ddot{\phi} - (\sin \phi)\dot{\phi}^2] - BC [(\cos \theta)\ddot{\theta}$$
$$- (\sin \theta)\dot{\theta}^2] = 0 \qquad (2-75b)$$

Multiply Eq. 2-74b by  $\cos \phi$  and Eq. 2-75b by  $\sin \phi$  and subtract.

$$AB \dot{\phi}^2 + BC [(\cos \phi \sin \theta + \cos \theta \sin \phi) \ddot{\theta} + (\cos \phi \cos \theta - \sin \phi \sin \theta) \dot{\theta}^2] = x \cos \phi$$

$$(2-76a)$$

or

$$AB \dot{\phi}^2 + BC [\ddot{\theta} \sin(\theta + \phi) + \dot{\theta}^2 \cos(\theta + \phi)] = \ddot{x} \cos \phi$$
 (2-76b)

Now multiply Eqs. 2–74b and 2–75b by  $\cos \theta$  and  $\sin 8$ , respectively, and add.

AB 
$$[(\cos \theta \sin \phi + \cos \phi \sin \theta)\ddot{\phi} + (\cos \theta \cos \phi - \sin \phi \sin \theta)\dot{\phi}^2] + BC\dot{\theta}^2 = \ddot{x}\cos \theta \quad (2-77a)$$

or

$$AB [\ddot{\phi} \sin (\theta + \phi) + \dot{\phi}^2 \cos (\theta + \phi)] + BC \dot{\theta}^2 = x \cos \theta$$
 (2-77b)

Multiply Eq. 2–74a by  $\cos \theta$  and Eq. 2–75a by  $\sin \theta$  and add.

$$AB \dot{\phi} (\sin \phi \cos \theta + \cos \phi \sin \theta) = \dot{x} \cos \theta$$
 (2-78a)

or

AB 
$$\dot{\phi} \sin(\theta + \phi) = \dot{x} \cos \theta$$
 (2-78b)

Multiply the same equations by  $\cos \phi$  and  $\sin \phi$ , respectively, and subtract.

BC 
$$\dot{\theta}$$
 (sin  $\theta$  cos  $\phi$  t cos  $\theta$  sin  $\phi$ ) =  $\dot{x}$  cos  $\phi$  (2-79a)

$$BC \dot{\theta} \sin \left( e \pm \phi \right) = \dot{x} \cos \phi$$
 (2-79b)

Solve for  $\dot{\phi}$  and  $\dot{\theta}$ 

$$\dot{\phi} = \frac{\dot{x} \cos \theta}{AB \sin (0 + \phi)} \tag{2-80}$$

$$\dot{\theta} = \frac{x \cos \phi}{BC \sin (0 + \phi)}.$$
 (2-81)

Solve Eqs. 2–76b and 2–77b for  $\ddot{\theta}$  and  $\ddot{\phi}$ , respectively

$$\ddot{\theta} = \frac{\ddot{x} \cos \phi - AB \dot{\phi}^2}{BC \sin (\theta + \phi)} - \frac{\dot{\theta}^2 \cos (\theta + \phi)}{\sin (\theta + \phi)}$$
(2-82)

$$\ddot{\phi} = \frac{\ddot{x} \cos \theta - BC \dot{\theta}^2}{AB \sin (\theta + \phi)} \frac{\dot{\phi}^2 \cos (\theta + \phi)}{\sin (\theta + \phi)}.$$
 (2-83)

#### 2-5.2.2 Equations of Dynamic Equilibrium

Fig. 2-10 shows the applied and inertial forces of the bolt and linkage. The inertial forces are functions of the kinematics of Fig. 2-9.

Nomenclature of symbols in Figs. 2–9 and 2–10, and in the dynamic analysis follow\*

 $a_{ab}$  = acceleration of A with respect to B

a = normal acceleration of A with respect to B

 $a_h$  = acceleration of B

 $a_{hn}$  = normal acceleration of B with respect to A

 $a_{ba}$  = tangential acceleration of B with respect to A

 $a_{bc}$  = tangential acceleration of B with respect to C

 $a_{cn}$  = normal acceleration of B with respect to C

AB = length of link AB

BC = length of link BC

 $F_{\alpha}$  = applied force on recoiling parts

 $F_{ab}$  = linear inertial force of link AB

 $F_b$  = bolt inertial force

 $F_{bn} = \text{normal force of link } AB$ 

 $F_{ht}$  = tangential inertial force of link AB

 $F_{cn}$  = normal force of link BC

 $F_{ct}$  = tangential inertial force of link BC

 $F_g$  = propellant gas force

 $F_s$  = driving spring force

 $F_{so}$  = initial spring force

 $I_{ab}$  = mass moment of inertia of link AB

 $I_{bc}$  = mass moment of inertia of link BC

 $K_s$  = spring constant

 $M_{ab} = \text{mass of link } AB$ 

 $M_b = \text{mass of bolt}$ 

 $M_r$  = mass of recoiling parts

 $R_{r}$  = vertical reaction at A

 $R_{cx}$  = horizontal reaction at C

 $R_{cv}$  = vertical reaction at C

 $T_{ab}$  = inertial torque of link AB

 $T_{hc}$  = inertial torque of link BC

 $v_{ha}$  = velocity of B with respect to A

 $v_{hc}$  = velocity of B with respect to C

x = velocity of bolt at A

 $\ddot{x}$  = acceleration of bolt at A

E = efficiency of the spring system

 $E = 1/\epsilon$  during recoil;  $E = \epsilon$  during counterrecoil

<sup>\*</sup>Since these symbols are unique for this par., they are not repeated in the general List of Symbols.

 $\theta$  = angle of BC with horizontal

 $\dot{\theta}$  = angular velocity of BC, shown positive

 $\ddot{\theta}$  = angular acceleration of BC, shown positive

 $\phi$  = angle of AB with horizontal

 $\dot{\phi}$  = angular velocity of AB, shown positive

 $\ddot{\phi}$  = angular acceleration of AB, shown positive

To achieve equilibrium in the dynamic system, the applied forces and reactions of Fig. 2–10 are equated to the inertial forces. The reactions of the linkage ABC are computed by balancing the moments and forces of the complete system or of any individual link. The inertia forces and moments of each component are expressed in terms of the respective accelerations.

$$F_{ab} = M_{ab}\ddot{x} \tag{2-84a}$$

$$F_b = M_b \ddot{x} \tag{2-84b}$$

$$F_{bn} = M_{ab} \left( \frac{AB}{2} \right) \dot{\phi}^2 \tag{2-84c}$$

$$F_{bt} = M_{ab} \left(\frac{AB}{2}\right) \ddot{\phi} \tag{2-84d}$$

$$F_{cn} = M_{bc} \left( \frac{BC}{2} \right) \dot{\theta}^2 \tag{2-84e}$$

$$F_{ct} = M_{bc} \left( \frac{BC}{2} \right) \ddot{\theta} \tag{2-84f}$$

$$T_{ab} = I_{ab} \ddot{\phi} \tag{2-84g}$$

$$T_{bc} = I_{bc}\ddot{\phi} \tag{2-84h}$$

 $R_{ff}$  the vertical reaction at C (Fig. 2–10) is found by computing the moments about A and dividing by length AC.

$$R_{cy} = \left\{ T_{ab} - T_{bc} - F_{ab} \left( \frac{AB}{2} \right) \sin \phi + \left( \frac{AB}{2} \right) F_{bt} - F_{cn} AB \sin (\theta \neq \phi) \right\}$$

$$- F_{ct} \left[ AB \cos (\theta \neq \phi) - \frac{BC}{2} \right] \left\{ /AC \quad (2-85) \right\}$$

 $R_{cx}$ , the horizontal reaction at C, is found by isolating link BC and equating the applied moment to the inertial moment

$$R_{cx} BC \sin \theta - R_{,i} BC \cos \theta = T_{bc} - F_{ct} \left(\frac{BC}{2}\right)$$

$$(2-86)$$

$$R_{cx} = R_{cy} \frac{\cos \theta}{\sin \theta} + \frac{T_{bc}}{BC \sin \theta} \frac{F_{ct}}{2 \sin \theta} - \frac{(2-87)}{2 \sin \theta}$$

The general equation for determining the dynamics of the system consists of the applied horizontal forces and reactions, and the horizontal components of the inertial forces. The inertial moments and vertical force components are not directly involved although they are needed to establish the general equation.

$$F_g - EF_s - R_{cx} = M_r \ddot{x} - F_{bn} \cos \phi - F_{bt} \sin \phi$$

$$t F_{cn} \cos \theta + F_{cn} \sin \theta \qquad (2-88)$$

where

$$F_s = E(F_{so} + K_s x)$$

$$M_r = M_{ab} + M_b$$

Eq. 2-88 may be solved by numerical integration after the variables  $\dot{\phi}$ ,  $\dot{\theta}$ ,  $\ddot{\phi}$ ,  $\ddot{\theta}$  are written in terms of  $\dot{x}$  and x.

## 2-5.2.3 Digital Computer Program for the Dynamic Analysis

A digital computer program is compiled in FORTRAN IV language for the UNIVAC 1107 computer. The various parameters are solved for each one of many small increments of time into which the recoil and counterrecoil periods are divided. The

solution follows the procedure of the Runge-Kutta-Gill Method of numerical integration. The program listing is in Appendix A-3; the corresponding Flow Chart in Appendix A-4.

Because Eq. 2–88 becomes extremely unwieldly when the appropriate expressions are substituted for  $\dot{\phi}$ ,  $\dot{\theta}$ ,  $\ddot{\phi}$ ,  $\ddot{\theta}$ , simple coefficients are introduced in sequence to represent the cumbersome expressions. The continued substitution eventually leads to an equation of simple terms. The list of coefficients that follow are determined from Eqs. 2–80 to 2–83.

C1 = 
$$\cos \phi / BC \sin (\theta + \phi)$$
  
C2 =  $-AB/BC \sin (6 + \phi)$   
C3 =  $-\cos (6 + \phi) / \sin (6 + \phi)$   
C4 =  $\cos \theta / AB \sin (6 + \phi)$   
C5 =  $-BC/AB \sin (6 + \phi)$   
C6 = C2 · C4<sup>2</sup> + C3 · C1<sup>2</sup>  
C7 = C5 · C1<sup>2</sup> + C3 · C4<sup>2</sup>

Rewrite **Eqs.** 2-80 to 2-83 by inserting the proper coefficient.

$$\dot{\phi} = C4\dot{x} \tag{2-89a}$$

$$e = C1\dot{x} \tag{2-89b}$$

$$e = C1\ddot{x} + C6\dot{x}^2$$
 (2-89c)

$$\ddot{\phi} = C4\ddot{x} + C7\dot{x}^2$$
 (2-89d)

Rewrite Eq. 2-85

$$R_{cy} = E 3 (C4\ddot{x} + C7\dot{x}^2) - E4X$$
  
-  $E5 \cdot C1^2 \dot{x}^2 + E6(C1\ddot{x} + C6\dot{x}^2)$  (2-90a)

where

$$E1 = M_{ab} \cdot AB/2$$

E2 = 
$$M_{hc} \cdot BC/2$$

$$E3 = (I_{ab} + E1 \cdot AB/2)/AC$$

E4 = E1 
$$\sin \phi /AC$$

E5 = E2 · AB sin 
$$(6 + \phi)/AC$$

$$E6 = \left\{ E2[AB\cos(6+\phi) + BC/2] - I_{bc} \right\} / AC$$

Collect terms and assign new coefficients

$$R_{cy} = C8\ddot{x} + C9\dot{x}^2$$
 (2–90b)

where

$$C8 = E3 \cdot C4 - E4 + E6 \cdot C1$$

$$C9 = E3 \cdot C7 - E5 \cdot C1^2 + E6 \cdot C6$$

Rewrite Eq. 2-87

$$R_{cx} = C8 \left( \frac{\cos \theta}{\sin \theta} \right) \ddot{x} + C9 \left( \frac{\cos \theta}{\sin \theta} \right)$$

$$+ E7 \left( \text{Clx} + C6 \dot{x}^2 \right) / \sin 8 \qquad (2-91a)$$

$$R_{ox} = C10\ddot{x} + C12\dot{x}^2 \tag{2-91b}$$

where

$$E7 = \frac{I_{bc}}{BC} - \frac{E2}{2}$$

$$C10 = (C8 \cos \theta + E7 \cdot C1)/\sin \theta$$

$$C12 = (C9 \cos \theta + E7 \cdot C6)/\sin \theta$$

Recall Eq. 2-88, solve for F and insert appropriate coefficients.

$$F_g = M_r x - E1(C4x + C7\dot{x}^2) \sin \phi$$

$$- E1 \cdot C4^2 \dot{x}^2 \cos \phi$$

$$+ E2(C1\ddot{x} + C6\dot{x}^2) \sin 8 + E2 \cdot C1\dot{x}^2 \cos \theta$$

$$+ C10\ddot{x} + C12\dot{x}^2 - E(F_0 - K_s x) \qquad (2-92)$$

Collect terms and solve for  $\ddot{x}$ 

$$C11\ddot{x} = F_g + C13\dot{x}^2 + C14 + C15x$$
 (2-93)

$$x = (F_g + C13\dot{x}^2 + C15x + C14)/C11$$
 (2-94)

where

$$C11 = M_r - E1 \cdot C4 \sin \phi + E2 \cdot C1 \sin \phi + C10$$

C13 = E1 · C7 sin 
$$\phi$$
 + C1 · C4<sup>2</sup> cos  $\phi$   
- E2 · C6 sin  $\theta$  - E2 · C1<sup>2</sup> cos  $\theta$  - C12

$$C14 = -EF_{so}$$

$$C15 = -EK_s$$

The computer solves for  $\ddot{x}$  and then all the other variables for each increment of time. The program is also arranged for the interpolation of the gas force  $F_g$  when the time, and therefore force, for any particular computations fall between two data points selected from the force-time curve of Fig. 2-7.

Initial spring characteristics are usually based on those of a similar gun. After trial computations, the values are altered to be more compatible with specifications. For instance, in the sample problem, the initial values of initial buffer force and spring constant were  $F_{so} = 200$  lb and  $K_s = 388$  lb/in. This resulted in a buffer travel of almost twice the specified distance. After changing the spring constant to  $K_s = 760$  lb/in. and  $F_{so} = 800$  lb, the computed buffer stroke equalled that specified

Table 2-6 lists the code for each symbol, Table 2-7 lists the input data for the computer program, and Table 2-8 lists the computed dynamics. Four series of computations are made for each increment I and, since there are almost 2000 increments, only the results of the fourth series of every 15th increment is printed. This procedure is followed except at the ends of the recoil and counterrecoil strokes where the results of each terminal increment are printed. By eliminating most of the output from the record, Table 2-8 is held to reasonable size but still contains enough data to show clearly, the trend in the dynamic behavior of the bolt mechanism during the firing cycle.

The final time (at increment I = 1889) of t = 0.067 sec shows a firing rate of

$$f_r = \frac{60}{t} = 895 \text{ rounds/min.}$$

TABLE 2-6. SYMBOL-CODE RELATIONSHIP FOR RETARDED BLOWBACK

Symbol	Code	Symbol	Code
$F_a$	FA	'ab	WAB
$F_{\sigma}$	FG	$w_b$	WB
$F_{oldsymbol{g}} \ F_{oldsymbol{so}}$	FSO	$w_{bc}$	WBC
g	G	x	X
$I_{ab}$	EYEB	$\epsilon$	EPS
$I_{bc}$	EYEC	heta	THETA
KS	SK	$\phi$	PHI
$M_{ab}$	EMAB	$\sin heta$	STHETA
$M_b$	EMB	$\cos \theta$	CTHETA
$M_r^{"}$	EMR	$\sin\phi$	SPHI
$t^{'}$	T	cos φ	CPHI
At	DT	$\sin(\theta + \phi)$	SUMSIN
V	VEL	$\cos(\theta + \phi)$	SUMCOS

The preferred method of increasing this rate is to increase the moment arm of the linkage, i. e., by decreasing the initial value of AC. A lower firing rate may be attained by decreasing the moment arm, i. e., by increasing the initial length of AC.

#### 2.6 RATING OF BLOWBACK WEAPONS

The simple blowback machine gun, because of its simplicity, outranks all other types with respect to maintenance and relative cost. Moving parts are few, and normal care exercised in manufacture produces a gun whose reliability is considered good, i. e., ordinary malfunctions can be corrected in the field within 30 sec. Take-down, cleaning, lubricating, and reassembly requires little time and practically no tools. Although these attributes are encouraging, the simple blowback has its limitations. It is restricted to small caliber guns, low rates of fire, low muzzle velocities, and, therefore, short range. However, the gun is light enough to be carried by the foot soldier and is accurate enough at short ranges to make it a good antipersonnel weapon.

The delayed blowback machine gun is almost as easily maintained as the simple blowback but its relative cost is higher. It has a low to medium rate of fire and a medium to high muzzle velocity. The delayed blowback is not confined to small calibers. It outranges and has better accuracy than the simple blowback and, because of its greater fire power, is more versatile, being capable of destroying both materiel and personnel. The delayed

blowback gun is durable and reliable, seldom becoming inoperative because of breakdown except after long usage, and can quickly be restored to operation after ordinary malfunction.

When compared with simple and delayed blowback guns, the advanced primer ignition and retarded blowback types are relegated to second position. The retarded blowback type, because it depends on a linkage system to control bolt recoil that is extremely sensitive to geometric proportions, does not have the reliability of the delayed type either in theory during design, or in practice during development and usage. The large loads applied to the linkage while in motion adversely affects the gun's durability. From these aspects alone the delayed blowback is preferred over the retarded type.

The advanced primer ignition gun is superior to the simple blowback because of its higher firing rate and lower recoil momentum. However, favorable performance depends on timing that must be precise. A slight delay in primer function, and the gun reverts to a simple blowback without the benefit of a massive bolt and stiffer driving spring to soften the recoil impact. Delayed primer ignition creates the hazard of extracting the cartridge case while subjected to pressures high enough to blow up the case. Although advanced primer ignition guns have been made, one by Becker, the exacting requirements in design and construction of gun and ammunition reduce this type almost to the point of academic interest only.

TABLE 2-7. INPUT DATA FOR RETARDED BLOWBACK

Code	Data	Code	Data
AB	7.0	NHEAD	630
AZ	12.9985	NPO	15
BC	6.0	N9	96
DT	0.000025	SK1	3.8
DTFG	0.0000625	SK2	760.0
DTNEW	0.00026	TCHANG	0.045
EPS	0.50	WAB	0.85
FS 1	63.0	WB	8.0
FS2	0.008	WBC	1.5
G	386.4	XLIM	9.0
N	3000	XREC	9.95859
		XBATY	0.010

TABLE 2-8. RETARDED BLOWBACK DYNAMICS

		APPLIEO	DISTANCE		
_	TIME	FORCE	FROM BREECH	VELOCITY	ACCELERATION
I	SECOND	POUND	INCH	IN/SEC	IN/SEC/SEC
1	.0000250	398.0	•000000	• 0	180.5
15	.0003750	18774.0	.000165	1.6	10185.6
30	•0007500	23834 • 0	• 001883	9.2	36242•9
45	•0011250	18663.9	.009210	34.6	109085.5
60	•0015000	12703.0	.032415	96.7	220112.1
75	.0018750	7733 •4	• 085583	190 •0	260303.3
90	•00225 <b>00</b>	4922.7	• 174304	281.2	224086.7
105	• 0026250	3801.8	•294690	350.9	187483.0
120	•0030000	2670 • 7	•441364	420•8	140860.9
135	•0033750	1794.4	•608063	466.0	100246.5
150	•0037500	1103.0	•788991	497.0	66704.3
165	.0041250	651.6	<b>■</b> 979433	517.3	43452 <b>.7</b>
180	•0045000	425.1	1.176159	531 <b>• 1</b>	30363.6
195	•0048750	218.5	1.377183	540.3	19058.6
210	•0052500	107.0	1.580966	546•2	12324.8
225	•0056250	<b>-</b> 9.6	1.786483	549.6	5869.6
240	•0060000	-141.1	1.992836	550.6	<del>-</del> 900.6
255	•006 <b>3750</b>	-142.7	2.199224	550.1	<del>-</del> 1938.7
270	•0067500	-144.3	2.405343	549•2	-2753.7
205	• 0071250	-145.0	2.611077	548.0	-3410.0
300	•007500 <b>0</b>	-147.4	2.816333	546∙6	-3950+3
315	•0078750	-149.0	3.021035	545 • 1	-4404.2
330	.0082500	<del>-</del> 150,5	3.225119	543.3	-4792.3
345	·0086250	-152.1	3.428530	541.5	-5129.6
360	.0090000	<del>-</del> 153.6	3.631220	539.5	-5427.2
375	•0093750	<del>-</del> 155•1	3.833148	537 ∎4	-5693.4
390	•0097500	<b>-</b> 156 • 7	4.034276	535.2	-5934.5
405	•0101250	-158+2	4.234569	533∙0	-6155.4
420	•0105000	<b>–159 ₌</b> 7	4 433997	530 • 6	-6360.1
435	.0108750	-161•2	4.632531	520.2	-6551.7
450	•0112500	-162.7	4.830144	525∙7	-6732 •7
465	•011625 <b>0</b>	-164.2	5.026810	523.2	-6905.4
480	.0120000	-165.7	5.222506	520∙5	-7071.6
495	•0123750	-167.2	5.417207	517.9	-7232.8
510	.0127500	-168. <i>6</i>	5.610891	515 • 1	-7390 <b>∙5</b>
525	•0131250	-170.1	<b>5.</b> 803537	512.3	-7546.0
540	0135000	-171.6	5.995121	509.5	-7700.6
555	0138750	-173.0	6.185623	506.5	-7855.5
570	•0142500	<b>-174.5</b>	6.375019	503.6	-8012.0
585	• 0146250	-175.9	6.563290	500.5	-8171.3
600	•015000 <b>0</b>	<b>-</b> 177.3	6.750411	497.4	-8334 •9
615	.0153750	-178.7	6.936361	494.3	-8504•2
630	.0157 <del>5</del> 00	-180 -1	7.121114	491• 1	-8681.2
030	*015.000				

TABLE 2-8. RETARDED BLOWBACK DYNAMICS (Con't.)

		APPLIED	DISTANCE	V-1 001-V	
τ.	TIME	FORCE	FROM BREECH	VELOCITY	ACCELERATION
I	SECOND	POUND	INCH	IN/SEC	IN/SEC/SEC
645	.0161250	-181.5	7.304647	487 • 8	-8867.6
660	•0165000	-182.9	7.486933	484.4	-9066.0
675	•0168750	-184.3	<b>7.</b> 667944	481.0	-9279.0
690	•0172499	-185.6	7.847650	477.4	<b>-9509 •</b> 9
705	• 0176249	-187.0	8.026019	473.8	-9762.8
720	.0179999	-188.3	8.203013	470.1	-10042.5
735	• U 103749	-189.7	8.378596	466.3	-10355.1
750	•018 <b>7</b> 499	-191∎0	<u>a</u> . 552722	462∙3	-10708.1
765	• 0191249	-192.3	8.725342	458.3	-11110.8
700	.0194999	-193.6	8.896399	454 • 0	-11575.0
795	0198749	-1893.8	9.065089	439.4	-83221.1
810	•0202499	-2136.3	9.223000	406•3	<del>-</del> 92816.8
825	•0206249	-2358.8	9.369479	369.9	−101264 <b>∙3</b>
840	•0209999	<del>-</del> 25 <b>5</b> 9.6	9.500939	330.5	-108497.8
855	•0213749	<b>-2737.2</b>	9.617160	288.7	<b>-1</b> 14496•0
870	•0217499	<b>-</b> 2890 • 1	9.717299	244.8	<b>-1</b> 19280.4
685	•0221249	<b>-</b> 3017.5	9.800679	199.4	-122954.1
900	•0224999	-3118.5	9•866784	152.8	<b>-</b> 125611.6
915	•0228749	-3192.5	9,915237	105.3	-127399.2
930	•0232499	-3239.2	9.945783	57.3	-128449.3
945	•0236249	<b>-</b> 3258•3	9.958274	9•0	-128860.8
948	•0236999	-814.7	9.958599	2	<del>-</del> 32217•9
960	•0239999	-614.1	9.957093	-9.9	-32205.7
975	• 0243749	-511.8	9.951135	-22.0	-32157.0
990	• 0247499	-807.8	9.940655	-34.0	-32069.7
1005	.0251249	-802.1	9.925667	-46.0	-31941.7
1020	<b>■</b> 0254999	<b>–</b> 794.7	9.906187	-58.0	-31769.7
1035	• 0256749	-785.5	9.882240	-69.8	-31550.1
1050	•0262498	<b>-774 •</b> 7	9.053856	-81.6	-31278.5
1065	•0266248	<b>-7</b> 62•2	9.821074	-93.3	-30950•7
1080	•0269998	-748.0	9.783940	-104.8	-30562.1
1095	.0273748	-732.2	9.742508	-116.2	-30108.6
1110	• 0277498	-714.7	9.696843	-127.4	-29586.5
1125	• 0281248	<b>-695 •</b> 7	9,647018	-138.4	-28992.3
1140	•0284998	-675.1	9.593116	-149.1	-28323.7
1155	•0288748	<del>-</del> 653.0	9.535232	-159.6	-27576.8
1170	• 0292498	-629.4	9.473469	-169.8	-26756.7
1185	•0296248	-604.4	9.407945	-179.7	-25857.1
1200	.0299998	-578.0	9.338783	-189.2	-24880.7
1215	• 0303748	-550.2	9.266123	-198.3	-23828.9
1230	•0307498	<b>-</b> 521.2	9.190113	-207.1	-22703.7
1245	.0311248	-491.0	9.110909	-215.3	-21507.8
1260	0314998	-459.6	9.028681	-223.2	-20244.4
		. 30 . 0			EVETTET

TABLE 2-8. RETARDED BLOWBACK DYNAMICS (Con't.)

		APPLIED	DISTANCE		
	7 IME	FORCE	FROM BREECH	VELOCITY	ACCELERATION
I	SECOND	POUND	INCH	IN/SEC	IN/SEC/SEC
1275	•0316748	-48.5	8.944110	-226.5	-2930.1
1290	0322498	-48.3	8.858986	-227.5	-2867.3
1305	• 0326248	-48.2	8.773458	-228.6	-2809.0
1320	• 0329998	-48.0	8 687536	-229.7	-2754.8
1335	• 0333748	-47.8	8.601226	-230 • 7	-2704.3
1350	•0337497	-47.7	8.514535	-231.7	-2657.0
1365	.0341247	-47.5	8.427471	-232.7	-2612.7
1380	.0344997	-47 -3	8.340039	-233.6	-2571.1
1395	• 0348747	-47.2	8.252246	-234.6	-2531.9
1410	■0352497	-47.0	8.164096	<b>-235</b> •5	-2494.8
1425	• 0356247	-46.8	8.075596	<b>-236.</b> 5	-2459.8
1440	•0359997	-46.7	7.986750	-237.4	-2426.5
1455	•0363747	<b>-46∙</b> 5	<b>7.</b> 897561	<b>-238.</b> 3	-2394.7
1470	•0367497	-46.3	7.808036	-239•2	<b>-23</b> 64.5
1485	<b>■</b> 0371297	-46.2	7.718179	-240 • 1	-2335.5
1500	•0374997	-46.0	<b>7.</b> 627992	-240.9	<b>-23</b> 07.8
1515	<b>₌</b> 0378747	-45.8	<b>7.</b> 537482	-241.8	-2281 • 1
1530	•0582497	<del>-</del> 45.6	7.446650	-242 • 6	-2255.4
1545	• 0386246	<b>-4</b> 5.5	7.355502	-243.5	<b>-2230.5</b>
1560	•0389996	<b>-45 .</b> 3	7.264040	-244.3	-2206.5
1575	•0393746	-45.1	7.172267	-245 • 1	-2183.1
1590	• 0397496	-45.0	7.080187	-246.0	-2160.4
1605	•0401246	-44.8	6.987804	<b>-246 •</b> 8	-2138.2
1620	•0404996	-44.6	6.895120	-247 • 6	-2116.6
1635	•0408746	-44 •4	6.802138	-248 • 4	-2095.4
1650	•0412496	-44 <sub>e</sub> 2	6.708861	-249.1	-2074.6
1665	•0416246	-44.1	6.615293	-249.9	-2054.1
1680	•0419996	<del>-4</del> 3.9	6.521436	-250 • 7	-2033.9
1695	•0423746	<del>-4</del> 3.7	6.427293	-251 • 4	-2014.0
1710	•0427496	-43.5	6.332066	-252.2	-1994.3
1725	•0431246	<b>-43 </b>	6.238159	-252.9	-1974.7
1740	<b>■</b> 0434995	-43.2	6.143175	-253.7	-1955.2
1755	• 0438745	-43.0	6.047915	-254• 4	-1935.9
1770	• 0442495	-42.8	5.952383	<b>-255</b> • 1	-1916.5
1785	• 0446245	<del>-</del> 42 <sub>e</sub> 6	5.856582	-255.8	-1897.2
1800	• 0449995	-42.4	5.760514	<b>-</b> 256•5	-1877•8
1815	• 0485245	-40.7	4.844994	-262•8	-1686.5
1830	•0522745	-38-8	3.848134	-268.7	-1427.9
1045	•0560245	<b>-3</b> 6 <sub>e</sub> 9	2.831350	-273.3	<b>-996.</b> 2
1860	■0597745	-34 <sub>e</sub> 9	1.801193	-275 • 4	88.0
1875	• 0635245	-33.0	• 776233	-267.8	6102.3
1889	<ul><li>0670245</li></ul>	-31.5	• 002236	<b>-53.</b> 0	367185.9

## CHAPTER 3

#### RECOIL-OPERATED WEAPONS

## 3-1 GENERAL

Recoil-operated weapons are those weapons that rely on recoil activity to operate the bolt and related parts. The bolt, locked to the barrel during firing, is released during recoil after the chamber pressure has become safe. Action is confined to two general types; long recoil and short recoil.

Long recoil has the barrel and bolt recoiling as a unit for the entire distance (Fig. 3-1). This recoil distance must be greater than the length of the complete round to provide space for loading. At the end of the recoil stroke, the bolt is held while the barrel counterrecoils alone. When sufficient space develops between bolt and breech, the spent case is ejected. Later, as the barrel reaches the in-battery position, the bolt is released to reload the gun.

Short recoil has the barrel and bolt recoiling as a unit for a distance shorter than the length of the complete round (Fig. 3-2). The bolt is unlocked shortly before the barrel negotiates its full stroke. As the barrel stops, the momentum of the bolt carries it farther rearward opening a space — between it and barrel — large enough for extracting the spent case and reloading. The returning bolt, while reloading, may push the barrel into battery or the barrel may counterrecoil independently of the bolt.

#### 3-2 LONG RECOIL DYNAMICS

The dynamics of the long recoil-operated gun are similar to those of the blowback types except that the barrel and bolt units recoil together. Time of recoil may be decreased by delaying energy of recoil absorption until near the end of the recoil stroke, which can be done with a heavy buffer spring operating over a short stroke. The barrel spring should be stiff enough to hold the recoiling parts in battery while the bolt is returning whereas the bolt driving spring should be capable of closing the bolt in minimal time. The stiffer the spring, the less time needed for the return. However, since the converse is not true, some compromise must be arranged to achieve an acceptable firing rate. For initial estimates, the driving spring should have properties that are

approximate to those needed to absorb the recoil energy of the bolt. Later adjustments can be made in the properties of all the springs in the system to achieve appropriate time and velocity criteria.

The buffer characteristics should be so arranged that its useful potential energy, when fully compressed, approximately equals that of the barrel spring, yet still is compatible with other design requirements. This arrangement gives the barrel sufficient momentum at the beginning of the counterrecoil stroke for a quick return without inducing excessive impact when stopping the returning barrel.

# 3-3 SAMPLE PROBLEM LONG RECOIL MACHINE GUN

## 3-3.1 SPECIFICATIONS

Gun: 20 mm machine gun

Firing Rate: corresponding to minimum bolt travel

Interior ballistics: Pressure vs Time, Fig. 2-7

 $A_b = 0.515 \text{ in.}^2 \text{ bore area}$ 

### 3-3.2 DESIGN DATA

L = 10 in, recoil distance

 $W_b = 10 \text{ Ib}$ , weight of bolt unit

w = 50 lb, weight of barrel unit

E = 0.5, efficiency of spring system

Table 3–1 has the numerical integration for a recoiling weight of 60 lb. The column  $A_i$  represents the area under the pressure-time curve, Fig. 3–1, for each interval of time.

$$F_R \Delta_t = 0.515 A_i$$
, lb-sec.

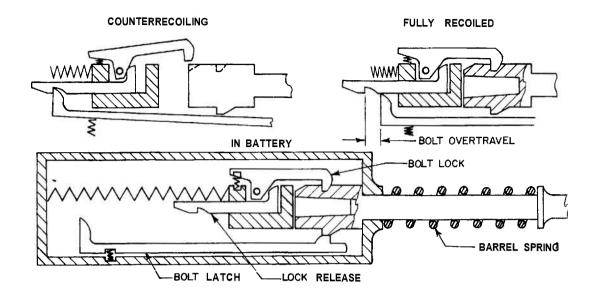


Figure 3-1. Schematic of Long Recoil System

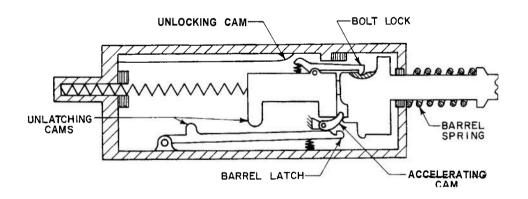


Figure 3-2. Schematic of Short Recoil System

t,	$\Delta t$ , msec	$A_i$ , lb-sec/in. <sup>2</sup>	$F_{g}\Delta t$ , lb-sec	Δν, in./sec	ν, in./sec	v <sub>a</sub> , in./sec	Δ <i>x</i> , in.
0.25	0.25	3.44	1.77	11.4	11.4	5.7	0.0014
0.50	0.25	10.15	5.24	33.7	45.1	28.2	0.007 1
0.75	0.25	11.89	6.13	39.5	84.6	64.8	0.0 162
1.00	0.25	11.12	5.74	37.0	121.6	103.1	0.0258
1.25	0.25	9.25	4.76	30.6	152.0	131.9	0.0330
1.50	0.25	7.10	3.76	24.2	176.4	159.3	0.0398
1.75	0.25	5.23	2.69	17.3	193.7	185.0	0.0462
2.00	0.25	3.71	1.91	12.6	206.3	200.0	0.0500
2.25	0.25	2.58	1.34	8.6	214.9	210.6	0.0526
2.50	0.25	1.82	0.94	6.1	221.0	218.0	0.0545
2.75	0.25	1.39	0.72	4.6	225.6	223.3	0.0558
3.00	0.25	1.06	0.55	3.5	229.1	227.4	0.0569
4.00	1.00	2.34	0.97	6.2	235.3	232.2	0.2322
<b>5</b> .00	1.00	1.04	0.40	2.6	237.9	236.6	0.2366
6.00	1.00	0.40	0.09	0.6	238.5	238.2	0.2382

TABLE 3-1. RECOIL TRAVEL OF 20 mm GUN

$$Av = F_g \left(\frac{\Delta t}{M_r}\right) = \frac{g}{W_r} \left(F_g \Delta t\right) = \left(\frac{386.4}{60}\right) F_g \Delta t$$
$$= 6.44 F_g \Delta t \text{ in./sec}$$

where  $W_r$  = weight of recoiling parts

$$Ax = v_a \Delta t = \left(\frac{v_{(n-1)} + v}{2}\right) A t, \text{ in.}$$

The distance recoiled during the effective propellant gas pressure period

$$x_r = \Sigma \Delta x = 1.15$$
 in.

The recoil velocity at this time is  $\nu = 238.5$  in/sec (Table 3–1).

Three springs are in the system (Fig. 3–1). The bolt driving spring and barrel spring work in unison during recoil until the buffer spring is contacted; then all three work as a unit until the barrel and bolt come to a stop whereupon the bolt is latched, permitting the barrel

spring and buffer spring to force the barrel to counterrecoil. These two springs function as one until the buffer spring completes its short travel, thereafter the barrel spring alone continues to counterrecoil the barrel. Just as the barrel stops counterrecoiling, the bolt becomes unlatched and the driving spring closes it.

The energy of recoil is

$$E_r = \frac{1}{2} \left( \frac{W_r}{g} \right) v^2 = \frac{1}{2} \left( \frac{60}{386.4} \right) 56882$$
  
= 4416 in.-lb

where

$$g = 386.4 \text{ in./sec}^2$$

 $W_r$  = 60 lb, recoiling weight

$$v = 238.5$$
 in./sec, velocity of recoil

Preliminary estimates of recoil time must be available to determine the spring characteristics. After an approximate recoil time has been established, some of the data used in early calculations may be altered for greater accuracy. A reasonable approach is achieved by absorbing 75% of the recoil energy before the buffer is reached thereby reducing the recoil velocity by 50% during the same period. Assigning more energy within limits to the buffer will increase the firing rate and conversely, less energy absorbed by the buffer will decrease the firing rate. The energy to be absorbed by the buffer is

$$E_h = 0.25 E_r = 0.25 \times 4416 = 1104 \text{ in.-lb}$$

The recoil velocity as the buffer is contacted becomes

$$v_b = \sqrt{\frac{2E_b}{M_r}} = \sqrt{\frac{2208 \times 386.4}{2208 \times 386.4}} = \sqrt{14220}$$
  
= 19.25 in./sec

The average force of the system which includes the driving, barrel, and buffer springs is

$$F_{as} = \frac{\epsilon E_b}{L_b} = \frac{0.5 \times 1104}{0.5} = 11041b$$

where  $L_b$  = length of buffer stroke.

For constant acceleration, the buffing time and therefore the compression time of the springs is

$$T_c = t_b = \frac{2L_b}{v_b} = \frac{2 \times 0.5}{119.25} = 0.0084 \text{ sec.}$$

The corresponding surge time is computed to be

$$T = \frac{T_c}{3.8} = \frac{0.0084}{3.8} = 0.0022 \text{ sec.}$$

From Eq. 2-67

$$K_b T = \frac{F_{as} + \frac{1}{2} \left( K_b L_b \right)}{1037}$$

 $1037 \times 0.0022 K_b = 1104 + 0.25 K_b$ 

$$K_b = \frac{1104}{2.031} = 543.6$$
 lb/in., combined spring constant

$$F_{mh} = F_{as} + 0.25 K_b = 1104 + 136 = 1240 \text{ lb}$$

$$F_{ob} = F_{as} - 0.25 K_b = 1104 - 136 = 968 \text{ lb.}$$

The new compression time of the springs, Eq. 2-23, becomes

$$T_c = \sqrt{\frac{\epsilon M_r}{K_b}} \cos^{-1} \frac{F_{ob}}{F_{mb}} = 0.0119 \times 0.675$$
  
= 0.0080 sec.

By repeating the above process,  $T_c$  remains at 0.0080 sec and  $K_b$  changes to 572 lb/in.

$$F_{mb} = F_{as} + \frac{1}{2} \left( K_b L_b \right) = 1104 + 143 = 12471b$$

$$F_{ob} = F_{as} - \frac{1}{2} \left( K_b L_b \right) = 1104 - 143 = 961 \text{ lb}$$

Assume constant deceleration, then the recoil time from the end of the accelerating period to buffer contact will be

$$t_r = \frac{2L_d}{v + v_b} = \frac{16.7}{238.5 + 119.25} = 0.0467 \text{ sec}$$

where 
$$L_d = L - L_b - x = 10.0 - 0.5 - 1.15 = 8.35$$
 in.

 $\nu$  = 238.5 in./sec, recoil velocity at end of acceleration

 $v_b = 119.25$  in./sec recoil velocity at start of buffing

The compression time of the springs includes the accelerating time and the buffing time.

$$T_c = t_a + t_r + t_b = 0.006 + 0.0467 + 0.008$$
  
= 0.0607 sec.

The corresponding surge time is

$$T = \frac{T_c}{3.8} = \frac{0.0607}{3.8} = 0.0160 \text{ sec.}$$

The average combined force of the driving and barrel springs, based on 75% recoil energy absorption, becomes

$$F_a = \frac{0.75 \,\epsilon E_r}{-L_d} = \frac{0.75 \times 0.5 \times 4416}{8.35} = 198.3 \,\text{lb}.$$

According to Eq. 2-67b,

$$K_s T = \frac{F_m}{1037} = \frac{F_a + \frac{1}{2} \left( K_s L_d \right)}{1037}$$

$$1037 \times 0.016 K_s = 198.3 + 4.175 K_s$$

$$K_s = \frac{198.3}{12.417} = 16.0 \,\text{lb/in}.$$

$$F_{ms} = F_a + 4.175 K_s = 198.3 + 66.8 = 265.1 \text{ lb}$$

$$F_{os} = F_{o} - 4.175 K_{s} = 198.3 - 66.8 = 131.5 \text{ lb}$$

From Eq.  $^{2-22}$  the time span between accelerating and buffing is

$$t_r = \sqrt{\frac{\epsilon M_r}{K_s}} \left( \sin^{-1} \frac{F_{ms}}{Z} - \sin^{-1} \frac{F_{os}}{Z} \right)$$
$$= 0.0697 \left( \sin^{-1} 0.8938 - \sin^{-1} 0.4434 \right)$$
$$= 0.0697 \times 0.647 = 0.0451 \text{ sec}$$

where 
$$Z = \sqrt{F_{os}^2 + \epsilon K_s M_r v_o^2} = \sqrt{87948} = 296.6$$
.

The new compression time becomes

$$T_c = t_a + t_b + t_b = 0.006 + 0.0451 + 0.008$$
  
= 0.0591 sec.

Repeating the above series of calculations has the time converging to  $t_r = 0.044$  sec, or  $T_c = 0.058$  sec and  $K_s = 16.7 \, \text{lb/in}$ . Before buffing, the driving and barrel

springs function as one spring. The combined minimum and maximum forces are

$$F_{os} = F_a - K_s \left(\frac{1}{2} L_d + x_r\right)$$
= 198.3 - 16.7(4.175 + 1.15) = 198.3 - 88.9
= 109.4 lb

$$F_{ms} = F_{os} + K_s L = 109.4 + 16.7 \text{ x } 10 = 276.4 \text{ lb}$$

The combined spring forces at end of acceleration period and at the beginning of buffing are

$$F'_{os} = F_{os} + K_s x_r = 109.4 + 16.7 \text{ x } 1.15 = 128.6 \text{ lb}$$

$$F'_{ms} = F_{ms} - K_s L_b = 276.4 - 16.7 \times 0.5 = 268 \text{ lb}$$

By setting the minimum driving spring force at  $F_o = 25$  Ib, the minimum barrel spring force becomes

$$F_{ot} = F_{os} - F_o = 109.4 - 25.0 = 84.4 \text{ lb.}$$

Maintain the same ratio between spring constants as for the initial forces. The driving and barrel spring constants become, respectively,

$$K = \left(\frac{F_o}{F_{os}}\right) K_s = \left(\frac{25}{109.4}\right) 16.7 = 3.8 \text{ lb/in}.$$

$$K_t = \left(\frac{F_{ot}}{F_{os}}\right) K_s = \left(\frac{84.4}{109.4}\right) 16.7 = 12.9 \,\text{lb/in}.$$

The corresponding maximum forces are, respectively,

$$F_m = F_0 + KL = 25 + 3.8 \times 10 = 631b$$

$$F_{mt} = F_{ot} + K_t L = 84.4 + 12.9 \times 10 = 213.4 \text{ lb.}$$

The spring constant of the buffer spring is

$$K_{hs} = K_h - K_s = 572 - 16.7 = 555.3 \, \text{lb/in}.$$

The buffer spring force at initial contact with recoiling parts is

$$F_{obs} = F_{ob} - F'_{ms} = 961 - 268 = 693 \text{ lb.}$$

At end of buffing, the maximum spring force is

$$F_{mhs} = F_{mh} - F_{ms} = 1247 - 276.4 = 970.6 \text{ lb.}$$

Table 3-2 lists design data and computed stresses for these three springs as well as for the springs of the three types of action employed in the short recoil gun. The calculations are based on the following formulas.

$$d = 0.27 \sqrt[3]{DKT}$$
, (Based on Eq. 2–67a)  
 $N = \frac{Gd^4}{8KD^3}$ , number of coils  
 $\tau = 2.55 \left(\frac{F_m D}{d^3}\right)$ , static shear stress  
 $\tau_d = T_c \left[f\left(\frac{T_c}{T}\right)\right]$ , dynamic shear stress  
 $H_s = dN$ , solid height

The available potential energy in the buffer spring for counterrecoil is

$$E_{bc} = \frac{e}{2} (F_{mbs} + F_{obs}) L_b = \frac{0.5}{2} (970.6 + 693) 0.5$$
  
= 208 in.-lb.

The available potential energy in the barrel spring for counterrecoil is

$$E_t = \frac{\epsilon}{2} (F_{mt} + F_{ot}) L = \frac{0.5}{2} (213.4 + 84.4) 10$$
  
= 744.5 in.-lb.

The potential energy of the barrel spring that augments the buffer spring is

$$\Delta E_t = \frac{5}{2} (F_{mt} + F'_{mt}) L_b = \frac{4}{2} (213.4 + 207) 0.5$$
  
= 52.6 in.-lb.

where

$$F'_{mt} = F_{mt} - K_t L_b = 213.4 - 12.9 \times 0.5 = 207 \text{ lb.}$$

The total energy of the counterrecoiling barrel at the end of buffer action becomes

$$E_{crh} = E_{hc} + \Delta E_t = 260.6 \text{ in.-lb.}$$

The corresponding velocity is

$$v_{crb} = \sqrt{\frac{2E_{crb}}{M_t}} = \sqrt{\frac{521.2 \times 386.4}{50}} = \sqrt{4028}$$

$$= 63.5 \text{ in/sec}.$$

The maximum energy of the counterrecoiling barrel is

$$E_{crt} = E_b + E_t = 208 + 744.5 = 952.5 \text{ in.-lb.}$$

The maximum velocity attained by the bolt in counterrecoil is

$$v_{crt} = \sqrt{\frac{2E_{crt}}{M_t}} = \sqrt{\frac{1905 \times 386.4}{50}} = \sqrt{14722}$$

$$= 121.3 \text{ in/sec.}$$

The maximum energy of the counterrecoiling bolt is

$$E_{crd} = \frac{\epsilon}{2} (F_m + F_o) L = \frac{0.5}{2} (63 + 25) 10$$
  
= 220 in.-lb.

The maximum velocity attained by the bolt in counterrecoil is

$$v_{cr} = \sqrt{\frac{2E_{crd}}{M_b}} = \sqrt{\frac{440 \times 386.4}{10}} = \sqrt{17002}$$

$$= 130.4 \text{ in/sec}$$

The time elapsed from the propellant gas period until the buffer is reached, obtained from Eq. 2-51, will be

$$t_r = \sqrt{\frac{\epsilon M_r}{K_s}} \left( \sin^{-1} \frac{F'_{ms}}{Z} - \sin^{-1} \frac{F'_{os}}{Z} \right)$$

$$t_r = 0.0682(\sin^{-1} 0.8904 - \sin^{-1} 0.4280)$$

$$= 0.0682(63.10 - 25.33)/57.3 = 0.045$$

where

$$F'_{os} = 128.6 \, \text{lb} \; ; \; F'_{ms} = 268 \, \text{lb}$$

$$\sqrt{\frac{\epsilon M_r}{K_s}} = \sqrt{\frac{0.5 \times 60}{16.7 \times 386.4}} = 0.068 \, \text{sec}$$

$$Z = \sqrt{(F'_{os})^2 + \epsilon K_s M_r v_o^2} = \sqrt{16538 \pm 73747}$$

$$= 301 \, \text{lb}$$

$$K_s = 16.7 \, \text{lb/in}.$$

$$E = 0.5$$

$$M_r v_o^2 = 2E_r = 8832 \, \text{in.-lb}$$

The time elapsed during buffing, Eq. 2-23, becomes

$$t_b = \sqrt{\frac{\epsilon M_r}{K_b}} \cos^{-1} \frac{F_{ob}}{F_{mb}}$$

$$= \sqrt{\frac{0.5 \times 60}{572 \times 386.4}} \cos^{-1} \frac{961}{1247}$$

$$= \sqrt{0.0001357} \cos^{-1} 0.7706 = 0.0116 \left(\frac{39.6}{57.3}\right)$$

$$= 0.008 \text{ sec.}$$

The time elapsed for counterrecoil at the end of buffer activity is obtained from Eq. 2-27.

$$t_{crb} = \sqrt{\frac{M_t}{\epsilon(K_{bs} + K_t)}} \quad \cos^{-1} \frac{F_{obs} + F'_{mt}}{F_{mbs} + F_{mt}}$$

$$= \sqrt{\frac{50}{0.5 \times 568.2 \times 386.4}} \quad \cos^{-1} \frac{900}{1184}$$

$$= 0.0214 \cos^{-1} 0.7601 = 0.0214 \left(\frac{40.53}{57.3}\right)$$

$$= 0.0151 \text{ sec.}$$

Compute the time elapsed for the barrel to negotiate the remaining distance in counterrecoil according to Eq. 2-26.

$$t_{crt} = \sqrt{\frac{M_t}{\epsilon K_t}} \left( \text{Sin}^{-1} \frac{-F_{ot}}{Z} - \text{Sin}^{-1} \frac{-F'_{mt}}{Z} \right)$$

$$= 0.1418 \left[ \text{Sin-'} (-0.3557) - \text{Sin-'} (-0.8723) \right]$$

$$= 0.1418 (339.17 - 299.27)/57.3 = 0.0987 \text{ sec}$$

where

$$\sqrt{\frac{M_t}{\epsilon K_t}} = \sqrt{\frac{50}{0.5 \times 12.9 \times 386.4}}$$
$$= \sqrt{0.0201} = 0.1418 \text{ sec}$$

$$Z = \sqrt{\left(F'_{mt}\right)^2 + \left(\frac{K_t}{\epsilon}\right) M v_{crb}^2}$$
$$= \sqrt{207^2 + \left(\frac{12.9}{0.5}\right) 521.6} = \sqrt{56306} = 237.3 \text{ lb}$$

The time elapsed for counterrecoil of the bolt, Eq. 2-27, is

$$t_{cr} = \sqrt{\frac{M_b}{\epsilon K}} \cos^{-1} \frac{F_o}{F_m}$$

$$= \sqrt{\frac{10}{0.5 \times 3.8 \times 386.4}} \cos^{-1} \frac{25}{63}$$

$$= \sqrt{0.01362} \cos^{-1} 0.3968$$

$$= 0.1167 \left(\frac{66.12}{57.3}\right) = 0.1347 \text{ sec.}$$

Time of cycle will be

$$t_c = t_a + t_r + t_b + t_{crb} + t_{crt} + t_{cr}$$

$$= 0.006 \pm 0.045 + 0.008 + 0.0151 \pm 0.0987 \pm 0.1347$$

$$= 0.3075 \text{ sec}$$

The rate of fire becomes

$$f_r = \frac{60}{t_c} = \frac{co}{0.3075} = 195 \text{ rounds/min.}$$

TABLE 3-2. SPRING DESIGN DATA OF RECOIL-OPERATED GUNS

Туре							Short Recoil			
Spring	Spring Long Recoil		Short Recoil			Bolt Buffer		<b>Bolt Accelerator</b>		
Data	Driving	Barrel	Buffer	Driving	Barrel	Buffer	Driving	Buffer	Driving	Barrel
K, 1b/in.	3.8	12.9	555.3	2.6	35.4	579.6	2.4	229.6	20	200
$F_m$ , 1b	63	213.4	970.6	53.1	159.4	1645.6	36	344	320	284
$T_c$ , msec	0.058	0.058	0.0080	0.0743	0.0165	0.0105	0.0529	0,0060	0.0347	0.0076
$(T_c/T)$	3.8	3.8	3.8	3.8	3.8	3.8	3.8	3.8	1.8	3.8
T, msec	0.0153	0.0153	0.0021	0.0196	0.0043	0.0028	0.0139	0.0016	0.0193	0.0020
D, in.	0.5	2.0	1.5	0.5	2.0	1.875	0.5	0.875	1.0	0.5
$D^3$ , in. <sup>3</sup>	0.125	8.0	3.375	0.125	8.0	6.592	0.125	0.766	1.0	0.125
DKT	0.0291	0,395	1.749	0.0255	0.304	3.043	0.0167	0.321	0.386	0.200
$\sqrt[3]{DKT}$	0.307	0.734	1.205	0.294	0.672	1.449	0.256	0.685	0.728	0.585
<b>d</b> , in.	0.083	0.199	0.325	0.079	0.181	0.391	0.069	0.185	0.196	0.158
$d^3 \times 10^3$ , in 3	0.572	7.880	34.33	0.493	5.930	59.78	0.329	6.331	7.530	3.944
$d^4 \times 10^4$ , in. <sup>4</sup>	0.475	15.68	111.6	0.390	10.73	233.7	0.227	11.71	14.76	6.232
G, kpsi	11.5	11.5	11.5	11.5	11.5	11.5	11.5	11.5	11.5	11.5
N	144	21.8	8.6	173	5.5	8.8	109	9.4	106	34
au , kpsi	140	138	108	137	137	132	139	118	109	92
$f(T_c/T)$	4	4	4	4	4	4	4	4	2	4
$\tau_d$ , kpsi	148	145	114	144	144	139	146	125	115	97
$H_s$ , in.	12.0	4.4	2.8	13.7	1.0	3.5	7.6	1.7	20.8	5.4

### 3-4 SHORT RECOIL DYNAMICS

The dynamics of the short recoil-operated gun approach those of the retarded blowback types more nearly than the long recoil. To eliminate all blowback tendencies, the bolt latch is not released until the propellant gas becomes ineffective. After unlatching, bolt and barrel continue recoiling, but as separate units. The barrel is arrested by the combined effort of the barrel spring and buffer. Having the same velocity of free recoil, but because it travels a much shorter distance than the bolt, the barrel will stop recoiling before the bolt. Both the bolt driving spring and buffer spring characteristics are determined from the recoil energy of the respective masses. The characteristics of the barrel spring are selected more arbitrarily but still must conform to the same initial load requirement as that for the long recoil barrel spring, i.e., sufficient to hold the barrel in battery.

## 3-5 SAMPLE PROBLEM - SHORT RECOIL MACHINE GUN

**3–5.1 SPECIFICATIONS:** Identical to long recoil problem (see par. 3–3.1)

#### 3-5.2 DESIGN DATA

L = 10 in., minimum bolt travel

 $W_h = 10 \text{ lb}$ , weight of bolt unit

 $W_t = 50$  lb, weight of barrel unit

E = 0.5, efficiency of spring system

The numerical integration of Table 3-1 also applies to this problem, therefore, the distance recoiled during the effective pressure period of this propellant gas,  $x_r = 1.15$  in. and the corresponding recoil velocity v = 238.5 in./sec. The recoil energy of the bolt is

$$E_{rb} = \frac{1}{2} \left( M_b v^2 \right) = \frac{1}{2} \left( \frac{10}{386.4} \right)$$
 56882 = 736 in.-lb.

The average force of the driving spring becomes

$$F_a = \frac{\epsilon E_{x,b}}{L - x_x} = \frac{0.5 \times 736}{10.0 - 1.15} = 41.6 \text{ lb.}$$

To be compatible with allowable stresses, the spring characteristics must conform to computed data obtained from Eqs. 2–23 and 2–67b. When based on constant deceleration, the time required to stop the bolt in recoil is

$$t = \frac{2(L - x_r)}{v_r} = \frac{2 \times 8.85}{238.5} = 0.0743 \text{ sec.}$$

Including the time of the effective gas period, the compression time of the driving spring is

$$T_c = t + t_a = 0.0743 + 0.006 = 0.0803 \text{sec}$$
.

The corresponding surge time will be

$$T = \frac{T_c}{3.8} = \frac{0.0803}{3.8} = 0.0211 \text{ sec.}$$

Apply Eq. 2-67b to compute the spring constant K.

$$KT = \frac{F_m}{1037} = \frac{F_a + \frac{1}{2} \text{ K(L} - x_r)}{1037}$$

$$21.881K = 41.6 + 4.425K$$

$$K = \frac{41.6}{17.456} = 2.4 \text{lb/in}.$$

$$F_m = F_a + 4.425K = 41.6 + 10.6 = 52.2$$
lb

$$F_o' = F_a - 4.425K = 41.6 - 10.6 = 31.0 \text{ lb}$$

The decelerating time, Eq. 2-23, is

$$t = \sqrt{\frac{\epsilon M_b}{K}} \cos^{-1} \frac{F_o'}{F_m} = \sqrt{\frac{0.5 \times 10}{2.4 \times 386.4}} \cos^{-1} \frac{31.0}{52.2}$$

 $= 0.0735 \times 0.935 = 0.0687 \text{sec.}$ 

The total compression time of the spring is

$$T_c = t + t_a = 0.0687 + 0.006 = 0.0747 \text{sec}$$

Adjust the time and recompute Eqs. 2-67b and 2-23, the time and spring constant coverge to t = 0.075 sec and K = 2.6 lb/in., respectively.

The maximum driving spring force  $F_m$  is

$$F_m = F_a + \frac{1}{2}K(L - x_r) = 41.6 + 11.5 = 53.1 \text{ lb.}$$

The driving spring force at x = 1.15 in. is

$$F_o' = F_m - K(L - x_r) = 53.1 - 23.0 = 30.1 \text{ lb.}$$

The initial driving spring force is

$$F_o = F_m - KL = 53.1 - 26.0 = 27.1 \text{ lb.}$$

According to Eq. 2-22 the time of bolt recoil is

$$t_r = \sqrt{\frac{\epsilon M_b}{K}} \cos^{-1} \frac{F'_o}{F_m}$$

$$= \sqrt{\frac{0.5 \times 10}{2.6 \times 386.4}} \cos^{-1} \frac{30.1}{53.1}$$

$$= \sqrt{0.004976} \cos^{-1} 0.5669 = 0.0706 \left(\frac{55.47}{57.3}\right)$$

$$= 0.0683 \text{ sec.}$$

According to Eq. 2-27, the time of bolt counterrecoil is

$$t_{cr} = \sqrt{\frac{M_b}{eK}} \cos^{-1} \frac{F_o}{F_m}$$

$$= \sqrt{\frac{10}{0.5 \times 2.6 \times 386.4}} \cos^{-1} \frac{27.1}{53.1}$$

$$= \sqrt{0.0199} \cos^{-1} 0.5104 = 0.1411 \left(\frac{59.3}{57.3}\right)$$

$$= 0.1459 \text{ sec.}$$

The time elapsed during bolt action may determine the firing rate, provided that the barrel returns to battery before the bolt recoils fully. The recoil energy of the barrel is

$$E_{rt} = \frac{1}{2} \left( M_t v^2 \right) = \frac{1}{2} \left( \frac{50}{386.4} \right) 56882$$
  
= 3680 in.-lb.

The average buffing force, to be approximately the same as for the long recoil, should have a buffer travel of  $L_b = 1.375$  in.

According to Eq. 2–16 the average spring force during buffing is

$$F_{ab} = \frac{\epsilon E_{rt}}{L_h} = \frac{0.5 \times 3680}{1.375} = 1338 \text{ lb.}$$

Assume constant deceleration so that the time needed to stop the barrel during recoil becomes

$$t_{rt} = \frac{2L_b}{v} = \frac{2.75}{238.5} = 0.0115 \text{ sec.}$$

This time is also the compression time  $T_c$  for the combined buffer and barrel springs. The surge time is

$$T = \frac{T_c}{3.8} = \frac{0.0115}{3.8} = 0.00302 \text{ sec.}$$

Apply Eq. 2-67b to solve for the spring constant and corresponding forces.

$$K_b T = \frac{F_{mb}}{1037} = \frac{F_{ab} + \frac{1}{2} \left( K_b L_b \right)}{1037}$$

$$3.132 K_b = 1338 + 0.688 K_b$$

$$K_b = \frac{1338}{2.444} = 547 \text{ lb/in.}$$

$$F_{mb} = 1338 + 0.688 K_b = 1338 + 376 = 1714 \text{ lb}$$

$$F_{ob} = 1338 - 0.688 K_b = 1338 - 376 = 962 \text{ lb}$$

The decelerating time, Eq. 2-23, will be

$$t = \sqrt{\frac{eM_t}{K_b}} \cos^{-1} \frac{F_{ob}}{F_{mb}}$$
$$= \sqrt{\frac{0.5 \times 50}{547 \times 386.4}} \cos^{-1} \frac{962}{1714}$$

 $= 0.0109 \times 0.975 = 0.0106 \text{ sec.}$ 

By repeated computation, the time and spring constant quickly converge.

$$t_{rt} = 0.0105 \text{ sec}$$

$$K_b = 615 \text{ lb/in}.$$

$$F_{ob} = F_{ab} - \frac{1}{2} \left( K_b L_b \right) = 1338 - 423 = 915 \text{ lb}$$
.

$$F_{mb} = F_{ob} + K_b L_b = 915 + 846 = 1761 \text{ lb}$$

To realize an acceptable firing rate, the barrel spring force at firing is set as  $F_{ot}$  = 70 lb, the initial barrel spring force

The compression time includes the propellant gas period and becomes

$$T_c = t_{rt} + t_a = 0.0105 \pm 0.006 = 0.0165 \text{ sec.}$$

The surge time T = 
$$\frac{T_c}{3.8}$$
 = 0.00434 sec.

The appropriate spring constant is computed from Eq. 2-67b.

$$1037K_t$$
 T =  $F_m = F_{ot} + K$ , L, =  $70 + 2.525 K_t$ 

where 
$$L_r = L_b + x_r = 1.375 + 1.15 = 2.525$$
 in.

$$K_{2} = \frac{70}{4.5 - 2.525} = \frac{70}{1.975} = 35.4 \text{ lb/in.}$$

The barrel spring force at end of recoil is

$$F_{mt} = F_{ot} + K_t L_t = 70 + 89.4 = 159.4 \text{ lb.}$$

The buffer spring constant is

$$K_{hs} = K_h - K_t = 615 - 35.4 = 579.6 \text{ lb/in.}$$

The barrel spring force at the end of the propellant gas period is

$$F_{th} = F_{ot} + K_t x_r = 70 + 35.4 \times 1.15 = 110.7 \text{ lb.}$$

The buffer spring force at the beginning of buffing is

$$F_{obs} = F_{ob} - F_{th} = 915 - 110.7 = 804.3 \text{ lb.}$$

The maximum buffer spring force is

$$F_{mbs} = F_{mb} - F_{mt} = 1761 - 159.4 = 1601.6 \text{ lb}.$$

The time of barrel recoil from Eq. 2-22 becomes

$$t_{rt} = \sqrt{\frac{\epsilon M_t}{K_b}} \cos^{-1} \frac{F_{ob}}{F_{mb}}$$

$$= \sqrt{\frac{0.5 \times 50}{615 \times 386.4}} \cos^{-1} \frac{915}{1761}$$

$$= \sqrt{0.000105} \cos^{-1} 0.5196 = 0.01025 \left(\frac{58.7}{57.3}\right)$$

$$= 0.0105 \text{ sec.}$$

The available energy released by the spring system at the end of buffer travel is

$$E_{crb} = \frac{\epsilon}{2} (F_{mb} + F_{ob}) L_b = \frac{0.5}{2} (1761 + 915) 1.375$$
  
= 920 in.-lb.

The counterrecoil velocity at the end of buffer action becomes

$$v_{crb} = \sqrt{\frac{2E_{crb}}{M_t}} = \sqrt{\frac{1840 \times 386.4}{50}} = \sqrt{14220}$$

= 119.2 in./sec.

The time consumed for counterrecoil by buffer action, **Eq. 2–27**, is

$$t_{crb} = \sqrt{\frac{M_t}{\epsilon K_b}} \cos^{-1} \frac{F_{ob}}{F_{mb}} = \sqrt{\frac{50}{0.5 \times 615 \times 386.4}} \cos^{-1} \frac{915}{1761}$$

= 
$$\sqrt{0.00042}$$
 Cos-' 0.5196 = 0.0205  $\left(\frac{58.7}{57.3}\right)$  = 0.0210 sec.

The time of counterrecoil for the remaining barrel travel of  $x_r = 1.15$  in. via Eq. 2–26 is

$$t_{crt} = \sqrt{\frac{M_t}{\epsilon K_t}} \left( \sin^{-1} \left( -\frac{F_{ot}}{Z} - \sin^{-1} \left( -\frac{F_{tb}}{Z} \right) \right) \right)$$

= 
$$0.0855$$
 [Sin-' (-0.1854) - Sin-' (-0.2934)]

$$= 0.0855 (349.32 - 342.93)/57.3 = 0.0095 sec$$

where 
$$\sqrt{\frac{M_t}{\epsilon K_t}} = \sqrt{\frac{50}{0.5 \times 35.4 \times 386.4}} = \sqrt{0.00731}$$
  
= 0.0855 sec

$$Z = \sqrt{F_{tb}^2 + \frac{K_t}{\epsilon} M v_{crb}^2}$$
$$= \sqrt{110.7^2 + \frac{35.4}{0.5}} \quad 1840$$
$$= 377.5 \text{ lb}$$

The time elapsed for the complete barrel cycle is

$$t_{ct} = t_a + t_{rt} + t_{crb} + t_{crt}$$
  
= 0.0060 \times 0.0105 \times 0.0210 + 0.0095  
= 0.0470 sec.

The time of the barrel cycle is considerably less than the recoil time of the bolt,  $t_r = 0.0683$  sec, and therefore has no influence on the firing cycle if its present operation remains undisturbed. The cyle time of the bolt is

$$t_c = t_a + t_r + t_{cr}$$
  
= 0.0060 + 0.0683 + 0.1459 = 0.2202 sec.

The firing rate is

$$f_r = \frac{60}{t_c} = \frac{60}{0.2202} = 272 \text{ rounds/min.}$$

This rate is faster than for long recoil  $(f_r = 195)$  but slower than the recoil-operated delayed blowback gun  $(f_r = 420)$ . The rate of the short recoil gun can be improved by resorting to a softer driving spring and the addition of a bolt buffer. The time of bolt travel will then be less in both directions thereby increasing the rate of fire. For example, to initiate the computations, select a driving spring having these preliminary characteristics:

 $F_o$  = 12 lb (2 lb greater than the 10 lb bolt weight)

K = 1.0 lb/in., preliminary spring constant

 $L_b = 0.5$  in., buffer travel

The driving spring force when the buffer is reached becomes

$$F_{db} = F_o + K(L - L_b) = 12 + 1 \times 9.5 = 21.5 \text{ lb.}$$

The initial driving spring force at x = 1.15 in. is

$$F = F_0 + Kx_r = 12 + 1.15 = 13.15 \text{ lb}$$

The energy absorbed during this period will be

$$E_d = \frac{1}{2\epsilon} (F + F_{db}) L_d = \frac{1}{2 \times 0.5} \left( 34.65 \right) 8.35$$
  
= 289 in.-lb

where

$$L_d = L - L_b - x_r = 10.0 - 0.5 - 1.15 = 8.35 \text{ in.}$$

The energy to be absorbed by the combined effort of buffer and driving springs is

$$E_b = E_{rb} - E_d = 736 - 289 = 447 \text{ in.-lb}$$

The velocity of the bolt as it contacts the buffer is also the buffer velocity  $v_h$  during recoil.

$$v_b = \sqrt{\frac{2E_b}{M_b}} = \sqrt{\frac{894 \times 386.4}{10}} = \sqrt{34544}$$

$$= 185.9 \text{ in./sec}$$

The time during this decelerating period, based on constant deceleration, is

$$t_d = \frac{2L_d}{v + v_h} = \frac{2 \times 8.35}{238.5 \text{ t } 185.9} = 0.0393 \text{ sec.}$$

Buffing time, based on constant deceleration, is

$$t_b = \frac{2L_b}{v_b} = \frac{2 \times 0.5}{185.9} = 0.0054 \text{ sec}$$

The total time of driving spring compression will be

$$T_c = t_a + t_d + t_h = 0.0507 \text{ sec.}$$

The spring surge time  $T = \frac{T_c}{3.8} = 0.0133 \text{ sec.}$ 

The required spring constant that supersedes the preliminary K = 1.0 is computed from Eq. 2-67b.

$$KT = \frac{F_m}{7037} = \frac{F + KL_d}{7037} = \frac{13.2 + 8.35K}{1037}$$

$$K = \frac{13.2}{13.79 - 8.35} = 2.4 \text{ lb/in}.$$

The spring forces at the limits of  $L_d$  are

$$F_d = F_o + Kx_r = 12.0 + 2.4 \times 1.15 = 14.8 \text{ lb}$$

$$F_{dh} = F_0 + K(L - L_h) = 12.0 + 2.4 \times 9.5 = 34.8 \text{ lb.}$$

The time for this driving spring to compress from the propellant gas period to the buffer is obtained from Eq. 2–22.

$$t_d = \sqrt{\frac{eM_b}{K}} \left( \sin^{-1} \frac{F_{db}}{Z} - \sin^{-1} \frac{F_d}{Z} \right)$$
  
= 0.0735  $\left( \sin^{-1} 0.7807 - \sin^{-1} 0.3318 \right)$   
= 0.0735  $\left( 51.18 - 19.28 \right) / 57.3 = 0.0409 \text{ sec}$ 

where

$$\sqrt{\frac{eM_b}{K}} = \sqrt{\frac{0.5 \times 10}{2.4 \times 386.4}} = \sqrt{0.00539} = 0.0735 \text{ sec}$$

$$Z = \sqrt{F_d^2 + \epsilon K M_b v^2}$$

$$= \sqrt{219 + 0.5 \times 2.4 \times 1472} = 44.6 \text{ lb}$$

$$M_b v^2 = 2E_{rb} = 1472in.-lb.$$

 $t_d$  is somewhat higher than the initial  $T_c$ = 0.0507 sec. Repeating the computation establishes these values. To continue the analysis of the spring system, compute the energy to be absorbed by the buffer system

$$E_b = E_{rb} - \left(\frac{F_d + F_{db}}{2\epsilon}\right) L_d = 736 - 414 = 322 \text{ lb}$$

where

$$L_d = 8.35 \text{ in.}$$

$$E = 0.5$$

The average buffer spring system is

$$F_{as} = \frac{\epsilon E_b}{L_b} = \frac{0.5 \text{ X}322}{0.5} = 322 \text{ lb.}$$

The velocity at buffer contact is

$$v_b = \sqrt{\frac{2E_b}{M_b}} = \sqrt{\frac{644 \times 386.4}{10}} = \sqrt{24884}$$
  
= 157.7 in/sec.

For constant deceleration, the time of buffer action in recoil and also the compression time of the spring is

$$T_c = t_b = \frac{2L_b}{v_b} = \frac{2 \times 0.5}{157.7} = 0.0063 \text{ sec.}$$

The surgetime  $T = \frac{T_c}{3.8} = 0.0016$  sec.

Iterative computation has the spring characteristics converging rapidly. The computed buffer time, according to the procedure which follows, was 0.006 sec. Thus  $T_c = t_b = 0.006$  sec and T = 0.00158 sec.

The spring constant is computed from Eq. 2-67b.

$$K_b T = \frac{F_m}{1037} = \frac{F_{as} + \frac{1}{2} (L_b K_b)}{1037} = \frac{F_{as} + 0.25 K_b}{1037}$$

$$1037 \times 0.00158 K_h = 322 + 0.25 K_h$$

$$K_b = \frac{-322}{1.388} = 232 \text{ lb/in}.$$

$$F_{oh} = 322 - 0.25 K_h = 264 \text{ lb}$$

$$F_{mh} = 322 + 0.25 K_h = 380 \text{ lb.}$$

According to Eq. 2-23, the buffing time will be

$$t_b = \sqrt{\frac{\epsilon M_b}{K_b}} \cos^{-1} \frac{F_{ob}}{F_{mb}}$$

$$= \sqrt{\frac{0.5 \times 10}{232 \times 386.4}} \cos^{-1} \frac{264}{380}$$

$$= 10^{-3} \sqrt{55.78} \cos^{-1} 0.6947 = 0.00747 \times 0.803$$

$$= 0.0060 \sec$$

which verifies that  $t_b = 0.0060$  sec and fixes the spring constant at  $K_b = 232$  lb/in. The spring constant of the buffer spring alone becomes

$$K_{bs} = K_b - K = 232 - 2.4 = 229.6 \text{ lb/in}.$$

$$F_{obs} = F_{as} - 0.25 K_b - F_{db} = 322 - 58 - 34.8$$
  
= 229.2 lb

$$F_{mbs} = F_{obs} + K_{bs} L_b = 229.2 + 114.8 = 344 \text{ lb.}$$

The recoil time of the bolt and, therefore, the compression time of the driving spring is

$$t_{rb} = t_a + t_d + t_b = 0.0060 + 0.0409 + 0.0060$$
  
= 0.0529 sec.

The time of bolt return from buffing action, Eq. 2-27, is

$$t_{crb} = \sqrt{\frac{M_b}{\epsilon K_b}} \cos^{-1} \frac{F_{ob}}{F_{mb}} - 0.0149 \times 0.803$$
  
= 0.012sec.

The energy of the moving bolt at the end of buffer return is

$$E_{crb} = \frac{\epsilon}{2} (F_{ob} + F_{mb}) L_b = \frac{0.5}{2} (380 + 264) 0.5$$
  
= 80.5in.-lb.

The time elapsed for completing the bolt return, **Eq.** 2-26, becomes

$$t_{cr} = \sqrt{\frac{M_b}{\epsilon K}} \left( \sin^{-1} \frac{-F_o}{Z} - \sin^{-1} \frac{-F_{db}}{Z} \right)$$

$$= \sqrt{\frac{10}{0.5 \times 2.4 \times 386.4}} \left( \sin^{-1} \frac{-12}{44.54} - \sin^{-1} \frac{-34.8}{44.54} \right)$$

= 0.1468 (344.37-308.62)/57.3 = 0.0916 sec

where

$$Z = \sqrt{F_{db}^2 + \left(\frac{K}{\epsilon}\right) M \nu_{crb}^2} = \sqrt{34.8^2 + \left(\frac{2.4}{0.5}\right) 161}$$
$$= \sqrt{1984} = 44.54 \text{ lb.}$$

$$Mv_{crb}^2 = 2E_{crb} = 161 \text{ in.-lb.}$$

Time of the complete cycle is

$$t_c = t_a + t_d + t_b + t_{crb} + t_{cr}$$
  
= 0.0060+ 0.0409+ 0.0060+ 0.0120+ 0.0916  
= 0.1565 sec.

The rate of fire is

$$f_r = \frac{60}{t_c} = \frac{60}{0.1565} = 383 \text{ rounds/min.}$$

This rate is an increase of 28% over the rate of the gun which does not have a buffer for the bolt.

#### 3-6 ACCELERATORS

Recoil-operated machine guns are relatively slow firing because of their slow response to the propellant gas forces. This slow response is due primarily to the large inertial resistance that must be overcome while accelerating the recoiling parts. The entire dynamics structure depends on the velocity of free recoil; the higher the velocity, the higher the rate of fire, but the velocity of free recoil can be influenced only by the mass of the recoiling parts which, for any given gun, is usually limited by structural requirements. High speeds. therefore, must be gained by other means. One of these, as demonstrated in the preceding problem, involves the arrangement of springs whereby somewhat faster action develops by delaying large energy absorption until the buffer is reached. This constitutes the extent of control over firing rates of long recoil guns. However, for short recoil guns, higher rates can be achieved by installing accelerators.

An accelerator, Fig. 3-3, is merely a rotating cam arranged to transfer, over a short distance, some momentum from the rest of the recoiling parts to the bolt, thus augmenting its velocity. At any given instant, the cam and the two masses represent a rotating system. From the law of conservation of angular momentum, the total remains unchanged after an exchange of momentums.

$$r_t M_t \nu + r_b M_b \nu = r_t M_t \nu_t + r_b M_b \nu_b$$
 (3-1)

where g = acceleration of gravity  $M_b = \frac{W_b}{g}, \text{ mass of bolt}$ 

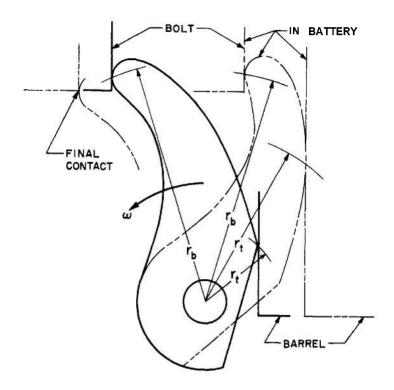


Figure 3-3. Accelerator Geometry

 $M_t = \frac{W_t}{g}$ , mass of barrel and components

 $r_b = \text{cam radius to contact point on bolt}$ 

 $r_t$  = cam radius to contact point on barrel

ν = velocity of recoiling parts just prior to accelerator action

 $v_b$  = velocity of bolt after accelerator action

 $v_t$  = velocity of barrel and components

 $W_b$  = weight of bolt

 $W_t$  = weight of barrel and components

At the instant of parting from the accelerator, the bolt has acquired a velocity higher than the recoiling barrel. Solving for  $v_b$  Of Eq. 3–1

$$v_b = \frac{M_t(v - v_t)}{R_c M_b} + v \tag{3-2}$$

where 
$$R_c = \frac{r_b}{r_t}$$
.

The law of conservation of energy also applies.

$$\frac{1}{2} \left( M_t + M_b \right) v^2 = \frac{1}{2} \left( M_t v_t^2 \right) + \frac{1}{2} \left( M_b v_b^2 \right) \quad (3-3)$$

By substituting the expression for  $v_{b_t}$  Eq. 3–2, into Eq. 3–3 and collecting terms, we will have a quadratic equation having  $v_t$  as the only unknown. The solution for  $v_t$  in general terms is too unwieldy and hence not shown. A specific solution is demonstrated in the sample problem.

Other unknown factors are the energy absorbed by the driving and buffer springs and the subsequent change in recoil velocity while the accelerator functions. The procedure for computing these factors is interative. A specific analysis demonstrates this procedure far more readily than a general solution. If follows in the sample problem.

## 3-7 SAMPLE PROBLEM - ACCELERATOR

**3–7.1 SPECIFICATIONS:** Identical to long recoil problem (see par. 3–3.1)

#### 3-7.2 DESIGN DATA:

L = 10 in., minimum bolt travel distance

 $W_h = 10 \text{ lb}$ , weight of bolt unit

 $W_{\star} = 50 \text{ lb}$ , weight of barrel unit

e = 0.5, efficiency of spring system

Table 3-3 has the numerical integration for a recoiling weight of 60 lb. The buffer or barrel spring and driving springs resist recoil from the start but are measureably effective only after 1/2 inch of recoil. The buffer spring is not compressed on installation. The accelerator (Fig.

3-3) is so designed that at final contact with the bolt, the bolt has moved 0.56 in., and the barrel, 0.28 in. The radii to the two contact points at this time, are

 $r_b = 0.90 \text{ in. when } \Delta x_b = 0.56 \text{ in.}$ 

 $r_t = 0.25$  in. when  $\Delta x_t = 0.28$  in.

$$R_c = \frac{r_b}{r_b} \quad 3.6$$

At the end of the propellant gas period, when t = 6 msec, the barrel has recoiled  $x_r = 1.14$  in. and has a velocity of free recoil  $v_f = v = 234.1$  in./sec. A preliminary analysis, conducted by the same procedure that follows showed that the transfer of momentum to the bolt caused the barrel to reverse its direction of motion. Also, appropriate spring constants were selected.

K = 20 lb/in., driving spring constant

 $K_t = 200 \text{ lb/in.}$ , barrel spring constant

TABLE 3-3. RECOIL TRAVEL OF 20 mm GUN EQUIPPED WITH ACCELERATOR

t, msec	$\Delta t$ , msec	$A_i$ , lb-sec/in. <sup>2</sup>	FAt, lb-sec	$\Delta  u$ , in./sec	ν, in./sec	v <sub>a</sub> , in./sec	$\Delta x$ , in.
0.25	0.25	3.44	1.77	11.4	11.4	5.7	0.0014
0.50	0.25	10.15	5.24	33.7	45.1	28.2	0.007 1
0.75	0.25	11.89	6.13	39.5	84.6	64.8	0.0 162
1.00	0.25	11.12	5.74	37.0	121.6	103.1	0.0258
1.25	0.25	9.25	4.76	30.6	152.0	131.9	0.0330
1.50	0.25	7.10	3.76	24.2	176.4	159.3	0.0398
1.75	0.25	5.23	2.69	17.3	193.7	185.0	0.0462
2.00	0.25	3.71	1.91	12.6	206.3	200.0	0.0500
2.25	0.25	2.58	1.34	8.6	214.9	210.6	0.0526
2.50	0.25	1.82	0.94	6.1	221.0	218.0	0.0545
2.75	0.25	1.39	0.72	4.6	225.6	223.3	0.0558
3.00	0.25	1.06	0.55	3.5	229.1	227.4	0.0569
3.263	0.263	1.00	0.52*	3.3	232.4	230.8	0.0607
4.00	0.737	1.34	0.40*	2.6	235.0	233.7	0.1711
5.00	1.00	1.04	0.12*	0.8	235.8	235.4	0.2354
6.00	1.00	0.40	-0.27*	<del>-</del> 1.7	234.1	235.0	0.2350

<sup>\*</sup>Reduced by resistance of springs

$$x_r = \Sigma \Delta x = 1.14 \text{ in.}$$

The energy absorbed by the springs during the bolt acceleration period reduced the recoil velocity to 225.4 in./sec. This velocity was obtained by iterative computation. The energy absorbed by the barrel spring is

$$\Delta E_t = \left(\frac{F_t + F_{mt}}{2\epsilon}\right) \Delta x_t = \left(\frac{228 + 284}{2 \times 0.5}\right) 0.28$$
= 143 in.-lb

 $F_t = K_t x_r = 200 \times 1.14 = 228 \text{ lb, barrel spring force}$ at beginning of accelerator action

 $F_{mt} = K_t(x_t + Ax)$  = 200(1.14 + 0.28) = 284 lb barrel spring force at end of barrel travel

E = 0.5, efficiency of spring system.

The two preceding sets of calculations had the energy absorbed by the driving spring equalling 3948 and 3923 in.-lb, respectively. With the average E = 3936 in.-lb, the average driving spring force over the remaining recoil distance becomes

$$F_a = \frac{\epsilon E}{L_{dr}} = \frac{0.5 \times 3936}{8.3} = 237 \text{ b}$$

where

$$L_{dr} = L_d - x_r - \Delta x_b = 10.0 - 1.14 - 0.56 = 8.3 \text{ in.}$$

The driving spring force at the end of acceleration is

$$F_e = F_a - \frac{1}{2} \left( K L_{dr} \right) = 237 - 83 = 1541b.$$

The driving spring force at the end of recoil is

$$F_m = F_a + \frac{1}{2} \left( KL_{dr} \right) = 237 + 83 = 320 \text{ ib.}$$

The driving spring force at assembly is

$$F_0 = F_m - KL_d = 320 - 200 = 120 \text{ lb.}$$

The energy absorbed by the driving spring force during acceleration is

$$\Delta E_i = \left(\frac{F_e + F}{2\epsilon}\right) \Delta x_b = \left(\frac{154 + 143}{2 \times 0.5}\right) 0.56$$

$$= 166 \text{ in-lb}$$

where 
$$F = F_o + Kx$$
, = 120 + 20 x 1.14 = 143 lb.

The total recoil energy is

$$E_r = \frac{1}{2} \left( \frac{W_t + W_b}{386.4} \right) v_f^2 = \frac{60 \times 54803}{772.8} = 4255 \text{ in.-lb.}$$

The energy remaining in the moving parts is

$$E = E_r - \Delta E_t - \Delta E_b = 4255 - 143 - 166$$
  
= 3946 in.-lb.

The corresponding velocity becomes

$$\nu = \sqrt{\frac{2E}{M_r}} = \sqrt{\frac{7892 \times 386.4}{60}} = \sqrt{50824}$$
$$= 225.4 \text{ in./sec}$$

$$v_b = \frac{M_t (v - v_t)}{R_c M_b} + v = \frac{50 (225.4 - v_t)}{3.6 \times 10} + 225.4$$
$$= 538.5 - 1.39 v_t$$

$$v_h^2 = 289982 - 1497.0v_t + 1.932v_t^2$$

To solve for  $\nu_{t_i}$  multiply all terms by g and equate the equivalent energies

$$gE = \frac{1}{2} \left( W_t v_t^2 \right) + \frac{1}{2} \left( W_b v_b^2 \right)$$

386.4 x 3946 = 25 
$$v_t^2$$
 + 5 (289982 - 1497  $v_t$  + 1.932  $v_t^2$ )

$$v_t^2 - 215.95 v_t - 2158.8 = 0$$
 $v_t = -9.57 \text{ in./sec.}$ 

The low negative velocity indicates a direction change near the end of the accelerating process.

$$v_h = 538.5 - 1.39v_t = 538.5 \pm 13.3 = 551.8 \text{ in./sec.}$$

Compute the energy of bolt and barrel

$$E_b = \frac{1}{2} \left( M_b v_b^2 \right) = \left( \frac{10}{772.8} \right) 304483 = 3940 \text{ in.-lb}$$

$$E_t = \frac{1}{2} \left( M_t v_t^2 \right) = \left( \frac{50}{772.8} \right) 92 = 6 \text{ in.-lb}$$

$$E = E_h + E_f = 3946 \text{ in.-lb}$$

This energy compares favorably with the earlier computed energy of 3946 in.-lb thereby rendering the last computed data substantially correct.

The time of bolt acceleration period is

$$t_{ab} = \frac{2\Delta x_{b}}{\nu + \nu_{b}} = \frac{2 \times 0.56}{225.4 + 551.8} = \frac{1.12}{777.2}$$
  
= 0.0014 sec.

The time of bolt decelerating period during recoil, Eq. 2-23, is

$$t_{rb} = \sqrt{\frac{\epsilon M_b}{K}} \cos^{-1} \frac{F_e}{F_m}$$

$$= \sqrt{\frac{0.5 \times 10}{20 \times 386.4}} \cos^{-1} \frac{154}{320}$$

$$= \sqrt{0.000647} \cos^{-1} 0.4812 = 0.0254$$

$$= 0.0271 \text{ sec.}$$

The time elapsed during recoil, which is the compression time of the barrel spring, is

$$t_{hr} = t_{ah} + t_a = 0.0014 + 0.0060 = 0.0074 \text{ sec}$$

where  $t_a = 0.0060$  sec, the propellant gas period.

The time elapsed during bolt recoil, which is the compression time of the driving spring, is

$$t_r = t_{br} + t_{rb} = 0.0074 + 0.0271 = 0.0345 \text{ sec.}$$

The time for the bolt to return as far as the latched barrel, Eq. 2-27, is

$$t_{crb} = \sqrt{\frac{M_b}{eK}} \quad \cos^{-1} \frac{F}{F_m}$$

$$= \sqrt{\frac{10}{0.5 \times 20 \times 386.4}} \quad \cos^{-1} \frac{148.4}{320}$$

$$= \sqrt{0.002588} \quad \cos^{-1} 0.4638$$

$$= 0.0508 \left(\frac{62.367}{57.296}\right) = 0.0553 \text{ sec}$$

where  $F = F_o + K(\Sigma \Delta x + \Delta x_t) = 120 + 20 \times 1.42$  = 148.4 lb, the driving spring force as the barrel latch is released.

The energy of the bolt at this time is

$$E_b = \epsilon \left(\frac{F_m + F}{2}\right) (L - \Sigma \Delta x - \Delta x_t)$$
= 0.5 \left(\frac{320 + 148.4}{2}\right) 8.58 = 1004.7 in.-lb.

The bolt velocity at barrel pick-up is

$$v_{crb} = \sqrt{\frac{2E_b}{M_b}} = \sqrt{\frac{2009.4 \times 386.4}{10}} = \sqrt{7764}$$

278.6 in./sec.

The velocity of all counterrecoiling parts after the barrel is engaged by the bolt, according to the conservation of momentum, is

$$v_{cr} = \frac{M_b v_{crb}}{M_r} = 10 \left( \frac{278.6}{60} \right) = 46.4 \text{ in./sec.}$$

With both springs acting as a unit, the combined spring constant is

$$K_{\rm c} = K \, {\bf t} \, K_{\rm f} = 20 \, {\bf t} \, 200 = 220 \, {\rm lb/in}.$$

The spring force at the time of impact is

$$F_s = F + F_{mt} = 148.4 + 284 = 432.4 \text{ lb.}$$

The spring force at the end of counterrecoil, since the barrel spring force reduces to zero, is

$$F_o = 120 \, \text{lb.}$$

According to Eq. 2-26, the time elapsed for completing the recoiling parts return is

$$t_{cr} = \sqrt{\frac{M_r}{\epsilon K}} \left( \sin^{-1} \frac{-F_o}{Z} - \sin^{-1} \frac{-F_s}{Z} \right)$$

$$= \sqrt{\frac{60}{9.5 \times 220 \times 386.4}} \left( \sin^{-1} \frac{-120}{578} - \sin^{-1} \frac{-432.4}{578} \right)$$

$$= 0.0376 \left( \frac{348.02 - 311.55}{57.3} \right) = 0.0239 \text{ sec.}$$

where

$$Z = \sqrt{F_s^2 + \frac{K}{\epsilon} \left( M_r v_{cr}^2 \right)}$$

$$= \sqrt{432.4^2 + \frac{220}{0.5} \left( \frac{.60}{386.4} \right) 2153}$$

$$= \sqrt{334070} = 578 \text{ lb.}$$

The time consumed for the firing cycle is

$$t_c = t_{dr} + t_{crb} + t_{cr}$$
  
= 0.0345 + 0.0553 + 0.0239 = 0.1137 sec.

The rate of fire

$$f_r = \frac{b0}{0.1137}$$
 -528 rounds/min.

Recapitulating, the firing rates of the various types of recoil-operated guns are shown in the table which follows. All guns are identical except for the type of automatic action.

Туре	Rate of Fire rounds/min		
Blowback	420		
Long Recoil	195		
Short Recoil (without bolt buffer)	272		
Short Recoil (without bolt buffer)	383		
Short Recoil (with accelerator)	528		

## 3-8 RATING OF RECOIL-OPERATED GUNS

The recoil-operated machine guns are idealy suited for large caliber weapons. Their inherent low rate of fire keeps them out of the small caliber field but, for large calibers, the firing rate is relatively high and therefore acceptable. Of the two types involved, the long recoil is superior to some extent although the short recoil has a higher firing rate. Both have the same range but the long recoil is more accurate because the high loading accelerations of the short recoil gun disturb the sighting. Also the higher accelerations require heavier feeders and correspondingly heavier associated parts. The large loads imposed to accelerate these components have a tendency to cause them to wear out faster, thus decreasing the reliability and durability of the weapon.

## CHAPTER 4

## **GAS-OPERATED WEAPONS**

#### 4-1 GENERAL REQUIREMENTS

Gas-operated automatic weapons are those weapons that have a gas driven mechanism to operate the bolt and its associated moving components. Except for the externally driven systems, all operating energy for automatic weapons is derived from the propellant gases. Nevertheless, gas-operated weapons are only those that draw a portion of the propellant gas through the barrel wall after the projectile has passed and then use this gas to activate a mechanism to retract the bolt. Timing and pressure are regulated by the location of the port along the barrel and by orifices restricting the gas flow. As soon as the projectile passes the port, propellant gases pour into the gas chamber and put pressure on the piston. The piston does not necessarily move at this time. Motion is delayed by bolt locks which are not released until chamber pressure has dropped to safe levels for cartridge case extraction.

#### 4-2 TYPES OF GAS SYSTEMS

There are four basic types of gas systems: impingement, tappet, expansion, and cutoff expansion.

a. Impingement System: has a negligible gas volume at the cylinder; expansion depending on piston motion. As the piston moves, gas continues pouring through the port until the bullet exits at the muzzle. With the subsequent drop in pressure in the bore, the gas in the cylinder may either reverse its flow and return to the bore or it may exhaust through ports in the cylinder wall as shown in Fig. 4–1. The duration

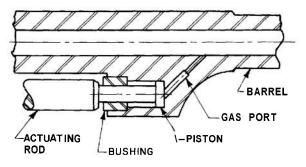


Figure 4-1. Impingement System

of the applied pressure is short, being dependent solely on the position of the gas port.

- b. Tappet System: an impingement system having a short piston travel. (See Fig. 4–7.) The pressure force imparts a relatively high velocity to the piston which moves the operating rod and bolt. The tappet travel is short and its motion ceases as it strikes the end of its cylinder.
- c. Expansion System: in contrast, has an appreciable initial volume in its expansion chamber which requires more time to pressurize the chamber, and also more time to exhaust the gas. By judicious selection of port size and location, the required pressurized gas can be drained from the bore.
- d. Cutoff Expansion: similar to the direct expansion type, except for a valve which closes the port after the piston moves. As the pressure builds up to a specific value, the piston moves, closing the port and leaving the gas to expand polytropically\* to provide the effort needed to operate the moving components of the bolt assembly. Fig. 4–2 shows a cutoff expansion system.

## 4-3 CUTOFF EXPANSION SYSTEM

## 4-3.1 MECHANICS OF THE SYSTEM

The final size and location of the gas port are determined by experimental firing. However, for initial design studies, tentative size and location may be computed. The acceleration of the moving parts of the gas-operated system may be expressed generally as

$$\frac{d^2s}{dt^2} = \frac{F}{M_o} = \left(\frac{A_c}{M_o}\right) p_c \tag{4-1}$$

<sup>\*</sup>Polytropic is the name given to the change of state in a gas which is represented by the general equation  $pV^k$  = constant.  $k = c_p/c_v$ , where  $c_p$  is the specific heat at constant pressure and  $c_v$  is the specific heat at constant volume. The specific heats vary with the temperature<sup>27</sup>.

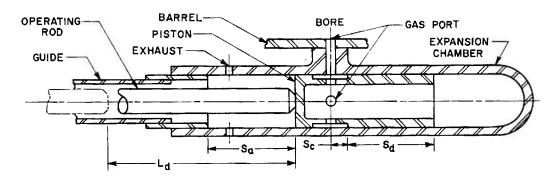


Figure 4-2. Cutoff Expansion System

where

Substitute for p in Eq. 4–1

A, = piston area

 $M_o$  = mass of accelerating parts of operating rod

 $p_c$  = pressure in the gas cylinder at any time

$$\frac{d^2s}{dt^2} = \frac{A_c p_1 s_o^k}{M_o} \left[ \frac{1}{(s_o + s)^k} \right]$$
 (4-3)

but

(4-2)

$$\frac{d^2s}{dt^2} = \frac{dv}{dt} = \left(\frac{ds}{dt}\right) \left(\frac{dv}{ds}\right) = v \left(\frac{dv}{ds}\right)$$

The gas expands polytropically so that

$$p_{c} = p_{1} \left( \frac{V_{1}}{V_{1} + A_{c}s} \right)^{k} = p_{1} \left( \frac{A_{c}s_{o}}{A_{c}s_{o} + A_{c}s} \right)^{k}$$

$$= p_{1} \left( \frac{s_{o}}{s_{o} + s} \right)^{k}$$
(4

Substitute  $v\left(\frac{dv}{ds}\right)$  for  $\frac{d^2s}{dt^2}$  and rearrange the

terms in Eq. 4-3. The expression for vdv appears in Eq. 4-4.

where

$$vdv = \frac{A_c p_1 s_o^k}{M_o} \left[ \frac{1}{(s_o + s)^k} \right] ds$$
 (4-4)

k = ratio of specific heats

 $p_1$  = initial pressure

s = travel distance of piston

 $s_0$  = initial distance equivalent to  $V_1$ 

 $V_1$  = initial gas volume

Now integrate Eq. 4-4.

$$v^{2} = \frac{2A_{c}p_{1}s_{o}^{k}}{(1-k)M_{o}} \left[ \frac{1}{(s_{o}+s)^{k-1}} \right] + C_{1}$$
 (4-5)

Solve for  $C_1$ 

$$C_1 = v_o^2 + \frac{2A_c p_1 s_o}{(k-1)M_o} \tag{4-6}$$

When s = 0,  $v = v_o$  generally, although  $v_o = 0$  before the *piston* begins *to* move.

$$v = \frac{ds}{dt} = \sqrt{\frac{2A_c p_1}{(k-1)M_o}} \left[ s_o - \frac{s_o^k}{(s_o + s)^{k-1}} \right] + v_o^2$$
 (4-7)

$$\frac{ds}{dt} - \sqrt{K_a} \left[ \frac{4}{s_o^{k-1}} - \frac{1}{(s_o + s)^{k-1}} \right] + v_i^2$$
 (4-8)

where

$$K_a = \frac{2A_c p_1 s_o^k}{(k-1)M_o}$$

$$dt = \sqrt{\frac{s_o^{k-1} (s_o + s)^{k-1}}{K_a \left[ (s_o + s)^{k-1} - s_o^{k-1} \right] + v_o^2 s_o^{k-1} (s_o + s)^{k-1}}} ds$$

$$= s_o^{(k-1)/2} \sqrt{\frac{\begin{pmatrix} 1+\frac{s}{s} \end{pmatrix}^{k-1}}{\begin{pmatrix} K_a & \left[\left(1+\frac{s}{s_o}\right)^{k-1} & -1\right] + \nu_o^2 s_o^{k-1} & \left(1+\frac{s}{s_o}\right)^{k-1}} ds}$$

$$(4-9)$$

Let  $a = 1 + \frac{s}{s_o}$ ;  $ds = s_o da$ 

$$dt = s_o^{(k+1)/2} \sqrt{\frac{a^{k-1}}{K_a(a^{k-1}-1) + v_o^2 s_o^{k-1} a^{k-1}}} da$$

$$dt = \frac{s_o^{(k+1)/2}}{\sqrt{K_a}} \frac{da}{\sqrt{1 - a^{1-k} + \nu_o^2 s_o^{k-1}/K_a}}$$
 (4-10)

Let 
$$B = 1 + \left(\frac{v_o^2}{K_a}\right) s_o^{k-1}$$

$$dt = \frac{s_o^{(k+1)/2}}{\sqrt{K_a}} \left[ B \left( 1 - \frac{a^{1-k}}{B} \right) \right]^{-1/2} da$$
 (4-11)

Expand according to the series  $(1 - x)^{-1/2}$ 

$$(1-x)^{-1/2} = 1 + \frac{1}{2}x + \frac{1}{2} \cdot \frac{3}{4}x^2 + \frac{1}{2} \cdot \frac{3}{4} \cdot \frac{5}{6}x^3$$

$$+ \frac{1}{2} \cdot \frac{3}{4} \cdot \frac{5}{6} \cdot \frac{7}{8}x^4 + \dots = A + A_1x + A_2x^2 + A_3x^3 + A_4x^4 + \dots$$
(4-12)

where  $A_1, A_2, A_3$ , etc., are coefficients of x of the expanded series.

Now let  $a^{1-k} = x$ 

$$dt = \frac{s_0^{(k+1)/2}}{\sqrt{K_a}} \left[ 1 + A_1 \frac{a^{(1-k)}}{B} + A_2 \frac{a^{2(1-k)}}{B^2} + A_3 \frac{a^{3(1-k)}}{B^3} + A_4 \frac{a^{4(1-k)}}{B^4} + \dots \right] da$$
 (4-13)

Now integrate

$$t = \frac{s_0^{(k+1)/2}}{\sqrt{\frac{k}{R_a^a}}} \left[ a + A_1 \frac{a^2 - k}{B(2-k)} + A_2 \frac{-2k}{B^2(3-2k)} + A_3 \frac{a^4 - 3k}{B^3(4-3k)} + A_4 \frac{-4k}{B^4(5-4k)} + \dots \right] + C_2$$
 (4-14)

when t = 0, s = 0 and a = 1.0, thus

$$C_2 = -\frac{s_o^{(k+1)/2}}{\sqrt{K_a}} \left[ 1 + \frac{A_1}{(2-k)B} + \frac{A_2}{(3-2k)B^2} + \frac{A_3}{(4-3k)B^3} + \frac{A_4}{(5-4k)B^4} + \dots \right]$$
 (4-15)

Before continuing with the analysis of the mechanics of the gas-operated system, several initial parameters must be established such as the characteristics of driving springs and buffers, time of recoil and counterrecoil, and port sizes and location. Since springs or their equivalent store energy for counterrecoil, they must be given the working capacity for reloading the gun and returning the recoiled parts in the prescribed time. Since the efficiency of the spring system involving recoil activity is relatively low in automatic guns, counterrecoil must necessarily take longer than recoil. Practice sets the preliminary estimate of counterrecoil time as

$$t_{cr} = 1.5t_r = 0.60t_c = \frac{36}{f_r} \sec$$
 (4-16)

where

 $f_r$  = firing rate, rounds/min

 $t_c$  = time of firing cycle, sec

 $t_{r}$  = time of recoil, sec

Driving and buffer springs, whether single springs or nests of two or more, are generally installed in series. The driving spring is the softer of the two and, during recoil, seats before the buffer springs begin to move. Its fully compressed load is less than the initial spring load of the buffers. Deflections are consistent with type, the driving spring has a large deflection whereas the much stiffer buffer springs deflect approximately 15% of the total recoil travel. In counterrecoil, the buffer springs complete their action first, then the driving spring continues the accelerating effort the rest of the way. Another proportion which must be considered during the preliminary design characteristics involves the ratio of counterrecoil energy contributed by the buffer springs to the total counterrecoil energy. A practical value is

$$\frac{E_{bc}}{E_{cr}} = 0.40. (4-17)$$

The counterrecoil velocity at the end of buffer spring action is computed from the kinetic energy equation.

$$v_{bc} = \sqrt{\frac{2 \times 0.4 E_{cr}}{M_r}}$$
 (4-18)

The velocity at the end of counterrecoil is computed similarly.

$$v_{cr} = \sqrt{\frac{2E_{cr}}{M_r}} \tag{4-19}$$

Now

$$\frac{v_{bc}}{v_{cr}} - \sqrt{0.4}$$
 or  $v_{bc} = 0.632v_{cr}$ . (4-20)

Based on average velocities, the time required to negotiate the buffer spring travel becomes

$$t_{bc} = \frac{2L_b}{v_{bc}} = \frac{3.16L_b}{v_{cr}} \tag{4-21}$$

where

 $L_b$  = travel of buffer spring.

The time required for the remaining counterrecoil travel is

$$t_{rs} = \frac{2L_d}{v_{bc} + v_{cr}} = \frac{1.225L_d}{v_{cr}}$$
 (4-22)

where

 $L_d$  = driving spring travel

The total time of counterrecoil is approximately  $t_{cr}$ .

$$t_{cr} = t_{bc} + t_{rs} = \frac{3.16 L_b + 1.225 L_d}{v_{cr}}$$
 (4-23)

Since  $t_{cr}$  is know, Eq. 4-16, the approximate maximum counterrecoil velocity is

$$v_{cr} = \frac{3.16L_b + 1.225L_d}{t_{cr}} \tag{4-24}$$

Sufficient data are now known so that, via Eq. 2–26, practical values of characteristics for the various springs can be estimated. Spring constants may vary greatly among those in the whole system but the loads should be reasonably proportioned. The minimum load on the driving spring should be 3 to 4 times the weight of the recoiling parts. The minimum load of the buffer springs in series should be equal and in turn should be about twice the fully compressed load of the driving spring.

## 4-3.1.1 Gas Filling Period

The time must also be computed during the period while the initial volume of the operating cylinder is being filled with propellant gas. The operating piston and rod begin to move as soon as the gas force is sufficient to overcome friction. According to the equation of gas flow through an orifice, the rate w of gas flow is <sup>7</sup>

$$w = CA_o p \sqrt{\left(\frac{g}{RT}\right) k \left(\frac{2}{k+1}\right)^{\frac{k+1}{k-1}}}, \text{lb/sec}$$

$$(4-25)$$

where

 $A_{,}$  = orifice area, in.<sup>2</sup>

C = orifice coefficient

g = 386.4 in./sec<sup>2</sup>, acceleration of gravity

k = ratio of specific heats

 $p = \text{pressure in reservoir. lb/in.}^2$ 

RT = specific impetus, ft-lb/lb

Eq. 4-25 is valid as long as the discharge pressure does not exceed the critical flow pressure. For gases, the critical flow pressure  $p_{CR}$  is

$$p_{cr} = 0.53p.$$
 (4-26)

All the values of Eq. 4-25 are usually known except for orifice area and pressure so the equation

may be simplified by substituting  $K_w$  for the product of C times the term under the radical of Eq. 4-25, i.e.,

$$w = K_w A_o p_a \tag{4-27}$$

where the pressure now becomes  $p_a$ , the average pressure over a time interval. The time intervals should be short in duration so that the spread of values is small between average pressure and the maximum and minimum values, thereby minimizing the errors introduced by pressure variations over the interval. The weight  $\Delta W_c$  of gas flowing into the operating cylinders during the time interval  $\Delta t$  is

$$A W_c = w \Delta t \tag{4-28}$$

Pressures are read from the pressure-time curve, the initial pressure being that corresponding to the position of the orifice in the barrel. A tentative location of the orifice may correspond approximately with bullet location when approximately 50 to 70 percent of its time in the barrel has elapsed. Pressures in the operating cylinder may be adjusted by increasing the orifice area for higher pressures or decreasing it for lower pressures. If higher pressures are needed but a larger orifice is not deemed wise, these higher pressures are available by locating the orifice nearer to the breech. Conversely, lower pressures are available by shifting the orifice toward the muzzle. In both alternatives, these latter effects follow the prescription only if the orifice size remains unchanged.

There are so many variables in this exercise that some values must be assigned arbitrarily in order to approach a practical solution. An initial close approximation of these assigned values saves considerable time, which emphasizes the value of experience. By the time that the gas operating mechanism is being considered, good estimates should have been made on the weights of the bolt and its related moving parts and on the travel distance of these components. With the help of these estimates and with Eqs. 4-16 through 4-24, the early characteristics of counterrecoil are determined to serve as data for determining the recoil characteristics. As the first step, let the accelerating distance of the gas piston be indicated by  $s_a$ .

$$s_a = 0.3(L_d + L_b) ag{4-29}$$

The velocity of recoil at the end of the gas piston stroke is a function of the counterrecoil velocity at the same bolt position. The two velocities are related by the efficiency of the spring system. The counterrecoil velocity at this position is determined from Eq. 2-24, thus

$$p_{cr} = \sqrt{v_{bc}^2 + \frac{F_m (L_d - s_a) - \frac{1}{2} K (L_d - s_a)^2}{M_r}}$$
(4-30)

At any given position, the energy remaining to be absorbed by the spring may be expressed generally as  $\epsilon E_r$ 

$$eE_r = \frac{e}{2} \left( M_r v_r^2 \right) = \begin{pmatrix} F_{rr} + F_{rr} \\ F_{rr} - F_{rr} \end{pmatrix} L. \tag{4-31}$$

At the same position during counterrecoil, the energy released by the spring is indicated by Eq. 4-32.

$$E_{cr} = \frac{1}{2} \left( M_r v_{cr}^2 \right) = E \left( \frac{F_r + F_o}{F_m + F_o} \right) L$$
 (4-32)

Solve for  $\frac{F_m + F_o}{2}L$  in Eq. 4-32 and substitute the appropriate terms in Eq. 4-31 to obtain Eqs. 4-33 and 4-34.

$$\frac{\epsilon}{2} \left( M_r v_r^2 \right) = \frac{1}{2\epsilon} \left( M_r v_{cr}^2 \right) \tag{4-33}$$

$$\nu_r = \frac{\nu_{cr}}{E} \tag{4-34}$$

The work done during a polytropic expansion of a gas is defined in Eq. 4-35.

$$W = \frac{p_1 V_1 - p_2 V_2}{k - 1} \tag{4-35}$$

where

k = ratio of specific heats

 $p_1$  = initial pressure

 $p_2$  = final pressure

 $V_1$  = initial volume of gas cylinder

 $V_2$  = final volume of gas cylinder

Since

$$p_2 = p_1 \left(\frac{V_1}{V_2}\right)^k$$

Eq. 4-35 may be written as

$$W = p_1 \left[ \frac{V_1 - \left(\frac{V_1}{V_2}\right)^k V_2}{k - 1} \right]$$
 (4-36)

(4-32) By assigning a value to the ratio  $\frac{V_2}{V_1}$  so that  $V_2 = \left(\frac{V_2}{V_1}\right) V_1$ , Eq. 4-36 may be written

$$W = \frac{p_1 V_1}{k-1} \left[ 1 - \left( \frac{V_1}{V_2} \right)^{k-1} \right] . \tag{4-37}$$

Experience has indicated that k = 1.3 and that the ratio  $\frac{V_1}{V^2} = \frac{3}{5}$  offers a practical beginning in the design study. Substitute these values in Eq. 4-37 to express the work done by the expanding gas so that

$$W = 0.473p_1 V_1 . (4-38)$$

This work is equal to the kinetic energy of the recoiling mass. By substitution, the expression for the energy in Eq. 4-38 becomes

$$\frac{1}{2} \left( M_r v_r^2 \right) = 0.473 p_1 V_1 \tag{4-39}$$

$$p_1 V_1 = 1.06 M_{\nu} v_{\nu}^2 . \quad \bullet \tag{4-40}$$

Neither  $p_1$  or  $V_1$  are known but gas volume and corresponding dimensions must be compatible with the dimensions of the gun. The initial pressure must be low enough to assure its attainability and still perform according to time limits. An initial pressure in the neighborhood of 1000 to 1500 psi is appropriate.

On the assumption that the preliminary design is completed to the extent that tentative sizes have been established and the gas port in the barrel located, the pressure in the operating cylinder becomes the primary concern. Note that before the bullet passes the port, the gas operating cylinder is empty. As soon as the bullet passes the port, gases pour into the cylinder and, when the pressure becomes high enough, the piston begins to move. However, a finite time is required, however small, for the gas to fill the cylinder. Also, the pressure in the bore is rapidly diminishing. For this reason, the pressure in the operating cylinder does not have sufficient time to reach bore pressure before cut off when the port is closed. The gas pressure in the operating cylinder is found by establishing a relationship between the gas weight in the cylinder and the total propellant gas weight, and between the cylinder volume and the effective volume of the bore. The effective volume assumes the barrel to be extended beyond the muzzle to correspond with pressure decay.  $V_b$  is the effective bore volume after the bullet leaves the barrel.

$$V_b = V_m \left(\frac{p_m}{p_a}\right)^{k_b} \tag{4-41}$$

where

k<sub>b</sub> = ratio of specific heats of propellant gas in bore, usually considered to be
1.2 as compared to 1.3 in operating cylinder since the two locations have different temperatures. See footnote, par. 4-3.1.

 $p_a$  = average propellant gas pressure

 $p_m$  = propellant gas pressure as bullet leaves muzzle

 $V_m$  = chamber volume plus total bore volume

The equivalent gas volume in the cylinder at  $p_a$  is shown as

$$V_e = \left(\frac{W_c}{W_g}\right) V_b \tag{4-42}$$

where

 $W_e = EAW_c$ , weight of gas in the cylinder

 $W_g$  = total weight of propellant gas

The gas pressure in the cylinder becomes

$$p_c = \left(\frac{V_e}{V_c}\right)^k p_a \tag{4-43}$$

where

k = ratio of specific heats in operating cylinder

p<sub>a</sub> = average bore pressure over a time increment

 $V_c$  = cylinder volume

The gas force applied to the piston in the operating cylinder

$$F_c = A_c p_c \tag{4-44}$$

The corresponding impulse  $F_c\Delta t$  is obtained by multiplying the gas force by the differential time, At. Since momentum and impulse are the same dimensionally, the change in velocity of the recoiling unit during any given increment becomes Av.

$$Av = \frac{F_c \Delta t}{M_r} \tag{4-45}$$

where

 $M_r$  = mass of the recoiling unit

The velocity v at the end of any given increment is the summation of the Av's.

$$v = \sum \Delta v = v_{n-1} + Av$$
 (4-46)

The distance s traveled by the operating unit at any given time of the  $s_i$ 

$$s = s_1 + s_2 + s_{n-1} = \frac{1}{2} (\Delta \nu \Delta t) + \nu_{n-1} \Delta t + s_{n-1}$$

$$(4-47)$$

and the corresponding gas volume in the cylinder is

$$V_c = V_{co} + A_c s.$$
 (4-48)

The entire computing procedure to arrange the dynamics of the recoiling system so that these data are compatible with counterrecoiling data is iterative and depends on the logical selection of initial values to hold the quantity of exploration to a minimum. Experience is the best guide in this respect but if lacking, definite trends in earlier computations should soon lead to the proper choice.

The initial orifice area is found by first solving for the weight of gas in the operating cylinder at cutoff and then, on the basis of average values, computing the area by Eq. 4-27. When the known or available values are substituted for the unkown in Eqs. 4-41, 4-42, 4-43, the solution for the weight of the gas becomes

$$W_{c} = W_{g} \left(\frac{V_{c}}{V_{m}}\right) \left(\frac{p_{c}^{1/k}}{p_{m}^{1/k_{b}}}\right) p_{a}^{(1/k_{b}-1/k)}$$
(4-49)

Select an initial value of the cylinder pressure  $p_c$ . Assume that it is the critical flow pressure, thereby fixing the average bore pressure  $p_a(p)$  in Eq. 4-26). Locate the pressure and the corresponding time on the pressure-time curve. Now measure the area under the pressure-time curve between the limits of the above time and when the bullet passes the gas port. The area divided by  $p_a$  gives the time needed to operate at the average pressure.

$$t = \frac{A_{pt}}{p_a} \tag{4-50}$$

where  $A_{nt}$  = area under pressure-time curve.

The rate of flow is now stated as

$$w = \frac{W_c}{t} \tag{4-51}$$

The orifice area A, may now be computed from Eq. 4–27.

$$A_o = \frac{w}{K_w p_a} = \frac{W_c}{K_w A_{pt}}$$
 (4-52)

## 4-3.1.2 Bolt Locking Cam

The cam that controls the locking and unlocking of the bolt is arranged for the bolt to be released completely only after the propellant gas pressure in the chamber is no longer dangerous and, conversely, completely locks the bolt before the chambered round is fired. In a gas-operated machine gun such as the 7.62 mm, M60, the operating rod moves a short distance before bolt pickup. During this traverse, about half its axial length, the cam has a shallow constant slope to insure a small angular bolt travel and thereby exposes only the high strength end of the case at its rim. The cam then follows a parabolic curve to complete the unlocking process. A bolt having two locking lugs generally turns about sixty degrees (Fig. 4-3).

To simplify the dynamics of cam operation, all components are assumed to be rigid so that transfer of momentum or energy from translation to rotation is made without considering the elasticity of the system. Therefore, as soon as the cam follower moves under the influence of the operating rod, the bolt immediately assumes the angular kinetics of the moving system. Linear velocity converted to angular velocity becomes

$$\omega = \left(\frac{v_o}{R_c}\right) \tan \beta$$
, rad/unit time (4–53)

where

R, = cam radius

v, = operating rod velocity immediately preceding cam action

 $\beta$  = cam rise angle

Apply the law of the conservation of momentum, thus

$$M_o v_o = M_o v + I_b \frac{\omega}{R_c}$$

$$= \left[ M_o + M_b \left( \frac{k^2}{R_c^2} \right) \tan \beta \right] v \quad (4-54)$$

where

I = mass moment of inertia of bolt

k = bolt polar radius of gyration

 $M_b$  = mass of bolt

 $M_Q$  = mass of operating rod assembly

v = axial linear velocity

Fig. **4–4** shows the accelerating force system involved in the cam dynamics. All forces and reactions are derived from the cam normal force and from the geometry of the bolt components.

 $F_L$  = transverse force on locking lug; reaction on bolt

N = cam normal force

 $N_a$  = axial force on cam and locking lug

 $N_c$  = tangential force on cam; reaction on

 $N_s$  = reaction normal force

R = bolt radius

 $R_c$  = cam radius

 $R_L$  = radius of locking lug pressure center

 $\lambda$  = locking lug helix angle

 $\mu_r$  = coefficient of rolling friction of cam

 $\mu_e$  = coefficient of sliding friction

 $\omega$  = angular velocity

From the geometry, the axial component of the normal cam force and the cam friction is

$$N_a = N(\sin\beta + \mu_r \cos p)$$
 (4-55)

Since the lug cam is analogous to a screw, the other forces and reactions are obtained by resolving the static forces accordingly. Let  $N_s$  be the reaction normal to the helix of the lug and  $\mu_s N_s$ , the frictional resistance. The axial component of these two forces is

$$N_{a} = N_{s}(\cos \lambda + \mu_{s}\sin \beta). \tag{4-56}$$

The inertia force of the operating rod and the axial cam force must balance the accelerating force, thus

$$F_c = M_o a + N(\sin\beta + \mu_r \cos\beta) \qquad (4-57)$$

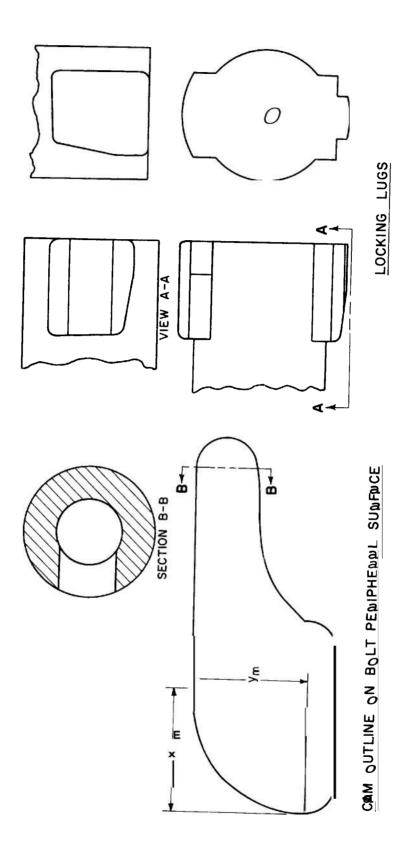


Figure 4-3. Rotating Bolt Lock and Activating Cam

where a = linear acceleration of locking lug.

The applied torque  $N_cR_c$  of the transverse cam force must balance the rotational inertia of the bolt, plus the induced torque of the lug, plus the two components of frictional resistance of the bolt.

$$N_c R_c = I_b \alpha - F_L R_L + \mu_s N_c R + \mu_s F_L R$$
 (4-58)

where

$$I_h$$
 = mass moment of inertia of bolt

$$N_c = N(\cos\beta - \mu_r \sin\beta)$$

$$F_L = N_s(\sin\lambda - \mu_s \cos\lambda)$$

$$I_b \alpha = M_b k^2 \left(\frac{a}{R_c}\right) \tan \beta$$

a = angular acceleration of bolt

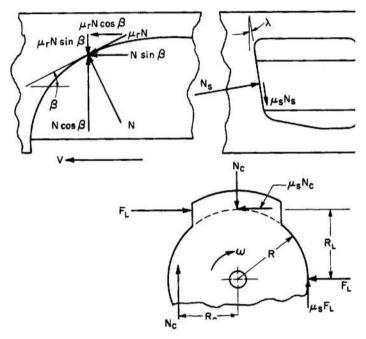


Figure 4-4. Force System of Bolt Cam

After these expressions are substituted into Eq. 4-58 and the terms collected, Eq. 4-59 may be compiled.

$$N(\cos\beta - \mu_r \sin\beta) \ (R_c - \mu_s R) = M_b \frac{k^2}{R_c} a \tan\beta - N_s (\sin\lambda - \mu_s \cos\lambda) \ (R_L - \mu_s R)$$
 (4-59)

Solve for  $N_s$  in terms of N via Eqs. 4-55 and 4-56.

$$N_s = N \left( \frac{\sin\beta + \mu_r \cos\beta}{\cos\lambda + \mu_s \sin\lambda} \right) \tag{4-60}$$

Substitute for  $N_s$  in Eq. 4-59, collect terms and solve for N.

$$N = M_b a \frac{k^2 \tan \beta}{R_c \left[ (R_c - \mu_s R) (\cos \beta - \mu_r \sin \beta) + C_{\lambda} (R_L - \mu_s R) (\sin \beta + \mu_r \cos \beta) \right]}$$
(4-61)

where

$$C_{\lambda} = \frac{\sin \lambda - \mu_s \cos \lambda}{\cosh + \mu_s \sin \lambda}$$

Now substitute for N in Eq. 4-57 so that

$$F = a \left\{ \begin{array}{ll} M_o + M_b & \frac{k^2 \tan \beta}{R_c \left[ \frac{(R_c - \mu_s R) (\cos \beta - \mu_r \sin \beta)}{\sin \beta + \mu_r \cos \beta} + C_\lambda (R_L - \mu_s R) \right]} \end{array} \right\}$$
(4-62)

For unlocking, F is the gas pressure force on the operating rod. It is the driving spring force during locking. The expression in the braces of Eq. 4-62 is equivalent to an effective mass  $M_e$ . Eq. 4-62 may now be written as

Both  $p_c$  and  $F_c$  may be found by assigning small increments to the operating rod travel s.

$$s = {}^{S}_{n-1} + A s \tag{4-65}$$

 $F_c = M_e a \tag{4-63}$ 

The average acceleration over the increment is

$$a = \frac{F}{M_{\odot}} \tag{4-64}$$

$$a_a = \frac{1}{2} (a_{n-1} + a_n) \tag{4-66}$$

The velocity at the end of each increment is obtained by first computing the energy  $E_o$  of the operating rod

During the unlocking period, the operating rod derives its accelerating force from the propellant gases which, after cutoff, expand polytropically. The pressure in the operating cylinder at a given position of the rod is computed according to Eq. 4-2 and the force according to Eq. 4-44.

$$E_{o} = E_{oi} + \Delta E_{o} = E_{o(n-1)} + \Delta E_{o}$$

$$= E_{o(n-1)} + \left[\frac{F_{c(n-1)} + F_{c(n)}}{2}\right] \Delta s \qquad (4-67)$$

$$p_{,} = p_{1} \left( \frac{s_{o}}{s_{o} + s} \right)^{k}$$
 (from Eq. 4–2)

where  $E_{oi}$  = energy of operating rod at gas cutoff

$$F_c = A_c p_c$$
 (from Eq. 4-44) then  $v = \sqrt{\frac{2E_o}{M_o}}$ .

$$v = \sqrt{\frac{2E_o}{M_o}} . ag{4-68}$$

The incremental time may be computed from the expression

$$\Delta s = v_{n-1} \, \Delta t_e + \frac{1}{2} \left( a_a \, \Delta t_e^2 \right). \tag{4-69}$$

Solving for At,, the incremental time of the gas expansion stroke becomes

$$\Delta t_e = -\frac{v_{n-1}}{a_n} \pm \sqrt{\left(\frac{v_{n-1}}{a_n}\right)^2 + \frac{2\Delta s}{a_n}}$$
 (4-70)

The time for the total gas expansion stroke is t,.

$$t_e = \Sigma \Delta t_e \tag{4-71}$$

During the locking period, the applied force is derived from the driving spring. The spring accelerating forces at any position of the operating rod when efficiency is considered is

$$F = \epsilon(F_i + Ks) = F_{n-1} + \epsilon K \Delta s \tag{4-72}$$

where

F<sub>i</sub> = initial driving spring force as bolt seats

 $F_{n-1}$  = spring accelerating force of previous increment

K = spring constant

s = operating rod travel after bolt seats

As = incremental operating rod travel

E = efficiency of the spring system

The breech end of the locking lugs carries the axial reaction on the bolt, thereby relieving the helix end of all loads during cam action. Therefore, in Eq. 4–62,  $\lambda = 0$ , and the effective mass becomes

$$M_{e} = M_{o} + M_{b} \left\{ \frac{k^{2} \tan \beta}{R_{c} \left[ \frac{(R_{c} - \mu_{s}R)(\cos \beta - \mu_{r} \sin \beta)}{\sin \beta + \mu_{r} \cos \beta} - \mu_{s}(R_{L} - \mu_{s}R) \right]} \right\}$$
(4-73)

Note that if the cam roller is not installed for either locking or unlocking, the Coefficient of rolling friction  $\mu_r$  changes to  $\mu_s$  the coefficient of sliding friction in Eqs. 4-62 and 4-73.

#### 4-3.1.3 Cam Curve

The cam curves on the breech end of the bolt are helices, usually having identical slopes. The straight slope merges smoothly with the parabolic curve which may be expressed as

$$y = Ax^2 + Bx + C. (4-74)$$

Locate the coordinate axes so that y = 0 when x = 0, thus C = 0 which reduces the equation to

$$y = Ax^2 - (4-75)$$

The slope of the curve is defined as

$$\frac{dy}{dx} - a \quad x \quad + \Rightarrow \tan \beta \tag{4-76}$$

when 
$$\mathbf{x} = 0$$
;  $\boldsymbol{\beta}_o = \boldsymbol{\beta}_o = \tan \boldsymbol{\beta}_o$ , and  $\boldsymbol{\beta} = \tan \boldsymbol{\beta}_o$ ,

the slope of the helix and therefore the slope of the parabola where it joins the helix. When x and y reach their respective limits, dimensions that have been assigned and then substituted in Eq. 4-75 will yield the value of the coefficient A.

$$A = \frac{y_m - Bx_m}{x_m^2}$$
 (4-77)

where

x, = axial length of the parabola (see Fig. 4-3)

 $y_m$  = peripheral width of the parabola (see Fig. 4-3)

From Eq. 4–62, the equivalent mass for the unlocking system is a constant when the cam action involves the helix. The values assigned to the parameters in the equation are:

k = 0.275 in., radius of gyration

R = 0.39 in., bolt radius

 $R_c$  = 0.32 in., cam radius

 $\mu_r = 0.034$  coefficient of rolling friction

 $\mu_s$  = 0.30 coefficient of sliding friction

 $\tan \beta_0 = 0.007465$ , slope of cam helix

 $R_L$  = 0.5 in., radius of locking lug

 $W_b = 0.75 \text{ lb, bolt weight}$ 

 $W_0$  = 2.5 lb, operating rod weight

 $\cos \beta_o = 0.999972$ 

 $\sin \beta_0 = 0.0074648$ 

 $\lambda = 3^{\circ}$ , slope of lug helix

$$M_{e} = \frac{1}{386.4} \left[ W_{o} + W_{b} - \frac{k^{2} \tan \beta_{o}}{R_{c} \left[ \frac{(R_{c} - \mu_{s}R) (\cos \beta_{o} - \mu_{r} \sin \beta_{o})}{\sin \beta_{o} + \mu_{r} \cos \beta_{o}} + C_{\lambda} (R_{L} - \mu_{s}R) \right] \right]$$

$$= \frac{1}{386.4} \left\{ 2.5 + 0.75 \left[ \frac{0.0756 \times 0.007465}{0.32 (0.203 \times 24.12 - 0.244 \times 0.383)} \right] \right\}$$

where

$$\frac{\cos\beta_o - \mu_r \sin\beta_o}{\sin\beta_o + \mu_r \cos\beta_o} = \frac{0.99997 - 0.00025}{0.00746 + 0.0340} = 24.12$$

$$C_{\lambda} = \frac{\sinh - \mu_{s} \cosh}{\cosh + \mu_{s} \sinh} = \frac{0.05234 - 0.29959}{0.99863 + 0.01570} = -0.244$$

$$M_e = \frac{2.5 + 0.75 \times 1.18 \times 10^{-4}}{386.4} = \frac{2.50001}{386.4} = 0.00647 \text{ lb-sec}^2/\text{in}.$$

The effective mass adds less than one percent to the operating rod mass as the cam follower progresses along the constant cam slope hence it need not be considered in the calculations until the parabolic curvature is reached. Because the entire bolt mass without modification was entered in the analysis of the period before gas cutoff, this analysis may be considered conservative. The effective mass while the cam follower negotiates the parabolic curvature of the cam for the unlocking process becomes (Eqs. 4–63 and 4–62)

$$M_e = 6.47 \times 10^{-3} + \frac{4.58 \times 10^{-4} \tan \beta}{0.203 \left(\frac{\cos \beta - 0.034 \sin \beta}{\sin \beta + 0.034 \cos \beta}\right) - 0.093}$$

The effective mass for the locking process is obtained from Eq. 4–73.

$$M_e = 6.47 \times 10^{-3} + \frac{4.58 \times 10^{-4} \tan \beta}{0.203 \left(\frac{\cos \beta - 0.034 \sin \beta}{\sin \beta + 0.034 \cos \beta}\right) - 0.115}$$

The straight slope of the cam is half the axial cam travel distance

$$x_c = \frac{1}{2} s_r = 0.5 \text{ in.}$$

$$x_m = s$$
, - s = 0.5 in., axial length of parabola

According to Eq. 4-76,  $B = \tan \beta_0 = 0.007465$ . The bolt must turn through an angle of  $60^{\circ}$  to unlock. The peripheral width of the parabola (see Fig 4-3) is

$$y_{m} = \left(\frac{60}{57.3} - B\right) R_{c} = 1.0397 \times 0.32 = 0.3327 \text{ in.}$$

From Eq. 4-77, the constant A is

$$A = \frac{y_m - Bx_m}{x_m^2} = \frac{0.3327 - 0.007465 \times 0.5}{0.25}$$
$$= 1.316/\text{in}.$$

The slope of the curve, **Eq.** 4-76, is

$$\tan \beta = \frac{dy}{dx} = 2.632x + 0.007465.$$

#### 4-3.2 SAMPLE PROBLEM FOR CUTOFF EXPANSION SYSTEM

#### 4-3.2.1 Specifications

Gun: 7.62 mm machine gun

Firing Rate: 1000 rounds/min

Interior Ballistics: Pressure vs Time, Fig. 4–5
Velocity vs Time, Fig. 4–5

#### 4-3.2.2 Design Data, Computed

The time for the firing cycle, from Eq. 2-29, is

$$t_c = \frac{60}{f_r} = \frac{60}{1000} = 0.060 \text{ sec.}$$

The counterrecoil time  $t_{cr}$ , Eq. 4-16, is

$$t_{cr} = 0.60 t_{c} = 0.036 \text{ sec.}$$

The recoil time

$$t_1 = t - t_2 = 0.060 - 0.036 = 0.024 \text{ sec.}$$

Fig. 4–6 shows a sketch of the various distances involved in the operation of the moving mechanisms during the firing cycle. These initial distances are based on those of an earlier gun.

 $d_c$  = 0.874 in., gas cylinder diameter

 $d_n = 0.135$  in., gas port diameter

 $L_b = 1.00$  in., buffer stroke

 $L_{b1}$  = 0.75 in., operating distance of primary buffer spring

 $L_{b2}$  = 0.25 in., operating distance of secondary buffer spring

 $L_d$  = 5.5 in., operating distance of operating rod spring

 $s_a = 2.0$  in., accelerating distance of gas piston

 $s_b$  = 4.5 in., distance of bolt retraction during recoil.

 $s_c = 0.20$  in., cutoff distance

 $s_d = 1.8$  in., dwell distance

s<sub>r</sub> = 1.00 in., operating rod travel before bolt pickup

 $V_o$  = 1.8 in.<sup>3</sup>, initial gas volume of operating cylinder

 $W_b = 0.75$  lb, weight of bolt

 $W_o = 2.5$  lb, weight of moving operating

 $W_r = W_b + W_o = 3.25 \text{ lb, weight of recoiling}$ parts

 $\epsilon$  = 0.50, efficiency of spring system

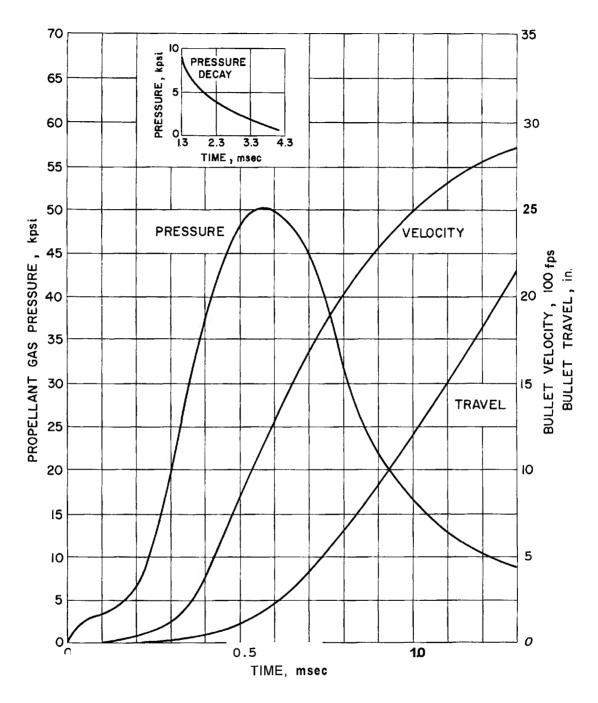


Figure 4-5. Pressure-time Curve of 7.62 mm Round

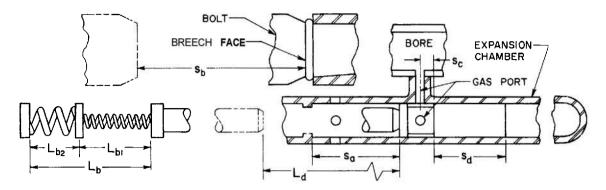


Figure 4-6. Operating Distances of Moving Parts

#### 4-3.2.3 Counterrecoil Computed Data

From Eq. 4-24 the approximate maximum counterrecoil velocity is computed to be

$$v_{cr} = \frac{3.16 L_b + 1.228 L_d}{t_{cr}} = \frac{3.16 + 6.75}{0.036}$$

$$= 275 \text{ in./sec.}$$

From Eq. 4-20 the approximate counterrecoil velocity at the end of buffer spring action becomes

$$v_{hc} = 0.632 v_{cr} = 174 \text{ in./sec.}$$

According to Eq. 2-24, by substituting  $F_a$  for  $\left(F_m - \frac{1}{2} Kx\right)$  and  $L_d$  for **x**, the expression  $L_d F_a$  is

$$L_d F_a = \frac{1}{\epsilon} \left[ \frac{1}{2} \left( M_r v_{cr}^2 \right) - \frac{1}{2} \left( M_r v_{bc}^2 \right) \right]$$

where  $v_{bc}$  is equivalent to  $v_o$  of Eq. 2-24.

 $F_a$  can now be determined.

$$M_r = \frac{w_r}{g}$$
  
 $g = 386.4 \text{ in./sec}^2$ , acceleration of gravity

$$L_d$$
 = 5.5 in., operating distance of spring  
 $5.5 F_a = \frac{1}{0.5} \left(\frac{1}{2}\right) \left(\frac{3.25}{386.4}\right) (75625 - 30276)$   
 $F_a$  = 69.3 lb

For the first trial a spring constant of 4 lb/in. was selected but proved to be too highly stressed. However, the first trial indicated a compression time of 16.6 msec. With an impact velocity above 25 ft/sec, the spring surge time is

$$T = \frac{T_c}{1.8} = \frac{0.0166}{1.8} = 0.0092 \text{ msec},$$

According to Eq. 2-67b,

$$KT = \frac{F_{m-}}{1037} = \frac{F_a + \frac{1}{2} \left( L_d K \right)}{1037}$$

$$0.0092K = \frac{69.3 + 2.75K}{1037}$$

$$K = 10.2 \, \text{lb/in}.$$

$$F_m = F_a + \frac{1}{2} \left( K L_d \right) = 69.3 + 28.1 = 97.4 \text{ lb}$$

$$F_o = F_m - KL_d = 97.4 - 56.1 = 41.3 \text{ lb.}$$

For the buffer springs in series, the spring constant  $K_b$  is

$$K_{\bullet} = 60 \, \text{lb/in}.$$

$$L_{h} = 1.0 \text{ in}.$$

$$\frac{1}{2}\left(M_r v_{bc}^2\right) = \frac{1}{2}\left(F_{mb}L_b\right) - \frac{1}{4}\left(K_b L_b^2\right)$$

where  $v_o = 0$ , at the start of counterrecoil

$$\frac{1}{2} F_{mb} = \frac{1}{2} \left( \frac{3.25}{386.4} \right) 30,276 + \frac{1}{4}$$
 (60) 1.0

$$F_{mb} = 2(127.3 + 15) = 284.6 \text{ lb, say, } 285 \text{ lb}$$

$$F_{ab} = F_m - K_b L_b = 285 - 60 = 225 \text{ lb.}$$

Since the buffer springs in series should have the same terminal loads, spring constants will vary inversely as their deflections. Thus,

$$\frac{K_1}{K_2} = \frac{L_{b2}}{L_{b1}} = \frac{0.25}{0.75}$$
 or  $K_2 = 3K_1$ 

The spring constants of the primary and secondary springs of the buffer are

$$K_1 = \frac{F_{mb} - F_{ob}}{L_{h1}} = \frac{60}{0.75} = 80 \,\text{lb/in}.$$

$$K_2 = 3K_1 = 240 \text{ lb/in}.$$

#### 4-3.2.4 Counterrecoil Time

The counterrecoil time is divided into two periods, i.e., during buffer spring action and during driving spring action. Both are computed according to Eq. 2-26. For the buffer springs,  $v_o = 0$  therefore

$$t_{bc} = \sqrt{\frac{M_r}{\epsilon K_b}} \left[ \sin^{-1} \left( \frac{K_b L_b - F_{mb}}{F_{mb}} \right) - \frac{3\pi}{2} \right]$$

$$t_{bc} = \sqrt{\frac{2 \times 3.25}{386.4 \times 60}} \left[ \sin^{-1} \left( \frac{1.0 \times 60 - 285}{285} \right) - \frac{3\pi}{2} \right]$$

$$= 0.01675 (5.3733 - 4.7124) = 0.0111 sec.$$

From Eq. 2-24, the buffer counterrecoil velocity is expressed in terms of spring energy.

$$v_{bc}^{2} = \frac{F_{mb}L_{b} - \frac{1}{2}\left(K_{b}L_{b}^{2}\right)}{M_{r}}$$

$$= \frac{(285 \times 1.0 - 30 \times 1.0)386.4}{325}$$

$$v_{bc}^2 = \frac{255 \times 386.4}{3.25} = 30318 \text{ in.}^2/\text{sec}^2$$

 $v_{hc} = 174.1 \text{ in./sec}$ , buffer counterrecoil velocity

which checks favorably with the first computed velocity of 174 in./sec

The time consumed for counterrecoil during driving spring action also is divided into two periods, when the total recoiling mass is considered, and after the bolt stops when the moving mass consists only of the moving parts of the operating rod unit. According to Eq. 2—26, the first time component is

$$I'_{cr} = \sqrt{\frac{M_r}{\epsilon K}} \left[ \operatorname{Sin}^{-1} \left( \sqrt{\frac{Ks_b - F_m}{F_m^2 + 2KM_r \nu_{bc}^2}} \right) - \operatorname{Sin}^{-1} \left( \sqrt{\frac{F_m^2 + 2KM_r \nu_{bc}^2}{F_m^2 + 2KM_r \nu_{bc}^2}} \right) \right]$$

$$= \sqrt{\frac{3.25}{386.4 \times 0.5 \times 10.2}} \left[ \operatorname{Sin}^{-1} \frac{10.2 \times 4.5 - 97.4}{\sqrt{9487 + 5202}} - \operatorname{Sin}^{-1} \frac{-97.4}{\sqrt{9487 + 5202}} \right]$$

$$= 0.04061 \left[ \operatorname{Sin}^{-1} \left( -0.4249 \right) - \operatorname{Sin}^{-1} \left( -0.8036 \right) \right]$$

$$= 0.04061 \left( 334.85 - 306.52 \right) / 57.3 = 0.04061 \times 0.4944 = 0.0201 \text{ sec}$$

where

$$F_m = 97.4 \text{ lb}$$
  $s_b = 4.5 \text{ in.}$   
 $K = 10.2 \text{ lb/in.}$   $v_{bc}^2 = 30,318 \text{ in.}^2/\text{sec}^2$   
 $M_r = \frac{3.25}{386.4} \text{ lb-sec}^2/\text{in.}$   $E = 0.50$ 

According to Eq. 2-24, the expression for the counterrecoil velocity is

$$v_{cr}^{2} = v_{bc}^{2} + \frac{2\epsilon \left[ (F_{m}s_{b} - \frac{1}{2} \left( Ks_{b}^{2} \right) \right]}{M_{r}}$$

$$= 30318 + \frac{97.4 \times 4.5 - 10.2 \times 20.25/2}{3.25}$$

$$= 30318 + 39832 = 70150 \text{ in.}^{2}/\text{sec}^{2}$$

 $v_{cr} = 264.9 \text{ in./sec} = 22.08 \text{ ft/sec}$ , maximum bolt velocity on return.

The terminal part of the counterrecoil stroke occurs after the bolt is in battery and the operating rod components are the remaining moving parts. From Eq. 2-26, the second time component is

$$t_{cr}^{"} = \sqrt{\frac{M_o}{\epsilon K}} \left[ \sin^{-1} \frac{K(L_d - s_b) - F_m}{\sqrt{F_m^2 + 2KM_o v_o^2}} - \sin^{-1} \frac{-F_m}{\sqrt{F_m^2 + 2KM_o v_o^2}} \right]$$

$$t_{cr}^{"} = \sqrt{\frac{2.5}{386.4 \times 0.5 \times 10.2}} \left[ \sin^{-1} \frac{-41.3}{\sqrt{2652 + 9258}} - \sin^{-1} \frac{-51.5}{\sqrt{2652 + 9258}} \right]$$

$$= 0.03562 \left[ \sin^{-1} (-0.3784) - \sin^{-1} (-0.4719) \right]$$

$$= 0.03562 (337.77 - 331.85)/57.3 = 0.0037 \sec$$

where

$$F_m = 51.5 \text{ lb}$$
  $M_o = \frac{2.5}{360.4} \text{ lb-sec}^2/\text{in.}$   $F_o = 41.3 \text{ lb}$   $s_b = 4.5 \text{ in.}$   $K = 10.2 \text{ lb/in.}$   $v_o^2 = 70147 \text{ in}^2/\text{sec}^2$   $L_d = 5.5 \text{ in.}$   $E = 0.50$ 

The total counterrecoil time is

$$t_{cr} = t_{bc} + t'_{cr} + t''_{cr} = 0.0349 \text{ sec.}$$

This computed time compares favorably with the assigned time (0.036 sec) for counterrecoil thus supporting the characteristics of the selected spring.

At the end of counterrecoil the velocity of the operating rod moving parts, according to Eq. 2-24 is

$$v_{cr} = \sqrt{v_o^2 + 2\epsilon \left[ F_m (L_d - s_b) - \frac{1}{2} K (L_d - s_b)^2 \right] / M_o}$$

$$= \sqrt{70147 + (51.5 \times 1.0 - 10.2 \times 1.0/2) 386.4/2.5}$$

$$= \sqrt{77318} = 278 \text{ in./sec} = 23.08 \text{ ft/sec} = 277 \text{ in./sec}$$

which checks with the first computed velocity of 275 in./sec.

#### 4-3.2.5 Recoil Time

= 0.0166 sec

The dynamics of the operating rod and bolt while propellant gases are active in the gas cylinder do not include the resistance of the driving spring since the spring forces are negligible as compared to gas forces. With respect to the dynamics, two periods are involved, i. e., accelerating and decelerating. Initially, the time of each is proportioned according to their respective distance of operation. The decelerating time is computed to be

$$t_d = \left(\frac{L_d + L_b - s_a}{L_d + L_b}\right) t_r = \left(\frac{5.5 + 1.0 - 2.0}{5.5 + 1.0}\right) 0.024$$

where  $t_r = 0.024 \text{ sec}$  (see par. 4-3.2.2) and

where  $s_{\alpha} = 2.0$  in., the distance that the piston moves while being accelerated by the propellant gas.

The counterrecoil velocity at this position is computed according to Eq. 2-24

$$\begin{split} \nu_{cr} &= \sqrt{\nu_{bc}^2 + 2\epsilon \left[ F_m (L_d - s_a) - \frac{1}{2} K (L_d - s_a)^2 \right] / M_r} \\ &= \sqrt{30318 + (97.4 \times 3.5 - 10.2 \times 12.25/2)386.4/3.25} \\ &= 251.8 \, \text{in./sec.} \end{split}$$

From Eq. 4-34, the velocity of recoil at this position becomes

$$v_r = \frac{1}{\epsilon} v_{cr} - \frac{251.8}{0.5} = 503.6 \text{ in./sec.}$$

#### 4-3.2.5.1 Recoil Time, Decelerating

As computed above, the recoil velocity at the end of the operating cylinder stroke is 503.6 in./sec which becomes the initial velocity of the spring system as deceleration begins. At this time the driving spring has been compressed to the extent of the two inches that the operating gas piston has traveled. The design data include

$$F_{sa} = 41.3 + Ks_a = 41.3 + 20.4 = 61.7 \text{ lb}$$

 $K = 10.2 \, \text{lb/in.}$ , spring constant

$$M_r = 3.25/g$$
, lb-sec<sup>2</sup> in.

$$s_a = 2.0 \text{ in.}$$

$$v_{\perp}$$
 = 503.6 in./sec, initial velocity

$$E = 0.5$$
, efficiency of spring system

The working distance of the drive spring during the decelerating period of recoil is  $L_{i}$ .

$$L_r = L_d - s_a = 5.5 - 2.0 = 3.5 \text{ in.}$$

Expand Eq. 2-22 to include the limits of x = 0 to  $x = L_{11}$ , thus the time to compress the drive spring is

$$t_{dr} = \sqrt{\frac{\epsilon M_r}{K}} \left( \sin^{-1} \frac{F_{sa} + KL_r}{\sqrt{F_{sa}^2 + \epsilon KM_r v_o^2}} \right)$$

$$-\sin^{-1}\left(\frac{F_{sa}}{\sqrt{F^2 + \epsilon K M_p v_o^2}}\right)$$

$$=\sqrt{0.0004123} \left( \operatorname{Sin}^{-1} \frac{97.4}{121.2} - \operatorname{Sin}^{-1} \frac{61.7}{121.2} \right)$$

= 0.0081 sec.

The velocity of the recoiling parts as the buffer is contacted is

$$v_b^2 = v_o^2 - \frac{(2F_{sa} + KL_r)L_r}{\epsilon M_r}$$
$$= 253613 - \frac{159.1 \times 3.5 \times 386.4}{0.50 \times 3.25}$$

$$v_b = \sqrt{253613 - 132410} = \sqrt{121203} = 348.1 \text{ in./sec.}$$

Since the buffer absorbs the remaining energy,

$$\sqrt{F_{ob}^2 + \epsilon K_b M_r v_b^2} = F_{mb},$$

therefore, Eq. 2–23 becomes the expression for recoil time during buffing,

$$t_b = \sqrt{\frac{eM_r}{K}} \cos^{-1} \frac{F_{ab}}{F_{mb}} = \sqrt{\frac{0.5 \times 3.25}{60 \times 386.4}} \cos^{-1} \frac{225}{295}$$
$$= 0.00837 \ Cos^{-1} \ 0.78947 = 0.00837 \ \left(\frac{37.89}{57.3}\right)$$
$$= 0.0055 \ sec.$$

The total recoil time during deceleration

$$t_r' = t_{dr} + t_h = 0.0081 + 0.0055 = 0.0136 \text{ sec}.$$

#### 4-3.2.5.2 Recoil Time, Accelerating

The time needed to accelerate the recoiling mass consists of two parts, i. e., time before cutoff and time after cutoff. First, the tentative size of the operating cylinder must be determined. According to Eq. 4–40, the work done by the expanding gas is

$$p_1 V_1 = 1.06 M_p v_p^2 = 1.06 \left(\frac{3.25}{386.4}\right) 253613$$
  
= 2261 in.-lb

Select  $p_1 = 1250 \text{ lb/in.}^2$ 

$$V_1 = \frac{p_1 V_1}{p_1} = \frac{2261}{1250} = 1.8 \text{ in.}^3$$

With the ratio  $\frac{V_1}{V_2} = \frac{3}{5}$ , the volume at the end of the

gas expansion stroke is  $V_2$ .

$$V_2 = \frac{5}{3} V_1 = \left(\frac{5}{3}\right) 1.8 = 3.0 \text{ in.}^3$$

The selected cylinder pressure is  $p_c = p_1 = 1250$  psi. Assume this pressure to be the critical flow pressure.

Therefore, the average pressure in the barrel needed to provide it is, according to Eq. 4-26,

$$p_a = \frac{p_c}{0.53} = 2360 \text{ lb/in.}^2$$

Other values are

k = 1.3, ratio of specific heats in operating cylinder

 $k_b = 1.2$ , ratio of specific heats in bore

 $p_m = 9000 \text{ lb/in.}^2$ , muzzle pressure from Fig. 4–5

 $V_{co} = V_1 = 1.8 \text{ in.}^3$ , initial volume of operating cylinder

 $V_m = 1.74 \text{ in.}^3$ , chamber volume plus bore

 $W_g = 0.00629$  lb, weight of propellant

The weight of the gas in the operating cylinder at its maximum pressure, according to Eq. 4-49, is

$$W_c = W_g \left(\frac{V_{co}}{V_m}\right) p_c^{1/k} p_a^{(1/k_b - 1/k)} / p_m^{1/k_b}$$
$$= 0.00629 \left(\frac{1.8}{1.74}\right) \left(\frac{241 \times 1.66}{1970}\right) = 0.00132 \text{ lb.}$$

To insure total access, the diameter of the orifice should not exceed the cutoff distance; thus the two orifices of 0.162 in, diameter.

The measured area under the pressure-time curve between 0.0002 sec and 0.0032 sec is equivalent to  $A_{pt} = 16.43$  lb-sec/in.<sup>2</sup> The first time (0.0002 sec) represents approximately 70% of the bullet travel and the second corresponds with the pressure,  $p_a = 2360$  psi. From Eq. 4-52, the first estimate of the orifice area is

$$A_o = \frac{W_c}{K_w A_{pt}}$$
  $\frac{0.00132}{0.00192 \text{ x } 16.43} = 0.042 \text{ in.}^2$ 

where, in Eq. 4–25, the expression for the term  $K_w$  is

$$K_w = C\sqrt{\frac{g}{RT} k\left(\frac{2}{k+1}\right)^{(k+1)/(k-1)}}$$
  
= 0.00192/sec

C = 0.30, orifice coefficient

 $g = 32.2 \text{ ft/sec}^2$ 

k = 1.3

RT = 350,000 ft-lb/lb, specific impetus

With A, = 0.042 in.<sup>2</sup> detailed iterative computations are performed in Table 4-1. These calculations indicate a cutoff at s = 0.20 in. of piston travel. Also, an orifice area of 0.042 in.<sup>2</sup> seems sufficient. A piston area of 0.60 in.<sup>2</sup> is suitable. Note that in the listed values of the cylinder pressure  $p_c$  never exceeds the critical flow pressure of  $p_{cr} = 0.53$   $p_a$  except for the last increment. Here the computed pressure of 1134 psi via Eq. 4-43 is considered reasonable inasmuch as the pressure of polytropic expansion during the interval drops only to 1105 psi and the continued flew from the barrel should be enough so that the cylinder pressure will approach the 1134 psi.

TABLE 4-1. COMPUTED DYNAMICS OF GAS CUTOFF SYSTEM

$t \times 10^4$ , sec	p <sub>a</sub> , psi	<i>A<sub>o</sub>,</i> in?	<b>w,</b> lb/sec	$\Delta W_c \chi_{lb}^{10^4}$	$W_c \underset{\text{lb}}{X} 10^4$ ,	$V_{1,3}$ in. <sup>3</sup>	$V_e$ , in. <sup>3</sup>	$\frac{V_c}{\text{in.}^3}$
9	26000	0.042	2.096	2.096	2.096	0.837	0.0278	1.8000
10	19000	0.042	1.531	1.531	3.627	0.942	0.0543	1.8002
11	14800	0.042	1.193	1.193	4.820	1.147	0.0879	1.8003
12	11400	0.042	0.9 19	0.919	5.739	1.366	0.1246	1.8006
13	9600	0.042	0.774	0.774	6.513	1.600	0.1657	1.8011
18	6600	0.042	0.532	2.660	9.173	2.255	0.329	1.8080
23	4500	0.042	0.363	1.815	10.988	3.120	0.545	1.8236
28	3200	0.037	0.227	1.135	12.123	4.130	0.796	1.850
33	2400	0.025	0.115	0.575	12.698	5.240	1.058	1.888
36.31	1800	0.007	0.024	0.088	12.786	6.650	1.350	1.920
t X 10 <sup>4</sup> ,	<i>p<sub>c'</sub></i>	F <sub>c</sub> ,	$F_c \Delta t$ ,	Δν,	ν,	_	s <sub>2</sub> X 10 <sup>4</sup> ,	
300	psi	lb	lb-sec	in./sec	in./sec	in.	in.	in.
9	psi 114	69	0.0069	0.82	0.82	0	in. 0	0
9	114	69	0.0069	0.82	0.82	0	0	0
9 10	114 202	69 121	0.0069 0.0121	0.82 1.44	0.82 2.26	0	0	0 2
9 10 11	114 202 294	69 121 176	0.0069 0.0121 0.0176	0.82 1.44 2.09	0.82 2.26 4.35	0 1 1	0 1 2	0 2 5
9 10 11 12	114 202 294 354	69 121 176 212	0.0069 0.0121 0.0176 0.0212	0.82 1.44 2.09 2.52	0.82 2.26 4.35 6.87	0 1 1 1	0 1 2 4	0 2 5 10
9 10 11 12 13	114 202 294 354 425	69 121 176 212 255	0.0069 0.0121 0.0176 0.0212 0.0255	0.82 1.44 2.09 2.52 3.03	0.82 2.26 4.35 6.87 9.90	0 1 1 1 2	0 1 2 4 7	0 2 5 10 19
9 10 11 12 13 18	114 202 294 354 425 717	69 121 176 212 255 430	0.0069 0.0121 0.0176 0.0212 0.0255 0.2150	0.82 1.44 2.09 2.52 3.03 25.56	0.82 2.26 4.35 6.87 9.90 35.46	0 1 1 1 2 64	0 1 2 4 7 50	0 2 5 10 19 133
9 10 11 12 13 18 23	114 202 294 354 425 717 934	69 121 176 212 255 430 560	0.0069 0.0121 0.0176 0.0212 0.0255 0.2150 0.280	0.82 1.44 2.09 2.52 3.03 25.56 33.29	0.82 2.26 4.35 6.87 9.90 35.46 68.75	0 1 1 1 2 64 83	0 1 2 4 7 50	0 2 5 10 19 133 393

At cutoff, the velocity of the moving parts has reached 174 in./sec. This represents a kinetic energy of

$$E_c = \frac{1}{2} \left( M v^2 \right) = \frac{1}{2} \left( \frac{3.25}{386.4} \right) 30276 = 127.3 \text{ in.-1b.}$$

The work done by polytropic expansion, Eq. 4-35, is

$$W = \frac{p_1 V_1 - p_2 V_2}{k - 1} = \frac{1134 \times 1.92 - 635 \times 3.0}{1.3 - 1.0}$$

= 907.6 in.-lb

where

$$p_2 = p_1 \left(\frac{V_1}{V_2}\right)^k = 1134 \left(\frac{1.92}{3}\right)^{1.3}$$
  
= 1134 x 0.56 = 635 lb/in.

$$V_1 = V_{co} + A_c s = 1.8 \pm 0.6 \text{ x } 0.2 = 1.92 \text{ in.}^3$$

The total work done by the operating cylinder is

$$E_1 = E_2 + W = 127.3 + 907.6 = 1034.9 \text{ in.-lb}$$

The velocity of the system at the end of the accelerating period becomes

$$v_r = \sqrt{\frac{2E_r}{M_r}} = \sqrt{\frac{2069.8}{3.25}} \frac{386.4}{1} = 496.07 \text{ in./sec.}$$

This velocity compares favorably with the required velocity of 503.6 in./sec (par. 4-3.2.5) and represents an error of only 1.5%. A slight increase in orifice area or location will match the two velocities, but the small error involved does not warrant further computation.

Although the weight of recoiling parts does not become 3.25 lb until the bolt is picked up after 1 inch of travel, the bolt weight is included to compenstate for whatever losses are experienced during the accelerating stroke.

The analysis which follows for the time, t = 2.8 x  $10^{-3}$  sec, illustrates the mechanics for computing the results listed in Table 4-1. The increment of time

At = 0.0005 sec and the corresponding average pressure are read from the pressure decay-time curve (see insert) of Fig. 4-5,  $p_a = 3200$  psi. Resorting to Eq. 4-57 to estimate the travel during the interval, observe that Av is unknown. However, in the preceding interval, the difference in Av

[Av for (t = 2.3 x 
$$10^{-3}$$
)] - [Av for (t = 1.8 x  $10^{-3}$ )]   
< 8 in./sec. Add this increment to Av (t = 2.3 x  $10^{-3}$ ).  
Thus, Av = 33 + 7 = 40 in./sec.

The rate of flow by Eq. 4-27 is computed to be

$$w = K_w A_o p_a = 0.00192 \times 0.037 \times 3200$$
  
= 0.227 lb/sec.

The weight of the gas flowing through the orifice during the 0.0005 sec increment according to Eq. 4-28 is

$$\Delta W_c = w\Delta t = 0.227 \text{ x } 5 \text{ x } 10^{-4} = 1.135 \text{ x } 10^{-4} \text{ lb.}$$

The total weight of the gas in the cylinder

$$W_c = \Sigma \Delta W_c = W_{c(n-1)} + \Delta W_c$$
  
= (10.988 + 1.135)10<sup>-4</sup> = 0.0012123 lb.

By first trial, the distance traveled by the operating unit (Eq. 4-47) is

$$s = \frac{1}{2} \Delta \nu \Delta t + \nu_{n-1} \Delta t + s_{n-1}$$

$$= \frac{40}{2} (0.0005) + 68.75 \times 0.0005 + 0.0393$$

$$= 0.0837 \text{ in.}$$

From Eq. 4-48, the cylinder volume

$$V_c = V_{co} + A_c s = 1.8 \pm 0.6 \times 0.0837 = 1.850 \text{ in.}^3$$

According to Eq. 4-41,

$$V_b = V_m \left(\frac{p_m}{p_a}\right)^{1/k_b} = 1.74 \left(\frac{9000}{3200}\right)^{1/1.2}$$
  
= 1.74 \times 2.37 = 4.13 in.<sup>3</sup>

From Eq. 4-42, the equivalent gas volume in the operating cylinder at the average bore pressure  $p_a$  becomes

$$V_e = \left(\frac{W_c}{W_g}\right) V_b = \left(\frac{0.0012123}{0.00629}\right) 4.13 = 0.796 \text{ in.}^3$$

From Eq. 4-43, the gas pressure in the operating cylinder is

$$p_c = \left(\frac{V_e}{V_c}\right)^k \quad p_a = \left(\frac{V_e}{V_c}\right)^{1.3}$$
 3200  
= 0.334 x 3200 = 1069 lb/in.<sup>2</sup>

The gas force applied to the operating rod, Eq. 4-44,

$$F_c = A_c p_c = 0.6 \times 1069 = 641 \,\text{lb}$$
.

The impulse during the interval is

$$F_{\alpha}\Delta t = 641 \times 0.0005 = 0.321 \text{ lb-sec.}$$

The velocity at the end of the time interval, Eq. 4-46, is

$$v = v_{n-1} + \frac{F_c At}{M_r} = 68.75 + \frac{0.321 \times 386.4}{3.25}$$

$$= 68.75 + 38.17 = 106.9 \text{ in./sec.}$$

The distance traveled by the operating unit, Eq. 4-47, is

$$s = \frac{1}{2} \left( \Delta \nu \Delta t \right) + \nu_{n-1} A t + s_{n-1},$$

$$= \left( \frac{38.17}{2} + 68.75 \right) 0.0005 + 0.0393$$

$$= 0.0095 + 0.0344 + 0.0393 = 0.0832 \text{ in.}$$

From Eq. 4-48, the chamber volume is

$$V_c = V_{c0} + A_c s = 1.8 + 0.6 \times 0.0832 = 1.850 \text{ in.}^3$$

This volume matches the earlier estimate thereby completing this series of calculations. Had the volumes not checked, a new change in volume would be investigated and the series of calculations repeated.

The time elapsed between firing and complete, cutoff is the final figure (36.31) in the time column of Table 4-1.

$$t_{co} = 0.0036 \text{ sec.}$$

The time of the remaining accelerating period is determined by Eqs. 4-14 and 4-15. The known data follow:

 $A_{\bullet} = 0.60 \text{ in.}^2$ , area of operating piston

k = 1.3, ratio of specific heats

 $M_r = \frac{3.25}{386.4} \frac{1\text{b-sec}^2}{\text{in}}$ , mass of recoiling unit

 $p_1 = 1134 \, \text{lb/in.}^2$ , initial pressure

s = 1.8 in., total travel of piston

 $s_o = 3.2$  in., equivalent travel distance at  $p_1$ 

 $v_o = 174 \text{ in./sec, initial velocity}$ 

Substitute the expression for  $C_2$ , Eq. 4–15, in Eq. 4–14, and rewrite, for convenience, the time for the gas expansion stroke

$$t_e = \frac{s_o^{(k+1)/2}}{\sqrt{K_a}} \left[ \left( a + \sum A_y \frac{a^z}{zB^y} \right) - \left( 1 + \sum \frac{A_y}{zB^y} \right) \right]$$

$$t_e = \frac{3.81}{1563} (4.658 - 2.763) = 0.0046 \,\mathrm{sec}$$

where

$$a = 1 + \frac{s}{s_0} = 1 + \frac{1.8}{3.2} = 1.562$$

$$K_a = \frac{2A_c p_1 s_o^k}{(k-1)M_r} = \frac{2 \times 0.6 \times 1134 \times 4.53 \times 386.4}{(1.3-1)3.25}$$

$$= 2.443,000 \,\mathrm{in.^2/sec^2}$$

$$\sqrt{K_a} = 1,563 \, \text{in./sec}$$

$$B = 1 + \frac{v_o^2}{K_a} s_o^{k-1} = 1 + \frac{30276 \times 1.418}{2443000} = 1.018$$

$$s_0^{(k+1)/2} = 3.2^{1.15} = 3.81$$

$$y = 1, 2, 3 \dots$$

$$z = (y + 1) - yk = 1.0 - 0.3y$$

$$\Sigma A_y = \frac{a^z}{zB^y} = 3.0959$$
 (summation of last column in Table 4–2)

$$\Sigma \frac{A_y}{zB^y} = 1.763 (summation of next to last column in Table 4-2)$$

The detailed calculations are tabulated for convenience in Table 4-2.

The total recoil time is

$$t_r = t_{co} + t_e + t_r'$$
  
= 0.0036 + 0.0046 + 0.0136 = 0.0218 sec.

This is only 2.2 msec less that the specified 24 msec (par. 4-3.2.1) and, therefore, is acceptable. The time for the firing cycle is

$$t_c = t_{cr} + t_r = 0.0349 + 0.0218 = 0.0567 \text{ sec.}$$

The rate of fire is

$$f_r = \frac{60}{t_c} = 1058 \text{ rounds/min.}$$

This rate is only 5.8% over the specified rate of 1000 (par. 4-3.2.1) and is acceptable. Firing tests will determine the accuracy of the theoretical rate and any undesirable discrepancies are to be corrected in compliance with the test data.

# 4-3.3 DIGITAL COMPUTER ROUTINE FOR CUTOFF EXPANSION

This digital computer program is compiled in FORTRAN IV language for the UNIVAC 1107 Computer. The program considers the dynamics of the gas, the bolt operating cam, the bolt, and the operating rod. The specified and computed data are the same as those for the sample problem of par. 4–3.2. The program also follows the same sequence of computations except for the inclusions of the bolt unlocking and locking processes. Each set of computations is discussed in sequential order.

#### 4-3.3.1 Gas Dynamics Before Cutoff

This analysis follows the same procedure as that for the preceding example of Table 4–1 except that the bolt is being turned by the helix portion of the cam. Bolt frictional and rotational inertia forces are considered by substituting the effective mass of Eq. 4–62 for the actual mass of the operating rod. At gas cutoff, the operating rod velocity is set for approximately 350 in./sec and to reach this velocity, the gas port is assigned an initial area of 0.40 in.<sup>2</sup> If the computed velocity at gas cutoff exceeds ±10 in./sec, the port area is adjusted accordingly and the

TABLE 4-2. GAS EXPANSION TIME CALCULATIONS

Y	$A_y$	$B^{\mathcal{V}}$	z	$a^{z}$	$zB^{y}$	$A_y/zB^y$	$A_y a^z/zB^y$
1	0.5000	1.018	0.7	1.366	0.713	0.7013	0.9580
2	0.3750	1.036	0.4	1.195	0.414	0.9058	1.0824
3	0.3 125	1.055	0.1	1.045	0.106	2.9481	3.0808
4	0.2734	1.074	-0.2	111.093	-0.215	-1.2716	-1.1634
5	0.2461	1.093	-0.5	1/1.25	-0.547	-0.4490	-0.3599
6	0.2256	1.113	-0.8	111.428	-0.890	-0.2535	-0.1775
7	0.2095	1.134	-1.1	1/1.634	- 1.247	-0.1680	-0.1028
8	0.1964	1.154	-1.4	1/1.868	-1.615	-0.1216	-0.065 1
9	0.1855	1.175	-1.7	112.14	-1.998	-0.0928	-0.0434
10	0.1762	1.196	-2.0	1/2.44	-2.392	-0.0736	-0.0302
11	0.1682	1.217	-2.3	1/2.79	-2.799	-0.0601	-0.0215
12	0.1612	1.238	-2.6	1/3.19	-3.219	-0.0501	-0.0157
13	0.1550	1.261	-2.9	1/3.65	-3.657	-0.0424	-0.0116
14	0.1495	1.284	-3.2	1/4.17	-4.109	-0.0364	-0.0087
15	0.1445	1.307	-3.5	1/4.76	-4.574	-0.0316	-0.0066
16	0.1400	1.331	-3.8	1/5 .45	-5.058	-0.0277	-0.0051
17	0.1359	1.355	-4.1	1/6.22	-5.556	-0.0245	-0.0039
18	0.1321	1.380	-4.4	1/7.11	-6.072	-0.0218	-0.0030
19	0.1286	1.404	-4.7	118.12	-6.599	-0.0195	-0.0024
20	0.1254	1.429	-5.0	119.30	-7.145	-0.0176	-0.0019
21	0.1 224	1.455	-5.3	1110.65	-7.712	-0.0159	-0.0015
22	0.1 196	1.481	-5.6	1/12.2	-8.294	-0.0144	-0.0011
						$\Sigma = 1.7631$	$\Sigma = 3.0959$

computation is repeated. Operating rod travel is also computed and should not exceed the axial length of the cam helix. Table 4-5 lists the computed data.

#### 4-3.3.2 Gas Dynamics After Cutoff

#### 4-3.3.2.1 Bolt Unlocking During Helix Traverse

If a portion of the helix remains to be traversed by the cam follower, the time is computed according to Eqs. 4-6 through 4-15. This procedure was also used to compute the values of Table 4-2. The velocity at the end of the helix is obtained from Eq. 4-7. Although the bolt moves axially over the small distance permitted by the locking lug, the effects of this distance and corresponding velocity have a

negligible effect on the dynamics of the system and, therefore, are not included in the analysis. Computed data are listed in Table 4-6.

#### 4-3.3.2.2 Bolt Unlocking During Parabola Traverse

The major part of the unlocking process is done by the parabolic portion of the cam (see Figs. 4-3 and 4-4). For the same reason as for the helix analysis, only bolt rotational effects are considered. The axial length of the parabola is divided into short equal increments. Cam curve characteristics are then determined and these are integrated with the rest of the analysis. The equivalent mass of the system is found from Eq. 4-73. The cam constants and variables are determined elsewhere (see par. 4-3.1).

TABLE 4-3. SYMBOL-CODE CORRELATION FOR CUTOFF EXPANSION

Symbol	Code	Symbol	Code	Symbol	Code
$A_o$	AO	$p_{a}$	PA	$V_c$	vc
$A_c$	AC	$p_c$	PC	$V_{co}$	VCYL
$A_y$	AY	$p_{1}$	P1	$V_{e}$	VE
a	A	R	R	V	V
$a^z$	AZ	$R_c$	RC	$v_{bc}$	VBCR
$B^{y}$	BY	$R_L^{\circ}$	RL	$v_m$	VMAX
$c_{\lambda}$	CLAMDA	s	S	<i>v</i> <sub>o</sub>	vo
dx	DX	$s_a$	SA	$v_{sc}$	VSCR
$E_{b}$	EB	$s_c$	SCYL	Av	DELV
U	EBCR	$s_m$	SMAX	$W_{b}$	WB
$E_{cr}$	E	***	so	$W_c$	wc
$E_r$	ER	$s_r - x_m$	HELIX1	$\Delta W_c$	DELW
$E_{sc}^{'}$	ESCR	, ,,,	S(1)	$W_o$	WO
F	F		si	w	W
$F_{mb}$	FBM	$s_2$	$S_2$	X	X
$F_{ob}^{mo}$	FBO	ť	TEP	$x_{m}$	HELIX2
AF	DELF	$t_{bc}$	TBRC	Y	Y
g	G	$t_{br}$	TBR	$\boldsymbol{z}$	Z
K	DRK	t <sub>cr</sub>	TDCR	β	В
$K_a$	SKA	t <sub>dr</sub>	TDR	€	EPS
$K_b^a$	BK	u,	T1	X	DLAMDA
k o	RADGYR	At	DELT	$\mu_r$	<b>EMUR</b>
$L_b$	BL	$taneta_o$	TANBO	$\mu_s$	EMUS
$M_e$	EM	V	VB	. ?	

 $x_m = 0.5$  in., axial length of parabola (Eq. 4-77)

 $y_m = 0.3327$  in., peripheral width of parabola (Eq. 4-77)

A = 1.3161 in. (Eq. 4-77)

B = 0.007465 in. (Eq. 4-77)

 $y = Ax^2 + Bx = 1.316x^2 + 0.007465x$ (Eq. 4-75)

 $\frac{dy}{dx} = 2Ax + B = 2.632x + 0.007465$ (Eq. 4-76)

 $\tan \beta = \frac{dy}{dx}$ 

At any given position of x,

$$x = \sum \Delta x = x_{n-1} + \Delta x$$

the corresponding length of the gas cylinder is

$$s = s_o + x = 3.5 + x$$
, in.

The operating cylinder pressure, according to Eq. 4-2, becomes

$$p_c = p_1 \left(\frac{s_o}{s}\right)^k = p_1 \left(\frac{3.5}{s}\right)^{1.3}$$
,psi

According to Eq. 4-7, the velocity at the end of each increment of travel is

$$\nu = \sqrt{4\left(\frac{p_1}{M_e}\right) \quad (3.5 - \frac{5.09675}{3.5 + s^{0.3}}) \quad \text{t } \nu_o^2} \text{ , in./sec.}$$

The corresponding time interval and total time are

At = 
$$\frac{\Delta x}{v_a}$$
, sec;  $t = \Sigma \Delta t$ , sec

where

 $v_a$  = average velocity over the increment.

Computed data are listed in Table 4-7.

## 4-3.3.2.3 Bolt Unlocked, Bolt Traveling With Operating Rod

At the time that the bolt is completely unlocked, bolt and operating rod begin to travel as a unit. However, one inch of operating rod travel still remains under the influence of cylinder pressure. Except for the initial conditions involving velocity, pressure, distance, and mass; the analytic procedure is the same

as mentioned in par. 4-3.3.2.1. Only linear motion prevails since cam action is complete; therefore, the mass of the bolt is no longer influenced by rotational effects. Now the bolt and operating rod are moving as a unit at the same velocity; the bolt acquired its initial velocity just as unlocking became complete. As all of the momentum just prior to this event was concentrated in the operating rod, some of it was transferred to the bolt with a subsequent reduction in velocity. Based on the law of conservation of momentum, this velocity is the velocity of the recoiling parts and has the value

$$v_r = \frac{M_o v_o}{M_r} = \frac{2.5 v_o}{3.25}$$
 , in./sec.

where

 $M_o = W_o/g$ , mass of operating rod

 $M_r = W_r/g$ , mass of recoiling parts

 $v_{o}$  = velocity of operating rod at transition

Table 4-8 has the computed data.

TABLE 4-4. INPUT FOR CUTOFF EXPANSION PROGRAM

Code	Data	Code	Data
AC	0.60	RL	0.5
BK	60.0	SA	2.0
DELV(1)	0.5	SCYL	3.0
DLAMDA	3	SMAX	5.0
DRK	10.2	SO	3.5
DX	0.05	<b>S</b> (1)	0
EMUR	0.034	TANBO	0.007465
EMUS	0.3	T(1)	0.8
EPS	0.5	VCYL	1.8
G	386.4	VMAX	350
HELIX1	0.5	V(1)	0
HELIX2	0.5	WB	0.75
R	0.39	WC 1	0
RADGYR	0.275	wo	2.5
RC	0.32		

TABLE 4-5. COMPUTED DYNAMICS BEFORE GAS CUTOFF

I	TIME MSEC	PRESS PSI	PORT AREA SU-IN	GAS FLOW RATE Lo/SEC	GAS IN CYL LB	EQUIV SORE VOL CU-IN	EQUIV CYLI VOL CU-IN
2	•900	26000.	• 0580	2.895	-00029	.837	•0385
3	1.000	19000.	.0580	2.116	000050	e 932	.0743
4	1.100	14800.	.0580	10648	.00067	1.147	.1214
5	1.200	11400.	•0580	1.270	.00079	1.366	• 1722
6	1.300	9600.	.0580	1.069	.00090	1.600	.2289
7	1.800	6600.	.0580	•735	.00127	2.255	• 4543
8	2.300	4500.	.0580	•501	.00152	3.120	• 7529
9	2.800	3200.	•0530	• 326	.00108	4.130	1.1035
10	3.300	2400.	.0410	• 189	·00178	5.240	1.4788
11	3.605	1800.	.0230	<b>.</b> 079	•00 <b>1</b> 80	6.650	1.9074
	CYL	CYL	PISTON		DELTA	ROD	ROD
	VOL	PRESS	FORCE	IMPULSE	VEL	VEL	TRAVEL
I	CU-IN	PSI		LB-SEC	IN/SEC	IN/SEC	١N
2	1.8000	175.6	105.4	•011	1.63	1.6	.0001
3	1.8002	301.1	180.7	•018	2.79	4.4	•0004
4	1.8006	444.5	266.7	•027	4.12	8.5	•0010
5	1.8013	538.8	323.3	• 032	5.00	13.5	00021
6	1.8023	656.4	393.9	• 039	6•09	19.6	.0038
7	1.8157	1089.8	653.9	• 327	50 • 53	70.2	.0262
8	1.8466	1401.8	841.1	e421	65.00	135.2	.0776
9	1.8981	1581.0	948.6	.474	73.31	208.5	。1635

990.4

989.2

#### 4-3.3.3 Dynamics After Gas Cylinder Operation

1.9721

2.0406

After the gas cylinder reaches its total displacement, the recoiling parts, consisting of operating rod and bolt, have only the driving and buffer springs to provide the external forces. These springs stop the recoiling parts and then force them to counterrecoil; the driving spring and momentum of the moving mass finally lock the bolt in the firing position.

1650.7

1648.7

Computed spring operating data appear in Table 4-6 and the computed locking data are listed in Table 4-9.

#### 4-3.3.3.1 Recoil Dynamics

76.54

55.81

.495

• 361

The remaining distance for bolt and rod to compress the driving spring fully is

285.0

340.8

$$L_r = L_d - s_a = 5.5 - 2.0 = 3.5 \text{ in.}$$

The energy to be absorbed by the driving and buffer springs is

$$E_r = 1/2M_r v_{sa}^2 \text{ in.-lb}$$

10

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TABLE 4–6. COMPUTED DYNAMICS AFTER GAS CUTOFF BOLT UNLOCKING DURING HELIX TRAVERSE

Υ	AY	BY	Z	AZ	ZBY	QUOT1	QUOT2
1.0	.5000	1.0335	• 7	1.0203	• 7235	•6911	•7051
2.0	.3750	1.0681	• 4	1.0115	• 4273	•8777	• 8878
3.U	.3125	1.1039	•1	1.0029	•1104	2.8308	2.8389
4.0	.2734	1.1409	2	• 9943	2282	-1.1982	-1.1913
5.0	.2461	1.1792	<b></b> 5	• 9858	<b>-</b> • 5096	4174	4115
6.0	.2256	1.2187	8	• 9773	9749	2314	-•2262
7.0	2095	1.2595	-1.1	• 9690	<b>-1</b> • 3055	1512	1465
8.0	.1964	1.3017	-1.4	•9607	-1 • 8224	<b></b> 1078	<b>-</b> •1035
Y.U	.1855	1.3433	-	• 9524	<u>-: 2871</u>	0811	_ /3
10.0	.1762	1.3904	-2.0	• 9443	-2.7808	0634	<b></b> 05 <u>9</u> 8
11.0	.1682	1.4370	=2.3	.9362	-3.3051	0509	0476
12.0	.1612	1.4851	-2.6	•9282	-3.8614	0417	<b>-</b> •0387
13.0	.1550	1.5349	-2.9	•9202	-4.4512	0348	<b></b> 0320
14.0	.1495	1.5863	-3.2	e9123	-5.0763	<b>-</b> ∙0295	0269
15.0	01445	1.6395	-3.5	•9045	<b>=5</b> • 7383	0252	0228
16.0	•1400	1.6944	-3.8	•8960	-6.4389	0217	0195
17.0	1359	1:3519	4.1	- 8891	=7: <sup>1800</sup>	0189	0168
18.0			-4-4	:8875	<b>-7:</b> 9636	0166	0146
19.0	.1286	1.8705	-4.7	.8739	-8.7 <del>9</del> 16	0146	0128
20.0	.1254	1.9332	<b>-5.</b> 0	• 8665	<b>-</b> 9•6661	0130	-00112
21.0	•1224	1.9980	-5.3	•8 <del>59</del> 0	<del>-10.</del> 894	0116	<del>0099</del>
22.0	•1196	200650	<b>-5.6</b>	• 8517	-11.5638	0103	<b></b> 0088

TOTALS 1.8603 1.9540

EXPANSION TIME DURING HELIX TRAVERSE (TEH) = .00022 SECONDS

V = 381.89 IN/SEC PC = 1588.4 PSI S = 3.5000 IN.

TABLE 4-7. COMPUTED DYNAMICS AFTER GAS CUTOFF BOLT UNLOCKING DURING PARABOLA TRAVERSE

		EQUIV			EQUIV		
	PARAB	CYL	CAM	CYL	RECOIL MASS -	RQD	
	DIST	LENGTH	SLOPE	PRESS	MASS	VEL	TIME
I	ΙN	IN	DEG	PSI	W/G	IN/SEC	MSEC
		7 550	<b>7</b> 04 <b>7</b>	4550 6	****		
13	0050	3.550	7.917	1559.4	.006529	400.05	.1279
14	•100	3.600	15.145	1531.3	•006689	416.71	.2503
15	.150	3,650	21.913	1504.1	.006974	431.83	.3682
16	•200	3.700	28.096	1477.7	•007419	445.33	.4822
17	•250	3.750	33。643	1452.1	.008072	457.19	.5930
18	• 300	3.800	38.557	1427.3	•008999	467.39	.7011
19	0350	30850	42,882	1403.3	.010303	475.98	<b>.8071</b>
20	•400	3.900	46.676	1379.9	.012142	483.03	.9114
21	0450	31950	50.003	1357.3	.014778	488.66	1.0143
22	•500	4.000	52.926	1335.3	.018676	492.99	1.1162

TABLE 4–8. COMPUTED DYNAMICS AFTER GAS CUTOFF BOLTAND ROD UNIT RECOILING AFTER CAM ACTION

Υ	ΑΥ	BY	Z	AZ	ZBY	QUOTI	QUOT2
1.0	•5000	1.0566	. 7	1.0859	• <b>73</b> 96 -	6760	7341
2.0	.3750	1.1164	• 4	1.0482	• 4466	•8397	.8802
3.0	.3125	1.1796	•1	1.0118	•1180	2.6491	2.6805
4.0	.2734	1.2464	2	•9767	2493	-1.0967	-1.0712
<sup>-</sup> 5.0	2461	1.3170	<b></b> 5	• 9428	6585	3737	3524
6.0	.2256	1.3916	8	•9101	-1.1133	2026	<b>-</b> • 1844
7.0	.2095	1.4704	-1.1	•0785	<b>-1</b> •6174	1295	1138
8.0	.1964	1.5536	-1.4	• 8480	<del>-</del> 2.1751	0903	0766
9.0	1855	1.6416	1./	•8185	-2.7907	0665	0544
10.0	.1762	1.7345	-2.0	•7901	<b>-</b> 3.4690	<b>-</b> ∙0508	<b>=:</b> 8 <del>3</del> 84 -
<b>fl</b> .6	.1682	1.8327	-2.3	e 7627	-4 e 2152	0399	
12.0	.1612	1.9365	-2.6	.7362	-5.0348	0320	<b></b> 0236
13.0	.1550	2.0461	-2.9	.7107	-5.9337	0261	0186
14.0	.1495	2.1620	-3.2	•6860	-6.9183	or0216	<b></b> 0148
15.0	-1445	2.2844		6622	-7.9953	0181	0120
16.0	.1400	2.4137	-3.8	,6392	-9.1720	0153	0098
17.0	.1359	2.5504	-4.1	.6170	-10.4564	0130	0080
18.0	.1321	2.6947	-4.4	• 5956	-11.8569	-00111	0066
19.0	e1286	2.8473	-4.7	.5749	-13.3824	0096	0055
20.0	el254	3.0085	-5.0	• 5549	-15.0426	0083	0046
21.0	• 1224	3.1 /89	-	<b>.</b> 5357	- 6+8479	0073	0039
22.0	. •1196	3.3588	<b>-</b> 5.6	•5171	-18.8095	0064	0033

TOTALS 1.9459 2.2608

EXPANSION TIME DURING HELIX TRAVERSE (TEH) = .00110 SECONDS

V = 481.66 IN/SEC

PC = 1145.7 PSI S = 4.5000 IN.

MINIMUM BUFFER FORC = 176. B

MAXIMUM BUFFER FORCE = 236.8 LB

URIVING SPRING RECOIL TIME = .000553 SEC

BUFFER RECOIL TIME = .006092 SEC

BUFFER COUNTERRECOIL TIME = .012190 SEC

DH SPRING COUNTERRECOIL TIME = .021407 SEC

BUFFER COUNTERRECOIL VELOCITY = 6.81 IN/SEC

DR SPR COUNTERRECOIL VELOCITY = 253.81 IN/SEC

where

 $v_{sa}$  = velocity of recoiling parts at s,

The driving spring force at s, is  $F_{sa} = 61.7$  lb (par. 4-3.2.5.1). Since the spring force when fully compressed is  $F_m = 97.4$  lb (par. 4-3.2.4), the energy absorbed by the driving spring is

$$E_d = \frac{1}{2} (F_{sa} + F_m) L_r / \epsilon = 557 \text{ in-lb}$$

where e = 0.5, the efficiency of the system. The energy consumed by the buffer is

$$E_h = E_r - E_d = E_r - 557 \text{ in.-lb.}$$

The effective spring constant and the buffer stroke are.  $K_b = 60$  lb/in. and  $L_b = 1.0$  in., respectively. The initial and final spring forces are found by equating the spring work to the energy to be absorbed

$$\frac{1}{2} (F_{ob} + F_{mb}) L_b / \epsilon = E_b$$

where

$$F_{mb} = F_o + K_b L_b$$
, the initial buffer force is

$$F_{ob} = \frac{\epsilon E_b}{L_b} - 1/2 K_b L_b = 0.5 E_r - 309, \text{lb}$$

The recoil time while the driving spring is functioning is computed by expanding Eq. 2-22 to include the limits of x = 0 to  $x = L_r$  and by proper substitution for the other variables.

$$t_{dr} = \sqrt{\frac{\epsilon M_r}{K}} \left( \operatorname{Sin}^{-1} \frac{F_m}{Z} - \operatorname{Sin}^{-1} \frac{F_{sa}}{Z} \right)$$

= 
$$0.0203 \left( \sin^{-1} \frac{97.4}{Z} - \sin^{-1} \frac{61.7}{Z} \right)$$
, sec

where

$$Z = \sqrt{F_{sa}^2 + \epsilon K M_r v_{sa}^2} = \sqrt{3807 + 10.2 E_r}$$

The buffer recoil time is found similarly. However, since the buffer absorbs the remaining energy, the buffer recoil time is computed according to Eq. 2-23.

$$t_{br} = \sqrt{\frac{\epsilon M_r}{K_b}} \operatorname{Cos}^{-1} \frac{F_{ob}}{F_{mb}}$$
$$= 0.00837 \operatorname{Cos}^{-1} \frac{F_{ob}}{F_{mb}}, \operatorname{sec}$$

#### 4-3.3.3.2 Counterrecoil Dynamics

The time required for counterrecoil during buffer action is found from Eq. 2-27.

$$t_{bc} = \sqrt{\frac{M_r}{\epsilon K_b}}$$
  $\cos^{-1} \frac{F_{ob}}{F_{mb}} = 0.01675 \cos^{-1} \frac{'ob}{F_{mb}}, \sec$ 

The velocity at the end of the buffer stroke is found by equating the work done by the springs to the expression for kinetic energy and then solving for the velocity

$$E_{bc} = \left(\frac{F_{mb} + F_{ob}}{2}\right) \epsilon L_b$$
$$= (F_{mb} + F_{ob})/4 = 1/2 M_r v_{bc}^2$$

$$v_{bc} = \sqrt{2E_b/M_r} \ .$$

TABLE 4-9. COMPUTED DYNAMICS, COUNTERRECOIL BOLT LOCKING DURING PARABOLA TRAVERSE

TRAVEL	FORCE POUND	BETA DEGREE	MASS 1000X	DELTAT MILSEC	VELOC I TY IN/SEC	TIME MILSEC
• 05	50•99	50 • 003	.01582	• 1963	254•41	•1963
•10	50 • 48	46.676	.01219	• 1958	255.00	•3921
	49 97	42.882	.01006	• 1954	255.59	•5875
•20	49 • 46	38.557	<b>.</b> ∪08 <del>.7</del> 1	• 1950	256.16	• 7825
•25	48.95	33.643	•00783	• 1945	256•73	• 9770
• 30	48 <sub>•44</sub>	28.096	•00725	• 194 <b>1</b>	257.30	1.1712
• 35	47.93	21.913	•00687	• 1937	257 <b>.</b> 85	1.3649
•40	47.42	15.145	• 00664	• 1933	258.40	1• 5581
45	46.91	7 <b>.917</b>	• 00652	• 1929	258 <b>•</b> 94	1• 7510
• 50	46 • 40	•428	•00647	• 1925	259.48	1 • 9435
1.00	41 • 30	•428	•00647	_ <b>1•</b> 8730	264•45	3.8166

The time required for counterrecoil during driving spring action and while bolt and operating rod are moving as a unit is computed from Eq. 2-26

$$t_{cr} = \sqrt{\frac{M_r}{\epsilon K}} \left( \sin^{-1} \frac{-F_{sb}}{Z} - \sin^{-1} \frac{-F_m}{Z} \right)$$
$$= 0.04061 \quad (\sin^{-1} \frac{-51.5}{Z} - \sin^{-1} \frac{-97.4}{Z} \right)$$

where

$$F_{sb} = F_m - K(L_d - L_b)$$
  
= 97.4- 10.2 x 4.5 = 51.5 lb

$$Z = \sqrt{F_m^2 + KM, v_{bc}^2/\epsilon} + \sqrt{9487 + 40.8 E_{bc}}$$

The total work done by all springs until locking starts is

$$E_{sc} = E_{bc} + \left(\frac{F_m + F_{sb}}{2}\right) (L_d - L_b)\epsilon$$
$$= E_{bc} + 167.5 \text{ ,in.-lb.}$$

The velocity at this time is

$$v_{sc} = \sqrt{2E_{sc}/M_r}$$
 ,in./sec.

#### 4-3.3.3.3 Bolt Locking Dynamics

When the bolt reaches the breech face, the operating rod continues on its linear path for the remaining one inch of travel. In the meantime, the cam follower on the operating rod locks the bolt, riding over the parabolic cam curve for a half inch of travel and over the helix for the other half inch. Meanwhile, the driving spring continues to force the moving parts into battery.

The cam action during locking is the reverse of that during unlocking but follows a similar pattern. The axial length of the parabola is divided into equal length increments. The spring force is determined at the end of each increment to compute the time and velocity for each increment. Eq. 2-26 yields the differential time with  $M_e$  being the effective mass obtained from Eq. 4-73. For counterrecoil, the cam follower is a sliding surface, therefore,  $\mu_r = \mu_s$ .

$$M_e = 0.00647 + \frac{0.000458 \tan \beta}{0.203 \left( \frac{\cos \beta + 0.2 \sin \beta}{\sin \beta + 0.3 \cos \beta} - 0.1149 \right)}$$

While the cam follower is traversing the helix during the last stage of locking the bolt, the operating rod continues toward its in-battery position.

The differential time for any increment of travel is

$$t_{cr} = \sqrt{\frac{M_e}{\epsilon K}} \left( \sin^{-1} \frac{-F_{c2}}{Z} - \sin^{-1} \frac{-F_{c1}}{Z} \right)$$

= 0.4428 
$$\sqrt{M_e}$$
 (Sin-'  $-\frac{F_{c2}}{Z}$  - Sin-'  $\frac{-F_{c1}}{Z}$ )

where

 $F_{c1}$  = spring force at beginning of increment

 $F_{c2} = F_{c1} - K\Delta s$ , spring force at end of increment

 $\Delta s$  = increment of counterrecoil travel

$$Z = \sqrt{F_{c1}^2 + KM_e v^2/\epsilon} = \sqrt{F_{c1}^2 + 40.8E_{cri}}$$

 $E_{cri}$  = counterrecoil energy at beginning of

The energy at the end of each increment is

$$\begin{split} E_{cr} &= E_{cri} + \frac{\epsilon}{2} (F_{c1} + F_{c2}) \Delta s \\ &= E_{cri} + 0.25 (F_{c1} + F_{c2}) A s \text{, in.-lb.} \end{split}$$

The counterrecoil velocity at the end of each increment is

$$v_{cr} = \sqrt{2E_{cr}/M_e}$$
 , in./sec.

#### 4-3.3.4 Fining Rate

The time of each firing cycle is the total accumulated by all operations.

Time, sec	Operation	Table
0.003665	Before Gas Cutoff	4-5
0.000220	Bolt Unlocking, Helix	4-6
0.001116	Bolt Unlocking, Parabola	4-7
0.001100	Gas Expansion After Cam Action	4 8
0.000553	Driving Spring Recoil	4-8
0.006092	Buffer Recoil	4-8
0.012190	Buffer Counterrecoil	4 - 8
0.021407	Driving Spring Counterrecoil	4-8
0.003817	Bolt Locking	4-9
0.050160	Total Firing Cycle	

Firing rate 
$$f_r = \frac{60.0}{0.05016} = 1196 \text{ rounds/min.}$$

#### 4-3.4 SPRINGS

#### 4-3.4.1 Driving Spring

The driving spring, in order to comply with the dynamic requirements of the gun, is assigned the following data

$$K = 10.2 \, \text{lb/in.}$$
, spring constant

 $F_{**}$  = 41.3 lb, load at assembled height

 $F_m = 97.4$  lb, load at fully compressed height

 $L_{\rm s}$  = 5.5 in., operating distance of spring

$$t_{t} = 0.0055 \text{ sec (see par. } 4-3.2.5.1)$$

$$t = 0.0218 \text{ sec (see par. } 4-3.2.5.2)$$

$$v_i = v_i = 503.6$$
 in./sec, impact velocity

Since 
$$v_i \ge 25$$
 ft/sec, select  $\frac{T_c}{T} = 1.8$ ; therefore

$$T = \frac{T_c}{1.8} = \frac{0.0163}{1.8} = 0.0906 \text{ sec, surge time}$$

where  $T_c = t_r - t_h$ , the compression time.

Set the coil diameter at D = 0.375 in. According to Eq. 2–42, the wire diameter is

$$d = 0.27 \quad \sqrt[3]{DKT} = 0.27 \quad \sqrt[3]{0.0333}$$
$$= 0.27 \times 0.322 - 0.087 \text{ in.}$$

The number of coils from Eq. 2-41 is

$$N = \frac{Gd^4}{8D^3K} = \frac{11.5 \times 10^6 \times 57.3 \times 10^{-6}}{8 \times 0.0527 \times 10.2} = 152 \text{ coils}$$

where G =shear modulus.

The static torsional stress, Eq. 2-43, is

$$\tau = \frac{8F_m D}{\pi d^3} = \left(\frac{8 \times 97.4 \times 0.375}{3.14 \times 0.659}\right) \cdot 10^3$$
$$= 141,000 \text{ lb/in.}^2$$

The dynamic torsional stress, Eq. 2-44, is

$$\tau_d = \tau \left(\frac{T}{T_c}\right) \left[ f\left(\frac{T_c}{T}\right) \right] = 141,000 \left(\frac{2.0}{1.8}\right)$$

The solid height is

 $= 157,000 \,\mathrm{lb/in.^2}$ 

$$H_{\rm p} = Nd = 152 \times 0.087 = 13.22 \text{ in.}$$

#### 4-3.4.2 Buffer Spring

During recoil, the buffer springs are contacted at an impact velocity of  $v_i = v_b = 348.1$  in./sec (see par. 4-3.2.5.1). Since  $v_i \ge 25$  ft/sec, the surge time

$$T = \frac{T_c}{1.8} = \frac{0.0055}{1.8} = 0.00306 \text{sec}$$

where

 $T_c = t_{br} = 0.0055 \text{ sec}$ , compression time of buffer spring.

A nest of two springs is used in both primary and secondary systems. The inner spring has 40% of the load and spring constant of the system. The assigned and computed data are listed in Table 4–10. Design data are also listed for single primary and secondary springs and for a single buffer spring to offer comparative values.

The single buffer spring is, obviously, too highly stressed to be acceptable. Of the two other types, the stresses are satisfactory; this leaves the choice to available space, depending on which is the more critical length or diameter. The nested spring requires less longitudinal space whereas the single units require less diametral space.

#### 4-4 THE TAPPET SYSTEM

The tappet system (Fig. 4-7), by virtue of its extremely short stroke, is usually confined to low muzzle velocity guns and to unlocking mechanisms. Since no initial cylinder volume exists, the delivered gases work at peak pressures immediately, no loss in pressure being suffered because a container must first be pressurized. However, the gas flow calculations will follow the same procedure that is outlined for the cutoff expansion system except that pressure on the tappet is considered to be the initial pressure unless the travel of the tappet creates a gas volume that is not compatible with the critical pressure.

#### 4-4.1 SAMPLE PROBLEM

#### 4-4.1.1 Specifications

Gun: Cal .30 Carbine (7.62mm)

 $A_b = 0.0732 \text{in.}^2$ , bore area

 $f_r = 600 \text{ rounds/min, firing rate}$ 

 $L_{bt} = 16.2$  in., length of bullet travel in barrel

 $V_{ch} = 0.057 \text{in.}^3$ , chamber volume

 $W_g$  = 13 grains = 0.00186 lb, weight of propellant

Interior Ballistics: Pressure vs Time, Fig. 4–8 Velocity vs Time, Fig. 4–8

#### 4-4.1.2 Preliminary Design Data

 $d_{\star} = 0.40$  in., diameter of tappet

L = 25 in., bolt travel

 $L_t = 0.15$  in., tappet travel

 $W_r = 0.67$ lb, weight of recoiling unit

**E** = 0.40, efficiency of automatic mechanism

## 4-4.1.3 Design Data, Computed

The time for the firing cycle, Eq. 2-29, is

$$t_c = \frac{60}{f_r} = \frac{60}{600} = 0.100 \text{ sec.}$$

By employing Eq. 4-21 and assuming constant acceleration, the time for counterrecoil and recoil are, respectively,

$$t_{cr} = \frac{2L}{v_{cr}}$$
 ,  $t_{r} = \frac{2L}{v_{r}} = \frac{2\epsilon L}{v_{cr}}$ 

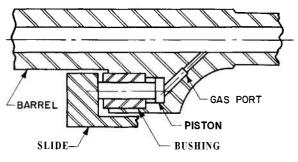
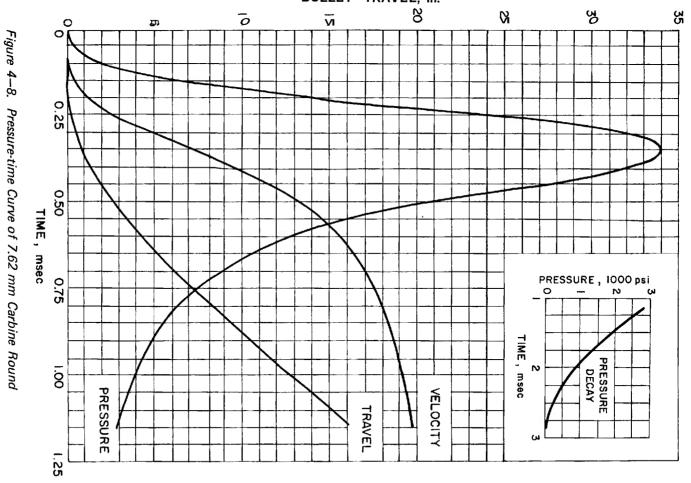


Figure 4-7. Tappet System

TABLE 4-10. BUFFER SPRING DESIGN DATA

Type	Prima	ry, Double	Seconda	ry, Double	Primary	Secondary	Single
Data	Inner	Outer	Inner	Outer	Single	Single	Only
K, 1b/in.	32	48	96	144	80	240	60
$F_m$ , lb	114	171	114	171	285	285	285
T, msec	3.06	3.06	3.06	3.06	3.06	3.06	3.06
D, jn.	0.5	0.875	0.6	1.125	0.5	1.00	0.75
$D^{3}$ , in. <sup>3</sup>	0.125	0.67	0.2	1.424	0.125	1.00	0.422
DKT	0.049	0.1285	0.1763	0.4957	0.1224	0.735	0.1377
<sup>3</sup> √DKT	0.366	0.505	0.561	0.79	0.497	0.902	0.516
<b>d</b> , in.	0.100	0.136	0.151	0.2 13	0.134	0.243	0.139
$d^3 \times 10^3$ , in. <sup>3</sup>	1.0	2.52	3.44	9.67	2.4	14.3	2-69
$d^4 \times 10^4$ , in. <sup>4</sup>	1.0	3.42	5.2	20.58	3.22	34.9	3.73
G X 10 <sup>-6</sup> , psi	11.5	11.5	1.5	11.5	1.5	11.5	11.5
N	36	15.3	36	14.4	46.3	20.9	21.2
$\tau \ X \ 10^{-3}$ , psi	145	151	51	46	151	51	202
$\tau_d \ X \ 10^{-3}$ , psi	162	168	56	51	168	56	225
$H_{\rm s}$ , in.	3.6	2.08	5.44	3.07	6.2	5. <b>0</b> 8	2.95

## PROPELLANT GAS PRESSURE, kpsi BULLET VELOCITY, 100 fps BULLET TRAVEL, in.



Solve both equation for  $v_n$ , equate and reduce to the simplest terms

$$t_r = Et_{rr} = 0.40t_{cr}$$
 $t_r + t_{cr} = 1.40t_{cr} = 0.100 \text{ sec}$ 
 $t_{cr} = 0.071 \text{ sec}$ 
 $t_r = 0.029 \text{ sec}$ 

The counterrecoil velocity is

$$v_{cr} = \frac{2L}{t_{cr}} = \frac{2 \times 2.5}{0.071} = 70.4 \text{ in./sec.}$$

The recoil velocity is

$$v_r = \frac{2L}{t_r} = \frac{2 \times 2.5}{0.029} = 172 \text{ in./sec.}$$

The energy of the recoiling part, Eq. 2-15, is

$$E_r = \frac{1}{2} \left( \frac{W_r}{g} \right) v_r^2 = \frac{1}{2} \left( \frac{0.67}{386.4} \right) 29600$$
  
= 25.65 in.-lb.

The average force on the tappet, Eq. 2-16, is

$$F_a = \frac{E_r}{L_c} = \frac{25.65}{0.15} = 171 \,\text{lb}.$$

The momentum of the recoiling parts  $Mv_r$  is

$$Mv_r = \left(\frac{0.67}{386.4}\right)$$
 172 = 0.298 lb-sec.

Equate momentum and impulse, and solve for time t.

$$t = \frac{Mv_r}{F_a} = \frac{0.298}{171}$$
 lb = 0.00175 sec

This is the time needed for the tappet to reach the velocity of 172 in./sec. The average pressure in the tappet cylinder is

$$P_{s} = \frac{F_{a}}{A_{s}} \equiv \frac{171}{0.1257} = 1360 \,\text{lb/in.}^{2}$$

where

$$A_t = \frac{\pi}{4} d_t^2 = 0.1257 \text{ in.}^2$$
, tappet area

 $d_1 = 0.40$  in., tappet diameter

Assume that the pressure in the tappet cylinder is the critical pressure, then the corresponding pressure in the bore becomes, Eq. 4-26.

$$p_b = \frac{p_c}{0.53} = 2566 \text{ lb/in.}^2$$

The area of the pressure-time corresponding to the impulse of the tappet, Eq. 4-50, is

$$A_{nt} = p_b t = 2566 \times 0.00175 = 4.5 \text{ lb-sec/in.}^2$$

According to Eq. 4-49, when the bullet is still in the barrel,  $p_m = p_b$  and  $V_m = V_b$ , therefore, if  $k_b = k = 1.3$ 

$$W_c = W_g \left(\frac{V_c}{V_b}\right) \left(\frac{p_c}{p_b}\right)^{1/1.3} = 0.614 \ W_g \left(\frac{V_c}{V_b}\right)$$
$$= 0.614 \ \left(0.00186\right) \frac{0.0189}{1.245} = 1.728 \times 10^{-5} \ \text{lb}$$

where

 $p_c = 0.53p_b$ , the pressure in the tappet cylinder, considered to be the critical pressure

 $V_c = A_t L_t = 0.0189 \text{ in.}^3$ , volume of tappet displacement

 $V_b = V_{ch} + A_b L_{bt} = 1.245 \text{ in.}^3$ , chamber plus bore volumes

The estimated orifice area, Eq. 4-52, is

$$A_o = \frac{W_c}{K_w A_{pt}} = \frac{\cdot 1.728 \times 10^{-5}}{1.92 \times 10^{-3} \times 4.5} = 0.002 \text{ in.}^2$$

where

$$K_w = 0.00192/\text{sec}$$
 (see par. 4-3.2.5.2)

The orifice diameter  $d_0 = 0.0505$  in.

If we proceed with the above computed parameters and with the assumed critical pressures, data similar to those in Table 4-11 were computed for the period of time starting at 0.53 msec and extending to the muzzle at 1.15 msec. The area under the pressure-time curve within these time limits equals the 4.5 area computed earlier. Although the required tappet velocity of 172 in./sec was obtained, the tappet travel of 0.072 in, was far short of the required 0.15 in. The required travel could be obtained by merely shifting the gas port toward the muzzle. However, the computed equivalent volumes  $V_e$ , Eq. 4-42, were always larger than the computed chamber volume  $V_c$ , Eq. 4-48. This created the illusion that the tappet cylinder pressure  $p_c$ , Eq. 4-43, was much higher that the available bore pressure, a physical impossibility substantiated by the rate of pressure decline in the bore, so that pressure in the cylinder cannot be maintained higher than that in the bore.

Based on the first computed data, the gas port was moved farther toward the muzzle. Minimum limits on size precluding the use of a port small enough to regulate the pressure to be compatible with velocity and distance had the original port location been kept. Tappet cylinder pressures were assumed to be bore pressure. The assumption is virtually correct since a much higher mass of gas can pass through the port than volume created to accommodate it on the other side by the accelerating tappet.

The pressure in the tappet cylinder now being the same as the bore pressure, the area under the pressure-time curve becomes

$$A_{pt} = p_c t = 1360 \times 0.00175 = 2.38 \text{ lb-sec/in.}^2$$

Now that the gas port has been moved closer to the muzzle, some of the area of the pressure time curve

beyond the muzzle must be considered to compensate for that lost by the relocation of the port. The first set of calculations is a good guide for locating the new port position. After the second set of calculations are completed, the exact velocity and tappet travel are determined by manipulating the areas under the pressure-time curve of the first and last increment. That amount subtracted from one must be added to the other to maintain the same area and hence velocity. If the travel distance is too short, the acceleration at the beginning is too high. Lowering the acceleration at the beginning grants the additional time needed at the end to cover the total required distance. A reduction of the area of the pressure-time curve at the start of the activity and its equal added to the end resolves this problem. If travel distance goes beyond that required, an increase in acceleration at the beginning is needed so that the terminal tappet velocity is realized at a shorter distance. A transfer of pressure-time area from the end to the beginning will serve the purpose. When both tappet travel distance and velocity comply with the required values, the gas port becomes located along the length of the barrel corresponding with the time when this activity started.

The data presented in Table 4-11 are the results of a series of computations arriving at a terminal tappet velocity of 172 in./sec on moving a distance of 0.15 in. the required value. The pressure is read from the pressure-time curve in Fig. 4-8 between the time limits 0.867 msec to 2.13 msec, which extends into the decay period after the bullet leaves the muzzle. While the bullet is still in the barrel, the pressures are read at the time interval and are assumed to be constant over the interval. To illustrate the procedure, the sequence of calculations for t=1.1 msec follows.

At 
$$t = 11.0 \times 10^{-4}$$
,  $p_a = 3100 \text{ lb/in.}^2$  (Fig.4–8)

(The average pressure for 1.65 and 2.13 msec is obtained by dividing the differential area of the pressure-time curve by the corresponding time increment.)

The increment of time, At = 0.00005 sec.

The impulse on the tappet is

$$F\Delta t = A_t p_a \Delta t = 0.0195 \text{ lb-sec}$$

where

$$A_{\bullet} = 0.1257 \text{ in.}^2$$
, area of tappet

t, msec	$\Delta t \times 10^5$ , sec	p <sub>a</sub> , psi	s <sub>b</sub> , in.	$F\Delta t \times 10^4$ , lb-scc	Av, in/sec	ν, in/sec	$\Delta s \times 10^5$ , in.
0.876	1.7	5200	9.6	111	6.4	6.4	5
0.90	5	4800	10.4	302	17.4	23.8	44
0.95	5	4300	11.5	270	15.6	39.4	39
1.00	5	3900	12.7	246	14.2	53.6	36
1.05	5	3500	13.9	220	12.7	66.3	32
1.10	5	3100	15.1	195	11.3	77.6	28
1.15	5	2800	16.2	176	10.1	87.7	25
1.65	50	1630	_	1022	58.9	146.6	1472
2.13	48	730	_	440	25.4	172.0	610
t,	As, X 10 <sup>5</sup> , in.	s X 10 <sup>5</sup> , in.	V <sub>c</sub> X 10 <sup>3</sup> , in. <sup>3</sup>	$\Delta W \times 10^6$ ,	<i>V<sub>b</sub></i> , in. <sup>3</sup>	W <sub>c</sub> X 10 <sup>6</sup> ,	$V_e X 10^3$ , in. <sup>3</sup>
0.876	0	5	0.0063	0.340	0.759	0.34	0.139
0.90	32	81	0.102	0.924	0.8 19	1.264	0.556
0.95	119	239	0.300	0.826	0.899	2.09	1.010
1.00	197	472	0.590	0.750	0.987	2.84	1.505
1.05	268	772	0.970	0.622	1.075	3.462	2.00
1.10	332	1132	1.42	0.595	1,165	4.06	2.54
1.15	388	1545	1.95	0.538	1.245	4.60	3.08
1.65	4385	7402	9.34	3.130	3.67	7.72	15.26

1.344

TABLE 4-1 1. DYNAMICS OF TAPPET

The velocity at the end of the time interval, Eqs. 4-45 and 4-46, is

15059

18.9

$$v = v_{n-1} + \frac{F\Delta t}{M_r} = 66.3 + \frac{0.0195 \times 386.4}{0.67}$$

$$= 66.3 + 11.3 = 77.6 \text{ in./sec.}$$

7047

2.13

$$s = \frac{1}{2} \Delta \nu \Delta t + \nu_{n-1} \Delta t + s_{n-1}$$
$$= \left(\frac{11.3}{2} + 66.3\right) 0.00005 + 0.00772$$

9.07

30.4

6.24

The gas volume in the cylinder according to Eq. 4-48 is

= 0.00028 + 0.00332 + 0.00772 = 0.01132 in.

The distance traveled by the tappet, Eq. 4-47, becomes

$$V_c = V_{co} + A_t s = 0.1257 \times 0.01132 = 0.00142 \text{ in.}^3$$

where the initial volume  $V_{co} = 0$ .

The rate of flow, Eq. 4-27, is

$$w = K_w A_o p_a = 0.00129 \times 0.002 \times 3100$$

= 0.01 190 lb/sec.

The weight of the gas flowing through the port during the interval, Eq. 4-28, is

AW. = 
$$\Delta tw = 0.00005 \times 0.01190 = 5.95 \times 10^{-7} \text{ lb}$$
.

The total weight of the gas in the tappet cylinder is  $W_c$ .

$$W_c = W_{c(n-1)} + AW_r = (3.462 + 0.595) 10^{-6}$$
  
= 4.057 x 10<sup>-6</sup> lb.

The equivalent volume of this gas at 3100 psi pressure, according to Eq. 4-42 becomes

$$V_e = \left(\frac{W_c}{W_g}\right) V_b = \frac{4.057 \times 10^{-6}}{1.86 \times 10^{-3}} \quad 1.165$$
  
= 0.00254 in.<sup>3</sup>

where  $V_b$  is the gas volume of the barrel.

$$V_h = V_O + A_h s_h = 0.057 + 0.0732 \times 15.1 = 1.165 \text{ in.}^3$$

where

 $V_0 = 0.057 \text{ in.}^3$ , initial volume (chamber)

 $A_{1} = 0.0732 \text{ in.}^{2}$ , bore area

 $s_b = 15.1 \text{ in., bullet travel at } t = 1.1 \text{ msec}$ (Fig. 4–8)

According to Eq. 4-43

$$p_c = \left(\frac{V_e}{V_c}\right)^k p_a = \left(\frac{2.54}{1.42}\right)^{1.3}$$
 3100

$$= 2.13 \times 3100 = 6600 \, lb/in.^2$$

This pressure is absurd but it does indicate that more gas is capable of flowing through the port than the cylinder, as the receiver, can admit; therefore, the assumption that cylinder pressure is nearly equal to bore pressure is highly probable particularly since  $V_e > V_c$  throughout the operation. Further assurance is available by computing the time needed during each interval to bring the pressure in the cylinder to the critical. In each increment, the gas flow is rapid enough to reach the critical before the moving tappet creates the corresponding volume. This approach is conservative since the differential pressures in the computations were based solely on critical pressures as limits although considerable time is available for additional gas flow into the cylinder, thus tending to approach the bore pressure. For example, continue with the same sequence of calculations for t = 1.1msec. The critical pressure is

$$p_{cr} = 0.53 p_a = 0.53 \times 3100 = 1640 \text{lb/in.}^2$$

The pressure due to expansion of the gas in the cylinder during the interval provided that gas flow ceases is  $p_e$ .

$$p_e = p_{cr-1} \left(\frac{V_{c-1}}{V_c}\right)^k = 1860 \left(\frac{0.97}{1.42}\right)^{1.3}$$

 $= 1135 \, lb/in.^2$ 

where

 $p_{cr-1}$  = 1860 lb/in.<sup>2</sup>, the critical pressure of the previous interval

 $V_c$  = 0.00142 in.<sup>3</sup>, the gas volume in the tappet cylinder

 $V_{c-1}$  = 0.00097 in.<sup>3</sup>, the gas volume of the previous interval

The differential pressure between the expanded gas in the cylinder and the critical pressure provided by gas flow

$$\Delta p_c = p_{cr} - p_e = 1640 - 1135 = 505 \,\text{lb/in.}^2$$

The equivalent bore volume of the gas expanded to the critical pressure is

$$V_{ec} = V_b \left(\frac{p_a}{p_c}\right)^k = 1.162 \left(\frac{3100}{1640}\right)^{\frac{1.43}{1640}} = 1.90 \text{ in.}^3$$

The weight of the gas at the critical pressure in the tappet cylinder is

$$W_c = \left(\frac{V_c}{V_e}\right) W_g = \left(\frac{0.00142}{1.90}\right) 0.00186$$
  
= 1.39 × 10<sup>-6</sup> lb.

The weight of the gas flowing into the cylinder is that needed to increase the pressure from  $p_e$  to  $p_{cr}$ .

$$\Delta W_{ce} = \left(\frac{\Delta p_c}{p_{cr}}\right) W_c = \frac{505}{1640} (1.39) \quad 10^{-6}$$
  
= 4.28 x 10<sup>-7</sup> lb.

The time needed for the flow is

$$At_{m} = \frac{\Delta W_{ce}}{W} = \frac{4.28 \times 10^{-7}}{0.0119} = 3.60 \times 10^{-5} \text{ sec.}$$

The time is about 70% that of the specified interval of  $5 \times 10^{-5}$  sec. The results of the rest of the calculations appear in Table 4–12. On further examination of the tabulated results – since time is available for gas flow beyond the critical – note that the pressure due to expansion  $p_e$  would be greater than shown, thereby reducing the time needed to reach the critical pressure, and meanwhile, providing more time for the tappet cylinder pressure to reach the bore pressure.

#### 4-4.1.4 Spring Design Data

Spring characteristics are determined more readily during recoil since more data are immediately available. According to Eq. 2-15, after the bolt has traveled its full distance in recoil, the energy to be absorbed by the spring is  $E_{\nu}$ .

$$E_{rr} = \frac{1}{2} \left( M_b v_r^2 \right) = 25.65 \text{ in.-lb}$$

where

$$M_b = \frac{0.67}{386.4}$$
  $\frac{\text{lb-sec}^2}{\text{in.}}$  , mass of bolt unit

 $v_{ij} = 172 \text{ in./sec}$ , recoil velocity

From Eq. 2-67b

$$KT = \frac{F_m}{1037} = \frac{F_a + \frac{1}{2} \left( L_d K \right)}{1037}$$

where

$$K = \frac{4.36}{0.0071 \times 1037 - 1.175} = \frac{4.36}{6.188}$$

= 0.70 lb, spring constant

$$T = \frac{T_c}{3.8} = 0.0071 \text{ sec}$$
, surge time of spring

$$T_c = t_p - t = 0.029 - 0.0021 = 0.0269$$
 sec, preliminary estimate of compression time of spring

The average spring force, Eq. 2-30, is

$$F_a = {eE_r \over L_d} = {0.040 \times 25.65 \over 2.35} = 4.36$$

where

$$L_d = L - L_t = 2.35$$
 in., spring

deflection after tappet stops.

TABLE 4-12. CRITICAL PRESSURE TIME REQUIREMENTS

t, msec	p <sub>cr</sub> , psi	w X 10 <sup>3</sup> , lb/sec	$V_c \times 10^3$ , in. <sup>3</sup>	p <sub>e</sub> , psi	$\Delta p_c^{},$ psi	$V_{ec},$ in.	W <sub>c</sub> X 10 <sup>6</sup> , lb	$\Delta W_{ce} \times 10^6$ , lb	$\Delta t_w \times 10^5$ , sec
0.867	2760	20.00	0.0063	0	2760	1.24	0.001	0.001	0.05
0.90	2540	18,46	0.102	73	2467	1.34	0.142	0.138	0.77
0.95	2280	16.52	0.300	625	1655	1.47	0.380	0.276	1.67
1.00	1990	15.00	0.590	945	1045	1,61	0.683	0.376	2.50
1.05	1860	12.44	0.970	1040	820	1.75	1.03	0.453	3.64
1.10	1640	11.90	1.42	1135	505	1.90	1.39	0,428	3.60
1.15	1480	10.76	1,95	1088	392	2.03	1.79	0.474	4,40
1.65	870	6.26	9.34	182	688	5.98	2.90	2.290	36.60
2.13	387	2.80	18.90	348	39	10.18	3.46	0.348	12.40

i

The driving spring force when the bolt is fully retracted is

$$F_m = F_a + \frac{1}{2} \left( KL_d \right) = 4.36 + \frac{1}{2} \left( 2.35 \right) \quad 0.70$$
  
= 5.18 lb.

The driving spring force when tappet contacts bolt is

$$F_0 = F_m - \text{KL}$$
, = 5.18 - 2.35 x 0.70 = 3.54 lb.

The time for the bolt to recoil, excluding the time of the initial 0.15 in. of tappet travel, is computed via **Eq.** 2-23.

$$t_r = \sqrt{\frac{\epsilon M_b}{K}} \quad \cos^{-1} \frac{F_o}{F_m}$$
$$= \sqrt{\frac{0.4 \times 0.67}{0.70 \times 386.4}} \quad \cos^{-1} \frac{3.54}{5.18}$$
$$= 0.0315 \times 0.818 = 0.0258 \sec^{-1} \frac{3.54}{5.18}$$

Spring data and time are now computed for counterrecoil

$$F_o = F_m - \text{KL} = 5.18 - 0.70 \times 2.5 = 3.43 \text{ lb}$$

where

L = 2.5 in., total length of bolt travel including tappet travel.

The time of counterrecoil, Eq. 2-27,

$$t_{cr} = \sqrt{\frac{M_b}{eK}} \quad \cos^{-1} \frac{F_o}{F_m}$$
$$= \sqrt{\frac{0.67}{0.4 \times 386.4 \times 0.70}} \quad \cos^{-1} \frac{3.43}{5.18}$$

 $= 0.079 \times 0.847 = 0.0669 \text{ sec.}$ 

The time needed to accelerate the bolt during recoil is obtained from Table 4–11 where  $t_a = t = 0.0021$  sec, the last value (rounded to 4 places) in the time column.

The elapsed time for the firing cycle becomes

$$t_c = t_a + t_r + t_{cr} = 0.0021 + 0.0258 + 0.0669$$
  
= 0.0948 sec.

The new firing rate of

$$f_r = .60 = 633 \text{ rounds/min}$$
 is acceptable since it is only

5.5% higher than the specified rate.

The revised surge time of the spring becomes

$$T = \frac{T_c}{3.8} = \frac{t_a + t_r}{3.8} = \frac{0.0021 + 0.0258}{3.8} = 0.00734 \text{ sec.}$$

Having set the coil diameter at D = 0.25 in., we establish the spring constant at K = 0.70 lb/in., thus the wire diameter according to Eq. 2-42 becomes

$$d = 0.27 \quad \sqrt[3]{DKT} = 0.27 \quad \sqrt[3]{0.001286}$$
$$= 0.27 \times 0.1088 = 0.0294 \text{ in.}$$

The number of coils, **Eq.** 2-41, is N.

$$N = \frac{Gd^4}{8D^3K} = \frac{11.5 \times 10^6 \times 74.7 \times 10^{-8}}{8 \times 0.0156 \times 0.66} = 104 \text{ coils}$$

The static torsional shear stress becomes

$$\tau = \frac{8F_m D}{\pi d^3} = \frac{8 \times 5.18 \times 0.25}{3.14 \times 25.4 \times 10^{-6}} = 130,000 \,\text{lb/in.}^2$$

The dynamic stress is

$$\tau_d = \tau \left(\frac{T}{T_c}\right) \left[f\left(\frac{T_c}{T}\right)\right] = 130,000 \left(\frac{4.0}{3.8}\right)$$
$$= 137,000 \,\text{lb/in.}^2$$

The solid height is

$$H_{\rm s} = Nd = 104 \times 0.0294 = 3.06 \text{ in.}$$

#### CHAPTER 5

### REVOLVER-TYPE MACHINE GUNS

#### 5-1 SINGLE BARREL TYPE\*

Revolver-type machine guns are distinguished from other types by the revolving drum, a feature borrowed from the revolver. The operational characteristics of the two weapons, machine gun and pistol, are basically similar except for refinements in the former that convert it from an ordinary repeater to a machine gun. These refinements involve automatic loading, firing, and ejecting operations. Fig. 5–1 is a schematic of a revolver type machine gun. Its essential components are receiver, drum cradle, drum, barrel, gas operating mechanism, slide, feeder, rammer, driving spring, and adapter.

Fig. 5-1 illustrates a gas-operated gun, however, external power may also be used for this type. When a round is fired, the recoiling parts comprising barrel, drum, and cradle recoil a short distance before being stopped by the adapter. In the meantime, the slide assembly recoils with these parts until a portion of the

propellant gas passing from barrel to operating cylinder induces a relative velocity between recoiling parts and slide. As the recoiling parts stop, the slide continues to be accelerated rearward until the piston in the operating cylinder stops. The slide now has sufficient momentum to operate all moving parts until the next round is fired.

Continuing rearward, the slide, through the medium of a cam, imparts motion to the drum and then comes to rest after transferring all its energy less substantial frictional losses to the drum and driving spring. The drum now has the momentum to continue all operations. As it rotates, it actuates the feeder which pulls the ammunition belt far enough to align the next round with an empty chamber and the rammer. Cam action now imparts forward motion to the slide and rammer, the two components being integral. Cam forces – augmented by the driving spring force – drive the slide forward, eject the spent cartridge case, ram a full round into a chamber, and stop the drum as the loaded chamber reaches alignment with the bore just before the round is fired and the whole sequence repeats.

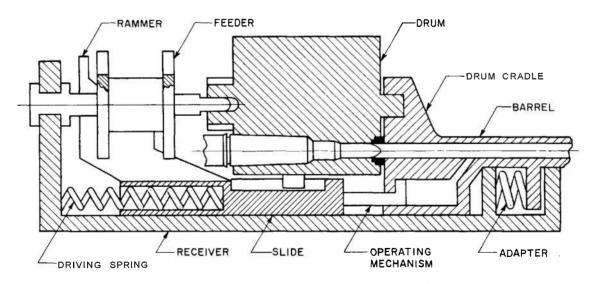


Figure 5-1. Schematic of Single Barrel Revolver-type Machine Gun

<sup>\*</sup>General information was obtained from Refs. 8, 9, 10, and 11.

Ramming is a two-stage activity. The first stage involves stripping the round from the belt and pushing it about halfway along its path to the chamber. The second stage completes the chambering. Fig. 5-2 shows this two-step action. Actually, the entire process occurs during one cycle but on two adjacent rounds. While first-stage activity is confined to a new round, second-stage activity simultaneously completes the ramming of the round introduced during the preceding firing sequence. This two-stage ramming process represents a major advantage over a single-chambered gun by its ability to reduce the ramming distance to half its usual length thereby decreasing cycle time and increasing the rate of fire. Another contributing factor is the reduction of shocks resulting in higher allowable slide velocities (up to 50 ft/sec) than those usually associated with conventional mechanisms.

# 5-1.1 PRELIMINARY DYNAMICS OF FIRING CYCLE

The normal approach to the study of the dynamics during the firing cycle is to consider the various operations in their operational sequence. By considering firing as the initial condition, the first response of the gun is recoil. In many applications, since propellant gas forces are appreciable, the effects

of recoil mechanism resistance are assumed negligible without introducing serious errors. However, for revolver-type machine guns, the recoil stroke is so short that considerable resistance must be provided immediately to preclude high recoil velocities and to keep recoil travel to the desired minimum. Left unimpeded, the distance of free recoil of a 20 mm barrel (Table 2–2) is almost 5 times that of an existing (M39) gun.

Performing an analysis similar to that defined in Eqs. 2-45 through 2-49, with due attention to the adapter resistance, the following iterative procedure is suggested. Compute the free recoil characteristics similar to those of Table 3-2. After obtaining the velocity and distance of free recoil, efforts must be directed toward reducing the velocity to zero over the prescribed recoil distance. One way of computing a zero velocity is to employ the weighted arithmetic mean of the impulse which yields an average force

$$F_a = \frac{\Sigma F_g \Delta t}{\Sigma \Delta t}$$
 (5-1)

Let this average force become the adapter resistance and compute what may be considered to be a resisting

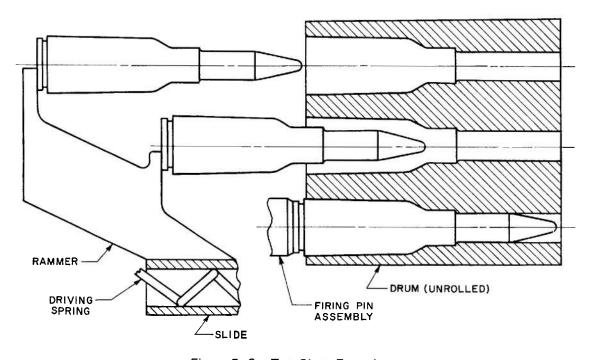


Figure 5-2. Two Stage Ramming

impulse for each increment of time, which, when subtracted from the original impulse, will yield an effective impulse.

$$(F\Delta t)_{\rho} = F_{g}\Delta t - F_{a}\Delta t \tag{5-2}$$

The change in velocity during each time interval will be

$$\Delta v = \frac{(F\Delta t)_e}{M_r} \cdot$$

This procedure will always have  $\Sigma \Delta \nu = 0$ , thus meeting one of the design criteria. The recoil distance is obtained from Eqs. 2-47, 2-48, and 2-49.

The data of Table 2-2 can illustrate the above procedure

$$F \ a = \frac{\sum \Delta t}{\sum \Delta t}$$
 37.42  $= 6237 \text{ lb}$ 

$$(F\Delta t)_e = (F_g \Delta t - F_a \Delta t) = 0$$

$$\Sigma \Delta v = \Sigma \left( \frac{F \Delta t_e}{M_r} \right) = 0$$

$$x = \sum \Delta x = 0.4313 \text{ in.}$$

If  $\mathbf{x}$  is too large,  $F_a$  is increased; if too small, it is decreased. Based on the 0.25 in. recoil distance of the M39 Machine Gun,  $F_a$  must be increased. Although the

adapter resistance increases as recoil progresses, the error in assuming  $F_a$  constant is minimal since the distance over which it functions is extremely short.

The recoiling parts continue to accelerate until  $(F\Delta t)_e$  becomes zero. When this happens, the recoiling parts begin to decelerate but the slide continues to move under its own inertia unless the projectile has already passed the operating cylinder's gas port. In this event, a strong probability, the slide continues to accelerate under the influence of the newly supplied force source. Fig. 5-3 is a force diagram showing the accumulated effect of the various applied and induced forces

where

 $F_t$  = adapter force

 $F_c$  = operating cylinder force

 $F_{\sigma}$  = propellant gas force

 $M_s$  = mass of slide

When slide and recoiling parts act as a unit  $M = M_r + M_s$  (otherwise  $M = M_r$  the mass of the recoiling parts), the recoil acceleration becomes

$$a_r = \frac{F_g - F_t - F_c}{M_r + M_s}$$
 (5-4)

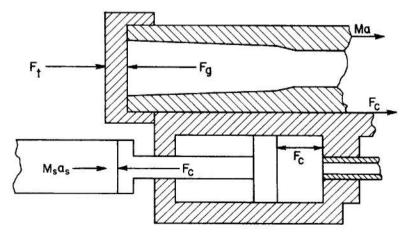


Figure 5-3. Force Diagram of Recoiling Parts and Slide

The slide acceleration becomes

$$a_s = a_r + \frac{F_c}{M_s} \quad . \tag{5-5}$$

The dynamics of the gas operating cylinder follow a procedure similar to that for the cutoff expansion system (see par. 4-3.1.1).

Before continuing with the gas system analysis, the required operating energy must be estimated which leads to the selection and analysis of the slide and drum dynamics. Transfer of energy of slide to drum and driving spring and then back to slide must be achieved with operative efficiency and tolerable forces. A system such as this is notorious for its high energy losses and large forces. These two characteristics are kept within bounds by an elliptical cam, although other curves may be used if they display similar properties with respect to cam action.

The physical dimensions of the drum are best suited to generate other design parameters. Drum length is dictated by round length. Its outer radius is based on the number of chambers and the strength of the outer wall. A minimum of 4 chambers is sufficient to meet the basic operating requirements of present revolver-type machine gun concepts but may prove awkward in actual practice because of large angular displacement for each firing cycle, thus reducing the firing rate and putting an added burden on the designer to provide more power and acceptable mechanisms such as rammers. A design study at Springfield Armory indicates an optimum number of 5 chambers when based on kinematics alone. When other factors were considered. 5 or 6 chambers showed little difference with 5 having a slightly lower firing rate but definitely lower forces and less weight, thus leaning toward 5 as the recommended number. With the number of chambers established, the linear dimensions are now available from which the mass of the drum can be estimated.

Present practice has the weight of the slide approximately 1/3 the weight of the drum. Another established criterion that provides acceptable design parameters of the cam is the relationship shown in Eq. 5–6a.

$$\frac{M}{Md}\left(\frac{b^2}{a^2}\right) = 1.0$$
(5-6a)

where

a = major axis of elliptical cam

b = minor axis of elliptical cam

 $M_d$  = mass of drum

 $M_s$  = mass of slide

When  $M_d = 3M_s$ ,

$$a = 1.732 b.$$
 (5–6b)

Another design parameter, the index of friction,

$$\mu_i = n \left( \frac{a}{b} + \frac{b}{a} \right) \quad (\text{Ref. 14}) \qquad (5-7a)$$

Substitute the value for a in Eq. 5-6b into Eq. 5-7a

$$\mu_i = \pi(1.732 \pm 0.577) = 7.23.$$
 (5-7a)

This index may vary if other ratios of a and b become more attractive.

The slide travel relative to the receiver need be only slightly more than half the round length since ramming takes place in two stages. The addition to the half-length depends on the desired clearances between projectile nose and drum, and between rammer and cartridge case base. Straight portions of the cam provide a dwell period for the drum before and after firing; one over the first part of slide travel during recoil, the other over the last part of counterrecoil. These straight portions may be of different lengths as may be the width of the cam curves for recoil and counterrecoil. Because cam forces are inherently less severe during counterrecoil, a larger sweep of the curve for recoil has the tendency to equalize the forces of the two actions, thereby increasing the efficiency of the system. A separate study of the individual cases is recommended but the relative dimension of an existing system serves as a guide. Fig. 5-4 is a schematic of such an arrangement.

$$L_c = a_{rec} + s_{or} ag{5-8}$$

$$L_c = a_{crc} + s_{ocr}$$

$$\frac{a_{crc}}{a_{rec}} = 0.6 \tag{5-9}$$

$$\frac{b_{cr}}{b_{r}} = 0.75 \tag{5-10}$$

$$\frac{s_{or}}{a_{rec}} = 0.5 \tag{5-11}$$

$$\frac{s_{ocr}}{a_{crc}} = 1.5 \tag{5-12}$$

$$L_c = \frac{1}{2} L_r + C_r \text{, cam length}$$
 (5–13)

where

L, = length of round

 $C_r$  = total clearance of the round at both

The cam width is

$$w_c = b_r + b_{cr} = \frac{2\pi R_{ch}}{N_c}$$
 (5-14)

where

 $N_{\perp}$  = number of chambers in drum

 $R_{ch}$  = radius of chamber about drum axis

After the preliminary cam dimensions have been estimated, attention is now directed toward the effort needed to operate all moving parts at speeds commensurate with the firing rate of the gun. Operations that require energy include feeding, ramming, and ejecting. Components that must be activated are slide and rammer, drum, feeder, and loaded ammunition belt. The size of the drum, based on present 20 mm data, has the length  $L_d$  and diameter  $D_d$  indicated in Eqs. 5–15a and 5–15b.

$$L_d = L_r$$
, drum length (5–15a)

$$D_d = 6D_b$$
, drum diameter (5–15b)

where

 $D_b$  = bore diameter.

The mass of the drum and rotating feeder components may be estimated as the solid cylinder having the above dimensions. For moving ammunition by the feeder, an additional 10 percent is added to the effort. For ramming, the mass of two rounds is added to that of slide and rammer, whose mass  $M_g$  is approximately equal to 1/3 of the drum components  $M_d$ . thus

$$M_s = 1/3 M_d.$$
 (5–16)

The spent cartridge case should be ejected at a velocity of approximately 70 ft/sec. The velocity of other moving parts depend on the rate of fire  $f_r$ . However, since the maximum velocity of the slide should not exceed 50 ft/sec, this limit may be used as the initial estimate of the maximum slide velocity. The energy of the slide at this velocity represents the input energy of the system.

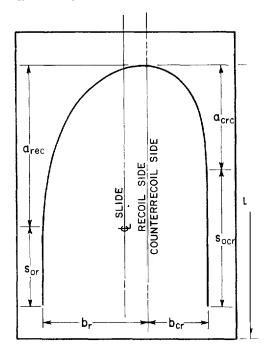


Figure 5-4. Schematic of Cam Geometry

By the time that all moving parts have returned to the firing position, where all motion ceases, considerable energy has been expended to friction, loading, and ejection. According to Ref. 14 when x = L, the loss of energy from slide to drum due to friction is

$$E_{\mu d} = (1.0 - e^{-\mu_i \mu}) E_d$$
 (5-17)

where  $E_d$  is the total energy transferred from slide to drum if the system were frictionless and  $\mu$  is the coefficient of friction. The energy of the drum alone (belt energy is of no help because it cannot push) just as the slide starts to counterrecoil is computed from Eq. 59, Ref. 9, and shown in Eq. 5–18

$$E_{dcr} = \left(\frac{M_d}{M_{de}}\right) e^{-\mu_i \mu} E_d \tag{5-18}$$

where

 $M_d$  = mass of drum

 $M_{de}$  = effective mass of drum and

According to **Eq.** 69, Ref. 9, when x = 0, the frictional energy loss in the slide when fully counterrecoiled is

$$E_{us} = (1.0 - e^{-\mu_i \mu}) E_{dcr}. \tag{5-19}$$

The loss attributed to the driving spring is

$$E_{s} = E_{s}(1 - \epsilon^{2}) \tag{5-20}$$

where

 $E_s$  = energy transferred from slide to driving spring

E = efficiency of spring system

The energy expended to eject the spent cartridge case at velocity  $v_e$  is

$$E_e = \frac{1}{2} \left( M_c v_e^2 \right) \tag{5-21}$$

where  $M_c$  = mass of cartridge case

The total expenditure of energy of the drum and its associated components during a firing cycle is expressed in **Eq.** 5–22.

$$E_{\mu} = E_{\mu d} + E_{\mu s} + E_{\epsilon} + E_{e}$$
 (5-22)

The energy of the slide derived from normal recoil and the gas operating cylinder is

$$E_{sr} = \frac{1}{2} \left( M_s v_{sm}^2 \right) \tag{5-23}$$

where

 $v_{sm} \leq 50 \text{ ft/sec}$ , maximum slide velocity

 $M_s$  = mass of slide

A relatively stiff driving spring is recommended to hold the maximum velocity of drum and belt to a minimum (Ref. 9). If p is the ratio of spring energy E, to drum energy  $E_d$ ,

$$\rho = \frac{E_s}{E_d} \quad . \tag{5-24}$$

Since the slide energy is converted to spring and drum energy,  $E_{sr} = E_s + E_d$ , the total energy transferred to the drum is shown to be

$$E_d = E_{sr}/(1+\rho). (5-25)$$

The preliminary firing rate is estimated from the times of recoil and counterrecoil when based on the relative velocity of the cam follower on the drum and the cam in the slide. The recoil time (Eq. 98, of Ref. 9) is

$$t_r = \gamma \left( \frac{2s_r}{v_{sm} + v_{dm}} \right) \tag{5-26}$$

where

s = cam length for recoil

 $v_{dm}$  = maximum peripheral velocity of drum

 $\gamma$  = correction factor

The counterrecoil time will be

$$t_{cr} = \gamma \left( \frac{2s_{cr}}{v_{dm} + v_{scr}} \right)$$
 (5-27)

where

s = cam length for counterrecoil

 $v_{scr}$  = counterrecoil velocity of slide

Based on operating guns, the empirical  $\gamma = 0.935$  (Ref. 9).

The firing rate is

$$f_r = \frac{60}{t_r - t_{cr}}$$
, rounds/min. (5-28)

# 5-1.1.1 Sample Problem of Preliminary Firing Rate

Given data  $W_d = 30$  lb, weight of drum

 $W_s = 10 \text{ lb}$ , weight of slide

 $W_a = 0.6$  lb, weight of round

 $W_{cc} = 0.2 \text{ lb}$ , weight of case

 $R_d$  = 3 in., radius of cam contact point

L, = 5 in., distance of slide travel (same as cam length)

 $N_c = 5$  chambers

$$a_{rec} = \frac{L_c}{1.5} = 3.33$$
 in. (from Eqs. 5-8 and 5-11)

$$a_{crc} = 0.6 a_{rec} = 2.0 \text{ in. (from Eq. 5-9)}$$

$$b_r + b_{rr} = \frac{2\pi R_d}{5} = 3.77 \text{ in., peripheral cam}$$
travel

$$b_r = \frac{b_r \cdot b_{cr}}{1.75} = 2.15 \text{ (from Eq. 5-10)}$$

$$b_{yy} = 3.77 - 2.15 = 1.62 \text{ in.}$$

$$s_{or} = L$$
, -  $a_{m} = 1.67$  in.

$$s_{ocr} = L$$
,  $-a_{crc} = 3.0$  in.

$$s_r = s_{or} + \frac{\pi}{2} \sqrt{\frac{a_{rec}^2 + b_r^2}{2}} - 1.67 + 4.40 = 6.07 \text{ in.},$$

cam follower travel during recoil

$$s_{cr} = s_{ocr} + \frac{\pi}{2} \sqrt{\frac{a_{crc}^2 + b_{cr}^2}{2}} = 3.0 + 2.86 = 5.86 \text{ in.},$$

cam follower travel during counterrecoil

 $v_e$  = 840 in./sec, maximum recommended ejection velocity of cartridge

v,, = 600 in./sec, maximum allowable slide velocity

$$E_{rr} = \frac{1}{2} \left( M_s v_{sm}^2 \right) = \frac{10 \times 360000}{2 \times 386.4}$$

= 4658.4 in.-lb, maximum slide energy of recoil

Select  $\rho = 0.25$ 

$$E_d = \frac{E_{ST}}{1 \pm \rho} = \frac{4658.4}{1.25}$$

= 3726.7 in.-lb, energy to be transferred

to drum

$$E_s = E_{sr} - E_d = 931.7 \text{ in.-lb},$$

energy to be transferred to driving spring

At the end of slide recoil, the energy in the drum, **Eq.** 5–18, becomes

$$E_{dcr} = \left(\frac{M_d}{M_{de}}\right) e^{-\mu_i \mu} E_d = \frac{30}{33} \left(\frac{3726.7}{e^{0.723}}\right)$$
$$= \frac{111801}{68} = 1644.1 \text{ in.-lb}$$

where

$$M_{de} = 1.1 M_d = 33/g$$
  
 $\mu_{,\mu} = 7.23 \times 0.1 = 0.723$ 

$$\begin{split} E_{dcr} &= \frac{1}{2} \left( I_d \omega_d^2 \right) = \frac{1}{2} \left( M_d k^2 \omega_d^2 \right) \\ &= \frac{4}{2} \frac{M}{M_d} \left( \frac{R_d^2}{2} \right) \left( \frac{v_{dm}^2}{R_d^2} \right) = \frac{1}{4} M_d v_{dm}^2 \end{split}$$

where  $I_d$  = mass moment of inertia of drum

k = radius of gyration

 $\omega_d$  = angular velocity of drum

$$v_{dm} = \sqrt{\frac{4E_{dcr}}{M_d}} = \sqrt{\frac{4 \times 386.4 \times 1644.1}{30}}$$
  
=  $\sqrt{84704} = 291 \text{ in./sec, maximum}$ 

peripheral velocity of drum

The energy transferred from drum to slide, from Eq. 5-19, is

$$E_{sd} = e^{-\mu_i \mu} E_{dcr} = \frac{1644.1}{2.06} - 798.1 \text{ in.-lb.}$$

The energy transferred from driving spring to slide, assuming 80% efficiency, **Eq.** 5-20, is

$$E_{ss} = \epsilon^2 E_s = 0.64 \text{ x } 931.7 = 596.3 \text{ in.-lb.}$$

The energy expended for ejection, Eq. 5-21, is

$$E_e = \frac{1}{2} \left( M_{cc} v_e^2 \right) = \frac{0.2 \times 705600}{2 \times 386.4} = 182.6 \text{ in.-lb.}$$

The energy in the slide at end of counterrecoil is

$$E_{scr} = E_{sd} + E_{ss} - E_{s} = 1211.8 \text{ in.-lb.}$$

The velocity of the slide at end of counterrecoil when it bears the additional weight of two rounds is

$$v_{scr} = \sqrt{\frac{2E_{scr}}{M_s + 2M_a}} = \sqrt{\frac{2 \times 1211.8 \times 386.4}{10 \pm 2 \times 0.6}}$$
$$= \sqrt{83614} = 289 \text{ in./sec.}$$

According to **Eqs.** 5-26 and 5-27, the firing cycle time becomes

$$t_c = 2\gamma \left( \frac{s_r}{v_{sm}} + v_{dm} + \frac{s_{cr}}{v_{dm}} + \frac{s_{cr}}{v_{dm}} \right)$$

$$= 1.87 \left( \frac{6.07}{891} + \frac{5.86}{580} \right)$$

$$= 1.87 \left( 0.0068 + 0.0101 \right) = 0.0316 \text{ sec}$$

where  $\gamma = 0.935$ .

The firing rate, **Eq.** 5-28, is estimated to be

$$f = \frac{60}{t_c} = \frac{60}{0.0316} = 1898 \text{ rounds/min.}$$

If the firing rate is too high, the initial velocity of the slide may be reduced proportionately. If too low, other avenues of design improvement must be explored since the upper limit of slide velocity has been incorporated. A stiffer driving spring, variations in moving masses, and efficiency improved by lowering frictional resistance represent three means of achieving a higher firing rate. All involve refinements in design.

#### 5-1.1.2 Analysis of Cam Action

The forces induced by cam action on the slide and drum roller are shown diagrammatically in Fig. 5-5

for both the recoiling and counterrecoiling slide. Because the slide and drum are constrained in the y- and x-directions, respectively, their motions are restricted to axial and peripheral travel, respectively. Other forces are also present; on the slide, the driving spring force and track reactions; on the drum, the thrust and radial bearing reactions. The accelerating forces on either slide or drum are affected only to the extent of the frictional resistances provided by these reactions.

Before resolving the cam forces, the influence of the drum roller must be considered. If the cam follower were a sliding rather than a rolling element, the tangential frictional force on the cam would be merely  $\mu N$ . The roller reduces  $\mu N$  to a lesser value depending on the ratio of pin radius to roller radius. In the drum roller force diagram of Fig. 5–5, the friction resistance is generated between the roller and the pin since no sliding takes place on the rolling surface. Equate the moments about the pin center.

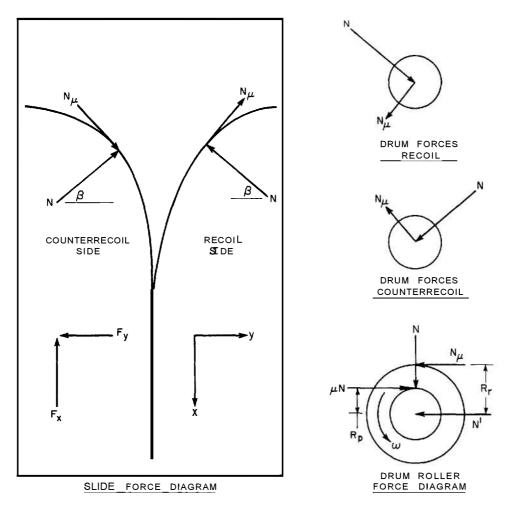


Figure 5-5. Cam-slide Force Diagrams

$$N_{\mu}R_{r} = \mu NR_{p} \tag{5-29}$$

$$N_{\mu} = \mu N \left( \frac{R_p}{R_r} \right) \tag{5-30}$$

$$N' = \mu N - N_{\mu} = \mu N \left( 1 - \frac{R_p}{R_r} \right)$$
 (5-31)

The resultant load on the roller pin becomes

$$F_p = \mu N - N' = \mu N \left(\frac{R_p}{R_r}\right) = N_{\mu} .$$
 (5-32)

Resolve the cam forces during slide recoil so that

$$F_{x} = N \sin \beta + N_{\mu} \cos \beta$$

$$= N \left[ \sin \beta + \mu \left( \frac{R_{p}}{R_{r}} \right) \cos \beta \right] = NK_{x} \quad (5-33)$$

$$(5-29) F_y = N \cos \beta - N_{\mu} \sin \beta$$

$$= N \left[ \cos \beta - \mu \left( \frac{R_p}{R_r} \right) \sin \beta \right] = NK_y . \quad (5-34)$$

Resolve the cam forces during counterrecoil

$$F_x = N \left[ \sin \beta - \mu \left( \frac{R_p}{R_r} \right) \cos y \right] = NK_x \qquad (5-35)$$

(5-32) 
$$F_y = -N \left[ \cos \beta + \mu \left( \frac{R_p}{R_r} \right) \sin \beta \right] = NK_y \quad (5-36)$$

Fig. 5-6 shows the applied and induced forces on the drum. Except for the cam force  $F_y$  only the frictional components affect the dynamics. The horizontal reaction on the drum shaft is

$$R_y = F_y - \mu F_g \tag{5-37a}$$

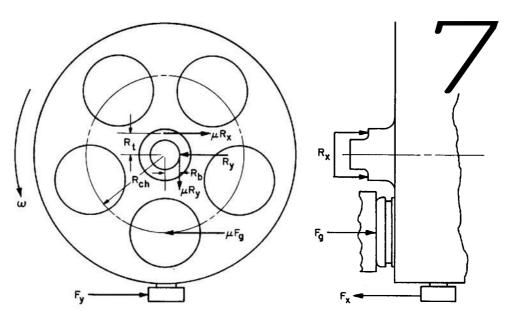


Figure 5-6. Single Barrel Drum Loading Diagram

where

 $F_g$  = residual propellant gas force of the round just fired

$$R_{r} = F_{r} \tag{5-37b}$$

The frictional force on the thrust bearing  $\mu R_x$  is distributed over the entire annular area and its resultant in any direction is zero. All frictional forces on the drum affect its angular motion. The accelerating torque is expressed as

$$T_{\alpha} = T_{\theta} - T_{u} = I_{d}\alpha_{d} \tag{5-38}$$

where

 $I_d$  = mass polar moment of inertia of drum about its shaft

 $\alpha_d$  = angular acceleration of drum

$$T_{\theta} = R_d F_y = NR_d K_y$$
, applied torque (5–39)

$$T_{\mu} = R_b \mu R_y + \mu F_x \left[ R_t + R_d \left( \frac{R_p}{R_r} \right) \right] + R_{ch} \mu F_g \text{, resisting torque}$$
 (5-40)

Note that  $\mu F_x R_t$  has been substituted for  $\mu R_x R_t$ . (See Eq. 5–37b)

Observe in Eq. 5-40 that 
$$\mu F_x R_d \left(\frac{R_p}{R_r}\right)$$
 is the

torque resistance contributed by the cam. This expression is derived from the axial component of the cam force, acts in the ydirection, and may be computed by substituting  $F_x$  for N in Eq. 5-30.

Substitute for R, and collect terms, thus

$$T_{\mu} = \mu \left[ R_b F_y + \left[ R_t + R_d \left( \frac{R_p}{R_r} \right) \right] \right]$$

$$F_x + (R_{ch} - \mu R_b) F_g$$
(5-41)

Substitute for  $F_x$  and  $F_y$  and let  $\mu(R_{ch} - \mu R_b)F_g = T_g$ .

$$T_{\mu} = \mu N \left\{ \left[ R_t + R_d \left( \frac{R_p}{R_r} \right) \right] K_x + R_b K_y \right\} + T_g$$
(5-42)

An expression for  $\alpha$  can be found from the kinematics of Fig. 5–7. As the cam moves, the relative velocity of the drum roller at any position is  $\nu_c$ . The cam path being curved, the normal acceleration, again' at any given position, is

$$a_n = \frac{v_c^2}{Re} \tag{5-43}$$

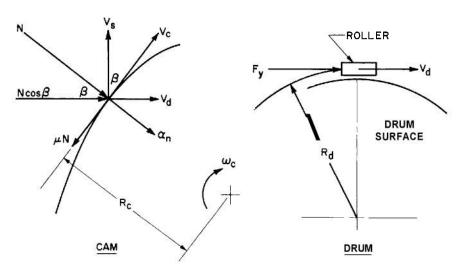


Figure 5-7. Single Barrel Drum Dynamics

However, the roller on the drum can physically travel only in the direction indicated by its tangential velocity  $v_d$ , hence the tangential roller acceleration becomes

$$a_d = a_n \cos \beta = \frac{v_c^2}{R_c} \cos \beta \tag{5-44}$$

With  $v_s = v_c \cos \beta$ , the angular acceleration of the drum may be expressed in terms of the slide velocity.

$$\alpha_d = \frac{a_d}{R_d} = \frac{v_s^2}{R_c R_d \cos\beta} \tag{5-45}$$

Rewrite Eq. 5-38 with appropriate substitutions and solve for N. Thus,

$$NR_d K_y - \mu N \left\{ \left[ R_t + R_d \left( \frac{R_p}{R_r} \right) \right] K_x + R_b K_y \right\} - T_g = I_d \left( \frac{v_s^2}{R_c R_d \cos \beta} \right)$$
 (5-46)

$$N = \frac{\frac{I_d v_c^2 \cos p}{R_c R_d} + T_g}{(R_d - \mu R_b) K_y - \mu \left[ R_t + R_d \left( \frac{R_p}{R_r} \right) \right] K_x}$$
 (5-47)

In the meantime, the slide is subjected to cam forces as well as the driving spring force F and also the frictional resistance  $\mu F_{\nu}$  of the slide tracks.

The cam is the medium for transferring energy. The equation of an elliptical cam is

$$\frac{x^2}{a^2} + \frac{y^2}{b^2} = 1 \tag{5-48}$$

or

$$y = \pm \frac{b}{3} \sqrt{a^2 - x^2}$$
 (5-49)

where

a = half of the major axis in x direction

b = half of the minor axis in y-direction

The slope at any point is  $\tan \beta$ .

$$\tan \beta = \frac{dy}{dx} = \frac{b}{a} \left( \sqrt{x^2 - x^2} \right)$$
 (5-50)

$$\frac{d^2y}{dx^2} = \frac{ab}{(a^2 - x^2)^{3/2}}$$
 (5-51)

The radius of the curvature of the cam at any position is  $R_c$ 

$$R_{c} = \frac{\left[1.0 + \left(\frac{dy}{dx}\right)^{2}\right]^{3/2}}{\frac{d^{2}y}{dx^{2}}} = \frac{\left[a^{2} - \frac{x^{2}}{a^{2}} \left(a^{2} - b^{2}\right)\right]^{3/2}}{ab}$$
 (5-52)

The cam dynamics involve an iterative integration procedure for which the law of conservation of energy becomes a convenient basis for computing the values of each increment. For any increment

$$E_{i} = E_{sr} + E_{d} + \Delta E + E\mu = \frac{1}{2} \left( Msv_{s}^{2} \right)^{-1} + I_{d} \left( \frac{\tan^{2}\beta}{2R_{d}^{2}} \right) v_{s}^{2} + \frac{1}{\epsilon} F_{a} \Delta x + E_{\mu}$$
 (5-53)

where

 $\Delta E$  = differential driving spring energy

 $E_d$  = drum energy at end of increment

 $E_i$  = input energy of each increment

 $E_{sr}$  = slide energy at end of increment

 $F_a$  = average driving spring force

Ax = incremental travel of slide

= frictional losses during increment

 $\epsilon$  = spring efficiency.

Note that for the next increment,

$$E_i$$
 = preceding  $E_i$  =  $E_{\mu}$  (5–54)

The object now is to put  $E_{\mu}$  into terms of  $\nu_s$  so that Eq. 5-53 may be solved. The resultant frictional force in the x-direction is composed of the frictional resistance of slide tracks and that of the cam in the xdirection

$$F_{\mu s} = \mu F_y + \mu F_y \left(\frac{R_p}{R_r}\right) = \mu F_y \left(1.0 + \frac{R_p}{R_r}\right)$$
 (5-55)

Write  $F_{\nu}$  in terms of N.

$$F_{\mu s} = \mu N K_y \left( 1.0 + \frac{R_p}{R_r} \right)$$
 (5-56)

The energy loss in the slide is

$$E_{\mu s} = \frac{1}{2} (F_{\mu s_1} + F_{\mu s_2}) \Delta x.$$
 (5-57)

where subscripts 1 and 2 indicate values for adjacent increments.

The energy loss in the drum becomes

$$E_{\mu d} = \frac{1}{2} (T_{\mu_1} + T_{\mu_2}) \Delta \theta . \tag{5-58}$$

The total frictional losses in drum and slide is the sum of the two components

$$E_{u} = E_{ud} + E_{us} . {(5-59)}$$

# 5-1.1.2.1 Sample Calculation of Cam Action

The sample problem is the continuation of the one outlined in par. 5–1.1.1, at a time when the slide has traveled 2.0 inches on the cam. Thus,  $x_1 = 2.0$ . From Eq. 5–49.

$$y_1 = \frac{b}{a} \sqrt{a^2 - x^2} = \frac{2.15}{3.33} \sqrt{11.09 - 4}$$
  
= 0.6456 x 2.6627 = 1.719 in.

$$\tan \beta_1 = \frac{b}{a} \left( \frac{x}{\sqrt{a^2 - x^2}} \right) = \frac{2.15}{3.33} \left( \frac{2.0}{2.6627} \right)$$
  
= 0.4850 (from Eq. 5-50)

5-14

$$\beta_1 = 25^{\circ} 52.2' = 0.4470 \text{ rad}$$

$$\sin \beta_1 = 0.4364$$

$$\cos \beta_1 = 0.8998$$

$$\frac{d^2y}{dx^2} = \frac{ab}{(a^2 - x^2)^{3/2}} = \frac{3.33 \times 2.15}{18.88}$$
$$= 0.379 \text{ (from Eq. 5-51)}.$$

According to Eq. 5-52

$$R_{c1} = \frac{\left[a^2 - \frac{x^2}{a^2} (a^2 - b^2)\right]^{3/2}}{ab}$$

$$= \frac{\left[11.09 - \frac{4.0}{11.09} (11.09 - 4.62)\right]^{3/2}}{7.16}$$

$$= 3.62 \text{ in.}$$

At this time the driving spring has been compressed by

$$L_x = s_{or} tx = 1.67 + 2.0 = 3.67 in.$$

The energy absorbed by the spring at this position is E.

$$E_r = \frac{3.67}{5.0}$$
 931.7 = 684 in.-lb

The energy confined to the drum-slide system is

$$E_{ds} = E_{r} - E_{r} = 3974.4 \text{ in.-lb.}$$

After losses have been deleted, the energy remaining in the system is

$$E'_{ds} = E_{ds}e^{-\mu_i\mu\frac{x}{a}}$$
 (Ref. 14)

$$E'_{ds} = 3974.4 e^{-0.434} - \frac{3974.4}{1.543} = 2576 \text{ in.-lb}$$
where  $-\mu_i \mu \frac{\mathbf{x}}{a} = -7.23 \times 0.1 \times 2.0/3.33 = -0.434$ 

$$E'_{ds} = \frac{1}{2} \left( I_{de} \omega_d^2 \right) + \frac{1}{2} \left( M_s v_s^2 \right)$$

$$= \left( \frac{1}{4} M_{de} \tan^2 \beta_1 + \frac{1}{2} M_s \right) v_s^2$$

$$v_s^2 = \frac{2576 \times 386.4}{1.94 + 5.0} = 143,425 \text{ in.}^2/\text{sec}^2$$

$$v_s = 378.7 \text{ in./sec}$$

where

$$\frac{1}{4} M_{de} \tan^2 \beta_1 = 1.94/g$$

$$\frac{1}{2} M_{c} = 5.0/g$$

The above given and computed values are assumed to be the values of the parameters at  $\mathbf{x} = 2.0$  in. To illustrate the integration process, assume an incremental travel of  $\mathbf{A}\mathbf{x} = 0.05$  in.

$$x_2 = x_1 \text{ t Ax} = 2.00 + 0.05 = 2.05 \text{ in.}$$

$$y_2 = \frac{b}{a} \left( \sqrt{a^2 - x^2} \right) = \frac{2.15}{3.33} \sqrt{11.09 - 4.203}$$

$$= 0.6456 \text{ x } 2.6243 = 1.694 \text{ in.}$$

$$\tan \beta_2 = \frac{b}{a} \left( \sqrt{\frac{x}{a^2 - x^2}} \right) = \frac{2.15 \text{ x } 2.05}{3.33 \text{ x } 2.6243}$$

$$\beta_2 = 26$$
° 46' = 0.4672 rad  $\sin \beta_2 = 0.4504$   $\cos \beta_2 = 0.8929$ 

 $=\frac{4.4075}{8.7389}=0.5044$ 

$$\Delta y = y_1 - y_2 = 0.025$$

$$\Delta \theta = \frac{\Delta y}{R_d} = \frac{0.025}{3.0} = 0.00833 \text{ rad}$$

$$\frac{d^2 y}{dx^2} = \frac{ab}{(a^2 - x^2)^{3/2}} = \frac{3.33 \times 2.15}{18.07} = 0.396$$

$$R_{c2} = \frac{\left[a^2 - \frac{x^2}{a} (a^2 - b^2)\right]^{3/2}}{ab}$$

$$= \frac{\left[11.09 - \left(\frac{4.203}{11.09}\right) 6.47\right]_{3/2}}{7.16} = 3.55 \text{ in}$$

Additional given data are now listed.

$$F_g$$
 = 1000 lb, propellant gas force (residual)

$$R_b = 1.0$$
 in., radius of radial bearing

$$R_{ch} = 1.5$$
 in., chamber center to drum axis

$$R_n = 0.25$$
 in., radius of roller pin

$$R_r = 0.5$$
 in., roller radius

$$R_t = 1.25$$
 in., thrust bearing pressure

$$\mu$$
 = 0.10, coefficient of friction

$$T_g = \mu (R_{ch} - \mu R_b) F_g = 0.10(1.5 - 0.10 \times 1.0)1000$$
  
= 140 in,-lb

$$I_d = M_d k^2 = M_d \left(\frac{R_d^2}{2}\right) = \frac{30}{386.4} \left(\frac{9}{2}\right)$$

= 0.35 lb-in.-sec', mass moment

## of inertia of drum

During slide recoil when the ammunition must also be accelerated, the effective mass moment of inertia  $I_{de}$  changes from  $I_d$  to

$$I_{de} = (1.1)I_d = 0.385 \text{ lb-in.-sec}^2$$
.

From Eq. 5-33

$$K_{x_1} = \sin \beta_1 + \mu \left(\frac{R_p}{R_r}\right) \cos \beta_1 = 0.4364 + 0.10 \times 0.5 \times 0.8998 = 0.4814$$

$$K_{x_2} = \sin \beta_2 + \mu \left(\frac{R_p}{R_r}\right) \cos \beta_2 = 0.4505 + 0.10 \times 0.5 \times 0.8929 = 0.4950.$$

From Eq. 5-34

$$K_{y1} = \cos \beta_1 - \left(\frac{R_p}{R_r}\right) \sin \beta_1 = 0.8998 - 0.10 \times 0.5 \times 0.4364 = 0.8780$$

$$K_{y2} = \cos \beta_1 - \left(\frac{R_p}{R_r}\right) \sin \beta_2 = 0.8929 - 0.10 \times 0.5 \times 0.4504 = 0.8704.$$

Since the slide is recoiling, substitute  $v_s/\cos\beta$  for  $v_c$  in Eq. 5-47, thus

$$\begin{split} N_1 &= \frac{\frac{I_{de} \nu_{s_1}^2}{R_{c_1} R_d \cos \beta_1} + T_g}{(R_d - \mu R_b) K_{y_1} - \mu \left[ R_t + R_d \left( \frac{R_p}{R_r} \right) \right] K_{x_1}} \\ &= \frac{\frac{0.385 \times 143425}{3.62 \times 3.0 \times 0.8998} + 140}{(3.0 - 0.10 \times 1.0) \, 0.8780 - 0.10 \, (1.25 + 3.0 \times 0.5) \, 0.4814} - \frac{5651 + 140}{2.546 - 0.132} = \frac{5791}{2.414} = 2399 \, \mathrm{lb} \end{split}$$

$$\begin{split} N_2 &= \frac{\frac{I_{de} \, v_{s2}^2}{R_{c2} R_d \, \cos \beta_2} \, + T_g}{(R_d - \mu R_b) K_{y2} - \mu \, \left[ R_t + R_d \left( \frac{R_p}{R_r} \right) \right] \, K_{x2}} \\ &- \frac{\frac{0.385 \, v_{s2}^2}{3.55 \, \text{x} \, 3.0 \, \text{x} \, 0.8929} \, + 140}{2.9 \, \text{x} \, 0.8704 - 0.275 \, \text{x} \, 0.4950} \, = \frac{0.0405 \, v_{s2}^2 + 140}{2.524 - 0.136} = 0.01696 \, v_{s2}^2 + 59. \end{split}$$

The preliminary characteristics of the driving spring are based on an assumed efficiency of 80% and for  $F_m \approx 2 F_o$ . The average spring force  $F_a$  over the full recoil distance is now computed.

$$F_a = \frac{\epsilon E_g}{L_s} = \frac{0.8 \times 931.7}{5} = 149 \text{ lb}$$

$$F_a = \frac{F_o + F_m}{2} = \frac{F_o + 2F_o}{2} = 149$$

$$F_o = \frac{208}{3} = 99.3; F_m = 198.7 \text{lb}.$$

The spring constant

$$K = \frac{F_m - F_o}{L} = \frac{99.4}{5} = 19.88 \text{b/in}.$$

$$F_{x_1} = F_o + 3.67 \text{K} = 99.3 + 73.0 = 172.3 \text{lb}.$$

$$F_{x_2} = F_o + 3.72 \text{K} = 99.3 + 74.0 = 173.3 \text{lb}.$$

Isolate the components of Eq. 5-53 to compute the combined energy of drum and slide

$$E_{i} = E'_{ds} = 2576 \text{ in.-lb}$$

$$E_{sr} = \frac{1}{2} \left( M_{s} v_{s2}^{2} \right) = \frac{10 v_{s2}^{2}}{2 \times 386.4} = 0.01294 v_{s2}^{2}$$

$$E_{d} = \frac{1}{2} I_{de} \left( \frac{\tan^{2} \beta_{2}}{R_{d}^{2}} \right) v_{s2}^{2}$$

$$= \left( \frac{0.385 \times 0.2544}{2 \times 9} \right) v_{s2}^{2} = 0.00544 v_{s2}^{2}$$

$$AE = \frac{1}{2} F_{sa} Ax = \left( \frac{172.3 + 173.3}{0.8 \times 2} \right) 0.05$$

$$= 10.8 \text{ in.-lb}.$$

Insert the appropriate values in Eqs. 5–42 and 5–56 and compute the torsional and slide frictional resistance.

$$T_{\mu_1} = N_1 (0.275K_{x_1} + 0.1K_{y_1}) + T_g$$
  
= 2399 (0.1324+ 0.0878)+ 140 = 668.3lb-in.

$$T_{\mu 2} = N_2(0.275 K_{x 2} + 0.1 K_{y 2}) + T_g$$

$$= (0.01696 v_{s2}^2 + 59) (0.1361 + 0.0870) + 140$$

$$= 0.00378 v_{s2}^2 + 153.2 \text{lb-in.}$$

$$F_{\mu s1} = 0.15 K_{y1} N_i = 0.15 \text{x } 0.8780 \text{x } 2399$$
  
= 315.9lb

$$F_{\mu s \, 2} = 0.15 K_{y \, 2} N_2 = 0.15 \times 0.8704 (0.01696 v_s^2 + 59)$$
  
= 0.00221 v\_s^2 + 7.7b

According to Eqs. 5-57 and 5-58, the energy losses are

$$E_{\mu s} = \frac{1}{2} (315.9 + 7.7 + 0.00221 v_{s_2}^2) 0.05$$

$$= 8.1 + 5.525 \times 10^{-5} v_s^2$$

$$E_{\mu d} = 4 (668.3 + 153.2 + 0.00378 v_{s_2}^2) 0.00833$$

$$= 3.4 + 1.574 \times 10^{-5} v_{s_2}^2$$

Insert computed values in Eq. 5-53 and solve for slide velocity  $v_s$  and the energy  $E_i$ .

$$2576 = (1294 + 544 + 5.525 + 1.574)\nu_{s2}^{2} \times 10^{-6}$$
$$+ 10.8 + 8.1 + 3.4$$

$$1845.1 \times 10^{-5} v_{s2}^2 = 2553.7$$

$$v_{s^2} = 4\overline{138,412} = 372 \text{ in./sec}$$

$$E_{\mu} = 11.5 + 7.099 \times 10^{-5} v_{s2}^2 = 11.5 + 9.9$$
  
= 21.4 in.-lb

$$E_i = E_{i(-1)} - AE - E_{\mu} = 2543.8$$
 in.-lb

## 5-1.1.2.2 Driving Spring

The average force on each of two driving springs over the decelerating period of the slide is computed from the known slide energy.

$$F_a = \frac{\epsilon E_s}{2a_{rec}} = \frac{0.8 \times 931.7}{2 \times 3.33} = 111.9 \text{ lb.}$$

where

 $a_{rec}$  = 3.33 in., slide travel during slide deceleration

$$E_{\cdot}$$
 = 931.7 in.-lb, slide energy

Investigation shows that K = 20 lb/in. is a practical spring constant. The compression time of the spring

$$T_c = t_r = 1.87 \text{ x } 0.0068 = 0.0127 \text{ sec}$$
 (see par. 5–1.1.1).

The surge time  $T = \frac{T_{c}}{1.8} = 0.00706$  sec (see par. 2-2.3.5).

Select a spring diameter of D = 1.0 in., then compute the wire diameter according to Eq. 2-42.

$$d = 0.27$$
  $\sqrt[3]{DKT} = 0.27$   $\sqrt[3]{0.1412} = 0.1406 in.$ 

Compute the number of coils from Eq. 2-41.

$$N = \frac{Gd^4}{8D^3K} = \frac{11.5 \times 10^6 \times 3.90 \times 10^{-4}}{8 \times 1.0 \times 20} = 28.1 \text{ coils}$$

The spring solid height is

$$H_g = Nd = 28.1 \times 0.1406 = 4 \text{ in}.$$

Since 
$$F_a = \frac{F_o F_m}{2}$$
 and  $F_o = F_m - Ka_r$ 

$$F_m = F_a + \frac{1}{2} Ka_{rec} = 111.9 + 33.3 = 145.2 \text{ lb}$$

The static torsional stress, Eq. 2-43, is

$$\tau = \frac{8F_m D}{\pi d^3} = \frac{8 \times 145.2 \times 1.0}{\pi \times 2.78 \times 10^{-3}} = 133,200 \text{ lb/in.}^2$$

The dynamic torsional stress, Eq. 2-44, is

$$\tau_d = \tau \left(\frac{T}{T_c}\right) \left[ f\left(\frac{T_c}{T}\right) \right]$$
$$= 133,200 \left(\frac{1}{1.8}\right) 2 = 148,000 \text{ lb/in.}^2$$

# 5-1.2 FINAL ESTIMATE OF THE COMPLETE FIRING CYCLE

This sample problem involves the procedures for computing all the data involved for making an accurate estimate of the firing rate for a drum-type machine gun by analyzing the firing cycle in detail. The interior ballistics of Fig. 5–8 are for a 20 mm gun firing a 2000-gram projectile with a 500-grain propellant charge. The pressure has been modified so that the impulse generated by the gas force is congruous with the momentum of projectile and gas from the expression obtained from Eq. 2–14

$$F_{\mathbf{g}}dt = (M_{\mathbf{p}} + \frac{1}{2} M_{\mathbf{g}})dv$$

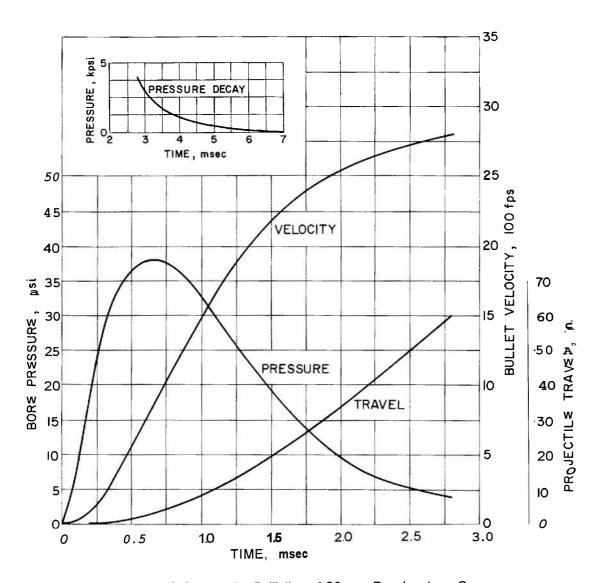


Figure 5-8. Interior Ballistics of 20 mm Revolver-type Gun

Only half the mass of the propellant gas is assumed in motion. This assumption is based on the theory that the velocity of the gas varies linearly as the distance that the projectile has traveled in the bore. It varies from zero in the chamber to the projectile velocity. Thus, if the projectile velocity is v, the momentum of the propellant gas at any time is  $M_g v/2$ , which indicates that the equivalent mass moving at projectile velocity is  $1/2 M_g$ .

#### 5-1.2.1 Control of Recoil Travel During Propellant Gas Period

The given design data include all the given and computed data available from the preliminary firing rate and cam analyses. The additional design data include

 $L_{\odot}$  = 0.25 in., recoil distance of barrel

 $L_p = 16$  in., location of gas port along barrel

 $W_r = 96$  Ib, weight of recoiling parts including 10-lb slide

Table 5-1 shows a free recoil distance of x = 0.572 in. that exceeds the specified travel  $L_r = 0.25$  in. To curb free recoiling tendencies, the adapter resists the propellant gas force at all times. To realize a shorter recoil stroke, the resistance of the adapter and the influence of the gas pressure force in the operating cylinder must be used. This effort is shown in Table 5-2. Since the gas activity in the slide operating cylinder has not been analyzed, its effect on the recoiling parts at this stage is assumed to be included in the adapter performance.

Before computing the data in Table 5–2, some of the data in Table 5–1 are modified to fit more closely the design requirements. The impulse of the propellant gas force forms the basis for the modified values,  $F_g \Delta t = 29.65$  lb-sec. If left uninhibited, a free recoil velocity of 119.4 in./sec is induced, a condition that should not prevail. Lower velocities are achieved by establishing lower effective impulses. The total impulse at t = 1.375 msec when the projectile reaches the gas port  $(\Sigma F_g \Delta t)_p = .20.31$  lb-sec. At this time, the force on the slide operating piston is arbitrarily assumed to exceed the component of the propellant gas force (see Fig. 5–1).

$$F_c > F_g \left( \frac{W_s}{W_r + W_s} \right)$$

Thus separating the slide from the recoiling parts and reducing the latter's weight from 96 to 86 lb tends to increase recoil accelerations, provided that the parts are subjected to the same impulses. The average impulsive force corrected for the change of weight is

$$F_{a} = \frac{1}{t} \left\{ (\Sigma F_{g} \Delta t)_{p} + \left[ \Sigma F_{g} \Delta t - (\Sigma F_{g} \Delta t)_{p} \right] \frac{86}{96} \right\}$$
$$= \frac{20.31 \pm 8.37}{0.006} = 4780 \text{ lb}$$

(t = 0.006 sec from last entry in the first column Table 5-2).

The impulse of the propellant gas is present over the entire recoil stroke, therefore, to have the recoil velocity reach zero just at full recoil, a resisting impulse equal to the applied impulse must be made available. This impulse should be distributed so that the full stroke and zero velocity are reached simultaneously which can be achieved by iterative computation with time rather than distance determining the distribution of forces. The initial and final resisting forces are determined from the average with the former low enough not to limit recoil travel too severely, and the latter not to reach loads that cannot be tolerated with respect to handling and structural sizes. During the first 0.25 msec, the average gas force is  $F_{g} = 5600$  lb. Since motion should not be totally impeded, a resisting force of about half this value, or  $F_{ot}$  = 3000 lb may serve as a first trial. The corresponding resistance offered by the adapter is the maximum adapter force.

$$F_{mt} = 2F_a - F_{ot} = 9560 - 3000 = 6560 \text{ lb}$$

The resisting force at any time is based on the initial force of  $F_{ot}$ 

$$F_{t} = F_{ot} + \left(\frac{F_{mt} - F_{ot}}{\Delta t}\right) t = 3000 + \left(\frac{3560}{0.006}\right) t$$
$$= 3000 + 593333t$$

TABLE 5-1. FREE RECOIL DATA OF 20 mm REVOLVER-TYPE MACHINE GUN

t, msec	$\Delta t$ , msec	$A_i$ , lb-sec/in. <sup>2</sup>	$F_{\mathbf{g}}\Delta t$ , lb-sec	$\Delta  u_f,$ in./sec	ν <sub>f</sub> , in./sec	ν <sub>α</sub> , in./sec	$\Delta x$ , in.	<b>x,</b> in.
0.25	0.25	2.72	1.40	5.6	5.6	2.8	0.0007	0.0007
0.50	0.25	8.06	4.15	16.7	22.3	14.0	0.0035	0.0042
0.75	0.25	9.44	4.86	19.6	41.9	32.1	0.0080	0.0122
1.00	0.25	8.84	4.55	18.3	60.2	52.0	0.0130	0.0252
1.25	0.25	7.32	3.77	15.2	75.4	67.8	0.0 170	0.0422
1.375	0.125	3.06	1.58	6.4	81.8	78.6	0.0098	0.0520
1.50	0.125	2.72	1.40	5.6	87.4	84.6	0.0106	0.0626
1.75	0.25	4.14	2.13	8.6	96.0	91.7	0.0229	0.0855
2.00	0.25	2.95	1,52	6.1	102.1	99.0	0.0248	0.1103
2.25	0.25	2.06	1.06	4.3	106.4	104.2	0.0260	0.1363
2.50	0.25	1.46	0.75	3.0	109.4	107.9	0.0270	0.1633
2.80	0.30	1.51	0.78	3.1	112.5	111.0	0,0333	0.1966
3.00	0.20	0.73	0.38	1.5	114.0	113.2	0.0226	0.2192
4.00	1.00	1.57	0.8 1	3.3	117.3	115.6	0.1156	0.3348
5.00	1.00	0.75	0.39	1.6	118.9	118.1	0.1 181	0.4529
6.00	1.00	0.24	0.12	0.5	119.4	119.2	0.1 192	0.5721

TABLE 5-2. PRELIMINARY RECOIL ADAPTER DATA

	$F_{t}$ ,	$F_t \Delta t$ ,	$F_e \Delta t$ ,	$\Delta v_r$ ,	$v_r$ ,	$v_a$ ,	$\Delta x$ ,	х,
msec	lb	lb-sec	lb-sec	in./sec	in./sec	in./sec	in.	in.
0.25	3150	0.79	0.6 1	2.5	2.5	1.2	0.0003	0.0003
0.50	3300	0.82	3.33	13.4	15.9	9.2	0.0023	0.0026
0.75	3440	0.86	4.00	16.1	32.0	24.0	0.0060	0.0086
1.00	3590	0.90	3.65	14.7	46.7	39.4	0.0098	0.0184
1.25	3740	0.94	2.83	11.4	58.1	52.4	0.0131	0.03 15
1.375	3820	0.48	1.10	4.4	62.5	60.3	0.0075	0.0390
1.50	3890	0.49	0.91	4.1	66.6	64.6	0.0081	0.0471
1.75	4040	1.01	1.12	5.0	71.6	69.1	0.0173	0.0644
2.00	4190	1.05	0.47	2.1	73.7	72.6	0.0182	0.0826
2.25	4330	1.08	-0.02	- 0.1	73.6	73.6	0.0184	0.1010
2.50	4480	1.12	-0.37	- 1.7	71.9	72.8	0.0182	0.1 192
2.80	4660	1.40	-0.62	- 2.8	69.1	70.5	0.0225	0.1417
3.00	4780	0.96	-0.58	- 2.6	66.5	67.8	0.0136	0.1553
4.00	5370	5.37	-4.56	-20.5	46.0	56.2	0.0562	0.2115
5.00	5970	5.97	-5.58	-25.1	20.9	33.4	0.0334	0.2449
5.74	6410	4.74	-4.65	- 20.9	0	10.4	0.0077	0.2526

1

The resisting impulse at any increment of time is  $F_a\Delta t$  and the effective impulse on the recoiling parts is

$$F_e \Delta t = (F_e \Delta t - F_t \Delta t)$$

where  $F_g \Delta t$  is read from Table 5-1. The other data of Table 5-2 are computed similarly to those of Table 5-1. When completed, Table 5-2 (for the first trial) shows that the recoiling parts stop before the propellant gas pressure period ends but very close to the 0.25 in. allotted recoil stroke. This close proximity between computed and specified distance is attributed to the choice of  $F_o$  = 3000 lb, a shear coincidence. If recoil action over the whole gas period is desired, the adapter force is reduced proportionately and the values of Table 5-2 recomputed.

The recoil data are revised by proportioning the recoiling masses and the corresponding impulses according to time. Since the slide and recoiling parts move as a unit for 1.375 msec and the slide is a separate mass afterwards, the effective mass for the period is

$$M_e = \frac{1.375}{6} (M_s + M_r) + \left(\frac{4.625}{6}\right) M_r$$

$$= \frac{1}{6} \left(\frac{1.375 \times 96 + 4.625 \times 86}{386.4}\right) = \frac{529.75}{2318.4}$$

$$= 0.2285 \text{ lb-sec}^2/\text{in.}$$

A negative velocity of 7.5 in./sec at the end of 6 msec is eliminated by reducing the adapter force of Table 5-2 thereby permitting a larger portion of the gas impulse to act on the recoiling parts. Compute the momentum for the negative velocity and solve for the force of the equivalent impulse.

$$\Delta F = \frac{\Delta Ft}{t} = \frac{M_e \Delta v_r}{t} = \frac{0.2285 (-7.5)}{0.006}$$
  
= -286, say, -300 lb

By adding -300 lb to each  $F_t$  in Table 5-2, a new set of data is computed and arranged in Table 5-3. The final results show practically zero velocity in the allotted time but a larger recoil stroke than the prescribed, which may be corrected by changing the

slope of the adapter load while retaining the same area under the force-time curve. However, the data of Tables 5–2 and 5–3 need not be more accurate for preliminary estimates inasmuch as the adapter resistance varies with distance rather than with time. Later when the dynamics of the slide operating cylinder are developed, the recoil analysis will be more precise since the effects of all variables, such as time and distance, will be included.

#### 5-1.2.2 Operating Cylinder Design

Aside from the requirements dictated by the slide, the design data of the operating cylinder are based on four parameters: orifice size, orifice location, cylinder diameter, and stroke. If the cam dwell corresponds with the power stroke, only three parameters need to be resolved. These three parameters may be resolved by searching for compatible relationships among bore pressure, cylinder pressure, and operating cylinder size. An early estimate may be had by calculating the average performance data. The known data at this stage are

 $s_{or} = 1.67$  in., length of power stroke

 $v_{so}$  = 62.5 in./sec, slide velocity  $v_r$  at t = 1.375 msec (Table 5-2)

 $v_{sm} = 600$  in./sec, maximum slide velocity

W<sub>o</sub> = 1.0 lb, weight of moving operating cylinder components

 $W_{os} = W_o + W_s = 11.0$  lb, combined weight of components and slide

 $W_s = 10$  Ib, weight of slide

The slide velocity of 62.5 in./sec will be computed more accurately later but is sufficiently accurate for its intended purpose now.

The energy still needed to bring the slide to speed is

$$E_{cs} = \frac{\mathcal{H}_{ss}}{g} (v_{sm}^2 - v_{so}^2) = \frac{11 \times 356100}{386.4}$$

= 10,140 in.-lb.

TABLE 5-3. REVISED PRELIMINARY RECOIL ADAPTER DATA

t,	$F_{t}$	$F_t \Delta t$ ,	$F_e\Delta t$ ,	$\Delta v_r$ ,	$v_r$ ,	$v_a$ ,	$\Delta x$ ,	х,
msec	lb ´	lb-sec	lb-sec	in./sec	in./sec	in./sec	in.	in.
0.25	2850	0.71	0.69	2.8	2.8	1.4	0.0004	0.0004
0.50	3000	0.75	3.40	3.7	16.5	9.6	0.0024	0.0028
0.75	3140	0.78	4.08	6.4	32.9	24.7	0.0062	0.0090
1.00	3290	0.82	3.73	5.0	47.9	40.4	0.0101	0.0191
1.25	3440	0.86	2.91	1.7	59.6	53.8	0.0134	0.0325
1.375	3520	0.44	1.14	4.6	64.2	61.9	0.0077	0.0402
1.50	3590	0.45	0.95	4.3	68.5	66.4	0.0083	0.0485
1.75	3740	0.94	1.19	5.3	73.8	71.2	0.0178	0.0663
2.00	3890	0.97	0.55	2.5	76.3	75.0	0.0188	0.0851
2.25	4030	1.01	0.05	0.2	76.5	76.4	0.0191	0.1042
2.50	4180	1.04	-0.29	- 1.3	75.2	75.8	0.0190	0.1232
2.80	4360	1.31	-0.53	- 2.4	72.8	74.0	0.0222	0.1454
3.00	4480	0.90	-0.52	- 2.3	70.5	71.6	0.0143	0.1597
4.00	5070	5.07	- 4.26	- 19.1	51.4	61.0	0.0610	0.2207
5.00	5670	5.67	- 5.28	- 23.7	27.7	39.6	0.0396	0.2603
6.00	6260	_6.26	-6.14	- <i>2</i> 7.6	0.1	13.9	0.0139	0.2742
		27.98						

The average operating cylinder force is

$$F_{ca} = \frac{E_{cs}^{"}}{s_{or}} = \frac{10140}{1.67} = 6072 \text{ lb.}$$

Assume that the gas pressure in the cylinder does not drop below 1000 psi, therefore, flow from bore to operating cylinder ceases at 3.85 msec. The area under the pressure time curve from 1.375 to 3.85 msec is

$$A_i = 17 \text{ lb-sec/in.}^2$$

The average bore pressure for this interval is

$$p_a = \frac{A_i}{\Delta t} = \frac{17}{0.00385 - 0.001375} = \frac{17}{0.002475}$$
  
= 6870 lb/in.<sup>2</sup>

Based on critical flow pressure, the average pressure in the operating cylinder during the same interval is

$$p_r = 0.53 p_q = 3640 \, \text{lb/in.}^2$$

The required piston area is

$$A_{cr} = \frac{F_{ca}}{p_c} = \frac{6072}{3640} = 1.67 \text{ in.}^2$$

The corresponding piston diameter  $d_p = 1.46$  in. A nominal diameter of 1.5 in., has an area of

$$A_{\bullet} = 1.767 \text{ in.}^2$$

The operating cylinder displacement is

$$V_{co} = s_{or}A_c = 1.67 \times 1.767 = 2.95 \text{ in.}^3$$

The initial orifice area is estimated by finding the quantity  $W_c$  of gas flowing into the operating clyinder. Eq. 4–49 serves the purpose by substituting  $p_a$  for  $p_m$  since the muzzle pressure does not apply, hence

$$W_c = W_g \left(\frac{V_{co}}{V_m}\right) \left(\frac{p_c}{p_a}\right)^{1/k} = 0.0039 \text{ lb}$$

where

k = 1.3, ratio of specific heats

 $V_m = 33.1 \text{ in.}^3$ , bore volume plus chamber

$$W_g$$
 = 500 gr = 0.0714 lb, propellant gas weight

The rate of flow, Eq. 4-51, is

$$w = \frac{W_c}{\dot{A}t} = \frac{0.0039}{\hat{0}.\hat{0}\hat{0}\hat{2}475} = 1.58 \text{ lb/sec.}$$

The first estimate of orifice area, Eq. 4-52, is

$$A_{Q} = \frac{w}{K_{W}P_{H}} \equiv \frac{1.58}{0.00192 \times 6870} = 0.120 \text{ in.}^{2}$$

The orifice diameter = 0.391 in.

Computed data of the operating cylinder are listed in Tables 5–4 to 5–7. The analyses do not consider the influence' of recoil adapter or driving spring since they are an attempt to learn how the gas behaves when entering the operating cylinder. After the nature of gas activity becomes known, all contributing factors to the operating cylinder dynamics will be included in the digital computer program where the effects of their simultaneous activity can be computed in a reasonable time.

Computations in the four tables follow essentially the same procedure. Three values are read directly from Fig 5–8: t, the time;  $s_b$ , the bore travel; and  $p_a$ , the average bore pressure selected as the pressure falling half way between time intervals. The time of  $t \times 10^3 = 4.00$  in Table 5–7 illustrates the procedure. From Eq. 4–27

$$w = K_w A_o p_a = 0.00192 \times 0.06 \times 1700 = 0.196 \text{ lb/sec}$$

where

$$K_w = 0.00192/\text{sec}$$
 (see par. 4-3.2.5.2)

The amount of gas capable of passing through the orifice at 1700 psi during the interval of 0.001 sec is

$$AW_a = w\Delta t = 0.196 \times 0.001 = 1.96 \times 10^{-4} \text{ lb.}$$

TABLE 5-4. OPERATING CYLINDER DATA FOR 0.12 in.<sup>2</sup> ORIFICE (CRITICAL PRESSURE)

<i>t X</i> 103, sec	<b>s<sub>b</sub>,</b> in.	<i>p<sub>a</sub>,</i> psi	w, lb/sec	$\Delta W \times 10^3$ , lb	<b>W</b> <sub>c</sub> X 103, lb	V <sub>b</sub> , in. <sup>3</sup>	$V_e$ , in. <sup>3</sup>	p <sub>c</sub> , psi
1.50	19.2	19200	4.424	1.106	1.106	12.1	0.187	4800
1.75	26.2	13700	3,156	0.789	1.895	15.7	0.4 16	7260
2.00	33.7	9500	2.189	0.547	2.442	19.6	0.669	5040
2.25	41.5	6800	1.567	0.392	2.834	23.6	0.935	3600
2.50	49.7	5200	1.198	0.300	3.134	27.8	1.219	2760
2.80	57.0	4400	1.014	0.304	3.438	31.6	1.519	2330
3.00	60.0	3400	0.783	0.157	3.595	37.9	1.907	1800
4.00		1700	0.392	0.393	3.987	67.5	3.769	900
5.00		740	0.170	0.170	4.157	135.0	7.860	390
6.00		250	0.058	0.058	4.215	334.3	19.73	130
t X 10 <sup>3</sup> , sec	F <sub>c</sub> , lb	$F_c \Delta t$ , lb/sec	Δν <sub>s</sub> , in./sec	ν <sub>s</sub> , in./sec	s <sub>1</sub> , in.	s <sub>2</sub> , in.	s, in.	V <sub>c</sub> , in. <sup>3</sup>
1.50	8480	2.120	74.5	137.0	0.016	0.009	0.025	0.544
1.75	12800	3.200	112.4	249.4	0.034	0.014	0.073	0.629
2.00	8900	2.225	78.2	327.6	0.062	0.010	0.145	0.756
2.25	6400	1.600	56.2	383.8	0.096	0.007	0.248	0.938
2.50	4900	1.225	43.0	426.8	0.082	0.005	0.335	1.092
2.80	4100	1,230	43.2	470.0	0.128	0.005	0.468	1.327
	3200	0.640	22.5	492.5	0.094	0.002	0.564	1.496
3.00	5200					0.000		2 41 5
3.00 4.00	1600	1.600	56,2	548.7	0.492	0.028	1.084	2.415
		1.600 0.690	56,2 24.2	548.7 572.9	0.492 0.549	0.028 0.012	1.084 1.645	2.415 3.407

TABLE 5-5. OPERATING CYLINDER DATA FOR 0.12 in. ORIFICE

$t \times 103$ , sec	s <sub>b</sub> , in.	p <sub>a</sub> , psi	w, lb/sec	$\Delta W_c \times 10^3$ , lb	$W, \times 10^3$ , lb	$V_b$ , in. <sup>3</sup>	$V_e$ , in. <sup>3</sup>	p <sub>c</sub> , psi
1.50	19.2	19200	4.424	1.106	1.106	12.1	0.187	4800
1.75	26.2	13700	3.156	0.789	1.895	15.7	0.416	7690
2.00	33.7	9500	2.189	0.547	2.442	19.6	0.669	7880
2.25	41.5	6800	1.567	0.392	2.834	23.6	0.935	6530
2.50	49.7	5200	1.198	0.300	3.134	27.8	1.219	5200
2.80	57.0	4400	1.014	0.304	3.438	31.6	1.519	
3.00	60.0	3400	0.783	0.157	3.595	37.9	1.907	
4.00		1700	0.392	0.392	3.987	67.5	3.769	
5.00		740	0.170	0.170	4.157	135.0	7.860	
6.00		250	0.058	0.058	4.215	334.3	19.73	
$t \times 10^3$ , sec	$F_c$ , lb	$F_c \Delta t$ , lb/sec	$\Delta v_s$ , in./sec	ν <sub>s</sub> , in./sec	s <sub>1</sub> , in.	s <sub>2</sub> , in.	s, in.	$V_c$ , in. <sup>3</sup>
1.50	8480	2.120	74.5	137.0	0.016	0.009	0.025	0.544
1.75	14060	3.515	123.5	260.5	0.034	0.015	0.074	0.631
2.00	13920	3.480	122.2	382.7	0.065	0.015	0.154	0.772
2.25	11540	2.885	101.3	484.0	0.096	0.013	0,263	0.965
2.50	9190	2.298	80.7	564.7	0.121	0.010	0.394	1.196

TABLE 5—6. OPERATING CYLINDER DATA FOR 0.09 in.<sup>2</sup> ORIFICE

t X 103, sec	s <sub>b</sub> , in.	Pa, psi	w, lb/sec	$\Delta W_{c} \times 10^{3}$ ,	$W_c \times 10^3$ ,	$V_b$ , in 3	$V_e$ , in. <sup>3</sup>	p <sub>c</sub> , psi
1.50	19.2	19200	3.318	0.830	0.830	12.1	0.141	3360
1.75	26,2	13700	2,367	0.592	1.422	15.7	0.3 12	5710
2.00	33.7	9500	1.642	0.410	1.832	19.6	0.503	5940
2.25	41.5	6800	1.175	0.294	2.126	23.6	0.702	5140
2.50	49.7	5200	0.898	0.224	2.350	27.8	0.915	4340
2.80	57.0	4400	0.760	0.228	2.578	31.6	1.140	3700
3.00	60.0	3400	0.588	0.1 18	2.696	37.9	1.430	3220
4.00		1700	0.294	0.294	2.990	67.5	2.826	1700
5.00		740	0.128	0.128	3.118	135.0	5.893	
6.00		250	0.043	0.043	3.161	334.3	14.794	
t X 103, sec	$F_{oldsymbol{c}}, \  ext{lb}$	$F_c \Delta t$ , lb-sec	$\Delta v_s$ , in./sec	ν <sub>s</sub> , in./sec	s <sub>1</sub> , in.	s <sub>2</sub> , in.	s, <b>in.</b>	$V_c$ , in. <sup>3</sup>
1.50	5940	1.485	52.2	114.7	0.016	0.007	0.023	0.541
1,75	10090	2.522	88.6	203.3	0.029	0.01 1	0.063	0,611
2.00	10500	2.625	92.2	295.5	0.051	0.0 12	0.126	0.723
2.25	9080	2.270	<b>7</b> 9.7	375.2	0.074	0.010	0.210	0.871
2.50	7670	1.917	67.3	442.5	0.094	0.008	0.312	1.05 1
2.80	6450	1.962	68 <b>.9</b>	511.4	0.133	0.010	0.455	1.304
3.00	5690	1.138	40.0	551.4	0.102	0.004	0.561	1,491
4.00	3000	3.000	135.0	686.4	0.551	0.068	1.180	2,585

TABLE 5-7. OPERATING CYLINDER DATA FOR 0.06 in.<sup>2</sup> ORIFICE

t X 103, sec	s <sub>b</sub> , in.	p <sub>a</sub> , psi	w, lb/sec	$\Delta W_c X$ 103, lb	<i>W<sub>c</sub> x</i> 103, lb	V <sub>b</sub> , in. <sup>3</sup>	$V_e$ , in. <sup>3</sup>	$p_c$ , psi
1.50	19.2	19200	2.212	0.553	0.553	12.1	0.094	2000
1.75	26.2	13700	1.578	0.395	0.948	15.7	0.208	3560
2.00	33.7	9500	1.094	0.274	1.222	19.6	0.335	3870
2.25	41.5	6800	0.783	0.196	1.418	23.6	0.468	3550
2.50	49.7	5200	0.599	0.150	1.568	27.8	0.598	3030
2.80	57.0	4400	0.507	0.152	1.720	31.6	0.761	2800
3.00	60.0	3400	0.392	0.078	1.798	37.9	0.954	2490
4.00		1700	0.196	0.196	1.994	67.5	1.884	1580
5.00		<b>74</b> 0	0.085	0.085	2.079	135.0	3.929	<b>74</b> 0
6.00		250	0.029	0.029	2.108	334.3	9.866	250
t X 103,	F <sub>c</sub> ,	$F_c \Delta t$ , lb-sec	$\Delta v_s$ , in /sec	ν <sub>s</sub> , in./sec	s <sub>1</sub> , in.	<b>s<sub>2</sub></b> , in.	s, in.	V <sub>c</sub> , in.3
	3530	0.882	31.0	93.5	0.016	0.004	0.020	0.535
1.50	3330	0.002	21.0	93.3	0.010	0.004	0.020	0.555
1. <b>50</b> 1. <b>7</b> 5	6 <b>2</b> 90	1,572	55.2	93.3 148.7	0.013	0.007	0.050	0.588
1.75	6290	1.572	55.2	148.7	0.023	0.007	0.050	0.588
1.75 2.00	6290 6840	1.572 1.710	55.2 60.1	148.7 208.8	0.023 0.037	0.007 0.008	0.050 0.095	0.588 0.668
1.75 2.00 2.25	6290 6840 6270	1.572 1.710 1.568	55.2 60.1 55.1	148.7 208.8 263.9	0.023 0.037 0.052	0.007 0.008 0.007	0.050 0.095 0.154	0.588 0.668 0.772
1.75 2.00 2.25 2.50	6290 6840 6270 5350	1.572 1.710 1.568 1.338	55.2 60.1 55.1 47.0	148.7 208.8 263.9 3 10.9	0.023 0.037 0.052 0.066	0.007 0.008 0.007 0.006	0.050 0.095 0.154 0.226	0.588 0.668 0.772 0.899
1.75 2.00 2.25 2.50 2.80	6290 6840 6270 5350 4950	1.572 1.710 1.568 1.338 1.485	55.2 60.1 55.1 47.0 52.2	148.7 208.8 263.9 3 10.9 363.1	0.023 0.037 0.052 0.066 0.093	0.007 0.008 0.007 0.006 0.008	0.050 0.095 0.154 0.226 0.327	0.588 0.668 0.772 0.899 1.078
1.75 2.00 2.25 2.50 2.80 3.00	6290 6840 6270 5350 4950 4400	1.572 1.710 1.568 1.338 1.485 0.880	55.2 60.1 55.1 47.0 52.2 30.9	148.7 208.8 263.9 310.9 363.1 394.0	0.023 0.037 0.052 0.066 0.093 0.073	0.007 0.008 0.007 0.006 0.008 0.003	0.050 0.095 0.154 0.226 0.327 0.403	0.588 0.668 0.772 0.899 1.078 1.212

The total weight of gas in the operating cylinder is

$$W_c = W_{c(n-1)} \mathbf{t} \Delta W_c = (1.798 + 0.196) \times 10^{-3} = 1.994 \times 10^{-3} \text{ lb.}$$

The equivalent volume of the bore, since the projectile has left the muzzle, according to Eq. 4-51 is

$$V_b = V_m \left(\frac{p_m}{p_a}\right)^{1/k_b} = 67.5 \text{ in.}^3$$

where

 $p_m = 4000 \text{ lb/in.}^2$ , muzzle pressure

 $V_m = 33.1 \text{ in.}^3$ , bore volume plus chamber volume

 $k_b = 1.2$ , ratio of specific heats of bore gas

The equivalent gas volume  $V_e$  in the cylinder at  $p_a = 1700$  psi is

$$V_e = \left(\frac{W_c}{W_g}\right) V_b = \frac{1.994 \times 10^{-3}}{0.0714}$$
 67.5 = 1.884 in.<sup>3</sup>

Since the cylinder volume  $V_c = 0.50 + A$ , s = 0.50 + 1.767 s is not known at this time, a trial and error procedure is adopted. First anticipate a change in slide velocity; that for the preceding interval is adequate. Then calculate, in turn, the differential travel, the total travel, the new cylinder gas volume, its pressure, piston force, corresponding impulse and change in slide velocity, and continue until the values converge to prescribed limits. Convergence for these calculations is rapid.

	<u>lst Trial</u>	2nd Trial	3rd Trial
$t = 4 \times 10^{-3} \text{ sec}$ $\Delta t = 0.001$ from Table 5	5–7		
n	1	2	3
$\Delta v_{s} = \Delta v_{s(n-1)}^{*}$	30.9	101.8	98.0
$s_1 = v_{n-1} \Delta t$	0.394	0.394	0.394
$s_2 = \frac{1}{2} \left( \Delta \nu  \Delta t \right)$	0.015	0.05 1	0.049

<sup>\*</sup>Note that for the first trial  $\Delta v_{s(n-1)} = 30.9$  is obtained from Table 5-7 for t = 0.003 sec.

	1st Trial	2nd Trial	3rd Trial
$s = s_{n-1} + s_1 + s_2$	0.812	0.848	0.846
$V_c = 0.50 + 1.767$ s	1.935	1.998	1.995
$(V_e/V_c)^{1.3}$	0.967	0.927	0.928
$p_c = p_a (V_e/V_c)^{1.3}$	1640	1580	1580
$F_c = A_c p_c = 1.767 p_c$	2900	2790	_
$F_c \Delta t = 0.001F$	2.90	2.79	
$\Delta v_{s(n)} = \frac{F_c A t}{M_{cs}} = 35.127 F_c \Delta t$	101.8	98.0	-

In the third trial, the cylinder pressure equals that of the second trial within three significant figures so that all values after  $p_c = 1580$  psi in the second trial are final and the slide velocity at the end of this interval is

$$v = v_{n-1} + Av = 394.0 + 98.0 = 492.0 \text{ in./sec.}$$

The data in Table 5–4 were computed to ascertain whether the critical flow pressures could be used as the operating cylinder pressure. Under this condition, the travel and corresponding gas volume indicated that the gas flow during the first two increments was sufficient to drive the piston over the rest of its stroke by normal polytropic expansion without the benefit of continued gas flow through the orifice. Since continued gas flow is provided, higher than critical flow pressures are certain. For this reason, the data of Tables 5-5, 5-6, and 5-7 were computed. These tables although similar, show how variations in orifice area lead to specified slide velocity and travel, and help establish acceptable limits in computer programming.

The last values of Table 5–5 indicate that the slide velocity of 50 fps will be reached within less than 30 percent of the stroke. If permitted to function with an orifice of this size, slide velocities would far exceed their limit. **A** smaller orifice area and hence less pressure would make velocity and travel more compatible. The data of Table 5–6 indicate this trend and those in Table 5–7 almost meet the requirements. **A** velocity of slightly less than 50 fps is acceptable but to be an accurate estimate, it must be achieved during the complete piston travel. **A** computed overtravel, a physical impossibility, is not acceptable. Under the

conditions enumerated in Table 5–7, the slide velocity lacks approximately 4.5 fps at a travel of 1.67 in. and is definitely acceptable at this stage even though the full 6 msec of effort are not used. The design analysis may now be organized to consider all variables simultaneously.

## 5-1.2.3 Dynamics of Simultaneous Adapter-Operating Cylinder Action

The resultant force on the recoiling parts (Fig. 5-3)

$$F_r = F_g - F_c - F_t - F = p_a A_b - p_c A_c - F_t - F$$

$$(5-61)$$

where

 $A_b$  = bore area

 $_{\Delta}$  = piston area of slide operating cylinder

 $F_t$  = adapter force

F = driving spring force

 $F_c$  = operating cylinder force

 $F_{\varrho}$  = propellant gas force

p<sub>a</sub> = average chamber pressure during each increment

 $p_c$  = operating cylinder pressure

During each time increment At, the recoiling parts are subjected to the impulse  $F_g\Delta t$  that induces a change in velocity defined by Eq 4-55.

$$\Delta v_r = \frac{F_g A t}{M_r} \tag{5-62}$$

where  $M_r$  represents the mass of all the recoiling parts until the projectile passes the gas port where it loses the burden of the **slide** and moving operating cylinder components but picks up the operating cylinder force. During counterrecoil it regains the mass of the operating cylinder components. The velocity at the end of each increment is

$$v_r = \Sigma \Delta v_r = v_{r(n-1)} + \Delta v_r.$$
 (5-63)

The recoil travel is

$$x = x_{n-1} + x_1 + x_2$$

$$- x_{n-1} + \Delta t \Delta v_{r(n-1)} + \frac{1}{2} \left( \Delta t \, \Delta v_r \right) \cdot (5-64)$$

After the projectile passes the gas port and propellant gases begin to act on the slide operating mechanism, the kinematics of the recoiling parts are superimposed on the slide. If the slide unit is isolated, the dynamics of the system follow those expressed in Eqs. 4–51 to 4–58 but modified to fit the prevailing conditions. The resultant force on the piston of the operating cylinder is

$$F_c = A_c p_c - F_d {5-65}$$

The absolute differential velocity of the slide (absolute refers to the nonrecoiling parts as the fixed reference) is

$$Av = \Delta v_r \Delta v_s = \Delta v_r + \frac{F_c \Delta t}{M_{cs}}$$
 (5–66)

The absolute slide velocity and travel are the same as for the recoiling parts until the projectile passes the gas port. The absolute velocity is

$$v = \sum \Delta v = v_{n-1} + \Delta v$$
 (5–67)

The absolute slide travel is

$$s = s_{n-1} + \Delta t \nu_{n-1} + \frac{1}{2} \left( \Delta t \Delta \nu \right)$$
 (5-68)

The slide travel with respect to recoil travel is the piston travel, thus

$$x_s = s - x$$
. (5-69)

The corresponding gas volume in the operating cylinder becomes

$$V_c = V_{co} + A_c x_s$$
 (5–70)

#### 5-1.2.4 Sample Calculation for Complete Firing Cycle

The preliminary calculations summarized in Tables 5–3 and 5–7 provide the initial values for the complete firing cycle analysis. The functioning times of each are identical **to** the propellant gas period and, although the final results do not conform exactly to specifications, they are close enough to be acceptable; all fall within design specification acceptance limits. To present simultaneous activity, the effects of the adapter and slide forces during the gas period must be synchronized. In Table 5–3,  $\Sigma F_t \Delta t = 27.98$  lb-sec; in Table 5–7,  $\Sigma F_c \Delta t = 13.98$  lb-sec. Based on time, the average adapter force

$$F_a = \frac{\sum F_t \Delta t - \sum F_c \Delta t}{t} = \frac{14}{0.006} = 23301b$$

Maintain the proportions of Table 5-3 where  $F_a = 27.98/0.006 = 4660$  lb, thus the minimum  $F_{ot}$  and maximum  $F_{mt}$  adapter forces are

$$F_{ot} = \left(\frac{2330}{4660}\right) \text{ 2850 = 1425 lb}$$

where 2850 is first value in  $F_t$  column of Table 5-3, and

$$F_{mt} = \left(\frac{2330}{4660}\right) 6260 = 3130 \text{ lb}$$

where 6260 is the last value in  $F_t$  column of Table 5-3.

Convert these limits to forces of a ring spring having a conical angle  $\alpha = 15^{\circ}$ , a coefficient of friction  $\mu = 0.10$ , and an efficiency of  $\varepsilon = 0.45$  (Ref. 15),

$$F_o = F_{ot} = 0.45 \times 1425 = 6401b$$

$$F_m = F_{mt} = 0.45 \text{ x } 3130 = 1410 \text{ lb}$$

Distance now, as well as time, becomes a critical parameter in the analysis. For a recoil travel of 0.25 in., the equivalent spring constant of the ring spring is K..

$$K_t = \frac{F_m - F_Q}{x} = \frac{1410 - 640}{\theta.25} = 3080 \text{ lb/in.}$$

The average adapter force for any differential recoil travel  $\mathbf{A}\mathbf{x}$  is

$$F_a = \frac{1}{\epsilon} \left[ F_{n-1} + \frac{1}{2} \left( K_t \Delta x \right) \right] = \frac{1}{0.45} \left[ F_{n-1} + 1540 \Delta x \right]$$

The two driving springs offer a similar but milder effort. Their combined characteristics follow:

K = 40 lb/in., spring constant

 $F_0$  = 85 lb, minimum operating load

 $F_{m}$  = 285 lb, maximum operating load

e = 0.80, efficiency

The average driving spring load for any differential travel As of the operating slide is

$$F = \frac{1}{\epsilon} \left[ F_{(n-1)} + \frac{1}{2} \left( K \Delta s \right) \right] = \frac{1}{0.80} \left[ F_{(n-1)} + 20 \Delta s \right]$$

where  $\Delta s = \Delta x$  until the projectile passes the gas port. Observe that after propellant gases become active in the operating cylinder, F loses its identity by becoming a component of  $F_c$  which heretofore had been zero.

# 5-1.2.4.1 Counterrecoil Time of Recoiling Parts

By restricting the barrel-drum unit to linear travel only during countenecoil, the time required for the activity according to Eq. 2-27 is

$$t_{cr} = \sqrt{\frac{M_r}{\epsilon_t K_t}} \cos^{-1} \frac{F_o}{F_m} = \sqrt{\frac{86}{0.45 \times 3080 \times 386.4}} \cos^{-1} \frac{640}{1410}$$

= 
$$0.01303 \times \text{Cos}^{-1} = 0.4539 = 0.01303 \times 1.1 = 0.01433 \text{ sec.}$$

Earlier, the total time of recoil was estimated to be  $t_r = 0.0127~{\rm sec.}^*$  Since 0.006 sec has been consumed for the 1.67 in. of recoil, the remaining time of 0.0067 sec indicates that the counterrecoil of barrel and slide will overlap and a component of the adapter force will be transmitted to the slide-rotating drum combination. Because of the simultaneous activity, the applied force on the slide will be modified according to the involved masses and the cam slope. The components of the adapter force allotted to recoiling parts, drum, and slide are found by a procedure based on the laws of conservation of momentum and energy. Equate the adapter impulse to the linear momentum of recoiling parts and slide so that

$$\vec{F}_t dt = M_r v_{cr} + M_s v_s = M_r v_{cr} + M_s v_c \cos \beta$$
 (5-71)

where  $\bar{F}_t$  is the average adapter force for the time interval dt and  $v_c$  is the velocity of the cam follower along the cam. This form of showing the slide velocity is adopted to avoid the use of  $\tan \beta$  which eventually becomes infinite and cannot be used in the digital computer. The energy of the adapter distributed to the various moving element is

$$\frac{1}{\epsilon_t} \ \overline{F}_t \ \Delta x = \frac{1}{2} \left( M_r v_{cr}^2 \right) + \frac{1}{2} \left( M_s v_c^2 \cos^2 \beta \right)$$

$$+ \frac{1}{2} \left( M_{de} v_c^2 \sin^2 \beta \right)$$

$$(5-72)$$

where

 $M_{de}$  = effective mass of the rotating drum.

The two simultaneous equations may be solved by obtaining the expression for  $v_{cr}$  in Eq. 5–71 and substituting it into Eq. 5–72. This process merely involves algebraic gymnastics and, since the solution is unwieldly, the expressions for the two velocities are left in their present state. However, with the various constants known, the solutions reduce to a simple quadratic equation of the order

$$Av_c^2 + Bv_c - C = 0 (5-73)$$

\*Par. 5-1.1.2.2

One great advantage inherent in the revolver-type machine gun is the independence of loading and ejecting. Both occur simultaneously with neither interfering with the other. Cam action is illustrated in Figs. 5-9 and 5-10 which show the mechanics of operation. The striker and extractor are fixed to and move with the operating slide whereas the extractor mechanism is fixed to the drum housing and moves with it. As the drum completes its angular travel, the spent cartridge case has moved into contact with the extractor and, in the meantime, lifting the antidouble feed safety switch to break the electric firing circuit so that inadvertent firing of the newly positioned round is precluded. During counterrecoil, the return cam has enough clearance to avoid contact with the extractor cam but, at a prescribed position, the striker hits the extractor cam with the impact needed to rotate the extractor, thereby extracting and ejecting the empty case. After the cam leaves, the antidouble feed safety switch drops into place to reclose the firing circuit. Extraction failure maintains an open circuit until the malfunction is corrected.

During slide recoil, the extractor return cam forces the extractor cam into its normal position. The torsion spring does not activate the extractor, being used primarily as a safety to hold the extractor firmly in position. The cams transmit all effort from slide to extractor. Relative dimensions must comply with required ejection velocity. Once the counterrecoil velocity of the slide is estimated, the ratio of extractor radius to striker radius,  $r_e/r_s$ , can be arranged to fit the ejection velocity requirement. The required ratio

$$\frac{r_e}{r_s} = \frac{v_e}{v_{scr}} \tag{5-74}$$

where

 $v_{scr}$  = counterrecoil velocity of the slide

The ejection velocity is assumed immediately at impact of the striker on the ejector cam, resulting in a change of momentum of all involved moving parts. According to the conservation of momentum,

$$M_s v'_{scr} = M_s v_{scr} + M_{ee} v_e$$
 (5-75)

where

 $M_{ee}$  = effective mass of extractor unit

 $v'_{scr}$  = slide velocity before impact.

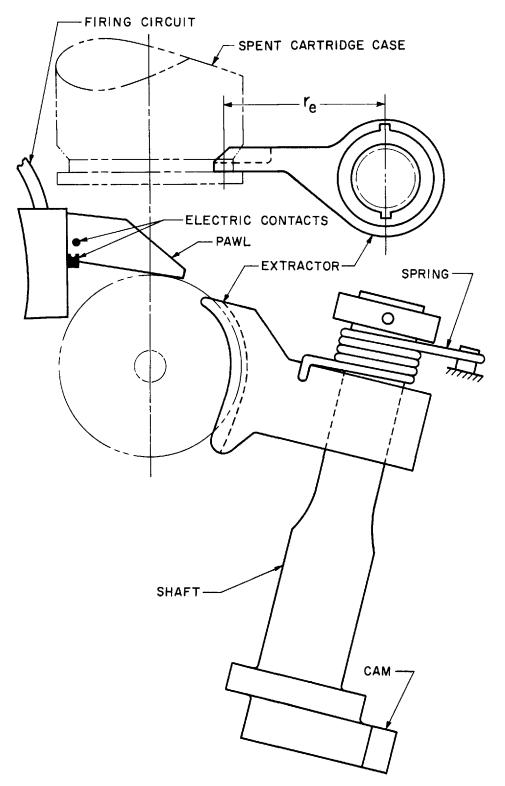


Figure 5-9. Extractor Assembly With Antidouble Feed Mechanism

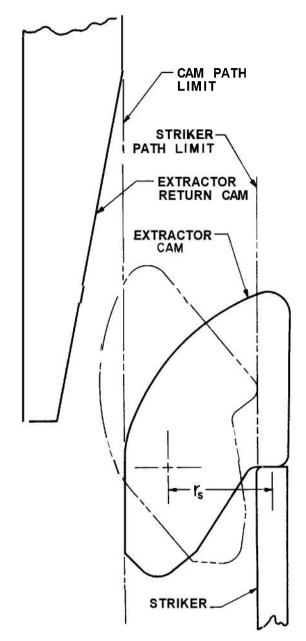


Figure 5-10. Extractor Cam Assembly

# 5- 1.2.4.2 Digital Computer Analyses of Barreldrum Dynamics

Three digital computer programs are compiled in FORTRAN IV language for the UNIVAC 1107 computer. The first computes the data and performance characteristics during the activity of the gas operating cylinder. This program follows the same general procedure that was used for computing the data of Table 5-7 where data cover the effective propellant gas period of 6 msec and the slide travel of 1-2/3 in. The symbol-code relationships are shown in Table 5-8, the input data as well as the computed results are printed in Table 5-12. In the Appendix, A-1 is the flow chart and A-8 is the program listing.

The second program begins where the first terminates; just as the follower enters the curved portion of the cam to start the drum rotating, then continuing until the follower has traversed the accelerating portion of the cam and the slide has completed its rearward travel. The third program begins here and computes the data for the decelerating portion of the cam and the first part of the slide travel during counterrecoil. Both programs follow the procedure outlined in par. 5–1.2.2. Since the second and third programs are similar, differing only because of direction, the symbol-code relationships (Table 5–9) serve both programs. Inputs are listed in Tables 5–10 and 5–11 for the recoil and the counterrecoil dynamics, respectively.

Computed results are printed in Table 5–13 for the cam and drum dynamics during recoil and in Table 5–14 for the dynamics during counterrecoil. The flow chart and program listing are found in Appendixes A–9 and A–10 for recoil and, in A–11 and A–12, respectively, for counterrecoil.

TABLE 5-8. SYMBOL-CODE CORRELATION FOR OPERATING CYLINDER

Symbol	Code	Symbol	Code
$A_o$	AO	$V_{b}$	VB
F	FD	$V_c$	vc
$F\Delta t$	FDT	$V_{co}$	vco
$F_c$	FC	$V_e$	VE
$F_c F_c \Delta t$	FCDDT	ν	V
$F_r$	F	$\nu_{_S}$	VS
$F_{t}$	FA	$\Delta \nu$	DV
$M_e$	EME	$\Delta v_s$	DVS
$p_a$	PA	$w_c^{\circ}$	wc
$p_c$	PC	$\Delta W_c$	DWC
S	$\mathbf{S}$	w	W
$s_1$	S1	X	X
$s_2$	s 2	$x_1$	X1
As	DS	$x_2$	x 2
t	T	$x_s$	XS
At	DT	Ax	DX

TABLE 5-9. SYMBOL-CODE CORRELATION FOR CAM DYNAMICS

Symbol	Code	Symbol	Code
$C_x$	CX	$R_d$	RD
	CY	S	S
$\boldsymbol{E}$	E	As	DSI
E <sub>bb.&amp;</sub>	EBBL	$s_x$	SX
	DEBBL	$\Delta s_{x}$	DSX
$E_d$	ED		TG
$E_i$	EI	$T_{\mathcal{g}} \ T_{oldsymbol{\mu}}$	TMU
É.,	EMU	<i>t</i> ~	TM
$E_i$ $E_{\mu}$ $E_{\mu d}$ $E_{\mu s}$ $F$ $F_t$ $F_y$ $I_d$ $K_y$ $K_x$	EMD	At	DELT
$E_{ns}$	EMS	$\Delta t_{cr}$	DTCR
F S	FD	<i>v</i>	V
$F_{\star}$	FA	$v_c$	vc
<b>–</b>	FX	$v_d$	VD
$F_{n}$	FY	$v_s$	VS
<b>=</b>	FUS	X	X
$I_d$	DIE	Ax	DXI
$K_{v}$	YK	$\Delta x_o$	DXIO
$K_{\mathbf{r}}^{'}$	XK	$\Delta x_1$	DXI 1
$M_r$	EMR	Y	Y
$M^{'}$	EMSL	β	BETAD
N	EN	heta	THETA
$R_c$	RC	$\Delta  heta$	DTHETA

TABLE 5-10. INPUT DATA FOR DRUM DYNAMICS DURING RECOIL

Symbol	Data	Code	Data
сх	0.275	FA (17)	1278.72
CY	2.9	FD (17)	151.8
DF	0.15	S(17)	1.67
DIE	0.385	TM (17)	6.0
EMR	0.22	VC (17)	478.8
EMSL	0.02588	VS (17)	478.8
RD	3.0	X (16)	0.224
TG	140.0	X (17)	0.224

Code	Data	Code	Data
CY	2.9	FX (2)	333.0
CX	0.275	FY (2)	14.25
DF	0.15	S(2)	5.0
DIE	0.35	SX (2)	0.0
EMR	0.22	TM (1)	18.6
EMSLR	0.029	TM (2)	19.5968
RD	3.0	TMU (2)	50.014
TG	140.0	V (2)	0.0
BETAD (2)	90.0	VC (2)	199.1
E(2)	848.01	VD (2)	199.1
EN (2)	333.0	VS (2)	0.0
FA (2)	1256.0	X(1)	0.21 12
FD (2)	285.0	X (2)	0.21 13
FUS (2)	2.1	Y(2)	0.0

TABLE 5-11. INPUT DATA FOR DRUM DYNAMICS DURING COUNTERRECOIL

# 5-1.2.4.3 Firing Rate Computation

Just as the cam completes its cycle, the drum reaches its next firing position and rotation has ceased. According to the print out of the values, neither recoiling parts nor slide has completed its return. The prevailing conditions are

 $t_e$  = 0.0329 sec,\* elapsed time since firing

 $s_{or}$  = 1.67 in., position where slide contacts gas operating unit

 $F_t = 1210 \, \text{lb},^* \text{ recoil adapter force}$ 

F = 204 lb,\* driving spring force

 $K_t$  = 1780 lb/in., recoil adapter spring constant

K = 40 lb/in., driving spring constant of 2 springs

 $v_{cr} = 8.91 \text{ in./sec,*}$  barrel counterrecoil

 $v_{ser} = 231.6$  in./sec,\* slide counterrecoil velocity

x = 0.1854 in.," remaining counterrecoil travel of barrel

 $W_r$  = 85 lb, weight of barrel and other recoiling parts

 $W_{\rm sr}$  = 11.2 lb, weight of slide with 2 rounds

 $W_{srp}$  = 12.2 lb,  $W_{sr}$  + weight of gas operating unit

 $\epsilon_t = 0.45$ , efficiency of recoil adapter

 $\epsilon$  = 0.80, efficiency of driving spring

According to Eq. 2-26, the time of counterrecoil under spring action

$$t'_{cr} = \sqrt{\frac{M_r}{\epsilon_t K_t}} \left( \operatorname{Sin}^{-1} \frac{K_t x - F_t}{f(F)} - \operatorname{Sin}^{-1} \frac{-F_t}{f(F)} \right)$$

where

$$f(F) = \sqrt{F_t^2 + \frac{K_t}{\epsilon_t} \left( M_r v_{cr}^2 \right)}$$
5-39

s = 2.974 in.,\* remaining counterrecoil travel of slide

<sup>\*</sup>Obtained from Table 5-14.

TABLE 5-12. COMPUTED RECOIL AND OPERATING CYLINDER DATA FOR ORIFICE AREA OF  $0.042 \; \mathrm{in.}^2$ 

		AVERAGE	PROP		DRIV ING	RESULT		DIFFER		DIFFER	
	BORE	BORE	GAS	ADAPTER	SPRING	RECOIL	RECOIL	RECOIL	RECOIL	RECOIL	RECOIL
TIME	VOLUME	PRESSURE	FORCE	FORCE	FORCE	FORCE	IMPULSE	VEL	VEL	TRAVEL	TRAVEL
MILSEC	CUIN	PSI	LB	LB	LB	Ш	LB-SEC	IN/SEC	IN/SEC	IN	iΝ
•250	2.2	10800.	5562.	880.	85.	3439.	e 8 7	3.5	3.3	.0004	.0004
•500	3.0	32200.	16583.	885.	85.	14510.	3.63	14.6	18.1	• 0027	• 0031
<b>-750</b>	4.3	37700.	19415.	897.	85.	17315.	4.33	17.4	33.5	.0067	•0099
1.000	6.3	35300.	18179.	917.	86.	16035.	4.01	16.1	51.7	.0109	.0208
1.250	9•0	29300.	15089.	942.	86•	12887.	3.22	13.0	64.6	.0145	<b>■</b> 9353
1.375	10.5	24500.	12617.	957.	87.	10382.	1.30	5.2	69.9	.0084	<b>■</b> 0437
1.500	12.1	21800.	11227.	973.	87.	7745	<b>.</b> 97	4.4	74.3	.0090	• 0527
1.750	15.7	16500.	8497.	1007.	88•	172!S.	.43	2.0	76.2	.0188	.0715
2.000	19.6	11800.	6077.	1040.	89.	-26 <sup>50</sup> =	65	-3.0	73.2	.0187	<u>⊪0902</u>
2.250	23.6	8200.	4223.	1072.	91•	-4565.	-1.14	-5.2	68.0	.0177	<ul><li>1079</li></ul>
2.500	27.8	5800•	2987.	1101.	94.	-499°•	-1.25	-5	62.4	.0163	• 1242
2.800	33.1	4500•	2317.	1132.	97.	-5093.	-1.53	-6.9	55.4	.0177	.1418
3.000	37.9	3700.	1905.	1151.	100.	=5042.	-1.01	-4.6	50.8	.0106	.1525
4.000	67.5	1600.	824.	1224.	115.	-4243	-4.24	-19.3	31.5	.0412	• 1937
5.000	135.0	760 .	391.	1265.	133.	-3 63.	-3.76	-17.1	14.4	.0230	.2167
6.000	334.3	230•	118.	1278.	152.	<del>-</del> 3129.	-3.13	-14.2	•2	.0073	.2240

	GAS	OPER	EQUIV	OPER	OPER	OPER	OPER	DIFFER		DIFFER	
	FLOW	CYL	CYL	CYL	CYL	PISTON	CYL	SLIDE	SLIDE	SLIDE	SLIDE
TIME	RATE	GAS	VOLUME	VOLUME	PRES	FORCE	IMPULSE	VEL	VEL	TRAVEL	TRAVEL
MILSEC	LB/SECXM	LBXM	CUIN	CU IN	PSI	LB	LB-SEC	IN/SEC	IN/SEC	I N	I N
•250	• 0	•000	•000	•000	0•	0.	•000	3.5	3.5	0000	•000
•500	<u>.0</u>	.000	.000	•000	0.	0.	• 000	14.6	16.1	.003	•003
•750	• 0	.000	<b>.</b> 000	.000	0.	0.	•000	17.4	35.5	.007	.010
1.000	• 0	<b>■</b> 000	•000	•000	0.	0.	•000	16.1	<b>51</b> . <i>I</i>	.011	.021
1.250	• 0	.000	<b>.</b> 000	.000	0.	0.	• 000	13.0	64.6	.015	.035
1.375	<u>.0</u>	.000	.000	•000	0.	0.	.000	5.2	69.9	.008	.044
1.500	1763.0	.220	• 037	.501	746.	1318.	•151	5.,3	75.2	•009	.053
1.750	1334.4	<u>.554</u>	•122	.510	2566.	4535.	1.106	38.9	114.0	.024	.077
2.00 <b>0</b>	954 🖪	<b>₌</b> 793	•217	• 538	3631•	6415.	1.576	55.4	169.4	• 035	.112
2.250	663.2	<b>.</b> 958	•317	593	3626∙	6406.	1.5/3	35.3	224.6	.049	. 161
2.500	469.1	1.076	•419	•673	3130.	55 <b>30</b> •	1.353	47.5	272.2	.061	.222
2.800	ანა <u>"</u> 9	1.183	349	<b>-</b> /97	2770.	4894.	1 432	50.3	322.5	-088	<u>-</u> 310
3.000	299.2	1.245	•660	.897	2485.	4390.	•853	30.0	352.4	.067	<b>₌</b> 377
4.000	129.4	1.374	1.298	1.498	1328.	2347.	2.203	77.4	429.0	.381	.759
5.000	61.5	1.435	2.713	2.239	760e	1343.	1.177	41.3	471• <b>1</b>	442	1.201
6.000	18.6	1 454	6.805	3.052	230∙	405.	.217	7.6	478.8	+468	1,668

TABLE 5-13. CAM AND DRUM DYNAMICS DURING RECOIL

	RECOIL	DRIVING	NORWAL	AXIAL	PERIPH			COUNTER	COUNTER		
TIME	ADAPTER FOHCE	SPRING FORCE	CAM FORCE	CAM TRAVEL	CAM TRAVEL	CAM SLOPE	DRUM VEL	RECOIL VEL	RECOIL POSITION	SLIDE VEL IN/SEC	SLIDE TRAVEL
MILSEC	LB	FR	LB-	IN	IN	DEGREE	IN/SEC	IN/SEC	-1N	TN/SEC	IN
6.18857	1279.	155.4	2010.	•0900	• 0009	1.0	8•3	.4308	.2240	4/6.2	1.760
6.37862	1278.	159.0	1988.	.1800	.0033	2.0	16.5	•7931	•2238	472.2	1.850
6.57050	1278.	162.6	1967.	•2700	.0072	3.0	24.6	1.1304	2237	467.9	1.940
6.76435	1278.	166.2	1947 🛚	•3600	•0128	4 • 0	32.5	1.4427	•2234	463•3	2.031
6.96032 7.15050	1277.	169.8	1928. 1911.	•4500 •5400	•0199 •0286	5.0	40.4	1.7303 1.9927	•2231	458 4 453.2	2.121
7.15858	1276.	173.5				6+1	48.1		• 2227		2.211
7.35930 7.56266	1276. 1275.	177•1 180•7	1895. 1880.	•6300 •7200	.0390 .0510	7•1 8•1	55. 7 63•2	2•22 <b>96</b> 2,4405	.2223 .2218	447.8 442.0	2.302
											• •
7.76886 7.97811	1274.	184.3 187.9	1865. 1852.	.8100 .9000	• 0647	9•2	70 • 6 77 • 9	2.6252 2.7826	•22 3 •2208	436.0 429.6	2.483 2.573
		_			.0802	10.3					
8 • 19065 8.40671	1272. 1271.	191.6	1840• 1829•	∎Y9 1•0800	.0974 .1164	11.4 12.5	85.0 92•1	2.9121 3.0123	.2202 .2195	423.0 416.0	2•b64 2.754
8 • 62658	1270.	195.2 198.8	1819.	1.1700		13.6	_	3.0123	-2189		
8.84718	1268.	202.4	1859.	1.2600	•1372 •1600	14.8	99 • 0 105.9	3.1123	.2182	401.1	2.845 2.934
9.07557	1267•	206.0	1802.	1.3500	•1847	16.0	112.6	3.1089	•21/5	393 <sub>0 1</sub>	3.025
9.30510	1266.	209.6	1848.	1.4400	.2116	17.2	119.2	3.0679	.2168	384.9	3.114
9.53976	1265.	213.1	1845.	1.5300	•2405	18.5	125.6	2.9786	<u>2161</u>	375.2	3.204
9.78003	1263.	216.7	1842.	1.6200	.2717	19.8	132.0	2.8450	2154	367.1	3.293
0 -02648	1262.	220•3	1841•	1.1100	• 3053	21.1	13LI.Z	2.6625	2147	357.7	3.382
0.28347	1261.	223.9	1777.	1.8000	.3413	22.5	144.3	2.4429	.2140	347.8	3.473
0.54794	1260•	227.5	1775.	1.8900	■380	24.0	150.2	2.1809	.2154	33/+5	3.564
10.82061	1259.	231.2	1775.	1.9800	.4215	25.5	156.0	1.8591	.2129	326•7	3.654
11. 1023/ 11. 39427	1258	234.8	1775 1777	2.0700 2.1600	• 466 • 5138	2/01 28•8	161.6	1.4711	·2124 ·2120	313.5	3.745
		238.4		2.1600	•5138		167.1	1.0082			3.835
11.69756	1257.	242.0	1781•	2.2500	• <b>5</b> 5	30.6	1/2.4	•4612	.2118	291.3	3,925
1.93028	1257.	244.7	1785.	2.3166	•605 <b>7</b>	32.0	176.2	<b>■</b> 0000	.2118	281.7	3,992
2.25745	1257.	248.3	1885.	2.4066	•664	34.0	181.0	•0.00	2117	268.2	4.082
2.60215	1257.	251.9	1900.	2.4966	•7274	36 • 2	185.6	•0000	.2117	253.8	4.172
2.96759	1257.	255•5	1918.	2• 5866	• 7960	38.5	189-9	•000	•2 16	238.5	4.262
3.35799	1257•	259• 1	1940.	2.6766	.8710	41.1	193.9	•0000	.2116	222.3	4.352
3.779.09	1257.	262.7	1968.	2.7666	• 9535	43.9	197-5	•0 0	.2116	204.9	4.442
14.23911	1256.	266.3	2005.	2.8566	1.0452	47.1	200+6	•0000	.2115	186.2	4.532
[4 <b>.7</b> 504 <b>6</b> 15.33356	1256. 1256.	269.9 273.5	2056. 2133.	2.9466 3.0366	1•1485 1.2677	50 • 8 55 • 1	203•2 205.0	•0000 •0000	.2115 .2114	165.7 142.9	4.622 4.712
						. –					4.712
6•02666	1256.	277.1	2268.	3.1266	1.4102	60.4	205.6	•0000 •0000	•2114 •2114	84.7	
6.92005	1256.	280.7	2605.	3.2166	1.5938	67.5	204 • 1				4.892 5.005
9.59680	1256.	285-2	-	3.3300	2 • 1500	90.0	199.1	.0000	.2113	- 0	

TABLE 5-14. CAM AND DRUM DYNAMICS DURING COUNTERRECOIL

TIME	RECOIL ADAPTER FORCE	DRIVING SPRING FORCE	NORMAL CAM FURCE	AXIAL CAM TRAVEL	PER IPH CAM TRAVEL	CAM SLOPE	DRUM VEL	COUNTER RECOIL R VEL	COUNTER E C O I L POSITIONN	SLIDE VEL	SLIDE TRAVEL
										INVSEC	
MILSEC	LB	LB	LB 1/105	IN •100	I N	DEGREE	INZSEC	IN/SEC .0000	IN -2102	78.4	1 N
22.17219	1254.	281.0	1405.		e5058	67•9 59•1			e2103		4.899
23.26010	1253.	276.9	1346,	•200 300	.7061		179 • 4	.0000	.2093	107.2	4.798
24.11989	1251.	272.9	1238.	.300	8534	52.6	166.9	• 0000	e2083	127.7	4•697
24.86381	1249.	268•8	1167.	•400	•9720	47.2	155.3	.0000	.2073	143.8	4.596
25.53465	1247 *	264 ⋅ 8		• <u>500</u>	1.0715	42.6	144.4	.0000	• 2063	157.2	4.495
26 · 15502	1245.	260.8		<b>:</b> ₿00 _	1•1560	38.4	133.8	.0000	-2053	168.5	4.394
26.75740	1244.	256.7	1974:	<b>2</b> 700	1.2569	34•7	123.5	.0000	.2043	178.3	4.293
L7.28523	1244.	252.7	1029.	-800	1.2960	31.3	113.5	0000	• 2043	180.9	4,193
27.81027	1243.	248.7	1006.	•900	1.3530	28.1	103.7	e2408	.2042	194.3	4.093
28.31741	1243.	244.7	986e	1.000	1.4030	25.1	93.9	•6028	•2040	200.9	3.993
28.81013	1242.	240.7	970•	1.100	1.4467	22•2	84.4	1.0728	.2036	206.7	3.892
29.29120	1241.	236+7	957.	1.200	1.4848	19•5	74 • 9	1.6378	•2 Y	211.8	3.792
29.76285	1240.	232 • 6	945 •	1.300	1.5175	16.8	65•4	2.2897	e2020	216.2	3.691
30.22697	1237.	228.6	936.	1.400	1.5454	14.3	56.0	3,0212	,2008	220,0	3.590
50°68518	1235.	224.5	929.	1.500	1.5686	11.8	46.7	3.8271	• 1992	223.3	3.488
31,13890	1231.	220 e 4	924.	1.600	1.5873	9.4	37.4	4.7035	.1973	225.0	3.386
31.58948	1227.	216.3	920.	1e 700	1a6017	7 • 0	28.0	5.6505	· 1950	228 •2	3.284
32,03813	1222a	212.2	Y18.	1.800	1.6119	4.7	18.7	6.6670	.1923	229.8	3,181
32.48601	1217.	208.1	918.	1.900	1.6180	2.3	9 • 4	7,7509	• 1891	231.0	3.078
32,93430	1210°	204:0	A18:	2.000	1.6200	• 0	•0	8.9058	.1854	231.8	2,974

1

For counterrecoil of the barrel

$$f(F) = \sqrt{1210^2 + \frac{1780}{0.45} (0.22) 8.91^2} = 1238.2.$$

The time required to complete the counterrecoil of the barrel

$$t'_{cr} = \sqrt{\frac{0.22}{0.45 \times 1780}} \left( \sin^{-1} \frac{1780 \times 0.1854 - 1210}{1238.2} - \sin^{-1} \frac{-1210}{1238.2} \right)$$

$$= 0.01657 \left[ \sin^{-1} \left( -0.71070 \right) - \sin^{-1} \left( -0.97722 \right) \right]$$

$$t'_{cr} = 0.01657 \left( \frac{314.71 - 282.25}{57.296} \right) = 0.0094 \text{ sec.}$$

The energy of the moving unit at the end of counterrecoil

$$E_{cr} = \frac{1}{2} \left( M_r v_o^2 \right) + \epsilon_t \left( F_t - \frac{1}{2} K_t x \right) x$$

$$= \frac{1}{2} \left( \frac{855}{386.4} \right) 8.91^2 + 0.45 \left[ 1210 - \frac{1780}{2} \left( 0.1854 \right) \right] 0.1854$$

$$= 95.9 \text{ in.-lb.}$$

The maximum counterrecoil velocity

$$v_{cr} = \sqrt{\frac{2E_{cr}}{M_r}} = \sqrt{871.9} = 29.53 \text{ in./sec.}$$

Compute the counterrecoil time of the slide in three steps, before the slide contacts the gas operating unit, the effect of cartridge case ejection, and after the slide picks up the operating unit. The distance traveled before contact is

$$s_c = s - s_{or} = 2.974 - 1.67 = 1.304 \text{ in.}$$

The time to traverse this distance, Eq. 2-26,

$$t'_{scr} = \sqrt{\frac{M_{sr}}{\epsilon K}} \left( \operatorname{Sin}^{-1} \frac{K s_c - F}{f(F)} - \operatorname{Sin}^{-1} \frac{-F}{f(F)} \right)$$

where

$$\sqrt{\frac{M_{sr}}{\epsilon K}} = \sqrt{\frac{0.8 \times \frac{11.2}{40.8} \times 386.4}{0.8 \times 40 \times 386.4}} = \sqrt{0.000906} = 0.0301$$

$$f(F) = \sqrt{F^2 + \frac{K}{\epsilon}} M_{sr} v_{scr}^2 = \sqrt{204^2 \text{ t} \frac{40}{0.8} \times 0.029 \times 231.6} = 345.5.$$

Therefore

$$t'_{scr} = 0.0301 \text{ (Sin-'} \frac{40 - 1.304 - 204}{345.5} - \text{Sin-'} \frac{\frac{204}{345.5}}{\frac{345.5}{345.5}} = 0.0301 \left[ \text{Sin-'} (-0.43946) - \text{Sin-'} (-0.59045) \right]$$

$$= 0.0301 \left( \frac{333.93 - 323.81}{57.3} \right) = 0.0053 \text{ sec.}$$

The slide energy at this position

$$E_{s} = \frac{1}{2} \left( M_{sr} v_{scr}^{2} \right) + \epsilon \left( F - \frac{1}{2} K s_{c} \right) s_{c} = \left( \frac{0.029}{2} \right) 231.6^{2} \text{ t } 0.8 \left[ 20.7 - \left( 1.304 \right) \right] 1.304$$

$$= 963.4 \text{ in.-lb}$$

The corresponding velocity

$$v scr = \sqrt{\frac{2E_s}{M_{sr}}} = \sqrt{\frac{1926.8}{0.029}} = \sqrt{66441} = 257.8 \text{ in./sec.}$$

To avoid duplication of the above exercise, assume that cartridge case ejection and gas operating piston pick-up occur at the same time. When pick-up occurs, the slide gains one pound. From the conservation of momentum when the ejection velocity,  $v_e = 840$  in./sec,

$$\left(\frac{W_{sr}}{g}\right) v'_{scr} = \left(\frac{W_{srp}}{g}\right) v_{scr} + \frac{W_{cc}}{g} v_{e}$$

$$\left(\frac{11.2}{386.4}\right) 257.8 = \left(\frac{12.2}{386.4}\right) v_{scr} t \left(\frac{0.2}{386.4}\right) 840$$

$$v_{scr} = \frac{2887 - 168}{12.2} = 222.9 \text{ in./sec}$$

where

$$W_{sr}$$
 = weight of slide with 2 rounds

 $W_{srp}$  = weight of slide, 2 rounds, and gas operating unit

The time to complete slide counterrecoil is

$$t_{scr}^{"} = \sqrt{\frac{M_{srp}}{\epsilon K}} \left( \operatorname{Sin}^{-1} \frac{K s_r - F}{f(F)} - \operatorname{Sin}^{-1} \frac{-F}{f(F)} \right)$$

where

$$\sqrt{\frac{M_{srp}}{\epsilon K}} = \sqrt{\frac{0.8 \times 40 \times 386.4}{0.8 \times 40 \times 386.4}} = \sqrt{0.00987} = 0.0314$$

$$F = 204 - Ks_c = 204 - 52.16 = 151.84 \text{ lb.}$$

$$f(F) = \sqrt{F^2 + \frac{K}{\epsilon} \left( M_{srp} v_{scr}^2 \right)} = \sqrt{151.84^2 + \frac{40}{0.0} (0.0316) \ 222.9^2} = 318.7.$$

Thus

$$t''_{scr} = 0.0314 \left( \text{Sin}^{-1} \frac{40 \times 1.67 - 151.84}{318.7} - \text{Sin}^{-1} \frac{-151.84}{318.7} \right) = 0.0314 \left[ \text{Sin}^{-1} \left( -0.26683 \right) - \text{Sin}^{-1} \left( -0.47643 \right) \right]$$
  
=  $0.0314 \left( \frac{344.52 - 331.55}{57.3} \right) = 0.0071 \text{ sec.}$ 

The total slide counterrecoil time after cam action is

$$t_{scr} = t'_{scr} + t''_{scr} = 0.0053 + 0.0071 = 0.0124 \text{ sec.}$$

The slide energy and velocity at the end of counterrecoil are

$$E_{s} = \frac{1}{2} \left( M_{srp} \, \nu_{scr}^{2} \right) + \epsilon \, \left( F - \frac{1}{2} \, K_{sor} \right) \, s_{or}$$

$$= \left( \right) \, 222.9^{2} + 0.8 \, \left[ \, 151.84 - \frac{40}{2} \, (1.67) \, \right] \quad 1.67 = 943.8 \, \text{in.-lb.}$$

$$\nu_{scr} = \sqrt{\frac{2E}{M_{srp}}} = \sqrt{\frac{1887.6}{0.0316}} = \sqrt{59734} = 244.4 \, \text{in./sec.}$$

The time of slide counterrecoil exceeds that for the barrel, therefore, the firing rate is based on the former. The total time to complete the firing cycle

$$t_c - t_e + t_{scr} = 0.0329 + 0.0124 = 0.0453 \text{ sec.}$$

The rate of fire

$$f_r = \frac{60}{t_c} = 1324 \text{ rounds/min.}$$

Originally, the maximum recoil velocity of the slide was assumed to be 600 in./sec but, to satisfy some of the other design criteria, this velocity reduces to 478.8 in./sec. Rather than manipulate other variables to reach the 600 in./sec velocity, 478.8 in./sec was accepted to continue the analysis. When this reduced velocity was introduced in the earlier time estimates of par. 5–1.1.1, a revised rate of fire of 1590 rounds/min was computed. These two firing rates — one obtained by means of a digital computer, the other by a short cut estimate — are within 80% agreement of each other.

#### 5-2 DOUBLE BARREL TYPE

The Navy MK 11 Gun is an excellent example of a double barrel revolver-type machine gun. This gun is recoil-operated and fires 4000 rounds/min at a muzzle velocity of 3300 ft/sec (Ref. 16). The high rate of fire is attributed to (1) the simultaneous loading, firing, and ejection of two belts of ammunition for each operation, (2) the use of advance primer ignition technique, and (3) the absence of conventional recoil and counterrecoil shock absorbing elements.

#### 5-21 FIRING CYCLE

The firing cycle involves three basic operations: ramming, firing, and case ejection. All perform simultaneously at six chambers of the eight-chambered drum. Fig. 5–11 locates the relative positions of these operations. One belt of ammunition enters the rear drum area from each side of the gun and assumes the respective positions. The rounds in the top and bottom chambers, properly aligned with the barrels, are fired simultaneously. Propellant gases, bled from one barrel only, actuate the rammers and eject the empty cases, all other mechanical functions depend on recoil activity. Since firing must precede ramming and ejecting, an imperceptible lag occurs between firing and the two other functions.

At the start of each burst, only one shot is fired, always from the same *first-fire* barrel. Thus, the

momentum of the recoiling parts is equivalent to the impulse generated by the propellant of this single shot. During the latter part of the recoil travel, the energy of translation of the recoiling parts is converted to rotational energy of the drum by cam action. The drum now acts as a flywheel, delivering energy needed to operate the feed system, meanwhile storing the remainder that eventually would be reconverted, by continued action, into the translational energy of counterrecoil. Just before reaching the in-battery position, both barrels are fired. Part of the total impulse of the two shots compensate for the momentum of counterrecoil to stop the moving parts in their forward motion. The remaining impulse induces the recoil that follows. This action continues until the end of the burst when a single shot is fired in the *last-fire* barrel, as opposed to the *first-fire* barrel that starts the burst. The impulse of this shot stops the counterrecoiling parts. Any residual impulse is absorbed by a buffer which also absorbs the full counterrecoil shock in the event of a misfire.

#### 5-2.1.1 Cam Function

The drum has eight elliptical cams cut into its outer surface in the arrangement shown in Fig. 5-12. Forward and rear cam followers, mounted on a pivoting arm, engage alternately forward and rear cams during successive rounds. Fig. 5-12(A) shows the gun in battery with the forward cam follower engaged in a forward cam. As the gun recoils, the follower moves along the straight portion of the cam. The relative motion between cam and follower is augmented by the rocker arm which pivots about its fixed center. As its lower end swings forward during recoil, it draws the cam followers forward thus increasing the relative motion between cam and follower. Fig. 5-12(B) shows the positions at full recoil. By this time the follower has traversed half the curved distance and rotated the drum 22-1/2 deg. All energy is now rotational energy with only the drum and associated parts in motion. As the drum continues to turn, it actuates the follower which induces counterrecoil thereby reversing all translational motion that occurred during recoil. Fig. 5-12(C) shows the positions of the various components after all rotation has reverted to translation. Fig. 5-12(D) shows the respective positions after the return to battery. The front follower has been lowered to disengage it from the cam while the rear follower has been raised to engage the next cam which reaches this position after the drum has completed the 45 deg of travel during the firing cycle.

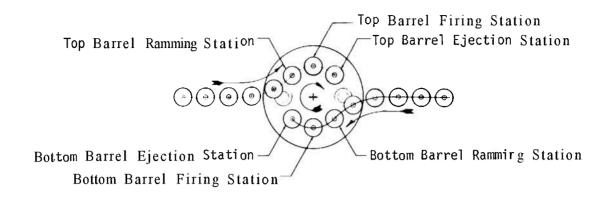


Figure 5-11. Location of Basic Operations

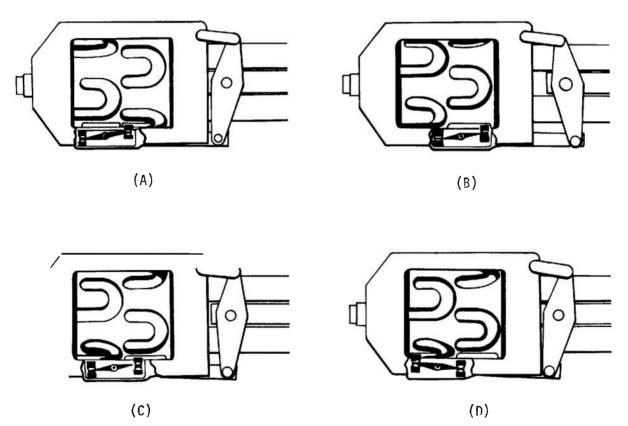


Figure 5-12. Schematic of Double Barrel Drum-cam Arrangements

#### 5-21.2 Loading and Ejecting

Ammunition is conveyed to the gun in cylindrical links which are connected to form a belt. Each link has a pin and hook diametrically opposite to each other. The hook of one link engages the pin of the following link to form a joint of limited flexibility that permits the belt to be twisted or folded. Two belts feed the gun, one from each side. The intermittent rotation of the feed sprocket, which is splined to the drum shaft, pulls the ammunition belts into the loader. Two gas-operated rammers, diametrically opposite with reference to the drum, simultaneously strip a round from a link of each belt and ram the ammunition at a speed of 50 ft/sec into the empty chambers adjacent to the barrels. On the next cycle these two rounds are fired. The following cycle, after the drum rotates 45 deg, finds the chambers containing the spent cases and their corresponding links in line with the gas ejector ports and ejection ducts. Propellant gases, tapped from the first-fire barrel, issue from the ports at high velocity and blow the empty cases into the empty links. The case momentum is high enough to seat the cases in the links, slip the belt attachment, and carry the case-link unit into the mouth of the ejection ducts at a velocity of 75 ft/sec which is enough to insure emergence from the ducts at 50 ft/sec. During the next cycle, the emptied chambers remain empty and advance to the 3 and 9 o'clock positions, where the two ammunition belts enter the loader (see Fig. 5–11). By remaining empty, the two idle chambers provide the space requirements for efficient operation.

#### 5-2.1.3 Ammunition Feed System

The ammunition feed system consists of a pneumatic motor, a drive system, and an ammunition magazine. The system functions as a unit - the motor provides the power, the drive transmits the power to the ammunition belts and magazine, while the magazine releases the ammunition and rotates to maintain proper alignment between stored belt and feed throat. Fig. 5--13 is a schematic of the feed system that illustrates the functions in sequence. Although the gun is self-feeding, the pneumatic power boosters at the magazine insure high rate of fire and high functional link belt reliability. The power is transmitted by drive shafts and gear boxes to the sprockets which (1) engage the ammunition belts, (2) pull the belts from the magazine, and (3) drive the ammunition toward the loader. Another power drive, reduced to low speeds, turns the magazine.

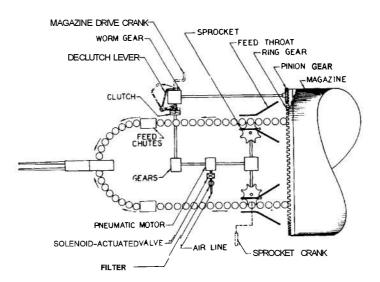
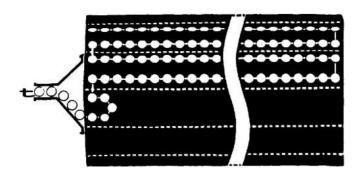


Figure 5-13. Schematic of Ammunition Feed System



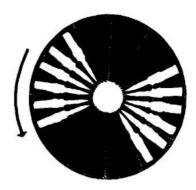


Figure 5-14. Schematic of Ammunition Magazine

The feed system is equipped with two manually operated driving units that are turned by hand cranks. When the magazine is being loaded, a jaw clutch is disengaged, separating magazine drive from ammunition drive so that magazine and feed sprockets can be rotated independently. One unit turns the magazine worm drive which rotates the magazine to the desired loading position; the other manual drive turns the feed sprocket to move the ammunition belt into the magazine.

The magazine is a cylindrical drum that has an even number of radial partitions. Each partition houses 60 rounds of ammunition. The two ammunition belts are loaded symmetrically about the axis so that the belts can be withdrawn simultaneously from two diametrically opposite sectors. Fig. 5-14 shows the arrangement of the stored munition and the method of withdrawal. The end view shows the balanced nature of the stored ammunition while the arrow indicates the direction of rotation. The side view shows how a belt is folded in the partitions. The belts leave the magazine through the feed throat on the left. Ammunition in the sectors is so arranged that only a small segment of each belt is accelerated at any time during a burst. As the ammunition empties from one sector, the next loaded sector - by virtue of the slowly rotating magazine comes into line with the feed throat. Alignment is assured by synchronizing belt speed with the rotational speed of the magazine.

#### 5-2.2 DYNAMICSOF FIRING CYCLE

To introduce the dynamics of the firing cycle, assume that the machine gun is operating normally, i. e., both barrels are firing simultaneously. Since the gun fires out of battery, the momentum of the counterrecoiling mass must be dissipated before recoil can begin. This

momentum is counteracted by the initial impulse of the propellant gas force. The remaining impulse is converted to linear momentum of the recoiling parts and later, by cam action, the linear momentum is converted into angular momentum of the drum and its associated moving parts.

The cam arrangement is such that only linear motion of the recoiling parts occurs shortly before, during, and immediately following firing. The dynamics are readily computed if the firing time is divided into small increments of time. If the acceleration during this short time interval is assumed to be constant, the various parameters can be computed for each time increment. Thus, after the increment of time At, the momentum of the counterrecoiling parts at increment n is

$$M_n = M_{n-1} + F_g \Delta t (5-76)$$

where  $F_g$  = propellant gas force during At

 $M_{n-1}$  = momentum just preceding At

During counterrecoil, momentum and velocity are considered to be negative as opposed to positive during recoil. Propellant gas force is always positive. Momentum is defined as Maz, therefore the velocity after At is

$$\nu_n = \frac{M_n}{M_r} \tag{5-77}$$

where  $M_r = \text{mass of recoiling parts.}$ 

The distance traveled during At is

$$\Delta x_r = (v_n + v_{n-1}) \Delta t/2.$$
 (5-78)

Designate  $x_r$ , the distance that the recoiling parts are out of battery.

$$x_r = x_{r(n-1)} + \Delta x. (5-79)$$

During recoil,  $x_r$  is the recoil travel distance of barrel and drum assembly.

#### 5-2.2.1 Cam Analysis

The forces induced by cam action are shown diagrammatically in Fig. 5–15. Because the cam follower is constrained in the ydirection, motion in this direction is restricted to the peripheral travel of the drum. Because of the linkage arrangement shown in Fig. 5–12, the cam-to-cam follower position is determined by the relative displacement of the cam during recoil, or counterrecoil, and the movement of the cam follower that is determined by the link rotation.

The resolution of cam forces and the mutual influence of the various moving parts on one another are illustrated in Figs. 5-15, 5-16, and 5-17; and are

defined, except for those referring to the springs and slide, by the expressions of Eqs. 5–29 through 5–47. Because this cam, analysis follows the same procedure as that developed for the slide-cam analysis, only the pertinent equations will be given, thus avoiding repetition. According to Eqs. 5–33 through 5-36, the directional coefficients during recoil are

$$K_{x} = \sin \beta + \mu \left(\frac{R_{p}}{R_{r}}\right) \cos \beta \tag{5-80}$$

$$K_y = \cos \beta - \mu \left(\frac{R_p}{R_r}\right) \sin \beta$$
 (5-81)

and during counterrecoil, they are

$$K_x = \sin \beta - \mu \left(\frac{R_p}{R_r}\right) \cos \beta$$
 (5-82)

$$K_y = \cos \beta + \mu \left(\frac{R_p}{R_r}\right) \sin \beta$$
 (5-83)

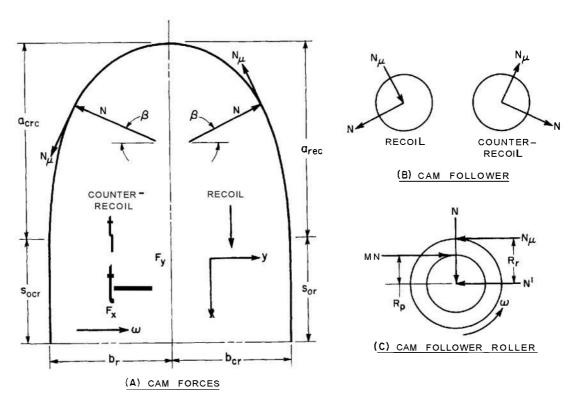


Figure 5-15. Double Barrel Cam Force Diagrams

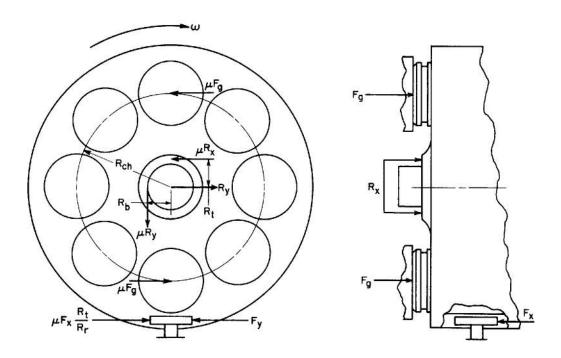


Figure **5–16.** Double Barrel Drum Loading Diagram

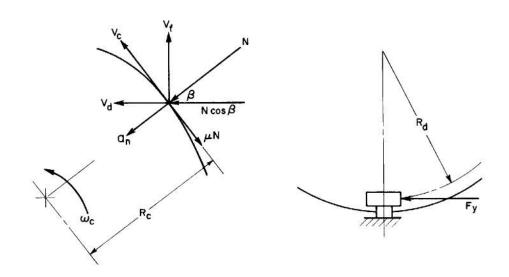


Figure 5- 17. Double Barrel Drum Dynamics

The axial and tangential cam forces are, respectively,

$$F_{Y} = NK_{Y} \tag{5-84}$$

$$F_{y} = NK_{y} \tag{5--85}$$

From Eq. 5—41, the resisting torque induced by the residual propellant gas force is

$$T_{\mathbf{g}} = \mu (R_{ch} - \mu R_b) F_{\mathbf{g}} \tag{5-86}$$

The cam normal force, Eq. 5-47, is

$$N = \frac{\frac{I_{d}v_{s}^{2}}{R_{c}R_{d}\cos\beta} + T_{g}}{(R_{d} - \mu R_{b})K_{y} - \mu \left[R_{t} + R_{d}\left(\frac{R_{p}}{R_{r}}\right)\right]K_{x}}$$
(5-87)

where  $v_s$  is the axial relative velocity between cam follower and cam which is also the slide velocity. The various parameters of the cam geometry are expressed in Eqs. 5–48 through 5–52.

#### 5-2.2.2 Energy Concept

During the early part of the recoil stroke and the latter part of the counterrecoil stroke, the cam follower moves axially in the straight portion of the cam; therefore, no energy is exchanged between rotating and translating parts. When the cam follower is riding in the curved portion of the cam, an exchange of energy takes place. At any given time, by the law of conservation of energy, the total energy remains unchanged. By dividing the cam travel into short increments, the amount of energy  $E_i$  in each group of moving parts may be expressed with negligible error in terms of total energy and the changing geometry of cam.

$$E_i = E_r + E_d + E_a + E_{\mu} \tag{5-88}$$

where  $E_a$  = energy of ammuntion belt

 $E_d$  = energy of rotating parts

 $E_i$  = total energy at any given increment

 $E_r$  = energy of recoiling parts

 $E_{\mu}$  = energy losses due to friction

Note that for the next increment,

$$E_i = E_{i-1} - E_{ii}. {(5-89)}$$

The individual energy terms are expressed in terms of the linear velocity of the recoiling parts as shown in the next three equations.

$$E_d = I_d \left(\frac{\tan^2 \beta}{R_d^2}\right) v_r^2 \tag{5-90}$$

$$E_r = \frac{1}{2} \left( M_r v_r^2 \right) {(5-91)}$$

$$E_{a} = \frac{1}{2} \left( N_{a} M_{a} r_{a} v_{r}^{2} \right) \tag{5-92}$$

where  $I_d$  = mass moment of inertia of drum

 $M_a$  = mass of one link of ammunition

 $M_r = \text{mass of recoiling parts}$ 

 $N_a$  = number of links of ammunition affected

 $R_d$  = distance of cam to center of drum

 $r_a$  = effective ratio between v, and belt velocity

 $v_r$  = velocity of recoiling parts

#### 5-2.2.3 Digital Computer Program for Firing Cycle

A digital computer program is arranged to compute the significant data occurring during the firing cycle. It is an iterative procedure that first computes the total impulse. The force-time curve of the interior ballistics is divided into small time increments from which the respective propellant gas force is read. The median force is assumed to be the average. The differential time

between any two adjacent forces is small enough so that the corresponding portion of the curve approximates a straight line; therefore, the assumption is considered accurate. The computed area under the curve is the total impulse. The force-time curve is shown in Fig. 5–18.

The velocity of free recoil is found by equating the impulse to the momentum of the recoiling parts. The energy of free recoil may now be computed. However, this energy is a fictitious value since the gun is fired out of battery. Also, frictional losses in the system account for additional energy loss. To compensate for this loss during the first set of computations, only 70 percent of the energy of free recoil is entered toward computing the counterrecoil velocity plus the initial momentum of counterrecoil just as the first two chambered rounds are fired simultaneously. Each differential impulse is subtracted from the momentum until zero velocity is

achieved. Subsequently, the remaining impulse determines the new recoil velocity. The dynamics of the cam system are now computed and if the resulting counterrecoil velocity — after the cam is negotiated by the cam follower — does not match its **original** value, the initial counterrecoil is adjusted accordingly and the process continued.

The area under the force-time curve for a given time represents the cumulated impulse of the propellant gas force to that term. The area is computed by employing the trapezoid rule.

$$A_{,,} = A_{,,-1} + F\Delta t \tag{5-93}$$

$$F\Delta t = \frac{1}{2} \left[ F_{g(n-1)} + F_{g(n)} \right] \Delta t.$$
 (5-94)

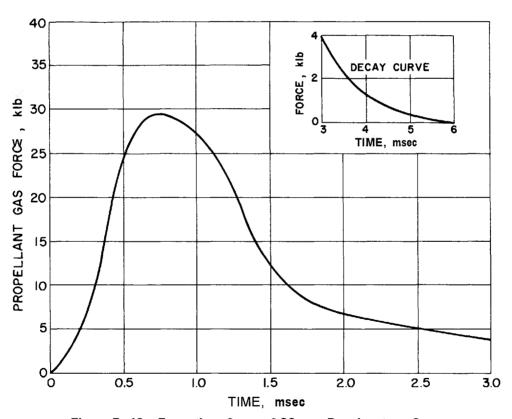


Figure 5-18. Force-time Curve of 20 mm Revolver-type Gun

The momentum during counterrecoil at any given time is

$$M_n = M_{n-1} - F\Delta t. \tag{5-95}$$

The momentum during recoil is

$$M_n = M_{n-1} + F\Delta t. \tag{5-96}$$

The velocity, energy, and distance can now be computed at the end of each time interval. Note that no cam activity must take place while the projectiles are still in the bores. To insure this requirement, the cam follower rides the linear portion of the cam (the dwell period) until the propellant gas pressure has theoretically dropped to zero. Actually some residual gas pressure may still persist and is considered as one of the forces in the cam analysis.

The conservation of energy concept introduced earlier is generally followed with some variations to make the analysis more manageable. These variations are the various components of the energy lost to friction. Two primary components are the linear and angular sliding frictional losses. The linear component consists of the frictional resistance induced by the transverse cam force  $F_y$  and its reaction  $R_y$  on the drum bearing (see Fig. 5–16). The frictional resistance created by  $\mu R_y$  is relatively small and may be ignored. The work done by the average forces over small increments of travel is

$$E \qquad \left[ F_{y(n-1)} + F_{y(n)} \right] \left( \frac{R_p}{R_r} \right) \Delta x + \left[ R_{y(n)} + R_{y(n)} \right] \Delta x_r \qquad (5-97)$$

Note that Ax is influenced by the friction of the cam follower roller to the extent of the indicated ratio of two radii (see Eq. 5-32). According to Fig. 5-19,  $p = r_c/r_d$ . Since  $R_y = F_y$  and  $Ax_t = \Delta x/\rho$ , and according to Eq. 5-85,  $F_y = NK_y$ , therefore

$$E_{\mu s(n)} = \frac{1}{2} \mu \left[ \left( NK_y \right)_{(n-1)} + \left( NK_y \right)_{(n)} \right] \left( \frac{1}{\rho} + \frac{R_p}{R_r} \right) \Delta x.$$
 (5-98)

The respective velocities,  $v_s$  and  $v_r$  of the slide and recoiling parts during cam activity, are

$$v_s = v_c \cos p; \ v_r = v_s/\rho \ . \tag{5-99}$$

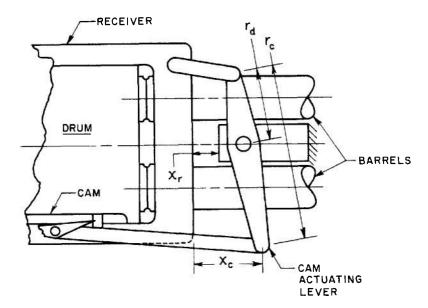


Figure 5-19. Geometry of Cam Actuating Lever

At the same time, the distances traveled are computed from the position of cam follower and cam as indicated in Eq. 5—49. Since the distance x on the curve indicates the relative travel along the x-axis between cam follower and cam, the total axial distance at any given interval is

$$x_s = s_{or} + x$$
 (5–100)

where  $s_{or}$  is the straight length of the cam. The corresponding travel x, of the recoiling parts (drum and barrel assemblies) is

$$x_r = x_s/\rho. ag{5-101}$$

During the cam dwell period, the travel of the recoiling parts is

$$x_{rd} = x_{rd(n-1)} + \frac{1}{2} \left[ v_{r(n-1)} + v_{r(n)} \right] \Delta t$$
(5-102)

where  $x_{rd}$  is used instead of  $x_r$  to differentiate between the dwell period and the active cam period. The interval

 $\Delta t_1$  spans the time when the follower enters the dwell and until the propellant gas forces of the next round become effective. Here,  $\Delta t_1$  is the first time interval of the firing cycle.

$$\Delta t_1 = \left[ \left( s_{or}/\rho \right) - x_{ro} \right] / v_{cr}$$
 (5-103)

where  $v_{cr}$  = counterrecoil velocity

 $x_{ro}$  = counterrecoil travel during impulse period

The time interval after the impulse period and until cam action begins during recoil is

$$\Delta t_n = \left[ \left( s_{or}/\rho \right) - x_{rn} \right] / v_m \qquad (5-104)$$

where  $v_m = \max_{m} \text{recoilvelocity}$ 

 $x_{rn}$  = recoil travel during impulse period

TABLE 5-15. SYMBOL-CODE CORRELATION FOR DOUBLE BARREL MACH NE GUN

Symbol	Code	Symbol	Code
a	Α	s <sub>o</sub>	sc
$A_n$	FTAREA	$s_{or}/\rho$	SR
b	В	ť	T
$C_{\mathbf{x}}$	<b>CX</b>	At	DT
-	CY	$t_m$	TM
E	${f E}$	$T_{\mathbf{g}}$	TG
$F_{\sigma}$	FG	v	${f V}$
$F_{m{g}} \ F_{m{gr}}$	<b>FGRES</b>	$v_c$	vc
$F\Delta t$	FDT	$v_d$	VD
g	G	$\nu_s$	VS
$I_d$	DI	$\overset{\circ}{w_a}$	WA
$K_x$	XK	$w_r^{"}$	WR
$K_y$	YK	x	X
$L_c$	CL	Ax	DX
$L_r^{\circ}$	RL	$x_{s}$	xc
$M_a$	EMA	$x_{rd}$	XR
$M_r$	EMR	$\Delta x_r$	DXR
$M_n$	EMV	$x_r$	XREC
N.	EN	Ý	Y
$R_b$	RB	$\stackrel{ alpha}{\Delta}_{\mathcal{Y}}$	DY
$R_{ch}^{\nu}$	RCH	β	BETA
$R_d^{cn}$	RD	e	ТНЕТА
$R_p$	RP	$\Delta  heta$	DTHETA
$R_r$	RR	μ	EMU
$R_{t}^{'}$	RT	ρ	RHO

TABLE 5-16. INPUT DATA FOR DOUBLE BARREL MACHINE GUN

Code	Value	Code	Value
A	1.5	RD	3.25
В	1.276275	RHO	2.5
CL	3.125	$\mathtt{RL}$	1.25
DI	0.81	RP	0.25
EMU	0.1	RR	0.5
FGRES*	200.0	RT	1.25
G	386.4	SR	0.65
RB	1.0	WA	12.256
RCH	2.25	WR	120.0

<sup>\*</sup>The values of FG are listed in the output, Table 2-11.

Throughout the computer program, several combinations of values are repeated. Also, similar terms appearing in more than one equation are lifted from those equations and combined into another unique expression. To avoid recomputation and for programming convenience, each combination is treated as a coefficient which is identified by a new symbol. These coefficients, when isolated, have little physical significance, and therefore, can be defined best by association throughout the development of the computer program.

For any given increment n, both  $N_{(n-1)}$  and  $K_{v,(n-1)}$  are known so that

$$E_{\mu s(n-1)} = \frac{1}{2} \left[ \mu (NK_y)_{(n-1)} \right] \left( \frac{1}{\rho} + \frac{R_p}{R_r} \right) \Delta x$$
$$= C_{m(n-1)} N_{(n-1)} \Delta x / 2. \tag{5-105}$$

Note that in general,  $C_m = \mu K_y \left( \frac{1}{\rho} \neq \frac{R_p}{R_*} \right)$ 

The other part involving  $NK_y$ , has unknown values and these are expressed in terms of computable parameters. Thus

$$E_{\mu s(n)} = \frac{1}{2} \mu (NK_y)_n \left[ \frac{1}{\rho} + \frac{R_p}{R_r} \right] \Delta x$$
$$= C_{m(n)} N_{(n)} \Delta x / 2 \qquad (5-106)$$

By combining the various expressions of Eq. 5-47 into simple terms

$$N = \frac{\left[C_{id}\left(\frac{\cos\beta}{R_c}\right)v_c^2 + T_g\right]}{\left(C_y K_y - C_x K_x\right).}$$
(5-107)

$$N = C_{vc} v_c^2 + T_{gn} ag{5-108}$$

Now substitute for N in Eq. 5–106

$$E_{\mu s(n)} = E_{\mu sm} + C_{dx} T_{gn}$$
 (5-109)

where

$$E_{tlsm} = C_{fx} v_c^2 (5-110)$$

The resolution of the angular component of sliding friction follows a similar procedure. The total energy lost to friction in the rotating drum is

$$E_{\mu d} = \frac{1}{2} \left[ T_{\mu(n-1)} + T_{\mu(n)} \right] \Delta \theta.$$
 (5-111)

where  $T_{\mu}$  is the frictional torque. The equation for the frictional torque may be composed by referring to Fig. 5-16.

$$T_{\mu} = \mu F_y R_b + \mu F_x \left[ R_t + R_d \left( \frac{R_p}{R_r} \right) \right] + 2\mu F_{gr} R_{ch}$$

$$(5-1.12)$$

$$T_{\mu} = N \quad \mu R_b K_y + C_x K_x + T_g = C_{t\mu} N + T_g$$
 (5-113)

At the beginning of each increment, all data are known.

$$T_{\mu(n-1)} = C_{t\mu(n-1)} N_{(n-1)} + T_g$$
 (5-114)

At the end of each increment, N is not known but may be expressed in terms of computable parameters

$$T_{\mu(n)} = C_{t\mu} N_{\perp} T_{g}$$
 (5-115)

$$t_{\mu}C_{\nu c}v_{c}^{2} + C_{t\mu}T_{gn} + T_{g}$$
 (5-116)

The various terms for energy may now be expressed by multiplying the frictional torques by  $\Delta\theta/2$  and combining the terms when appropriate

Compute the energy of the  $N_{(n-1)}$  term of Eq. 5-114.

(5-109) 
$$E_{\mu d1} = \frac{1}{2} \left[ \Delta \theta \, C_{t\mu(n-1)} \, N_{(n-1)} \right]$$
 (5-117)

Compute the energy of the  $v_t$  term of Eq. 5–116

$$E_{\mu dn} = \frac{\Delta \theta}{2} \left( C_{t \mu} C_{\nu c} v_c^2 \right) = C_{t q} v_c^2$$
 (5-118)

Compute the energy of the  $T_{gn}$  terms of Eqs. 5-109 and 5-116

$$E_{\mu r t g} = \left[ C_{dx} + C_{t \mu} \left( \frac{\Delta \theta}{2} \right) \right] T_{gn} = \left( C_{dx} + C_{dt} \right) T_{gn}$$

$$(5-119)$$

Compute the energy of the T, terms of **Eqs.** 5–114 and 5–116.

$$E_{\mu dtg} = \frac{A8}{2} \left( T_g + T_g \right) = A8 T_g.$$
 (5-120)

The total readily computable energy loss is

$$E_{\mu 1} = E_{\mu s_1} + E_{\mu rtg} + E_{\mu dtg} + E_{\mu di}$$
. (5-121)

The effective masses of the recoiling parts  $(M_{re})$ , ammunition  $(M_{ae})$ , and drum  $(I_{de})$  with respect to the cam velocity when energy is involved are

$$M_{re} = \frac{M_r}{2\rho^2}$$
;  $M_{ae} = \frac{M_a}{2\rho^2}$ ,  $I_{de} = \frac{I_{de}}{R_d^2 + \rho^2}$ . (5-122)

The energy that remains in the system after the readily computable energy loss is subtracted

$$\begin{split} E_{ie} &= E_{i-1} - E_{\mu 1} = E_r + E_a + E_d + E_{\mu sn} + E_{\mu dn} \\ &= \left| M_{re} \sin^2 \beta + \left( M_{ae} + I_{de} \right) \cos^2 \beta + C_{fx} + C_{tg} \right| v_c^2 \\ E_{ie} &= \left( C_{mr} + C_{ma} + C_{id} + C_{fx} + C_{tg} \right) v_c^2 = C_e v_c^2 \end{split}$$

$$(5-123)$$

where  $C_{ij}$  is the coefficient of  $\nu_{ij}^{2}$ 

$$v_c = \sqrt{E_{ie}/C_e} \tag{5-124}$$

$$E_{\mu} = E^{\mu_1} + C_{fx} + \left( C^{fx} + C_{tg} \right)^{\nu_c^2}$$
 (5–125)

$$E_i = E_{i-1} - E_{\mu} ag{5-126}$$

The computed results show the time for one cycle to be 26.2 msec (see Table 5-17) which indicates a firing rate of 4580 rounds/min since both barrels are firing simultaneously.

TABLE 5-17. DOUBLE BARREL MACHINE GUN DYNAMICS

		PROPELLANT	ī		AXIAL		AXIAL
		GAS		RECOIL	CAY	RECOIL	CAM
1	111VE	FORCE	INPULSE	VEL	VEL	TRAVEL	TRAVEL
	MSEC	Lto	LH-SEC	IN/SEC	INVSEC	IN	111
1	6.071	. 0	• U Ü	97.6	243.9	.0577	• 1442
2	6.190	2500.0	•16	96.11	241.4	• 0 4 5 6	•1139
3	6.3≥1	<b>7</b> 00 <b>0•</b> 0	<b>.7</b> 5	92.7	231.8	.0337	.0843
	0.446	15200.0	2.14	83.8	209.5	•0227	• 0567
3	6.571	23600.0	4.50	68.2	170.4	•0132	<ul><li>0330</li></ul>
6	6.096	28400.0	7 • ₹ 1	47.2	118.1	•0060	•0150
7	6.821	29500.0	11.43	23.9	59.9	•0015	•0038
ರ	6.946	28600.0	15.06	•6	1.4	•0000	•0000
3	6.950	28573.6	18.55	0	• 0	0000	0000
1 ປ	7.190	24800.0	21.80	42.8	107.1	.0053	.0132
11	7.321	22000.0	24.72	61.7	154.2	•0118	<b>■</b> 0295
12	7.440	16200.0	27.11	<b>77.</b> 0	192.6	.0205	.0512
15	7.571	12400.0	28.90	88.5	221.4	<b>.</b> 0308	• 0771
14	7.696	10560.9	30.30	97.6	243.9	<ul><li>0425</li></ul>	• 1062
15	7.021	8500.0	31.46	105.0	262.6	• 0551	• 1378
10	7.946	7500.0	32.46	111.5	27R.7	.Oh87	• 1717
17	8.071	6800.0	33.35	117.2	293.0	• 0830	-2074
18	8.196	64U0.0	34.17	122.5	306.3	•0979	.2449
19	8.321	6000.0	34.95	127.5	318.8	•1136	•2839
20	8.446	5500·0	35.67	132.1	330 4	· 1298	• 3245
21	8.571	5200.0	36.34	136.5	341.1	• 1466	• 3665
22	8.696	4800.0	36.96	140.5	351.2	• 1639	•4097
23	0.821	4500.0	37.54	144.2	360.6	•1817	• 4542
24	8.940	4200.0	38.69	147.7	369.3	• 1999	4998
25	9.071	3900.0	38.59	151.0	377.5	•2186	• 5465
26	9.821	1700.0	40.69	164.5	411.3	<b>3369</b>	.8423
27	10.571	700.0	41.59	170.3	425.0	.4625	1. 1562
28	11.321	200.0	41.93	172.5	431.2	• 5910	1 • 4775
29	12.071	• 0	42.01	173.0	432.4	• 7206	1.8014
3υ	12.071	• 0	• ((1)	173.0	432.4	•6500	1.6250
						• -	

TABLE 5-17. DOUBLE BARREL MACHINE GUN DYNAMICS (Con't.)

i	TIME	NORMAL CAM FORCE	CAN. SLOPE	PERIPH ORUM VEL	AXIAL CAM <b>VE</b> L	RECOIL VEL	PERIPH ORUM TRAVEL	AXIAL CAM TRAVEL	RECOIL TRAVEL
-	MSEC	LU	DEG	IN/SEC	IN/SEC	IN/SEC	IN	IN	ΙN
0.4	10 0050	8450•0	2.44	18.3	430.6	172.3	•0016	1.7000	•6800
31	12.2452		4.09	36.5	426.6	172.3 170• 7	•0064	1.7000	•7100
3 <i>L</i>	12.4202	8416.9 8396.9	7.36	54.4	420.0	168.7	•0144	1.8500	•7400
33	12.5970	8390.9	7 • 36 9 • 85	72•2	415.9	166.4	• 0258	1.9250	•7700
34	12.7761	6396•3	12.39	89•9	415.9 409.1	163.7	• 0258 • 0405	2.0000	•8000
3s	12.9579	8416.1	14.98	107.4	401.4	160.5	• 0588	2.0000	•8300
30	13.1429	8449.8	17.64	124.8	392.5	157.0	• 0588 • 08 <b>07</b>	2.0750	•8600
37	13.3319	8498.2	20.37	142.1	382.6	153.0	•1065	2.1500	•8900
აგ 39	13.5254 13.7243	8562•2	23.21	159.2	371.4	148.6	• 1365	2.3000	•9200
-		6542•2	26.16	176.3	358.9	143.6	•1710	2.3000	•9500
40	13•9297 14•4686	8937.7	34.37	218.9	320.1	128.0	•2815	2.5647	1 e 0259
41	14.4506	9274.3	41.53	250.0	282.3	112.9	• 3920	2.7067	1.0827
42 43	15.3018	9660•9	41.33 48.14	273.6	245.1	98.0	•5026	2.7087	1.1272
_	15.7730	10132.3	54.44	273.6	208.2	83.3	•6131	2.9066	1.1626
44 45	16.1442	10132.3	60.55	303.9	171.6	68• 6	•7236	2.9771	1 • 1020 1 • 1908
	16.5027	11819.7	66.54	312.1	135.4	54.2	• 7236 • 8342	3.0321	1.2128
4b	16.3027	14079.2	72.45	315.1	99.8	39.9	• 8342 • 9447	3.0321	1.2128
47		23522.3	78.52	313.5 312.0	64.5	25.8	1.0552	3.0735	1.2294 1.2409
48 4 Y	17.2056 17.5623	17832.9	84.17	312.0	31.1	12.4	1.1657	3.1023	1.2477
	_	96.6	90.00	299•8	•0	•0	1.2763	3.1194	1.2500
50	17.9252 18.2994	10835.0	84.17	294.9	30.1	12.1	1.3868	3.1250	1.2500 1 <sub>e</sub> 2477
<b>51</b>	18.2994	7595+4	78.32	284 •5	58.8	23.5	1.4973	3.1194	1.2477
52	19•0025 19•0602	6612.2	72.45	272.6	86.2	34.5	1.6079	3.1023 3.07 <b>35</b>	1.2294
53 54	19.4973	5983•9	66.54	258.4	112.2	44.9	1.7184	3.0321	1.2128
55	19.4973	5470 • 2	60.55	241.9	136.6	54.6	1.8289	2.9771	1.1908
	_	5007.2	54.44		159.2	63.7	1.9394	2.9066	1. 1908
56 57	20•4164 20•9388	4572.5	43.14	222•8 201•1	180.1	72•1	2.0500	2.8179	1. 1272
57	21.5256	4157•6	41.53	176•4	199.1	72.1 79.7	2.0500	2.7067	1.0027
5ช 59	22.2093	3757•6	34.37	147.8	216.1	79.7 86•4	2.2710	2.7067 2.5647	1.0027 1.0259
		3365.8	20.16	113.3	230.6	92.2	2.2/10	2.3750	•9500
60	23.0589 23.3814	3243.0	23.21	100.6	234.5	92.2 93.8	2.4160	2.3000	• 9200
61			20.37	88.2	237.6	95.1	2.4160	2.3000	• 9200 • 8900
62	23.6991 24.0131	3134.4 3038.2	17.64	76.3	240.0	95.1 96.0	2.4460	2.1500	e8600
63					241.8	96.0 96.7			•8300
64	24.3245	2952.9	14.98	64.7			2 • 4938	2.0750	•8000
65	24.0339	2877.3	12.39	53.4	243.0	97.2	2.5120	2.0000	
66	24.9422	2810.4	9+85 7 <b>-36</b>	42 • 3	243.6	97.4	2 5 5 2 6 8	1.9250	•7700 •7400
67	25.2500	2751 • 3		31.5	243.7	97.5	2 5381	1.8500	
68	25.5580	2699.4	4.69	20.8	243.4	97.3	2.5462	1.7750	•7100
69	25.0667	2654.1	2.44	10.3	242.6	97•0	2.5510	1.7000	•6800
70	20.1767	2014.9	• 0 0	• 0	241.3	96.5	2.5525	1.6250	•6500

### CHAPTER 6

#### MULTIBARREL MACHINE GUN

#### 6-1 GENERAL

The Gatling Gun type of machine gun provides very high rates of fire by being capable of what may essentially be called simultaneous loading, firing, extracting, and ejecting and still not overexpose any one barrel to the effects of rapid, continuous fire. Each of the above four functions are performed in separate barrels during the same interval thus fixing four as the lower limit for the number of barrels, to the gun. Physical size establishes the upper limit but five or six is the usual number of barrels in each cluster with six being preferred. Several of these six-barreled guns have proved successful and are production items.

# 6-2 BOLT OPERATING CAM DEVELOPMENT

The closing and opening of the bolts of a multibarreled gun are regulated by a cam attached to or cut into the inner housing wall. Each bolt has a cam follower equipped with a roller that rides in the cam. As the gun rotates, carrying the bolts with it, the cam followers force these bolts into prescribed directions. Fig. 6-1 shows a cam contour. It has two dwell periods, the rear when the bolt is fully retracted and the front when the bolt is closed. The rear dwell provides time to complete the cartridge case ejection and to receive a new round. The front dwell provides firing time and holds the bolt closed until propellant gas pressures reduce to safe limits. The feeding and ejection periods have three intervals: accelerating, constant velocity, and decelerating. Because of the differences in cam force during the two periods, the accelerating distance is generally three times that of the decelerating. The constant velocity period is not absolutely essential but incorporating it has the advantage of distributing power requirements.

#### 6-2.1 CAM ACTION

Parabolic curves are selected for the accelerating and decelerating portions of the cams because of the constant acceleration characteristic. In the same sense, straight lines form the constant velocity portions of the

cam. Fig. 6-2 shows the loading diagram on the bolt and cam arrangements during acceleration. Fig. 6-3 isolates the feeding portion of the cam path shown in Fig. 6-1. It consists of two parabolic curves tangent to a straight line. The analysis for feeding or ejecting are identical. Acceleration ends at  $P_1$  and deceleration starts at  $P_2$ , the slope  $\beta$  being the same at these two points. The expression for the accelerating curve is

$$y^2 = Kx. (6-1)$$

The slope is

$$\frac{dx}{dy} = \frac{2y}{K} = \frac{2y}{v^2/x} = \frac{2x}{y} = \tan \beta.$$
 (6-2)

The slope at  $P_1$  is

$$\left(\frac{dx}{dy}\right) = \frac{2x}{y} \tag{6-3}$$

The expression for the decelerating curve is

$$(y_2 - y)^2 = K(x_2 - x) . (6-4)$$

Solve for x.

$$\mathbf{x} = x_2 - \frac{1}{K} (y_2 - y)^2 \tag{6-5}$$

$$\frac{\mathrm{d}}{\mathrm{d}y} \stackrel{\mathrm{X}}{=} \frac{2}{K} (y_2 - y) \tag{6-6}$$

wheny = 0, x = 0, and 
$$\frac{dx}{dy} > 0$$
, therefore  $K = \frac{y_2^2}{x_2}$ 

The slope at  $P_2$ , where y = 0, is

$$\left(\frac{dx}{dy}\right)_2 = \frac{2x_2}{y_2} \tag{6-7}$$

6-1

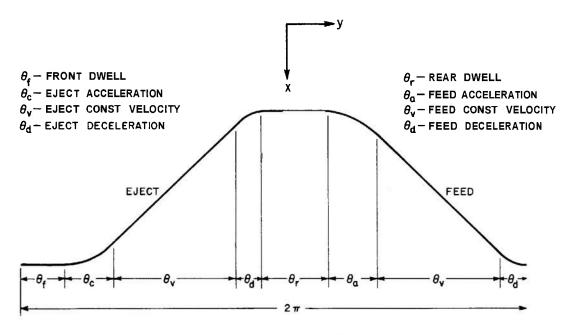


Figure 6-1. Cam Contour of Multibarrel Gun

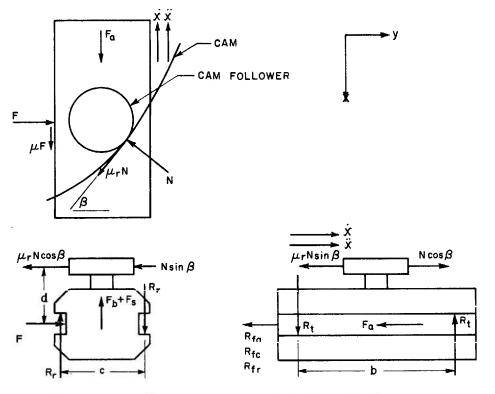
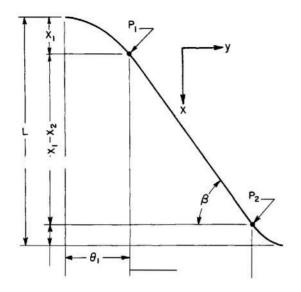


Figure 6-2. Loading Diagram of Bolt and Cam During Acceleration



$$\frac{x_1}{y_1} = \frac{x_2}{y_2} \tag{6-8}$$

$$x_2 = \left(\frac{y_2}{y_1}\right) x_1 \,. \tag{6-9}$$

The rotor, after its accelerating period turns at a constant velocity and the lengths of  $y_1$  and  $y_2$  are known, is chosen to comply with desired design conditions.

$$y_1 = R_c \theta_1 = R_c \omega t_1 \tag{6-10}$$

$$y_2 = R_c \theta_1 = R_c \omega t_1 \tag{6-11}$$

where R, = cam radius

 $\omega$  = angular velocity of the rotor

 $L_{\tau}$  = total peripheral length of the cam.

$$L_c = 2\pi R_c \tag{6-12}$$

 $y_a$  is the peripheral length of the constant slope of the cam

$$Y_a = \theta_a R_c \tag{6-13}$$

$$x = \frac{1}{K} \left( y^2 \right) = \frac{1}{K} \left( R_c^2 \omega^2 t^2 \right)$$
 (6-16)

The axial velocity of the bolt becomes

$$\dot{x} = \frac{2}{K} \left( R_c^2 \omega^2 t \right). \tag{6-17}$$

The corresponding acceleration is

$$\ddot{x} = \frac{2}{K} \left( R_c^2 \omega^2 \right) \tag{6-18}$$

which is constant, conforming to the characteristics of the parabola. For the straight lines connecting the two parabolas where  $\beta$  is constant

$$x = y \tan \beta = R_c \omega t \tan \beta \qquad (6-19)$$

$$\dot{x} = R_c \omega \tan \beta \text{ (constant)}$$
 (6–20)

$$x = o ag{6-21}$$

6 - 3

The mechanics of the cam during feed deceleration are determined by developing Eq. 6-5. Substitute  $R_c \omega t$  for y.

$$x = x_2 - \frac{1}{K} \left( y_2^2 - 2y_2 R_c \omega t + R_c^2 \omega^2 t^2 \right)$$
 (6-22)

$$\dot{x} = \frac{2}{K} \left( y_2 R_c \omega - R_c^2 \omega^2 t \right) \tag{6-23}$$

$$\ddot{x} = -\frac{2}{K} \left( R_c^2 \omega^2 \right). \tag{6-24}$$

The ejection part of the cam behaves similarly but in the opposite direction. The curve for ejection acceleration is

$$-y^2 = K_X \tag{6-25}$$

$$x = -\frac{1}{K} \left( y^2 \right) \tag{6-26}$$

$$\frac{dx}{dy} = -\frac{2}{K} \left( y \right) \tag{6-27}$$

when  $= y_2$ ,  $x = x_2$ , and  $\frac{dx}{dy} < 0$ ,

therefore  $K \ge 0$  and  $K = \frac{y_2^2}{x_2}$ .

Continue with the mechanics and substitute  $R_c \omega t$  for y.

$$x = -\frac{1}{K} \left( R_c^2 \omega^2 t^2 \right) \tag{6-28}$$

$$x = -\frac{2}{K} \left( R_c^2 \omega^2 t \right) \tag{6-29}$$

$$\ddot{x} = -\frac{2}{K} \left( R_c^2 \omega^2 \right) \tag{6-30}$$

While ejecting over the straight portion of the cam, the mechanics are

$$x = -R_c \omega t \tan \beta \qquad (6-31)$$

$$x = -R_c \omega \tan \beta \qquad (6-32)$$

$$x = 0. (6-33)$$

The curve for the ejection deceleration is defined as

$$-(y_2 - y)^2 = K(x_2 - x)$$
 (6-34)

wheny = 0, x = 0,  $x_2 < 0$ 

$$x = -x_2 + \frac{1}{K} \left( y_2^2 - 2y_2 y + y^2 \right) \tag{6-35}$$

$$\frac{ah}{dy} - \frac{1}{K} (-2y_2 + 2y) = \frac{1}{K} (y - y_2) \qquad (6-36)$$

when y = 0,  $\frac{dx}{dy} < 0$ , therefore K > 0 and  $K = \frac{y_2^2}{x_2}$ 

Continue the mechanics and substitute  $R_c \omega t$  for y

$$x = -x_2 + + (y_2^2 - 2y_2R_c\omega t + R_c^2\omega^2 t^2)$$

$$K$$
(6-37)

$$\dot{x} = \frac{2}{K} (R_c^2 \omega^2 t - y_2 R_c \omega)$$
 (6-38)

$$\ddot{x} = \frac{2}{K} \left( R_c^2 \omega^2 \right) \tag{6-39}$$

#### 6-2.1.2 Definition of Symbols

b =moment arm for tipping track reactions

c = moment arm for rotating track reactions

d = distance, CG of bolt to center of cam roller surface

F = driving force

 $F_a$  = axial inertial force of bolt and round or of bolt and case

 $F_b$  = centrifugal force of bolt

 $F_{ba}$  = tangential inertia force of bolt

 $F_{\rm s}$  = centrifugal force of round or of case

 $F_{sa}$  = tangential inertia force of round or of case

 $F_{\alpha}$  = tangential inertia force of bolt and round or of bolt and case

 $I_d$  = mass moment of inertia of all rotating parts

L = length of bolt travel

 $M = M_b + M_a = \text{mass of bolt unit}$ 

 $M_a$  = mass of round

 $M_b = \text{mass of bolt}$ 

 $M_{cc}$  = mass of case

N = normal force on roller

 $N_a$  = axial component of the normal force of the roller

 $N_t$  = transverse component of the normal force of the roller

R = radius, gun axis to bolt

R, = cam radius

 $R_{fa}$  = frictional resistance due to tangential inertia forces

 $R_{fc}$  = frictional resistance due to centrifugal forces

 $R_{fr}$  = frictional resistance due to track reactions

 $R_r$  = track reactions due to rotational forces

 $R_t$  = track reactions due to tipping forces

T = torque about gun axis

x =axial acceleration of bolt

 $\alpha$  = angular acceleration of rotor

 $\beta$  = angle of cam path (slope)

 $\theta$  = angular displacement of rotor

 $\mu_r$  = coefficient of rolling friction

 $\mu_s$  = coefficient of friction of case

 $\mu_{\tau}$  = coefficient of friction of track

 $\omega$  = angular velocity of rotor

#### 6-2.1.3 Cam Forces

The axial inertia force of the bolt and round is

$$F_a = (M_b + M_s)\ddot{x}$$
 (6-40)

The centrifugal force of the bolt is

$$F_h = M_h R \omega^2 . ag{6-41}$$

The centrifugal force of the round is

$$F_{\rm c} = M_{\rm c}R\omega^2 . \qquad (6-42)$$

The frictional resistance due to centrifugal force is

$$R_{fc} = \pm (\mu_t F_h + \mu_s F_s)$$
. (6-43)

The tangential inertia force of bolt and round induced by angular acceleration is

$$F_{\alpha} = F_{ba} + F_{sa} = M_b R \alpha + M_s R \alpha . \qquad (6-44)$$

The frictional resistance due to the tangential inertia forces is

$$R_{fa} = \pm (\mu_t F_{ba} + \mu_s F_{sa})$$
. (6-45)

The axial component of the normal force of the roller is

$$N_a = N \cos \beta - \mu_r N \sin \beta \qquad (6-46)$$

where  $\mu_r N$  is the resistance induced by rolling friction.

The transverse component of the normal force is

$$N_{r} = N \sin \beta + \mu_{r} N \cos \beta. \qquad (6-47)$$

The driving force of the cam is

$$F = N_r = N(\sin\beta + \mu_r \cos\beta). \tag{6-48}$$

The track reactions due to rotational forces are found by balancing moments in the plane perpendicular to the bolt axis.

$$cR_r = dF$$

$$R_{1} = \left(\frac{d}{c}\right)F \qquad (6-49)$$

The track reactions due to tipping forces are found by balancing moments in the vertical plane parallel to the bolt axis.

$$bR_t = dN_a$$

$$R_t = \left(\frac{d}{h}\right) N_a \tag{6-50}$$

The frictional resistance due to track reactions is

$$R_{fr} = \pm 2\mu_t (R_r + R_t).$$

 $R_{fa}$ ,  $R_{fc}$  and  $R_{fr}$  have the same algebraic sign as  $\dot{x}$ .

The normal force on the cam roller is found by balancing the axial forces thus  $\Sigma F_x = 0$ 

$$F_a + \mu_t N_t + R_{fc} - N_a + R_{fr} + R_{fg} = 0$$
 (6-51)

Substitute all values containing N for the terms in Eq. 6-51 and then solve for N. Note that N is always positive.

$$N = \left| (F_a + R_{fc} + R_{fa}) / \left[ (\mu_r + \mu_t + 2\frac{d}{c} \mu_t - 2\frac{d}{b} \mu_r \mu_t) \sin \beta + (\mu_r \mu_t + 2\frac{d}{c} \mu_r \mu_t + 2\frac{d}{b} \mu_t - 1.0) \cos \beta \right] \right|$$

$$(6-52)$$

This force system also applies to the constant velocity portions of the cam,  $F_a$  being zero but all other force components acting in the same direction.

Fig. 6-4 shows the loading diagram on the bolt and cam arrangement during deceleration. All the developing equations are the same as for acceleration except

$$N_a = N \cos \beta + \mu_r N \sin \beta \qquad (6-53)$$

$$N_r = N \sin \beta - \mu_r N \cos \beta \qquad (6-54)$$

$$F = N_t = N(\sin \beta - \mu_r \cos p).$$
 (6-55)

Equate the sum of the forces along the x-axis to zero,  $\Sigma F_x = 0$ .

$$F_a + \mu_t N_t + R_{fc} + N_a + R_{fr} + R_{fa} = 0$$
 (6–56)

Substitute all values containing N for the terms in Eq. 6-56 and solve for N.

$$N = \left| (F_a + R_{fc} + R_{fa}) / \left[ (\mu_r \mu_t + 2 \frac{d}{c} \mu_r \mu_t - 2 \frac{d}{b} \mu_t - 1.0) \cos \beta - (\mu_r + \mu_t + 2 \frac{d}{b} \mu_r \mu_t + 2 \frac{d}{c} \mu_t) \sin \beta \right] \right|$$

$$(6-57)$$

The driving torque about the gun axis is

$$T = \sum FR_c + I_d \alpha \qquad (6-58)$$

where  $\Sigma F$  is the total driving force on all bolts.

### 6-2.1.4 Locking Angle

The cam becomes self-locking when the required driving force becomes infinite. Substitution of the expression for N of Eq. 6-52 into Eq. 6-48 indicates that  $F = \infty$  when the denominator becomes zero. Equate the denominator to zero; divide by  $\cos \beta$ ; and then solve for  $\beta_L$ , the locking angle, defined by Eq. 6-59.

$$\beta_{L} = \text{Tan-} \frac{\mu_{r} \mu_{t} \left(1 + 2 \frac{d}{c}\right) + 2 \mu_{t} \left(\frac{d}{b}\right) - 1.0}{\mu_{t} \left[2\mu_{r} \left(\frac{d}{b}\right) - 2 \left(\frac{d}{c}\right) - 1\right] - \mu_{r}}$$
(6-59)

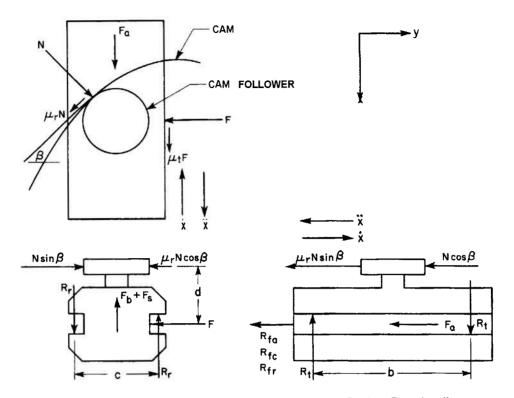


Figure 6-4. Loading Diagram of Bolt and Cam During Deceleration

### 6-2.2 ROTOR KINEMATICS

The rotor is brought to speed under constant, varying, or a combination of both types angular acceleration during a prescribed period of time t. During the acceleration of the rotor, the acceleration of the round induced by the cam is modified by the components derived from the angular acceleration. If the acceleration is constant at a, the angular velocity is

$$\omega = at \tag{6-60}$$

and the angular travel becomes

$$\theta = \frac{1}{2} \left( \alpha t^2 \right) \cdot \tag{6-61}$$

While the rotor has constant acceleration when traversing the constant slope of the cam, the axial travel of the cam follower according to Eqs. 6-19 and 6-31 is

$$x = \pm \left(R_c \theta\right) \tan \beta = \pm \frac{1}{2} \left(R_c \alpha t^2\right) \tan \beta. \quad (6-62)$$

$$x = \pm 3 \left(\frac{R_c^2}{K}\right) \left(\alpha^2 t^2\right)$$

Positive indicates feed; negative, ejection. The linear velocity is

$$x = \pm R_c \alpha t \tan \beta. \tag{6-63}$$

The linear acceleration becomes

$$x = \pm R_c \alpha \tan \beta. \tag{6-64}$$

When traversing the feed and ejection acceleration portions of the cam, in this case a parabola, the axial travel, Eq. 6-16, while the rotor has constant acceleration is defined by

$$x = \pm \frac{1}{K} \left( R_c^2 \ \theta^2 \right) = \frac{R_c^2}{4K} \left( \alpha^2 t^4 \right)$$
 (6-65)

$$\dot{x} = \pm \frac{R^2}{K} \left( \alpha^2 t^3 \right) \tag{6-66}$$

$$x = \pm 3 \left(\frac{R_c^2}{K}\right) \left(\alpha^2 t^2\right) \tag{6-67}$$

6-7

Positive indicates feed acceleration whereas negative indicates ejection acceleration. During feed and ejection deceleration, Eq. 6-22, while the rotor has constant acceleration, Eq. 6-61, the mechanics alternate correspondingly.

$$\mathbf{x} = \pm x_2 \mp \frac{1}{K} \left[ y_2^2 - y_2 R_c \alpha t^2 + \frac{1}{4} \left( R_c^2 \alpha^2 t^4 \right) \right]$$
(6-68)

$$x = \mp \frac{1}{K} \left( R_c^2 \alpha^2 t^3 - 2y_2 R_c \alpha t \right) \tag{6-69}$$

$$\ddot{x} = \mp \frac{1}{K} \left( 3 R_c^2 \alpha^2 t^2 - 2 y_2 R_c \alpha \right)$$
 (6-70)

During dwell periods at constant rotor acceleration; the travel, velocity, and acceleration are all zero, i.e.,  $x = 0, \ddot{x} = 0, \ddot{x} = 0.$ 

When the rotor has a variable acceleration, a constantly decreasing one is generally preferred, thus

$$\frac{d\alpha}{dt} = \frac{d^3\theta}{dt^3} = K_{\alpha} \tag{6-71}$$

$$\alpha = \frac{d^2\theta}{dt^2} = K_{\alpha}t + C_1 \tag{6-72}$$

$$\omega = \frac{d\theta}{dt} = \frac{1}{2} \left( K_{\alpha} t^2 \right) + C_1 t + C_2 \qquad (6-73)$$

$$\ell = \frac{1}{6} \left( K_{\alpha} t^3 \right) + \frac{1}{2} \left( C_1 t^2 \right) + C_2 t + C_3$$
 (6-74)

While traversing the constant slope of the cam for feed and ejection, **Eqs.** 6-19 and 6-31, when  $x = \pm R_c \theta$ , tan  $\beta$ , the mechanics are alternately

$$x = \pm R_c \left[ \frac{1}{6} \left( K_{\alpha} t^3 \right) + \frac{1}{2} \left( C_1 t^2 \right) + C_2 t + C_3 \right] \tan \beta$$
(6-75)

$$x = \pm R_c \left[ \frac{1}{2} \left( K_{\alpha} t^2 \right) + C_1 t + C_2 \right] \tan \beta \quad (6-76)$$

$$\mathbf{x} = \pm R_c (K_{c}t + C_1) \tan \beta$$
. (6-77)

While traversing the increasing slope of the cam, Eqs. 6-16 and 6-28, when  $\mathbf{x} = \pm \frac{1}{K} \left( R_c^2 \theta^2 \right)$ , the mechanics for feed and ejection appear, respectively,

$$x = \pm \frac{R_c^2}{K} \left[ \left( \frac{K_\alpha^2}{36} \right) t^6 + \left( \frac{K_\alpha C_1}{6} \right) t^5 + \left( \frac{4K_\alpha C_2 + 3C_1^2}{12} \right) t^4 + \left( \frac{K_\alpha C_3 + 3C_1 C_2}{3} \right) t^3 + \left( C_1 C_3 + C_2^2 \right) t^2 + 2C_2 C_3 t + C_3^2 \right]$$

$$(6-78)$$

$$\dot{x} = \pm \frac{R_c^2}{K} \left[ \frac{K_\alpha^2 t^5}{6} + \left( \frac{5K_\alpha C_1}{6} \right) t^4 \right]$$

$$+ \left( \frac{4K_\alpha C_2 + 3C_1^2}{3} \right) t^3 + (K_\alpha C_3 + 3C_1 C_2) t^2$$

$$+ 2(C_1 C_3 + C_2^2) t + 2C_2 C_3$$
(6-79)

$$\alpha = \frac{d^{2}\theta}{dt^{2}} = K_{\alpha}t + C_{1} \qquad (6-72) \qquad \ddot{x} = \pm \frac{R_{c}^{2}}{K} \left[ \left( \frac{5K_{\alpha}^{2}}{6} \right) t^{4} + \left( \frac{10}{3} K_{\alpha}C_{1} \right) t^{3} \right] + \left( \frac{10}{3} K_{\alpha}C_{1} \right) t^{3} + \left( \frac{10}{3} K_{\alpha}C_{1} \right) t^{2} + \left( \frac{10}{3} K_{\alpha}C_{1} \right) t^$$

If  $F\left(K_{\alpha}t\right)$  represents the function in the brackets of Eq. 6-78, then the last three equations reduce to

$$x = \pm \frac{R_c^2}{K} \left[ F(K_{\alpha}t) \right] \tag{6-81}$$

$$x = \pm \frac{R^2}{K} \left[ F'(K_{\alpha}t) \right]$$
 (6-82)

(6-77) 
$$\ddot{x} = \pm \frac{R_c^2}{K} \left[ F''(K_{\alpha}t) \right]. \tag{6-83}$$

The mechanics for deceleration during feed, Eq. 6-22, and ejection, Eq. 6-37, are alternately

$$x = \pm x_{2} + \frac{1}{K} \left[ -2y_{2}R_{c} \left[ \left( \frac{1}{6}K_{\alpha} \right) t^{3} + \left( \frac{1}{2} C_{1} \right) t^{2} + C_{2}t + C_{3} \right] + R_{c}^{2} \left[ F(K_{\alpha}t) \right] \right\}$$

$$(6-84)$$

$$\dot{x} = \pm \frac{1}{K} \left\{ 2y_2 R_c \left[ \left( \frac{1}{2} K_{\alpha} \right) t^2 + C_1 t + C_3 \right] - R_c^2 \left[ F'(K_{\alpha} t) \right] \right\}$$
(6-85)

$$\ddot{x} = \pm \frac{1}{K} \left\{ 2y_2 R_c (K_{\alpha} t + C_1) - R_c^2 \left[ F''(K_{\alpha} t) \right] \right\}.$$
(6-86)

#### 6-2.3 ILLUSTRATIVE PROBLEM

Compute the cam accelerating forces, the torque needed to develop these forces, and all associated data to operate a 20 mm, 6-barreled gun. The assigned data

b = 3.0 in., moment arm of tipping track reactions

c = 1.5 in., moment arm of rotational track reactions

d = 0.732 in., CG of bolt to center of cam roller surface

 $f_r = 3000$  rounds/min, firing rate (equivalent to angular velocity of 52.36 rad/sec)

 $I_d = 11.2 \text{ lb-in.-sec}^2$ , moment of inertia of all rotating parts

L = 6.6 in., length of bolt travel

R = 2.643 in., radius, gun axis to bolt CG

 $R_c = 3.375$  in., cam radius

 $t_{\alpha} = 0.35 \text{ sec}$ , accelerating time of rotor

 $W_b = 1.15 \text{ lb, bolt weight}$ 

 $W_a = 0.57 \, \text{lb}$ , weight of total round

 $W_{cc} = 0.25 \, \text{lb}$ , weight of empty case

 $\alpha_m = 200 \text{ rad/sec}^2$ , maximum acceleration of rotor

 $\mu_r = 0.063$ , coefficient of rolling friction of cam roller

 $\mu_s = 0.22$ , coefficient of friction of case

 $\mu_t = 0.125$ , coefficient of friction of track

Fig. 6-1 illustrates the developed cam. For an effective firing cycle, the bolt travel in terms of peripheral travel of the rotor

8, = 36°, dwell while bolt is fully retracted

8, = 42°, acceleration distance with total

8, = 90°, distances at constant velocity in each direction

 $\theta_d = 12^\circ$ , decelerating distance in each direction

 $\theta_f = 40^{\circ}$ , dwell while firing

 $\theta_c = 38^{\circ}$ , acceleration distance with empty case

The total peripheral length of the cam, Eq. 6-12

$$L_c = 2\pi R_c = 6.75\pi = 21.2058 \text{ in}.$$

## 6–2.3.1 Cam Analysis During Feed, Rotor at Constant Velocity

The peripheral travel of the bolt while carrying the total round via Eq. 6-10

$$y_1 = R_c \theta_a = 3.375 \left( \frac{42\pi}{180} \right) = 2.4740 \text{ in.}$$

$$y_2 = R_c \theta_d = 3.375 \left(\frac{12\pi}{180}\right) = 0.7069 \text{ in.}$$

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The peripheral travel during constant velocity, Eq. 6-13

$$y_a - \frac{\pi}{2} R_c = 5.3014 \text{ in.}$$

From Eq. 6-15

$$x_1 = \frac{Ly_1}{2y_a + y_{1 + Y2}} = \frac{6.6 \times 2.474}{13.7837} = 1.1846 \text{ in.}$$

From Eq. 6-9

$$x_2 = \left(\frac{y_2}{y_1}\right) x_1 = \left(\begin{array}{c} 0.7069 \\ 0.7069 \\ 2.4/4 \end{array}\right) 1.1846$$
  
= 0.3385 in.

From Eq. 6-2

$$\beta = \text{Tan-'} \quad \frac{2x_2}{y_2} = \text{Tan-'} \quad \frac{0.677}{0.7069}$$

$$= \text{Tan-'} \quad 0.9577 = 43^{\circ}46^{\circ}$$

$$\sin \beta = 0.69172$$

$$\cos \beta = 0.72216.$$

According to Eq. 6-2, for the accelerating curve

$$K_1 = \frac{2y_1}{\tan \beta} = \frac{4.948}{0.9577} = 5.1665 \text{ in.}$$

For the decelerating curve,  $K_2$  is found when y = 0 in Eq. 6-6

$$K_2 = \frac{2y_2}{\tan \beta} - \frac{1.4138}{0.9577} = 1.4762 \text{ in.}$$

The firing rate of 3000 rounds/min is equivalent to 500 rpm since there are six barrels. The angular velocity is

$$\omega = \frac{2 \times 500\pi}{60} = 52.36 \text{ rad/sec.}$$

The bolt acceleration with total round, Eq. 6-18, is

$$\ddot{x} = \frac{2}{K_1} \left( R_c^2 \omega^2 \right) = \frac{22.78 \times 2742}{5.1665}$$
$$= 12089 \text{ in /sec}^2 = 31.29 \text{ g.}$$

The inertia force of bolt and round, Eq. 6-40, is

$$F_a = (M_b + M_a) \ddot{x} = 1.72 \times 31.29 = 53.8 \text{ lb.}$$

The centrifugal forces of bolt and round according to Eqs. 6-41 and 6-42 are

$$F_b = \left(\frac{W_b}{g}\right) R\omega^2 = 1.15 \text{ x } 18.8 = 21.6 \text{ lb}$$

where

$$\frac{R\omega^2}{g} = \frac{2.643 \times 2742}{386.4} = 18.8 \text{ g}$$

$$F_e = M_e R\omega^2 = 0.57 \times 18.8 = 10.7 \text{ lb.}$$

The frictional resistance due to centrifugal force (Eq. 6-43; > 0)

$$R_{fc} = \mu_t F_b + \mu_s F_s = 0.125 \times 21.6 + 0.22 \times 10.7$$
  
= 5 lb.

$$R_{fa} = 0$$
 (since  $\alpha = 0$ )

If we substitute the numerical equivalents for the general terms, Eq. 6-52 may be written

$$N = \frac{58.8}{0.9234 \cos \beta - 0.3062 \sin \beta}$$

The locking angle, Eq. 6-59, is

$$\beta_L = \text{Tan-'} \quad \frac{0.9234}{0.3062} = \text{Tan-'} \quad 3.0157 = 71^{\circ}39'.$$

The bolt deceleration with total round, Eq. 6-24, is

$$\ddot{x} = -\left(\frac{2}{K_2}\right) R_c^2 \omega^2 = \frac{-22.78 \times 2742}{1.4762}$$
$$= -42.313 \text{ in./sec}^2 = -109.5 \text{ g},$$

The inertia force of bolt and round, Eq. 6-40, is

$$F_a = (M_b + M_a)\ddot{x} = 1.72 (-109.5) = -188.3 \text{ lb.}$$

By proper substitution of numerical equivalents, Eq. 6-57 reads  $(x \ge 0)$ 

$$N = \frac{183.3}{1.0454 \cos \beta + 0.3138 \sin \beta}$$

While the bolt moves along the constant slope of the cam,  $\ddot{x} = 0$ , and the normal force on the roller becomes

$$N = \frac{R_{fc}}{0.9234 \cos \beta - 0.3062 \sin \beta} = \frac{5}{0.6668 - 0.2118} = 11 \text{ lb.}$$

## 6-2.3.2 Cam Analysis During Ejection, Rotor at Constant Velocity

The peripheral travel of the bolt carrying the empty case during acceleration is computed from Eq. 6–10

$$y_1 = R_c \theta_c = 3.375 \left( \frac{38\pi}{180} \right) = 2.2384 \text{ in.}$$

 $y_2 = 0.7069$  in.,  $y_a = 5.3014$  in., same as for total round.

From Eq. 6-15

$$x_1 = \frac{Ly_1}{2y_0 + y_1 + y_2} = \frac{6.6 \times 2.2384}{13.5481} = 1.0904 \text{ in.}$$

From Eq. 6-9

$$x_2 = \left(\frac{y_2}{y_1}\right) x_1 = \left(\frac{y_2}{y_1}\right) 1.0904 = 0.3444 \text{ in.}$$

From Eq. 6-2

$$\beta = \text{Tan}^{-1} \frac{2x_1}{y_1} = \text{Tan}^{-1} \frac{2.1808}{2.2384} = \text{Tan}^{-1} 0.97426 = 44^{\circ}15'$$
  
 $\sin \beta = 0.69779$   $\cos \beta = 0.71630$ .

For the accelerating curve, Eq. 6-2,

$$K_1 = \frac{2y_1}{\tan \beta} = \frac{4.4768}{0.9743} = 4.5944 \text{ in.}$$

For the decelerating curve,  $K_2$  is found when  $\dot{y} = 0$  in Eq. 6–6

$$K_2 = \frac{2y_2}{\tan \beta} = \frac{1.1100}{0.9743} = 1.4509 \text{ in.}$$

The bolt acceleration with empty case, Eq. 6-30, is

$$\ddot{x} = -\left(\frac{2}{K_1}\right) R_c^2 \omega^2 = -\frac{22.78 \times 2742}{4.5944}$$
$$= -13595 \text{ in./sec}^2 = -35.2 \text{ g.}$$

The inertia force of bolt and empty case, Eq. 6-40, is

$$F_a = (M_b + M_{cc})_X = 1.40 (-35.2) = -49.3 \text{ lb.}$$

The forces during ejection have the same identification **as** those during feed since the same dynamic equations apply to both periods.

The centrifugal force  $F_s$  of the empty case, Eq. 6-42, is

$$F_s = M_{cc}R\omega^2 = 0.25 \text{ x } 18.8 = 4.7 \text{ lb.}$$

The frictional resistance due to centrifugal force (Eq. 6-43,  $\dot{x} \le 0$ )

$$R_{fc} = -(\mu_t F_b + \mu_s F_s)$$
  
= -(0.125 x 21.6 + 0.22 x 4.7) = -3.7 lb.  
 $R_{fa} = 0$ 

After numerical equivalents are substituted, Eq. 6-52 reads

$$N = \frac{53.0}{0.9234 \cos \beta - 0.3062 \sin \beta}.$$

The bolt deceleration with empty case, Eq. 6-39, becomes

$$\ddot{x} = \left(\frac{2}{K_2}\right) R_c^2 \omega^2 = \frac{22.78 \times 2742}{1.4509}$$
  
= 43.051 in./sec<sup>2</sup> = 111.4 g.

From Eq. 6-40

$$F_a = (M_b + M_{cc})\ddot{x} - 1.40 \times 111.4 = 156 \text{ lb.}$$

The substitution of numerical equivalents makes Eq.  $6-57 \operatorname{read} (\dot{x} \le 0)$ 

$$N = \frac{152.3}{1.0454 \cos \beta + 0.3138 \sin \beta}$$

For the constant slope portion of the cam while  $\ddot{x} = 0$ ,

$$N = \frac{R_{fc}}{0.9234 \cos \beta - 0.3062 \sin \beta} = \frac{3.7}{0.4452} = 8 \text{ lb}.$$

#### 6-2.3.3 Cam Analysis During Rotor Acceleration

The rotor is brought to speed under a constant acceleration of  $200 \text{ rad/sec}^2$  for 0.1736 sec and then at a constantly reducing acceleration that is defined in Eqs. 6–71 and 6–72. When t=0 and  $c_1=200$ , in Eq. 6–72,  $C_1=200$ ; when  $c_1=0$ ,  $C_1=200$ . Under constant acceleration, the rotor has achieved an angular velocity of 34.72 rad/sec; therefore, for the initial conditions of Eq. 6–73, when t=0,  $\omega=34.72$  and  $C_2=34.72$ ,

$$\omega = \frac{d^{2}}{dt} - \frac{1}{2} \left( K_{\alpha} t^{2} \right) + 200t + 34.72 \quad (6-87)$$

substitute -200 for  $K_{\alpha}t$  and 52.36 rad/sec for  $\omega$  (see par. 6-2.3.1), the upper limit of the angular velocity

$$52.36 = -100t + 200t + 34.72$$

$$t = \frac{17.64}{100} = 0.1764 \text{ sec}$$

$$K_{\alpha} = -\frac{200}{0.1764} = -1133.79.$$

Rewrite Eqs. 6-72 and 6-73 and include the time elapsed during constant acceleration

$$\alpha = \frac{d^2\theta}{dt^2} = -1133.79(t - 0.1736) + 200$$

$$\omega = \frac{d\theta}{dt} = -566.895(t - 0.1736)^2$$

$$+200(t - 0.1736) + 34.72 \qquad (6-89)$$

Substitute the proper values into Eq. 6-74 and integrate

$$e = -188.965 t^3 + 100 t^2 + 34.72 t + C_3$$
 (6-90)

when t = 0,  $\theta = 3.014$ , and  $C_3 = 3.014$ . Modify the time by compensating for the constant acceleration period

$$e = -188.965 (t - 0.1736)^3 + 100 (t - 0.1736)^2$$
$$+34.72 (t - 0.1736) + 3.014 \qquad (6-91)$$

when t = 0.35 sec

$$\theta = -1.037 + 3.112 + 6.125 + 3.014 = 11.215 \text{ rad.}$$

During constant acceleration of  $\alpha = 200$ ,

$$\omega = \alpha t = 200 \text{ t when } t \le 0.1736$$
 (6-92)  
 $\theta = \frac{1}{2} \left( \alpha t^2 \right) = 100 t^2 \text{ when } t \le 0.1736$  (6-93)

### 6–2.3.4 Digital Computer Routine for Gun Operating

A digital computer program has been compiled in FORTRAN IV language for the UNIVAC 1107 Computer. The program follows, in proper sequence, the computing procedures discussed throughout Chapter 6 i.e., begin with constant acceleration; continue at a reducing acceleration at a constant rate; and then complete the computations while the rotor is turning at constant velocity.

Fig. 6-5 is a visual concept of the analysis. The drum and, therefore, the projected cam periphery are divided into six equal zones, each zone being occupied by one cam follower and corresponding bolt which are numbered in sequence according to zone number. Although all bolts travel the full periphery during each rotor revolution, we assume that each travels, from  $\theta_0$ to  $\theta_5$  six times in one zone. Thus, in Fig. 6-5, Bolt No. 1 moves from 0" to 60". On reaching 60" ( $\theta_5$ ) it becomes Bolt No. 2. In the meantime, Bolt No. 2 moves from  $60^{\circ}$  ( $\theta_0$ ) to 120" ( $\theta_5$ ) where it becomes Bolt No. 3. The sequence continues until Bolt No. 6 becomes Bolt No. 1 and then the cycle repeats. This procedure is a convenient method for defining the dynamies of all bolts at any position on the cam. For the analysis, all bolts are assumed to start from  $\theta_0$  and in line, and traverse the distance to  $\theta_5$ . Fig. 6-1 shows the relative positions on the cam.

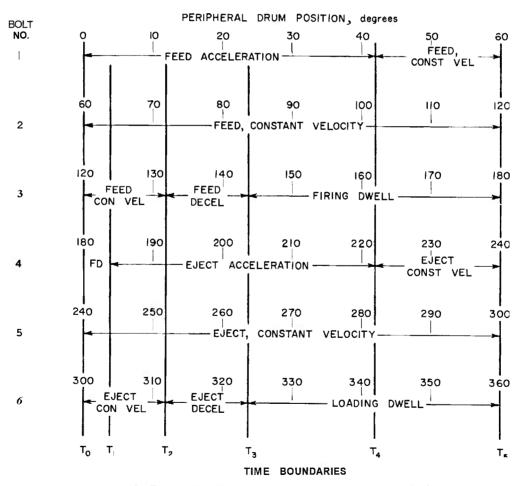


Figure 6-5. Bolt Position Diagram for Computer Analysis

Each accelerating period, constant and varying, is divided into 40 equal differential time increments. A time increment of one millisecond is then assigned to the period of constant velocity. The analysis continues the constant velocity period until one cycle of bolt travel,  $\theta_0$  to  $\theta_5$  is completed. After the torque, Eq. 6–58, has been computed for a given increment, the required horsepower to produce this torque is computed

$$HP = T\omega/6600$$

where 1 horsepower = 6600 in.-lb/sec.

Table 6-1 lists the symbol-code correlation for the computed variables of the computer program. Table 6-2 lists the symbol-code correlation and the numerical values of the constants. Computed cam dynamics for three increments of time are listed in Table 6-3 as a sample output, while Table 6-4 lists the computed torques and horsepower required for each increment. The flow chart, A-13, and the program listing, A-14, are in the Appendix.

## 6-3 RATING OF GAS-OPERATED AND EXTERNALLY POWERED GUNS

The choice of a gas-operated gun, or whether an externally powered weapon should be selected over a gas-operated one, is not the superiority of one type over

another but rather the tactical purpose of each type. The impingement and tappet types are usually assigned to carbines and subcaliber automatic guns with neither being markedly superior to the other. For small caliber machine guns, cal .30 and .50, firing at the rate of about 1000 rpm, the cut-off expansion or expansion types are appropriate. Rate of fire within limits is controlled by design detail. Everything being equal, the expansion type should be faster; its gas port is never sealed off from the bore gases.

High rates of fire for large caliber machine guns, cal .60 and above, are generally not feasible for the single chambered type. Long bolt travel for loading and extracting consumes too much time for high cyclic rates. The revolver-and Gatling-types restore the large calibers to the high firing rate category. The revolver-types may be gas-operated or may be driven by external power. Firing rates are in the order of 1000 to 1200 pm. Gatling-types, because of ducting problems, are consigned to external drives and normally have the highest sustained rate of fire of all machine guns. The multiple barrels of the Gatling-type provide superiority over the single-barreled revolver-type in the areas of fire power, reliability and durability, and generally require less maintenance. On the other hand, the revolver-type has better handling characteristics and is more versatile with respect to efficiency, the Gatling-type being restricted to those periods of highly intensive fire for short periods of time such as in air-to-air combat.

TABLE 6-1. SYMBOL-CODE CORRELATION OF VARIABLES FOR MULTIBARREL GUN

Symbol	Code	Symbol	Code
$\overline{F}$	F	t (msec)	TIMEM
$F_a$	FA	×	X
$FR_c$	TORKB	x	V
$\Sigma FR_c$	BTSUM	x	A
HP	POWER	Y	Y
$I_{d}^{\alpha}$	TOW	a	ALPHA
N	EN	P	В
$R_{fa}$	RFA	$oldsymbol{eta}^{oldsymbol{\circ}}$	BDEG
$R_{fa} \ R_{fc}$	RFC	8	THETA
T	TORK	8"	THETAD
t	T	ω	OMEGA

TABLE 6-42. SYMBOL-CODE CORRELATION AND INPUT FOR GUN OPERATING POWER

No.	Symbol	Code	Data	No.	Symbol	Code	Data
1	$K_{af}$	AFK	5.1774	24	$\alpha_o$	ALPHAO	200
2	$K_{df}$	DFK	1.4762	25	$\omega_{max}$	<b>OMEGAM</b>	52,36
3	$K_{ae}$	AEK	4.5944	26	$y_{1f}$	Y1F	2.4740
4	$K_{de}$	DEK	1.4509	27	$y_{2f}$	Y2F	0.7069
5	$K_{\alpha}$	AK	- 1133.79	28	$x_{1f}$	X1F	1.1846
6	$C_1$	C1	200.0	29	$x_{2f}$	X2F	0.3385
7	$C_2$	c 2	34.72	30	$tan\beta_f$	TANBF	0.9577
8	$C_3$	c 3	3.014	31	$taneta_e$	TANBE	0.9743
9	$ heta_1$	ANGLE1	0.0698	32	$y_{1e}$	Y1E	2.2384
10	$\theta_{2}$	ANGLE2	0.2094	33	$y_{2e}$	Y2E	0.7069
11	$\theta_3$	ANGLE3	0.4189	34	$x_{1e}$	X1E	1.0904
12	$\theta_4$	ANGLE4	0.7330	35	$x_{2e}$	X2E	0.3444
13	$ heta_{arepsilon}$	ANGLE5	1.0472	36	8	G	386.4
14	L	EL	6.6	37	$\Delta t_1$	DELT 1	0.00434
15	R	R	2.643	38	$\Delta t_2$	DELT2	0.00441
16	$R_c$	RC	3.375	39	$\Delta t_3^2$	DELT3	0.001
17	$W_b$	WB	1.15	40	$\mu_r$	<b>EMUR</b>	0.063
18	$W_{s}$	WST	0.57	41	$\mu_{_{S}}$	<b>EMUS</b>	0.22
19	$W_{cc}$	WSE	0.25	42	$\mu_t$	EMUT	0.125
20	$K_{c1}$	COEFC1	0.9234	43	1	EYE	11.2
21	$K_{c2}^{c1}$	COEFC2	1.0454	44	$eta_{f_1}$	BF1	0.76387
22	$K_{\mathfrak{s}_1}^{\mathfrak{c}_2}$	COEFS1	0.3062	45	$\beta_{e_1}^{j_1}$	BE 1	0.75230
23	$K_{s2}^{s1}$	COEFS2	0.3138		C 1		

TABLE 6-3. CAM DYNAMICS

				IABLE 6-3	S. CAM DYN	IAMICS				
		<u>-</u>		CAM DYNA	MICS AT 116	5.59 MILLIS	ECONDS			
			BOLT	AX EAL.	NORMAL	ANGULAR	САМ	CAM	CAM	BOLT
BOLT	BOLT	BOLT	AXIAL	INERTIA	FRICTION	INERTIA	CURVE	NORMAL	URIVING	DRIVING
NO	ACCELERATION	VELOCITY	TRAVEL	FORCE	FORCE	FORCE	ANGLE	FORCE	FORCE	TORQUE
	IN/SEC/SEC	IN/SEC	INCH	POUND	POUND	POUND	DEGREE	POUND	POUND	8- N
	54 0	5.91	.2	U.	1.	0.	22.143	1.	<u> </u>	2.
2	646。	<i>75.37</i>	3.209	3.	1.	0•	43.767	8.	6.	20 .
3	536.	38.40	6.512	2.	1.	0.	26.012	5.	5.	8.
4	=34 .	-27.30	6•458	-U <b>.</b>	1.	0.	19.133	1.	0.	1.
5	-641	-74.72	3.530	-2.	1.	0.	43.517	1.	5.	17.
6	-622。	-38• <i>0</i> 7	•88 <b>8</b>	-2.	1.	0•	25.817	4.	2.	7.
				CAM DYNA	MICS AT 118	8.84 MILLIS	ECONDS			
			BOLT	AXIAL	NORMAL	ANGULAR	CAM	CAM	CAM	BOLT
BOLT	BOLT	BOLT	_AXIAL	INERTIA	FRICTION	INERTIA	CURVE	NORMAL	DRIVING	DRIVING
NO	ACCELERATION	VELOCITY	TRAVEL	FORCE	FORCE	FORCE	ANGLE	FORCE	FORCE	TORQUE
	IN/SEC/SEC	IN/SEC	INCH	POUND	POUND	POUND	DEGREE	POUND	POUND	LB-IN
1	72 .	8.06	•293	υ.	1.	0.	25.449	2.	1.	3.
2	646.	76.82	3.380	3.	1.	0•	43.767	8•	6.	20 🛮
3	486.	19.75	6.578	2.	1.	0.	13.831	4.	1.	4.
4	-50 .	-33.90	6.389	-0 -	1.	0 •	22.911	1.	1.	2.
- 5	-6	-76 .16	3.361		1.	<u>0.</u>	43.517	<u>, ( )                                  </u>	3.	17.
6	<i>-</i> 599 <b>₌</b>	-19.58	.023	-2.	1.	0•	13.716	4.	1.	4.
-				CAM DYNA	MICS AT 121	.08 MILLIS	ECONDS			
			BOLT	AXIAL	NORMAL	ANGULAR	CAM	CAM	CAM	BOLT
BOLT	BOLT	BOLT	AXIAL	INERTIA	FRICTION	INERTIA	CURVE	NORMAL	DRIVING	DRIVING
NO	ACCELERATION	VELOCITY	TRAVEL	FORCE	FORCE	FORCE	ANGLE	FORCE	FORCE	TORQUE
-	INTSECTSEC	IN/SEC	INCH	POUND	POUND	POUND	DEGREE	POUND	POUND	CB-IN
1	93 .	11.08	• 386	U. 5.	1 <u>.</u> 1.	<u>o.</u>	28.641	Ž•	A 6.	20.
2	646.	78.27	3 .554			0.	43.767	8.		20 .
3 4	427. <del>-</del> 69.	02 -40.85	6.600 6.306	-U .	1.	U • O •	013 26.555	3. 2	υ• 1.	А <b>З</b> .
5	-6	- 0	3.188		1,	<del>- ŏ</del>	43.31 /	<del></del>	<del></del>	11.
6	-567.	<b>.</b> 0 2	.801	-2.	1.	0.	013	3.	0.	1.
-										

TABLE 6-4. GUN OPERATING POWER

N-		ROTOR ANGULAR	ROTOR ANGULAR	ROTOR ANGULAR	BOLT PERIPHERAL	TOTAL CAM	ROTOR	REQUIRED	REQUIRED
RI-	TIME	ACCELERATION	VELOCITY	TRAVEL	TRAVEL	TORQUE	TORQUE	TORQUE	HORSE-
ENT	MILSEC	RAD/SEC/SEC	RAD/SEC	DEGREE	INCH	LB-IN	LB=IN	LB=IN	POWER
1	26.420	<b>200 ∎</b> 00	5.28	4. u	• 236	62.	2240 .	2302.	1.8
2	31.255	200 .00	6.25	5.6	• 330	63.	2240.	2303.	2.2
3	36.090	200.00	7.22	7,5	•440	64.	2240.	2304.	2.3
4	40.925	200.00	8.19	9.6	• 565	66.	2240.	2306.	2.9
5	45.760	200.00	Y.13	12.0	• 707	b7.	2240.	230/	3.2
6	50.501	200.00	10.10	14.6	•861	51.	2240.	2291.	3.5
7	55.241	200.00	11.05	17.3	1• 03U	47.			3.8
8	59.982	200.00	12.00	20.6	1.214	48.	2240.	2288.	4.2
9 -	64.722	200.00	12.99	24.0	1.414	33.	2240.	2293.	4.5
10	69.946	200.00	13,99	28.0	1.651	60.	2240.	2300.	4.9
11	75.169	200.00	13.03	32.4	1.907	72.	2240,	2312	33
12	80.392	200.00	16.08	37.0	2.181	87.	2240.	2327.	5.7
13	85.615	200.00	17.12	42.0	2.474	10%	2240.	2347,	0.1
14	93.974	200.00	18.79	50.6	2.981	69.	2240.	2309.	6.6
15	102.333	200.00	20.47	60.0	3.534	71.	2240.	2311.	1.2
16	105.688	200.00	21.14	64.0	• 236	72.	2240.	2312.	7.4
17	107.291	200.00	21.46	66.0	• 351	72.	2240.	2312.	(.5
18	108.893	200.00	21.78	67.9	• 468	73.	2240.	2313.	7.6
12	410,4960	200.00	22.10	70.0	- 586	74.	2240.	2314.	7.7
20	112.098	200.00	22.42	72.0	• 707	74.	2240.	2314.	7.9
21	114.344	200.00	22.87	74.9	•878	63.	2240.	2303.	8.0
22	116.590	200.00	23.32	77.9	1.053	55.	2240.	2295.	8.1
23	118.837	200.00	23.77	80.9	1.232	49.	2240.	2289.	8.2
24	121.083	200.00	24.22	84.0	1.414	44.	2240.	2284.	8.4
25	124.168	200.00	24.83	08.3	1.669	45.	2240.	2286.	8.6
26	127.253	200.00	25.45	92.8	1.931	50•	2240.	2290.	8.8
27	130 339	Z00.00	26.07	97.3	2.199	54.	2240 .	2294.	9.1
28	133.424	200 •00	26.68	102.0	2.474	60.	2240.	2300.	9.3
29	139.072	200.00	27.81	110.8	2.993	79.	2240•	231Y.	9.8
30	144.720	200.00	28.94	120.0	3.534	81.	2240.	2321.	10.2
a i	747-112	200 .00	29.42	124.0	<b>≥</b> 235	LIZ •	2240.	2322.	10.3
32	148.280	200.00	29 • 66	126.0	• 352	82.	2240.	2322.	10.4
33	149.447	200.00	29.89	128.0	• 469	85 .	2240.	2323 .	10.5
34	150.615	200.00	30.12	130.0	• 588	84.	2240.	2324.	10.6
33	151.783	200.00	30 #36	132.0	•707	85.	2240.	2325	10.7
36	153.471	200.00	30.69	135.0	•881	73.	2240.	2313.	10.8
37	155.158	200.00	31.03	137.9	1.056	64.	2240.	2504.	10.8
38	156.846	200.00	<u>31•</u> 37	141.0	1.234	57.	2240.	2297.	10.9
39	158.534	200.00	31.71	144.0	1.414	21 .	224U.	2291 .	11.0
40	160.938	200.00	32.19	148.4	1.673	53.	2240.	2293.	11.2
41	163.341	200.00	32.67	152.9	1.936	36 .	2240.	2296.	11.4
42	165.745	200.00	33.15	157.4	2.203	60.	2240.	2300.	11.6
43	168.149	200.00	33.63	162.0	2,474	<del>03</del> •	2240.	2305.	1107
44	173.600	200.00	34.72	172.7	3.103	89.	2240.	2329.	12.3
45	177.237	195.88	35,44	180.0	3.534	84.	2194.	2277.	12.2

TABLE 6-4. GUN OPERATING POWER (Con't.)

		ROTOR	ROTOR	ROTOR	BOLT	TOTAL			
CRE-	TIME	ANGULAR ACCELERATION	.VELOCITY	ANGULAR TRAVEL	TRAVEL	CAM TORQUE	TORQUE	TORQUE	TEQUIRED HORSE-
MENT	MILSEC	RAD/SEC/SEC	RAD/SEC	DEGREE	INCH	F_ K	LB. T	B- N	POI ER
	MILLICO	KADI SECI SEC	11. D. OLO	0201120	Inch			<b>55</b> 11	
46	179.195	193.66	35.82	184.0	• 23b	112.	2169.	2281•	12.4
47	180.159	192.56	36.01	186.0	•352	132.	2157.	2289.	12.5
48	181.122	191.47	36.19	188.0	•470	147•	2144.	2291.	12.6
49	182.086	190.38	36 ∎38	190.0	• <b>5</b> 88	162.	2132.	2294.	12.6
50	383.049	189.29	36.56	192.0	<b>₌</b> 707	177.	2120 .	2297.	12.7
51	184.458	187•69	36.82	195.0	.881	<del>-</del> 437.	2102.	1665.	9.3
52	185.867	186.09	37.09	197.9	1.056	-206.	2084•	1878.	10.5
53	187.276	184.49	37.35	200.9	1.233	18.	2066.	2084.	11.8
34	188.685	182.90	37.61	204.0	1.414	247.	2048.	2295.	13.1
55	190.738	180 • 57	37.98	208.4	1.673	296.	2022.	2319.	13.3
<u>56</u>	192 791	178.24 175•91	38.35 38.71	212.9 217.4	1. 930 2.205	354. 419.	1996. 1970.	2350. 2 <b>3</b> 89.	13.7 14.0
57 38	194.843 196.896	173.59	39.71	222. 0	2.474	492.	1944.	2437.	14.0
59	200.852	169.10	39.75	230•9	3.000	492. 93.	1894.	1987.	12.0
60	204.808	164.62	40.41	240.0	3 -534	93.	1844.	1936.	11.9
61	206.531	162.66	40.69	244.0	• 236	120.	1822.	1942.	12.0
62	207 384	161.70	40.83	246.0	#333	141.	1011.	1952.	12.1
63	208.237	160.73	40.97	248.0	•472	155.	1800	1955.	12.1
64	209.091	159.76	41.10	250 .0	<u>,590</u>	1/0.	1/89	1959.	12.2
65	209.944	158.79	41.24	252.0	•707	186.	1778.	1964.	12.3
66	211.197	157.37	41.44	255.0	.884	-425.	1763.	1337.	8.4
67	212.451	155.95	41.63	258.0	1.060	-196.	1747.	1551.	9.8
68	213.704	154.53	41.83	261.0	1.236	27•	1751.	1757.	11.1
69	214.957	153.11	42.02	264• <sup>0</sup>	1.414	250.	1715.	1965.	12.5
70	216.801	151-02	42.30	268.5	1.676	300.	1691.	1991.	12.8
71	218.645	148•93	42.58	272.9	1.940	357.	1668.	2025.	13.1
72	220.489	146.84	42.85	277.4	2.206	421•	1645.	2065.	13.4
18	222.332	144.75	43.12	282.0	2.474	493 .	1621.	2114.	13.8
74	225,931	40.67	43.63	290.9	3.000	100.	1575.	16/5.	11.1
75	229.530	136.59	44.13	300.0	3.534	100.	1530.	1630.	10.9
76	231.107	134.80	44.35	304.0 306.0	•236	126. 147.	1510.	1636. 1647.	11.0 11.1
77 78	23 1. 890 23 2. 673	133.91 133.02	44.45	308.0	• 352 • 469	161.	1500 . 1430 .	1651.	11.1
79	233.456	132.14	44.66	310.0	•587	176•	1480.	1656.	11.2
80	234 • 238	131 .23	44.76	312.0	#707	192	1470.	1662.	11.2
81	235.400	129 93	44.91	315.0	.881	-424	1455.	1031.	7.0
82	236.561	128.62	45.06	318.0	1.057	-194.	14 70	1247	8.3
83	237.722	127 • 30	45.21	321.0	1.234	29.	1426.	1455.	10.0
84	2318 084	125.98	45.36	324.0	1.414	234 •	1411.	1565.	11.4
85	240.597	124.04	45.57	328.4	1.675	303.	1389	1692.	11.7
86	242.311	122.10	43.79	332.9	1.939	33Y .	13a7.	1727.	12.9
07	244.025	120.15	45.99	337.4	2.204	423.	1346.	1768.	12.3
88	245.738	118 .21	46.20	341.9	2.474	495.	1.324.	1819.	12./
89	249.122	114 .37	46.59	350.9	3.001	106.	1201.	1387.	9.8
90	252.505	110.54	46.97	360.0	3.334	106.	1238.	1544.	9.6

TABLE 6-4. GUN OPERATING POWER (Con't.)

IN-	<del> </del>	ROTOR	ROTOR ANGULAR	ROTOR ANGULAR	BOLT PERIPHERAL	TOTAL	ROTOR	REQUIRED	REQUIRE
CR E	TIME	ACCELERATION	VELOCITY	TRAVEL	TRAVEL	TORQUE	TORQUE	TORQUE	HORSE-
ENT		RAD/SEC/SEC	RAD/SEC	DEGREE	INCH	LBEIN	LB=IN	LB#IN	POWER
91	253.989	108.86	47.13	364.0	236	132.	1219.	1331 .	9.6
92	254.727	108.02	47.21	366.0	■354	153.	1210.	1363.	9.7
93	255.465	- 107.18	47.29	368.0	•4/1	167.	1200.	1368.	9.8
94	256.203	106.35	47.37	370.0	• 589	182.	1191.	1373.	9.9
95	256.941	105.51 -	_ 47.45	_372.U	•707	198.	1182.	1380.	7.9
96	258.040	104.26	47 •57	375.0	. 884	-416.	1168.	752∙	5.4
97	259.139	103.02	47.58	378.0	1.060	=186.	1154.	968.	7.0
98	260.237	101.77	47.79	381 <sub>e</sub> 0	1.237	36.		1176.	8.5
99	261.336	100.53	47.90	384 .0	-~414	236•	1140.	1176.	10.0
100	262.965	98• 68	48.07	388.5	1•678	307.	1085.	1447.	10.3
101	264.594	96.83	48.22	393.0	1.943	363.			10.6
102	266.222	94 99	48.38	397.5	2.209	426.	1064.	1490.	10.9
103	267.851	93.14	48.53	402.U	2.474	497.	1043.	1540 .	11.3
104	271.069	89.49	48.83	411.0	3.004	110.	1002.	1113.	11.3
105	274.288	85.84	49.11	420.0	3.534	110.	46i .	1071	8. u
106	275.707	84.23	49.23	424.0	<sub>e</sub> 236	136.	943.	1079.	8r1
107	276.415	83.43	49.29	425.0	• 355	157.	Y34.	1092.	8.2
108	277.122	82•63	49.35	428.0	• 472	172.	925.	1097.	8.2
109	2/1.830	81.83	49.41	430.0	590	187.	916.	1103.	b.3
110	278.537	81 • 02	49.46	432.0	e 707	202	907.	1110.	8.3
111	279.592	79.83	49.55	435.0	-885	-411.	894.	483.	3,6
112 113	280.648 281•	79:63	49.63	438.0	1.061	-181.	881. 867.	700*	5.3 6•8
113		77.43		441.0	1.238	40 •		907.	6.6
114	282.759 <b>284.329</b>	76•24	49.00	444.0	1.414	259.	854.	1112.	8.4
		74.46	EQ.QS	448.5	1.680	303	834 -	1145	8.6
116	285.899	72•68	50.03	453.0	1.944	365•	814.	1179.	8.9
117	287.469	70.90	50.14	457.5	2.210	428.	794 .	1222.	7.3
118	209.039	69 • 12	50.25	462.0	2•474	498•	774•	1273.	9.7
119	292.153	65.59	50.46	471.0	3.005	114.	733 ■	848 .	6.5
120	295.266	62.06	50•66	480•0	3 ₌534	113.	695•	808.	6.2
121	296.643	60.49	50.75	484.0	≥36	139.	678•	817.	0.3
122	297.330	59.72	50•79	486.0	355	160•	669•	829•	6.4
123	298.017	58.94	50.83	488.0	.473	1/30	₽₽0.	835 .	6.4
124	298.704	58 • 16	50.87	490•0	• 591	190•	651•	841•	6.5
		57.38	50.91	492.0	•707	205.	643.	848.	6.5
126_	300.417	56•22	50 • 97	495.0	•885	-407	630•	222 •	17
127	301.444	55.05	51.02	498.u	1.062	-178	617.	4.59	3.Y
128	302.470	53.89	51.08	501.0	1.239	43	604	647•	5r0
		52.72	51.13	504.0 508.5	1.414	260 .	591	851.	0.0
130	305.028	50 • 99	51.21	513.0	1.680 1.945 —	311. 367.	571• 552 •	882•	6.8 7.1
131	306.559	49.25	51.29	·		<del>-</del> - · ·		918.	
132	308.090	47.52	<u>51•36</u>	517.5 522.0	2.211	430•	532° 513°	962• 1012•	7.5
133	309.622	45.78	51.44			500.			7.9
134	312.668	42.33	51.57	531.0	3.006	116.	474 · 435 · -	590•	4.6
135	313. /15	38.87	51.69	540.0	3.534	1120	4331	31.	4.3

TABLE 6-4. GUN OPERATING POWER (Con't.)

<b></b>		ROTOR	ROTOR	ROTOR	BOLT PERIPHERAL	TOTAL		-REQUIRED-	REQUIRED
CR II	TIME	ANGULAR ACCELERATION	ANGULAR VELOCITY	ANGULAR TRAVEL	TRAVEL	TORQUE	ROTOR TORQUE	TORQUE	HORSE-
MENT		RAD/SEC/SEC	RAD/SEC	DEGREE	INCH	F - /K	B- N	t . T	POWER
136	317.064	37 •34	51.75	544 •U	.236	141.	418.	59Y .	4.4
137	317.738	36 • 58	51.77	546.0	• 356	162•	410	572•	4.5
138	310,412	35.81	51.79	548.0	.473	177 • 192 •	401.	578. 584.	4.5
139 140	319.086 319.160	35.05 34.29	51.82 51.84	550 • 0 552.0	•591	192• <del>207•</del>	393 <b>.</b> 384 .	591 <b>.</b>	4.6 4.5
141	320.768	33.14	51.88	555.0	-886	-405.	371	-34 <b>•</b>	3
142	321.777	32.00	51.91	558.0	1.062	-176.	358•	182.	1.4
143	322.786	30.85	51.94	561.0	1.239	45 .	346.	390•	3.1
144 145	323.795 325.304	29.71 28.00	51.97 52.01	564.0 568.5	1.414	261. 312.	333. 314.	594. 625.	4.7
146	326.812	26.29	52.06	573 •0	1.946	368.	294.	662.	3.2
147	328.320	24.58	52.09	577 5	2.211	430.	275.	706.	5.6
148 149	329 • 029 332.038	22.87 19.46	52.13 52.19	582.0 591.0	2.474 3.006	500. 117.	256. 218.	756. 335 <b>.</b>	5.0 2.6
150	335.848	16.05	52.25	600.0	3.534	116.	180•	296.	2.3
151	337.183	14.53	52.27	604.0	.236	142.	163•	304	2.4
152	337.850	13.77	52.28	606.0	<b>353</b>	163 .	154.	317.	2.5
153	338.518	13.02	52.29	608.0	<b>473</b>	177.	146.	323.	2.6
154	339.185	12• 26	52 29	610.0	• 591	192.	137.	330.	2.0
155	339.852	11.50	52.30	612.0	• 707	208.	129.	336•	2.7
156	340.853	10.37	52.31	615.0	.885	-406.	116-	-289.	-2.3
167	341.854	9.24	52.32	618.0	1.062	-176.	103.	<del>-73</del> .	6
158 159	342•855 343.855	8.10 6.97	52.33 52•34	621.U 624.0	1.239	44 <b>•</b> 261 <b>•</b>	91 <b>.</b> 78•	135• 339 •	1.1 2.7
160	345.355	5.27	52.35	628.5	1.680	312.	59.	371.	2.9
161	346.854	3.57	52.35	633.0	1.945	367.	40.	407.	3.2
162	348 -354	1.87	52.36	637.5	2.210	430•	21.	451.	3.5
163	350.000	00	52.36	642.5	2.474	500.	-0 ■	500 <b>.</b>	4.0
164	333.000	<u>.</u> 0	52.35	652.5	3.031	04•	u	64 .	•5
165	356.001	<b>.</b> 0 0	52.36	660.5	3 •534	64•	0.	64.	.5
166	331.334	•00	52 36	664.5	236	96	U.	YO.	•6
167	358.000	■00	52 • 36	666.5	• 381	132.	0.	132•	1.0
168 169	358.66/ 359.333	<b>"</b> 00	32 <u>.</u> 36 52 • 36	670.5	•498 •616	132 <b>1</b>	U. 0.	152.	1:4
170	360.000 361.000	<u>.00</u>	52.36 52.36	672.3 675.5	•911	153 .	0.	191.	1.5
171		<u>.00</u>				<b>-626</b> •	0.	<b>-626</b> •	<b>-5.</b> 0
172 173	362.001 363.001	•00 •00	52.36 52.36	678.5 681.5	1.087 1.264	<del>-283.</del> 43.	0.	<del>-283.</del> 43 .	-2.2
174	364.001	•00	52.36	684.5	1.414	314.	0.	314.	2.5
175	365.501	<b>"</b> 00	52.36	689.0	1.706	384 .	0.	384	3.0
176	367-001	<b>.</b> 00	52.36	693.5	1.971	457 .	0.	457.	3.6
177	360.500	<u>.00</u>	52.36	698.0	2+236	537.	0.	537 .	4.3
178 179	370.000 373.000	•0	52.36	702.5	2.474 3.031	013. 64•	U.	013.	4.9
		-00 -00	52.36	711.5			0.	64.	•5
180	376.001	• 00	52.36	720.5	3.534	64 .	U. <b>U</b> •	54.	

#### CHAPTER 7

#### COMPONENT DESIGN

# 7-1 GENERAL

Automatic weapons are equipped with practically the same components that other weapons need to insure effective and safe (to the operator) performance. Differences lie only in application since the components in the automatic weapon must be geared to automatic performance. These components include feed mechanisms, breech locking systems, sears, firing mechanisms, extractors, ejectors, and cocking mechanisms. Characteristics of other components such as muzzle devices which include silencers are presented in detail in other design handbooks <sup>25</sup> or published reports <sup>26</sup>. Each component generally has features unique to automatic weapons.

# 7-2 FEED MECHANISM DESIGN

Automatic weapons are fed ammunition from magazines, clips, and belts; the type and capacity depending upon type of weapon. The bolt, moving in counterrecoil, strips the round from the feed mechanism and carries it into the chamber. The withdrawn round is instantly replaced by the next round of the supply.

The first step in designing a feed mechanism is defining the feed path. The feed path is the course of the round from mechanism to chamber. Two requisites take precedence: (1) to have the initial position of the projectile move as close to the chamber as the system permits, and (2) to have the base of the cartridge case as close in line to the center line of the bore as possible at the time of feed. The ideal would have the center lines of round and bore collinear. The ideal is not always possible; therefore, other arrangements must suffice but care must be exercised to avoid impact between bolt face and primer since bolt contacts cartridge during counterrecoil. The primer is the restricting element. The two views of Fig. 7-1 illustrate this characteristic. Unless surface contact is assured at impact, the outer edge of the bolt face must never extend into the primer surface, otherwise the edge may strike the primer with enough resulting penetration to set it off. To preclude premature discharge, a minimum space of 0.010 in. between the edges of the primer and bolt face is necessary. Because of override, impact cannot be eliminated; thereby, obviating this approach as a solution for premature firing. Override is the clearance between bolt face and cartridge case base needed to position the round before the bolt moves forward. Interference here cannot be tolerated, otherwise malfunction is inevitable.

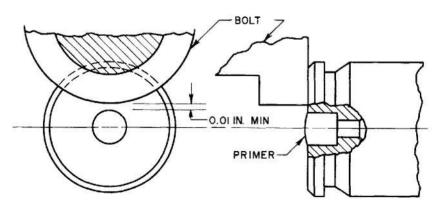


Figure 7-1. Initial Contact of Bolt and Cartridge Case Base

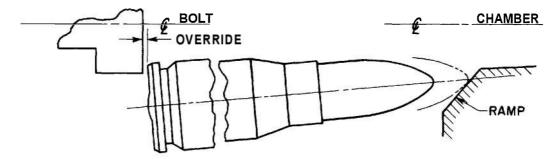


Figure 7-2. Chamber-projectile Contact

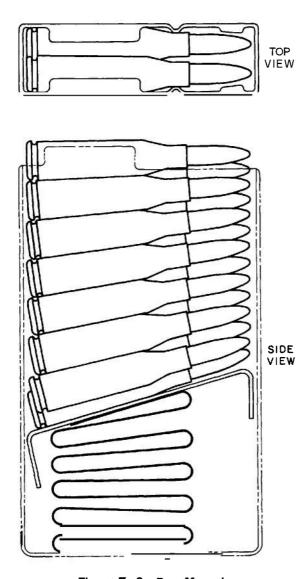


Figure 7-3. Box Magazine

The next design operation is to provide a path for the round between the immediate receptacle and chamber, and guidance along this path. The receptacle—whether magazine, clip, or belt—provides the initial guidance which will be discussed later. The chamber provides the terminal guidance. The entrance to the chamber and the path of the round should be so arranged that any contact between chamber and projectile will take place on the ogive. Fig. 7–2 shows this arrangement. The chamber entrance may be enlarged by a ramp to eliminate the probability of the nose striking the chamber walls first.

#### 7-2.1 MAGAZINES

Magazines, box or drum, are of limited capacity. Box magazines generally hold from 7 to 20 rounds in single or double rows; drums, up to 150 rounds.

# 7-2.1.1 Box Magazines

A box magazine may be attached to the receiver or it may be an integral part of it. Both types have a spring to keep forcing the rounds toward the bolt as firing continues. The box not only stores the rounds 'but also restrains their outward motion at the mouth and guides each round as the bolt strips it from the box. The restraining and guiding elements, called lips, are integral with the sides. Fig. 7-3 shows a box magazine with several rounds of ammunition.

Correct lip length is vital to dependable loading. Combined with the direction of the spring force, the lips control the position of the round as it enters the chamber. As indicated in Fig. 7-3, continuous control is exercised by the lips while they restrain the round and so long as the resultant spring force passes within their confines. If the resultant spring force falls forward of the lips, the round will have a tendency to tip excessively

and increase the probability of jamming. Fig. 7–4 demonstrates how a short lip may fail to guide a round so that it enters the chamber without interference. Fig. 7–4 demonstrates how a longer lip will retain contact with the round long enough for the ogive to hit the ramp just prior to entering the chamber.

The shape of the lip has considerable influence on feeding. The round to be loaded should be restrained by line contact between the cartridge case and lip. Fig. 7-5 shows how this effect can be arranged by making the inner radius of the lip less than the radius of the cartridge case. Absolute assurance of line contact is assured by forming the lip by a right angle bend. The spring load holds the round firmly until the bolt dislodges it. On the other hand, if the lip radius is larger than the cartridge case radius, accurate positioning of the rounds cannot be achieved with any degree of assurance. The cartridge case position, from round to round, may virtually float; thereby, causing an inconsistency in contact area between the bolt face and the rounds. Fig. 7–5 shows how the positions may vary with respect to the fixed bolt position. The larger the radius, the less assurance of sufficient contact area between the bolt face and cartridge case base. In extreme cases the bolt may hit the primer first and initiate it.

The dimensions of the cartridge and the intended capacity determine the size of the magazine. For a single row of cartridges, the width equals the diameter of the base plus 0.005 in.

$$\mathbf{w} = D_c + 0.005 \tag{7-1}$$

where  $D_c$  = diameter of cartridge case base

w = inside width of magazine

Double rows of cartridges are stacked so that the centers form an equilateral triangle as shown in Fig. 7–6 where the inside width of the magazine is

$$\mathbf{w} = 1.866 \, D_c + 0.005. \tag{7-2}$$

The nominal depth of the magazine storage space with double rows is

$$h = \frac{1}{2} D_c (N+1) \tag{7-3}$$

where h = depth

N = number of rounds

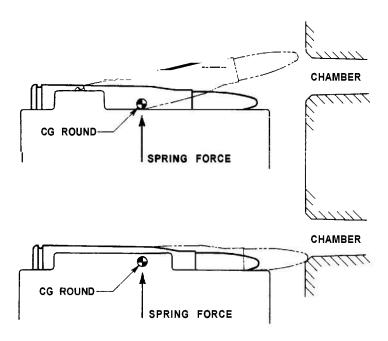
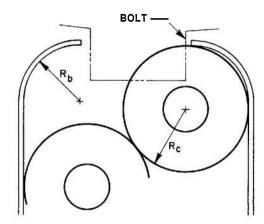


Figure 7-4. Lip Guides



(A) PROPER ARRANGEMENT,  $R_{\rm b} < R_{\rm c}$ 

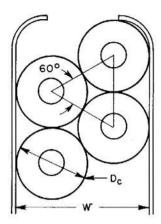
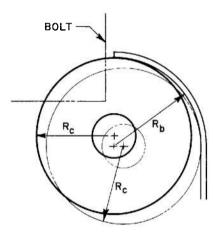


Figure 7-6. Geometry of Double Row Stacking



(B) POOR ARRANGEMENT,  $R_b > R_c$ 

Figure 7-5. Lip-cartridge Case Orientation

# 7-2.1.2 Box Feed System

The box feed system has three major components, the box which has been discussed, the follower, and the spring. The follower separates the column of cartridges from the spring, transmits the spring force to the cartridges, and provides the sliding surface for the last (single row) or last two (double row) cartridges. The follower also holds the stored rounds in alignment. It should never restrict spring activity. Fig. 7–7 shows three views of a follower. The spring may be a round wire spring shaped into rectangular coils or it may be a flat steel tape folded over at regular intervals to approximate the side view of a helix.

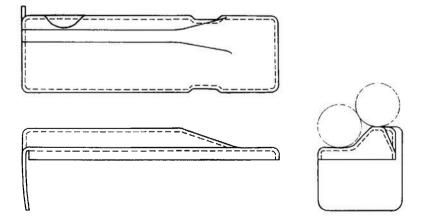


Figure 7-7. Box Magazine Follower

# 7-2.1.2.1 Flat Tape Spring

The flat steel spring functions in bending rather than in torsion. Each segment behaves as a cantilever beam that has the loaded end restrained from rotating. Fig. 7–8 shows this analogy and the loading diagram. Beginning at the follower, the bending moment M, at the bend, when the applied load is assumed to be concentrated at the middle of the follower is

$$M_{\alpha} = -\frac{1}{2} (FL) \tag{7-4}$$

where

F = spring force

L = length of each spring segment

The bending moment at the end of the first free segment

$$M = M_o + FL = \frac{1}{2} \left( FL \right). \tag{7-5}$$

This moment is identical and, therefore, constant for all segments of the spring. The deflection of one end of each segment with respect to the opposite one is

$$Ay = \frac{M_o L^2}{2EI} + \frac{FL^3}{3EI} = \frac{FL^3}{12EI}$$
 (7-6)

where

E = modulus of elasticity

I = area moment of inertia of the spring cross section

The total deflection of a spring having N active segments is

$$y = \sum \Delta y = N \Delta y = \frac{NFL^3}{12EI}$$
 (7-7)

Solve for the spring constant.

$$K = \frac{F}{Y} = \frac{12EI}{NL^3} \tag{7-8}$$

Not only must the spring exert enough force to hold the ammunition in position but it must *also* provide the acceleration to advance the ammunition and the other moving parts over the distance of one cartridge space in time for the bolt to feed the next round. The equivalent mass of all moving parts in the ammunition box is

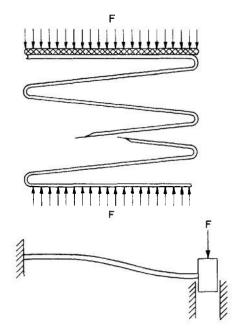


Figure 7–8. Flat Tape Spring and Loading Analogy

$$M_e = \left[ (N-1) W_a + W_f + W_{se} \right] / g \qquad (7-9)$$

where g = acceleration of gravity

N = number of rounds in the box

 $W_f$  = weight of follower

 $W_a$  = weight of each round

 $W_s$  = weight of spring

 $W_{se} = \frac{1}{3} W_s$ , equivalent weight of spring in motion

The time required for any one particular displacement will be similar to that of Eq. 2-27

$$t = \sqrt{\frac{M_e}{\epsilon K}} \quad \cos^{-1} \frac{F_o}{F_m} \tag{7-10}$$

where

F<sub>m</sub> = maximum spring force (preceding one cartridge displacement)

 $F_o$  = minimum spring force (following one cartridge displacement)

$$K = (Eq.7-5)$$

$$M_e = (Eq.7-6)$$

E = efficiency of system, generally assumed to be 0.5 for initial design analysis

For initial estimates, provide a spring load of  $F_i$  pounds for an empty box and one of  $F_f$  for a full box.

The folded flat spring is less desirable than the rectangular coil spring because the latter can be compressed to its solid height whereas total compression of the flat spring is limited by the radius of the folds, thereby, requiring a longer box to house the spring and store the ammunition. Par. 7–2.1.2.2 discusses the rectangular coil spring.

#### 7-2.1.2.2 Rectangular Coil Spring

The rectangular coil spring is a torsion element. Fig. 7–9 illustrates the mechanics of operation. Torsion in each straight segment rotates the adjacent segment. Although bending occurs along the span of each segment, the corners move with respect to each other only by torsional deflection. Bending deflections at the corners are neutralized by equal and opposite bending moments.

Rectangular coil spring characteristics are computed according to procedures similar to helical springs. The applied load is assumed to be concentrated on the axis. The torque  $T_1$  on the long segment is

$$T_1 = \frac{1}{2} \left( aF \right) \tag{7-11}$$

and torque  $T_2$  on the short segment is

$$T_2 = \frac{1}{2} \left( bF \right) \tag{7-12}$$

where

a = length of short segment

b = length of long segment

$$F = \text{spring force}$$
 (7–13)

The corresponding angular deflections are

$$\ell_I = \frac{bT_1}{JG} = \frac{abF}{2JG} \tag{7-14}$$

$$\theta_2 = \frac{aT_2}{C} = \frac{abE}{2C} \tag{7-15}$$

where

G = torsionalmodulus

J =area polar moment of inertia of wire

The axial deflection of each segment of a coil varies directly with the sum of the products of the two segment lengths times the sine of the angular deflection of the adjacent segment (see Fig. 7-9). Stated in algebraic expressions the two deflections are

$$\Delta y_1 = b \sin \theta_1 \tag{7-16}$$

$$\Delta y_2 = a \sin \theta_2 . \tag{7-17}$$

But, according to Eqs. 7-14 and 7-15,  $\theta_1 = \theta_2$ , and if we let this angle be equal to 8, the deflection of two adjacent segments of a coil is

$$\Delta y = (\Delta y_1 + \Delta y_2) = (a + b) \sin 8$$
 (7-18)

Since there are 4 segments to each coil, the total deflection of a spring having N active coils is

$$y = 2N\Delta y. \tag{7-19}$$

The spring constant, if y is based on a free spring, is

$$K = \frac{F}{y} \quad . \tag{7-20}$$

The time required for any given displacement can be computed from Eq. 7-10.

#### 7-2.1.3 Example Problems

Compute the spring characteristics for a double row box feed system that holds 20 rounds. Each round weighs 420 grains and has a cartridge case base diameter of 0.48 in. To function properly in the box, the spring should fit in a projected area of 1.75 x 0.75 in. The initial spring load should be approximately 4 pounds.

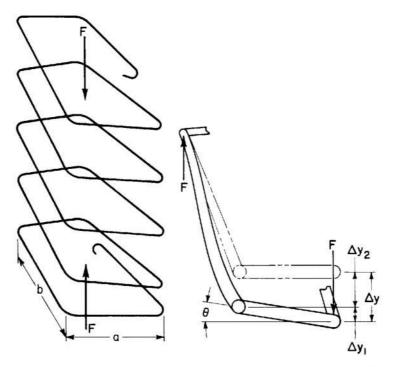


Figure 7-9. Rectangular Coil Spring and Loading Characteristics

# 7-2.1.3.1 Flat Tape Spring

Set the following initial parameters:

 $F_i = 4.0 \text{ lb, initial spring load}$ 

1.75 in., length of each spring segment

N = 14, number of active segments, arbitrary choice but based on previous designs

w = 0.75 in., width of spring

 $\sigma_{\mathbf{w}} = 200,000 \text{ lb/in.}^2$ , working stress of

The spring deflection Eq. 7-3, inside the box caused by the cartridge displacement is

$$y_c = \frac{1}{2} D_c(N+1) = \frac{0.48}{2} (20+1) = 5.04 \text{ in.}$$

where N = 20 rounds.

Assume, as a first estimate, that the deflection on assembly approximates the total cartridge displacement.

 $y_i = 5.0$  in., the initial deflection

According to Eq. 7-8, 
$$K = \frac{F_i}{y_i} = \frac{4.0}{5.0} = 0.8 \text{ lb/in.}$$

Now solving for I in the same equation

$$I = \frac{KNL^3}{12E} = \frac{0.8 \times 14 \times 1.75^3}{12 \times 30 \times 10^6} = \frac{1}{6} \times 10^{-6}$$

Since 
$$I = \frac{1}{12} w t_s^3$$
,  $t_s^3 = \frac{12I}{w} = \frac{8}{3} \times 10^{-6}$ .

Therefore  $t_s = 0.014$  in. the required spring thickness. The bending moment, Eq. 7-5, is

$$M = \frac{1}{2} (FL) = \frac{1}{2} \times 8 \times 1.75 = 7 \text{ lb-in.}$$

where 
$$F = Ky = 0.8 \times 10 = 8 \text{ lb.}$$

The bending stress is

$$\sigma = \frac{Mc}{I} = \frac{7 \times 0.007}{0.1667 \times 10^{-6}} = 294,000 \text{ lb/in.}^2$$

wherec = 
$$\frac{t_s}{2}$$
 in.

This stress is too high. To lower it to acceptable levels, the initial and final loads were reduced to 1.0 and 2.0 pounds, respectively. Subsequent computation produced the following data:

$$K = 0.2 \text{ lb/in.}$$
  
 $t_s = 0.00874 \text{ in.}$   
 $M = 1.75 \text{ lb-in.}$   
 $\sigma = 183.000 \text{ lb/in.}^2$ 

The bending stress is still uncomfortably high which almost rules out this type spring for the above application. However, a time analysis will give additional data. The time will be computed for spring action after the first and next to the last round are removed. If the spring weighs **0.063** lb and the follower **0.044** lb, the equivalent moving mass for 19 rounds, according to Eq.

$$M_e = \left(19 \times 0.06 + 0.044 + \frac{0.063}{3}\right)/386.4$$
  
= 0.003 121b-sec<sup>2</sup>/in.

Substitute the appropriate values in Eq. 7-10 to compute the time for the first round

$$t = \sqrt{\frac{M_e}{eK}} \quad \cos^{-1} \frac{F}{F_i} = \sqrt{\frac{0.00312}{0.5 \times 0.2}} \quad \cos^{-1} \frac{1.952}{2.0}$$
$$= 40.0312 \quad \cos^{-1} 0.976 = 0.1765 \times 0.22$$
$$= 0.039 \quad \sec$$

where E = 0.5, the efficiency of the system.

For the last round

$$M_e = \left(0.06 + 0.044 + \frac{0.063}{3}\right) / 386.4$$
  
= 0.000323 lb-sec<sup>2</sup>/in.

$$t = \sqrt{\frac{0.000323}{0.5 \times 0.2}} \text{ Cos}^{-1} \frac{F}{F_i} = \sqrt{0.00323} \text{ Cos}^{-1} \frac{1.0}{1.048}$$
$$= 0.057 \times 0.301 = 0.0172 \text{ sec}$$

The slower of the two is equivalent to 1500 rounds/min which is more than adequate.

#### 7-2.1.3.2 Rectangular Coil Spring

Set the following initial parameters:

a = 0.75 in., length of short segment

b = 1.75 in., length of long segment

 $F_i = 4.0 \text{ lb}$ , initial spring load

N = 7, number of coils, arbitrary choice but based on previous designs

 $y_c = 5.04$  in., cartridge displacement (see par. 7-2.1.3.1)

 $y_i = 5.0$  in., assembled deflection (see par. 7-2.1.3.1)

$$K = \frac{F_i}{y_i} = \frac{4.0}{5.0} = 0.8 \text{ lb/in.}$$

The total deflection for a full box of cartridges is

$$y = y_c + y_i = 10.04 \text{ in.}$$

The deflection for two adjacent segments of a coil from Eq. 7–19 is

$$\Delta y = \frac{y}{2N} = \frac{10.04}{14} = 0.717 \text{ in.}$$

The angular displacement according to Eq. 7–18 is

$$\sin \theta = \frac{\Delta y}{a+b} = \frac{0.717}{2.5} = 0.2868$$

$$8 = 16^{\circ}40' = 0.291 \text{ rad.}$$

Solve for J in Eq. 7–15.

$$J = \frac{abF}{2G8} = \frac{0.75 \times 1.75 \times 8.032}{2 \times 12 \times 10^6 \times 0.291} = 1.509 \times 10^{-6} \text{ in.}^4$$

where

$$F = Ky = 0.8 \text{ x} \quad 10.04 = 8.032 \text{ lb},$$
  
maximum spring load

$$G = 12 \times 10^6 \text{ lb/in.}^2$$
, torsional modulus of steel

Since J = 
$$\left(\frac{\pi}{32}\right) d^4 = 1.509 \times 10^{-6}$$

$$d^4 = 15.37 \times 10^{-6}$$

$$d = 0.0626 \text{ in., say}, 0.0625 \text{ in.}$$

Then J =  $1.5 \times 10^{-6}$  in.<sup>4</sup> and the maximum spring force  $F_m$  is

$$F_m = \frac{2JG\theta}{ab} = \frac{36 \times 0.291}{1.3125} = 8.0 \text{ lb.}$$

The maximum torque, Eq. 7-12, is

$$T_2 = \frac{1}{2} bF_{\rm m} = \frac{1}{2} (1.75) \quad 8.0 = 7.0 \text{ lb-in.}$$

The torsional shear stress is

$$\tau = \frac{T_2 c}{J} = \frac{7.0 \times 0.03125}{1.5 \times 10^{-6}} = 146,000 \text{ lb/in.}^2$$

where 
$$c = \frac{d}{2} = 0.03125$$
 in.

This stress is acceptable.

If the spring weighs 0.036 lb, and the follower 0.044 lb, the moving mass for 20 rounds, according to Eq. 7–9 is

$$M_e = (19 \times 0.06 + 0.044 + \frac{0.036}{3}) /386.4$$
  
= 0.0031 lb-sec' /in.

For 19 cartridges.

$$y_c = 4.8$$
 in. and  $F_o = (5.0 \pm 4.8) \cdot 0.8 = 7.84$  lb.

The time to move this mass through the space left by the departed projectile is computed by Eq. 7-10.

$$t = \sqrt{\frac{M_e}{\epsilon K}} \cos^{-1} \frac{F_o}{F_m} = \sqrt{\frac{0.0031}{0.5 \times 0.8}} \cos^{-1} \frac{7.84}{8.0}$$

$$= 0.088 \times 0.201 = 0.018 \text{ sec}$$

where E = 0.5, the efficiency of the system.

The time of 18 msec is far less than needed to operate under any existing conditions.

#### 7-2.2 BOLT-OPERATED FEED SYSTEM

The bolt-operated feed system illustrated in Figs. 7-10 and 7-11 represents one of many similar types. The operating features are described by partially isolating each function and then later showing the coordination that exists in the whole system. Fig. 7–10 shows the ammunition belt system including the components directly associated with it. Sketch (A) shows the position of all parts just as the chambered round has been fired. Sketch (B) shows all parts in the same position except that Round 1 and the empty case are partially extracted, and the feed slide has moved to the left with the feed pawl riding on Round 2. Note that if Round 1 had not been extracted from the belt, the pawl arm would ride over this round to lift the feed pawl above Round 2 to preclude engagement between pawl and Round 2. This operation prevents double feeding or jamming. With Round 1 extracted, the feed pawl carried by pawl arm and slide, continues across Round 2 and eventually engages it as shown in Sketch (C). In the meantime the holding pawl prevents the belt from moving backward.

After the slide completes its travel to the left, the extractor pushes Round 1 downward to align it with the chamber and eject the empty case. After this effort, the slide begins its return to the right and since the feed pawl has engaged Round 2, the slide forces the belt to move also. Two positions of the return are shown in Sketches (C) and (D). Round 3 forces the holding pawl downward to permit belt travel. As soon as Round 2 reaches the original position of Round 1 and all other rounds have simultaneously moved up one position, all feed belt activity will stop with all components taking the positions according to Sketch (A).

The feed slide is activated by the feed lever which in turn is activated by the bolt. The lever fulcrum is fitted to the cover of the receiver, one end activates the slide while the other end rides in a cam groove in the bolt's top surface. Each end of the cam is straight and parallel to the longitudinal axis of the bolt in order to permit a short dwell period for the slide at the end of each half cycle. Shifting the emphasis between the upper and lower illustrations of Fig. 7–11 provides the opportunity of outlining the whole loading and firing cycle. Assume that the bolt is in battery and firing is imminent. The upper picture shows, in phantom, Round 1 of Fig. 7–10 (A) ready to be stripped. The extractor lip is in the extractor groove of the cartridge case. At this same time, the

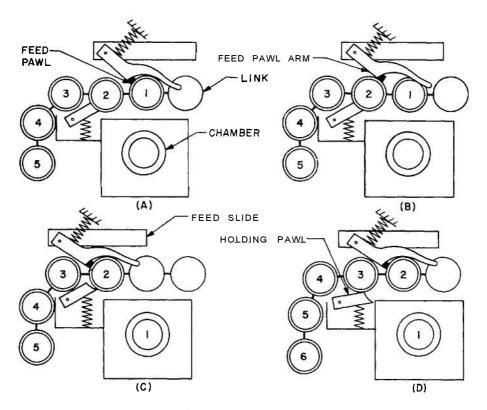


Figure 7-10. Schematic of Feed System, End View

lower picture, in phantom, shows the position of the feed slide and feed lever. None of the components is moving in this stage.

After firing the bolt has recoiled to the position shown in full view in the upper picture. As the bolt travels rearward, the extractor and the T-slot in the face of the bolt strip the round from the link at 1 and extract the empty easy from the chambers at 2. During this time, the bolt feed cam pivots the feed lever counterclockwise to move the feed slide outward, and a cam depresses the extractor to fit the cartridge case base into the T-slot. Also, the unattached link falls free of the belt just as the round is stripped. All of this action has been completed by the time that the rearmost bolt position has been reached. The cutaway of the slide shows the feed pawl in contact with the round it is about to push into the vacated position above the chamber.

The full view of the lower picture shows the bolt shortly after it began to counterrecoil. The cam has continued the downward movement of the extractor to align the live round with the chamber and eject the spent case. The cam on the bolt is now causing the feed lever to pivot clockwise and push the first round into position where the extractor, as the bolt reaches the inbattery position, will be lowered into the extractor groove to complete this cycle.

# 7-23 ROTATING FEED MECHANISM

The rotating feed mechanism operates on the chain-sprocket principle where the chain is represented by the belt of ammunition; the rounds being the rollers. The power that turns the sprockets, or their equivalent, may be derived from recoil or propellant gas operating mechanisms, or from electric motors.

#### 7-2.3.1 Recoil-operated Feed Mechanism

In a recoil-operated mechanism such as shown schematically in Fig. 7–12, the recoil energy is transformed to rotational effort before it reaches the starwheel. Two starwheels are generally used, one engages the cartridge case back of the belt link while

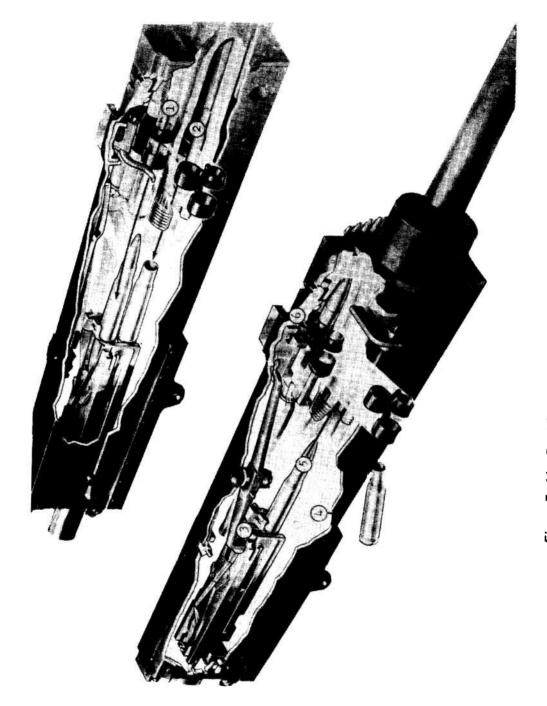


Figure 7-11. Feed System Illustrating Mechanics of Operation

the other engages the projectile just ahead of the rotating band. As the belt and ammunition move with the starwheels, stripper cams wedge between the cartridge case and the clamps of the belt links and pry the links off the case. The freed single end of the link, with its double end still attached to the next round, is guided by the link deflector into the link chute. Freeing the double end releases the link completely from the belt. The detached link falls through the link chute for retrieval or discard. Meanwhile, the link-free round, guided by outer cover and starwheels, continues on its circular path. As it approaches the feed mouth, the round begins to fall away from its cradled position in the starwheels and into the lower contour of the cartridge guides (Fig. 7-12 (B)). The guides complete the path to the feed mouth entrance. Before reaching the mouth, the round contacts the spring-loaded, cartridge holding cams. Forced by the lag tooth of each starwheel, the round pushes the holding cams aside and enters the mouth. As the lag teeth ride over the round, gaps between round and cam surfaces occur to permit the cams to swing back to establish contact between cam surface and round (Fig. 7-12 (B)). The spring loads on the cams force the round downward and simultaneously prevent it from reversing its direction.

The round continues downward until it alights on top of the bolt which is locked in the firing position. It remains in this position until the chambered round is fired and the bolt recoils. The round now moves to the bottom of the mouth where it is retained by a constriction in the mouth. This constriction, or way, is sloped forward at an angle of about three degrees. The round is held in this position by the vertical component of the starwheel force transmitted by the round following. While counterrecoiling, the bolt contacts the lower portion of the cartridge case base and drives the round toward the chamber; the three-degree slope prescribes the desired projectile feed path. As the round clears the ways it is forced downward to become correctly aligned with the bolt. Its former space is now occupied with the next round.

Just prior to entering the feed mouth, the round contacts the lower edge of the spring-loaded cartridge control pawl (Fig. 7–12 (C)). Continued round travel raises the pawl which in turn lifts the holding dog. This action removes the 'obstruction that the normal position of the dog provides and gives free access at the feed mouth entrance to the preceding round. This process is continuous for the entire length of the ammunition belt except for the last round. Because no

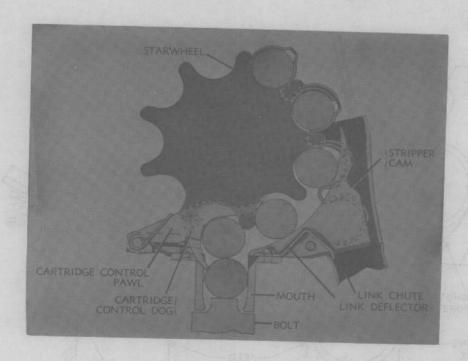
round follows to lift the pawl, the dog remains undisturbed and holds the last round at the mouth entrance, but at a position low enough to clear the starwheel. If the last round should be able to drop to the top of the bolt as the next-to-last round is fired, all positivi: control over it is lost, thereby increasing the probability of jamming. But, since it is held, the counterrecoiling bolt merely closes on an empty chamber. Action resumes when the first round of a new belt reaches the control pawl.

# 7-2.3.2 Electrically Driven Feed Mechanism

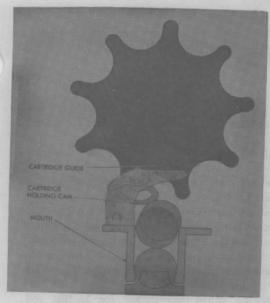
The round and link control of an electrically driven feed mechanism consists of two operating units, the feed wheel unit and the operating lever unit. The feed wheel unit contains two feed wheels, two loading levers, and a bank of three link strippers. The operating lever unit contains two operating levers, two loading guides, and one round retaining finger. The related components between these two units are shown schematically in Fig. 7–13 where the round is used as a common reference. Loading lever and retaining finger are spring loaded; the spring force to the loading lever is transmitted by the operating lever. The retaining finger has its own spring.

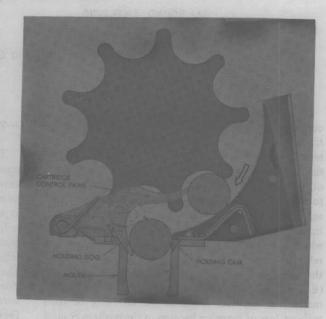
The electric motor turns the feed wheel shaft through a gear and clutch system. The two feed wheels draw the belt of ammunition into the feeder at the stripper location (Fig. 7-14 (A)). The link stripper rotates with the feed wheel shaft and its three segments contact the crimp between the leading double and lagging single end of the link. The prying action of the link stripper force on the link crimp and the stripper cover reaction snaps the double end of the link off the lead round (Fig. 7-14(B)). But the single end of the link is still attached to the lag round. However, continued action of the stripper on, the crimp guides the link into the link chute while the freed round continues on its circular path, guided by the feed wheel and link chute support (Fig. 7–14 (C)). As the ammunition belt continues to advance, the prving action of the chute on the double end, combined with the restriction imposed on the lag round by feed wheel and chute support, releases the single end from the round, permitting the now freed link to fall through the link chute.

The freed round continues along the curved chute support until it reaches the entrance to the feed mouth where it contacts the loading guides on the opposite side of the mouth. These guides form the path for the round as it moves into the mouth. Here the round contacts the loading levers and retaining finger. As the feed wheel



(A) Stripper Cam Action





- (B) Holding Cam Action (C) Holding Dog and Control Pawl Action

Figure 7—12. Recoil-operated Rotating Feed Mechanism

WHEEL

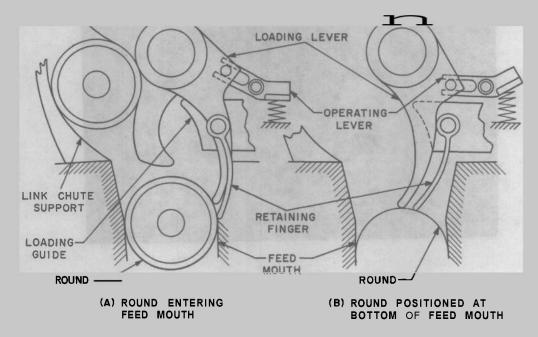


Figure 7-13. Feed Wheel and Operating Lever Units

continues to push the round downward, forces transmitted through the round rotate loading levers and retaining finger outward until the round moves free of the feed wheel. At this stage, being free of the influence of the feed wheel, the loading levers are ready to return to their original position, meanwhile holding the round against the top of the bolt. As soon as the bolt recoils, the loading levers snap the round downward to the ways where it is held in proper alignment by the levers and retaining finger until pushed forward and chambered by the bolt. (This series of events is illustrated in parts (D), (E), (F) of Fig. 7-14.) Unlike the recoil-operated feed mechanism, the last round in the belt may be fired without fear of jamming because of the position control on the round exercised by the loading levers and retaining finger.

While each round is resting on top of the bolt waiting for recoil, the loading mechanism stops. Although these intervals are short, a friction clutch slips a short distance during each interval to prevent the motor from overloading.

#### 7-2.4 LINKLESS FEED SYSTEM

The linkless feed system was developed in order to provide a reliable high speed method of feeding ammunition to a gun without inducing the tremendously high inertia forces that are normally experienced with the conventional link systems. Not only are accelerating forces in the conveyor held to a minimum, but the linkless feed system also provides a large, convenient storage capacity for the ammunition. The major components are the fixed outer drum that stores the ammunition, the rotating inner drum that advances the stored ammunition for loading and feeding purposes, the exit unit that transfers ammunition from drum to conveyor belt, and the conveyor system that carries the loaded ammunition to the gun and carries the spent cases to the entrance unit where these cases are returned to the drum assembly. Two transfer units, at the rear of .ne gun, transfer live and spent ammunition from conveyor belt to gun and later from gun to conveyor belt. There are two general classes of linkless ammunition feed, the double and

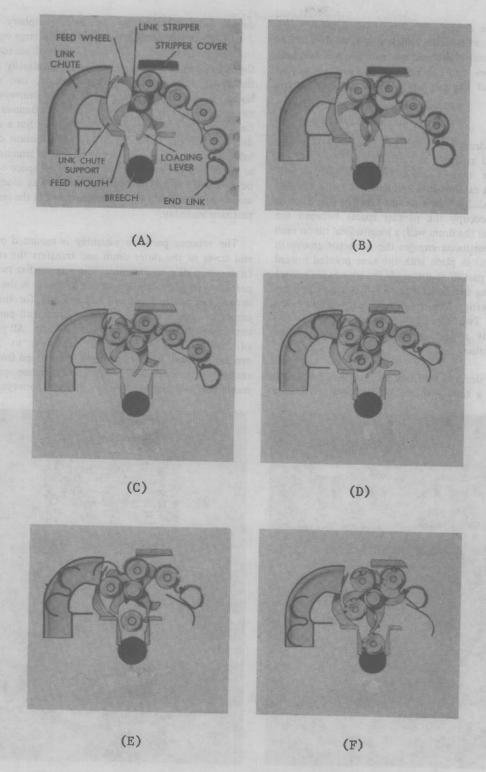


Figure 7-14. Electrically Operated Rotating Feed Mechanism

single end. The double end system has all the features defined above whereas the single end system has only those components that operate with live ammunition; all spent cases and unfired rounds that pass the transfer unit at the gun are dumped from the system by the gun.

The outer drum is a stationary storage compartment that may hold as many as 1200 20 mm rounds. It is a large cylinder that is lined with L-shaped double partitions that extend along the entire drum length and protrude radially toward the axis. Rounds of ammunition occupy the parallel spaces between the partitions. Near the drum wall, a longitudinal rib on each side of the partitions engages the extractor groove to hold the round in place with the nose pointed toward the axis. The partitions also guide the rounds as they are advanced along the drum. Fig. 7–15 is a typical outer drum showing the partition and ammunition arrangement. Two adjacent spaces near the exit and entrance units remain empty at all times to avoid jamming operation.

The inner drum is the rotating member of the two drums. It is a tube with thin sheet metal forming a

CARTRIDGES
STORED IN ROWS
BETWEEN DRUM
PARTITIONS

MOUNTING
BRACKET

DRUM PARTITIONS

TIMING
BLOCK

Figure 7-15. Outer Drum

double helix attached to the outer periphery (Fig. 7–16). The outer periphery of the helix is large enough to engage the ogive of each round. As the drum rotates, the helix advances the ammunition longitudinally along the outer drum. During each revolution, two radial layers of ammunition are carried to the conveyor by virtue of the double helix which assures continuous feed. Each exit and entrance of the double helix has a scoop dise arrangement, which is merely an extension of the helix, to remove or replace a component of ammunition as the scoop passes the respective storage space on the outer drum. A sprocket carries the round along the scoop and deposits it into a compartment in the retainer partition assembly.

The retainer partition assembly is mounted on the pnd cover of the outer drum and transfers the rounds from scoop disc to exit unit. The retainer has two less partitions (n-2) than the number of spaces in the outer drum. The fewer partitions compensate for the two kmpty storage spaces in the outer drum and permit a continuous flow of ammunition to the gun. All gearing of the rotating components is timed to insure synchronization. The ammunition is removed from the retainer partition assembly by another scoop-sprocket mechanism and loaded in the ammunition conveyor.

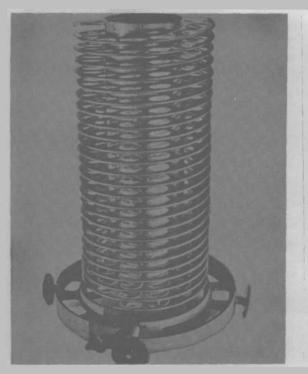


Figure 7-16. Inner Drum Helix

The conveyor is an endless belt made of elements similar to conventional ammunition links. The belt travels in two chutes; the feed chute and the return chute. The former supports and guides the loaded ammunition belt from drum assembly to the gun while the latter supports and guides the empty belt from gun to drum. The chute consist of many links or frames that are hooked together to form a smooth, continuous track which can twist and bend to assume the desired path contours. The chute end frames have snap fasteners for ready attachment to other system components thus providing a good maintenance characteristic.

Each conveyor element is made of two semicircular loops of different size that are held together by a rivet. The larger loop has lugs that engage the extractor groove of the cartridge case. When connected, the smaller loop of one element rests under a tab in the forward part of the larger loop of the adjacent element. Fig. 7–17 shows several elements joined in this manner. One holds a round of ammunition. On the left, a small loop is shown free with its larger counterpart shown on the right. The element does not grip the case tightly and can fully support the round only with aid of the chutes. Once outside the chutes, the rounds or cases are easily lifted from or placed into the elements by the sprockets of the various transfer units. Once the element is relieved of the case, the belt can be easily disconnected or folded over itself. Since the belt is so folded as it passes through the feeder, two elements could part if at least one of them were empty while in the feed chute. Therefore, all elements should be loaded while in the feed chute.

Fig. 7-18 is a schematic of the operating features of a double end linkless feed system. Both conveyor belt and ammunition loop are continuous circuits. The stationary outer drum shows only one row of

ammunition. When the rotating elements turn (in the direction indicated by the heavy arrows) the helix on the inner drum advances the ammunition to the right where the scoop picks up the round as it leaves the helix at A. As the scoop continues toward the next stored row of ammunition, a sprocket in the scoop disc assembly carries the round to the retainer partition assembly where the transfer is made at B. To have an empty partition available for the next round, B must travel faster than A. The round leaves the retainer partition at C, the transfer point to the ammunition exit unit. In the meantime, the retainer partition assembly continues to rotate, but the partitions between C and D are empty and will not receiver any rounds until B passes C. The scoop disc at D, the end of the other helix, is diametrically opposite A. It too is collecting a round from each row of stored ammunition and depositing it into a retainer partition. Since the retainer is moving faster than the scoop, all partitions between D and B will be filled by the scoop at D, just as B passes C. However, because the exit unit at C occupies some space, the flow of ammunition from A to B must be interrupted to avoid jamming the rounds against the exit unit. For this reason, two rows of storage space, accurately indexed ahead of C, will interrupt the flow until the required clearance is achieved. Until pick-up is resumed, empty partitions continue to accumulate beyond C. Proper synchronization by gear trains insure continuous ammunition supply to the conveyor.

If there are n storage rows in the outer drum, then there are n-2 rows of stored ammunition. Since two layers of rounds are removed for each revolution of the inner drum, the total number reaches N=2 (n-2). To retrieve this discharge, the retainer partition assembly must rotate at least twice the speed of the

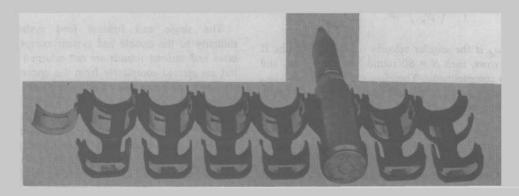


Figure 7-17. Conveyor Elements

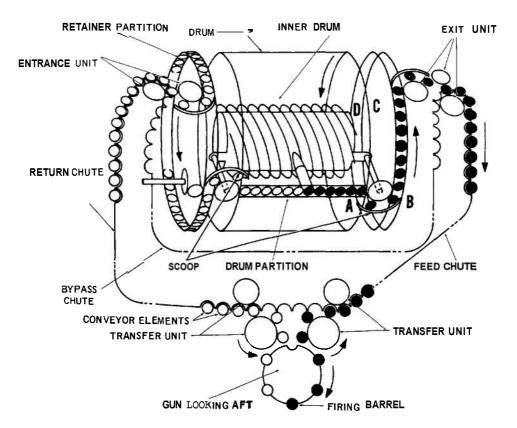


Figure 7-18. Schematic of Linkless Feed System

inner drums. However, while the scoop passes two rows, four empty partitions pass by C. Therefore, for proper indexing, the number of partitions in the retainer  $N_r = n - 4$ . But the retainer must pick up N rounds, hence its angular velocity  $\omega_r$  must be

$$\omega_r = \left(\frac{N}{N_r}\right) \omega_d \tag{7-21}$$

where  $\omega_d$  is the angular velocity of the inner drum. If n = 32 rows, then N = 60 rounds per revolution, and  $N_r = 28$  compartments. Therefore  $\omega_r = (15/7) \omega_d$ , i.e., the retainer partition assembly must rotate 2-1/7 times faster than the drum.

After the ammunition leaves the retainer partition at C, it passes through the exit unit where it is loaded into the elements of the conveyor. The conveyor carries the ammunition through the feed chute to the transfer unit where it is loaded into the gun. After firing, the spent case is returned to the transfer unit and reloaded in the

conveyor which now moves through the return chute and back to the ammunition entrance unit. The entrance unit removes the cases, and the empty conveyor completes its loop to the exit unit. The empty cases now repeat .the same functions as the live rounds but in reverse order, eventually to be stored again in the outer drum

The single end linkless feed system operates similarly to the double end system except that empty cases and unfired rounds are not returned to the drum but are ejected completely from the system. Therefore, the various ammunition handling units are needed only at the exit end of the drum. Fig. 7–19 shows the operation schematically. Since empty cases and unfired rounds no longer need to be reloaded into the conveyor, the transfer unit is simplified to the point where it actually becomes little more than a feeder. The drum is loaded by disconnecting the system at the exit unit and reversing the direction of moving units and ammunition.

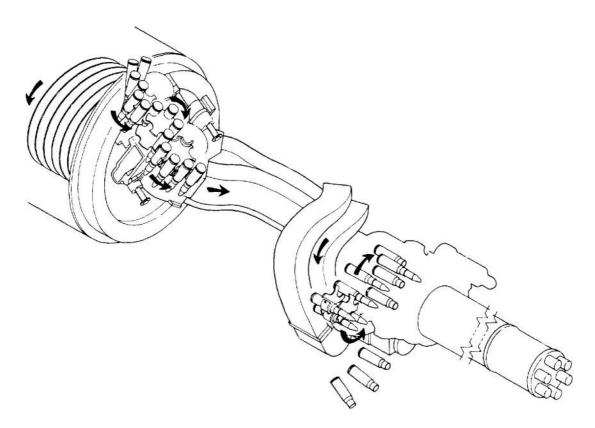


Figure 7-19. Path of Rounds in Single-end System

All linkless feed systems, whether single or double ended, require continuous external power. Also the feeder must be declutched or disengaged from the gun to provide gun clearing after each burst or single shot to prevent "cook-off".

# 7-2.4.1 Power Required

The power required to operate a linkless feed system includes the power to accelerate the ammunition and all moving components, and that needed to overcome the frictional resistance to all motion. Velocities and accelerations vary from component to component of the feed system; therefore, to maintain a reasonable perspective of the action in each component, the velocity and acceleration of each component is given in terms of its counterpart in the gun. The action throughout the system may be demonstated more clearly by realizing that each time a new round is accepted by the gun: (1) the rounds in each component advance through the respective spaces between rounds, and (2) that the acceleration and velocity for any given component will vary as the linear distance between the

rounds. The schematic of Fig. 7–18 illustrates and identifies the components.

The following symbols will be used in the equation for computing the power required to drive a linkless feed system:

a = general term for linear acceleration

F = general term for force

I = general term for the mass moment of inertia

P = general term for power

p = general term for space between rounds
 (pitch)

N = number of rounds or elements, loaded or empty in each component

R = general term for radius; gun axis to chamber center

T = general term for torque

general term for linear velocity

general term for angular acceleration

 $\phi$  = double helix drive angle

 $\omega$  = general term for angular velocity

The following subscripts refer to the specific component of the terms just defined:

c = chute; feed, bipass, or return

d = drum. inner

e = exit or entrance unit

r = retainer partition

t = transfer unit

The peripheral acceleration and velocity at the chamber axis are

$$a = \alpha R \tag{7-22}$$

$$v = \omega R \,. \tag{7-23}$$

The corresponding accelerations and velocities of the rounds in the other components of the feed system will vary according to the ratio of the pitches. In the transfer unit

$$a_t = a\left(\frac{p_t}{p}\right) \tag{7-24}$$

$$v_t = v\left(\frac{p_t}{p}\right). \tag{7-25}$$

In any of the chutes

$$= a_r \left( \frac{p_c}{p_r} \right) = a \left( \frac{p_c}{p} \right) \tag{7-26}$$

$$v_c = v_t \left( \frac{p_c}{p_t} \right) = v \left( \frac{p_c}{p} \right). \tag{7-27}$$

In the ammunition entrance and exit units

$$a_e = a_c \left(\frac{p_e}{p_c}\right) = a\left(\frac{p_e}{p}\right) \tag{7-28}$$

$$\nu_e = \nu_c \left( \frac{p_e}{p_c} \right) = \nu \left( \frac{p_e}{p} \right). \tag{7-29}$$

In the retainer partition assembly

$$a_r = a_e \left(\frac{p_r}{p_e}\right) = a \left(\frac{p_r}{p}\right) \tag{7-30}$$

$$v_r = v_e \left( \frac{p_r}{p_e} \right) = v \left( \frac{p_r}{p} \right) . \tag{7-31}$$

If the storage drum has N storage spaces of which two are empty, and the retainer has N-4 partitions, the ratio of the kinematics of retainer partition to inner

$$\rho_d = \frac{2(N-2)}{N-4} \cdot (7-32)$$

provided that the inner drum has a double helix drive. If  $\phi$  is the angle of the double helix drive and  $p_d$  is the pitch, the slope of the helix is

$$\tan \phi = p_d/2\pi R_d . \qquad (7-33)$$

To express the axial acceleration and velocity along the outer drum spaces in terms of their retainer counterparts, the ratio of the radii of inner drum and retainer must also be included. The axial acceleration and velocity of the stored rounds are

$$a_r = \frac{a_r}{p_d} \left( \frac{R_d}{R_r} \right) \tan \phi \tag{7-34}$$

$$v_a = \frac{v_r}{p_d} \left(\frac{R_d}{R_r}\right) \tan \phi \qquad (7-35)$$

Eqs. 7-22 through 7-35 contain the information  $v_c = v_t \left(\frac{p_c}{p_+}\right) = v \left(\frac{p_c}{p_-}\right)$ . Eqs. 7-22 through 7-35 contain the information needed to compute the power required to overcome the resistance of friction and inertia. The axial force  $F_a$  on the helix that will drive the rounds contained in the outer drum is

$$F_a = N_d W_a \left( \frac{a_a}{g} + \mu \right) \tag{7-36}$$

where

q = acceleration of gravity

 $N_d$  = total rounds in outer drum

 $W_a$  = weight of each round

 $\mu$  = coefficient of friction

The corresponding power required is

$$P_a = F_a v_a. \tag{7-37}$$

The torque required to turn the inner drum and overcome the sliding friction on the helix is

$$T_d = I_d \alpha_d + \mu F_a R_d \tag{7-38}$$

where  $\alpha_d = \frac{a_a}{R_1 \tan \phi}$ . The expression for power is

$$P_d = T_d \omega_d = T_d \left( \frac{v_a}{R_d \tan \phi} \right). \tag{7-39}$$

The torque required to turn the retainer partition will also include that necessary to turn the ammunition in half the partitions since this number of rounds is never exceeded.

$$T_r = I_r \alpha_r + N_r \left(\frac{W_a}{g}\right) a_r R \tag{7-40}$$

where

 $R_a$  = radius to the CG of the round

$$\alpha_r = a_r/R_r$$

The corresponding power is

$$P_r = T_r \omega_r = T_r \left(\frac{v_r}{R_r}\right) \tag{7-41}$$

Similar equations are used, where applicable, for the other components. In the ammunition entrance and exit units the force is

$$F_e = N_e \left(\frac{W_u}{g}\right) a_e \tag{7-42}$$

where  $W_u = W_e + W_a$  or  $W_e + W_a$ , for exit and entrance units, respectively.

$$T_e = I_e \alpha_e = I_e \left(\frac{a_e}{R_e}\right) \tag{7-43}$$

$$P_e = F_e v_e + T_e \left(\frac{v_e}{R_e}\right) \tag{7-44}$$

In the chutes

$$F_c = N_c W_c \left( \frac{a_c}{g} + \mu \right) \tag{7-45}$$

$$P_c = F_c v_c$$

Observe that  $N_c$  and W, represent the number and weight of round and conveyor element for the feed chute, the number and weight of only the empty cartridge case and conveyor element for the return chute, and the number and weight of the element above for the bypass chute. In the transfer unit

$$F_t = N_t \left(\frac{W_t}{g}\right) a_t \tag{7-46}$$

where W, may be  $W_a$  or  $W_{cc}$ , depending on whether the round is entering or the case emerging from the gun.

$$T_t = I_t \left(\frac{a_t}{R_t}\right) \tag{7-47}$$

$$P_t = F_t v_t + T_t \left(\frac{v_t}{R_t}\right) \tag{7-48}$$

#### 7-2.4.2 Example Problem for Power Required

Compute the power required for a double end linkless feed system having the following design data:

$$I_d = 9.32 \, \text{lb-in.-sec}^2$$

$$I_{\rho} = 0.032 \, \text{lb-in.-sec}^2$$

$$I_r = 2.54 \text{ lb-in.-sec}^2$$

$$I_t = 0.095 \text{ lb-in.-sec}^2$$

N = 32 partitions

$$N_c = 45 \text{ feed}$$
; 35 bypass; 25 return

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$$N_d = 1200 \text{ rounds}$$

$$N_e = 3 \text{ rounds}; 3 \text{ cases}$$

$$N_t = 2 \text{ rounds}$$
; 2 cases

$$p = 2.77 in.$$

$$p_c = 1.62 \text{ in.}$$

$$p_d = 2.54 \text{ in.}$$

$$p_e = 2.09 \text{ in.}$$

$$p_r = 2.24 \text{ in.}$$

$$p_t = 2.09 \text{ in.}$$

$$R = 2.643 \text{ in.}$$

$$R_{a} = 6.0 \text{ in.}$$

$$R_d = 7.0 \text{ in.}$$

$$R_{\rho} = 2.0 \text{ in.}$$

$$R_{r} = 10.0 \text{ in.}$$

$$R_t = 2.0 \text{ in.}$$

$$W_a = 0.57$$
 lb, weight of round

$$W_{cc} = 0.25$$
 lb, weight of case

$$W_e = 0.12 \text{ lb}$$
, weight of element

$$\mu = 0.22$$
, coefficient of friction

All data computed from Eqs. 7–22 through 7–48 are put in terms of the gun kinematics.

$$a_t = \left(\frac{2.09}{2.77}\right)$$
 a = 0.755 a  $v_t = 0.755 v$ 

$$a_c = \left(\frac{1.62}{2.77}\right)$$
 a = 0.585 a  $v_c = 0.585 v$ 

a, = 
$$\left(\frac{2.09}{2.77}\right)$$
 a = 0.755 a  $v_e = 0.755 v$ 

a, = 
$$\left(\frac{2.24}{2.77}\right)$$
 a = 0.809 a  $v_r = 0.809 v$ 

$$\rho_d = \frac{2(32-2)}{32-4} = \frac{60}{28} = 2.143$$

$$\tan \phi = \frac{2.54}{14\pi} - 0.05775$$

$$a_a = \left(\frac{0.809a}{2.143}\right) \left(\frac{7}{10}\right) 0.05775$$

= 
$$0.0153 \text{ a, in./sec}^2$$
;  $\nu_a = 0.0153 \nu$ , in./sec

$$= N_d W_a \left( \frac{a_a}{g} + \mu \right)$$

= 
$$1200 \times 0.57 (0.0000396 a \pm 0.22)$$

$$P_a = F_a v_a = (2.302 + 0.00041 \text{ a}) \text{ v, in.-lb/sec}$$

$$I_d = I_d \alpha_d + I_d R_d = 9.32 \left( \frac{0.0153 \, a}{0.404} \right)$$

$$\mathbf{t} \ 0.22 \ (150.48 + 0.027 \, a) \ 7.0 = 0.3530 \, a$$

$$\pm 231.7 \pm 0.0416a = 231.7 \pm 0.3946a$$
, lb-in.

$$P_d = T_d \omega_d = (231.7 + 0.3946a) \begin{pmatrix} 0.0153 v \\ 0.404 v \end{pmatrix}$$

= 
$$(8.775 \pm 0.01494 a) \nu$$
, in.-lb/sec

$$T_r = 2.54 \left( \frac{9.809 \, a}{10.0} \right) + 14 \left( \frac{0.57}{386.4} \right) \left( 0.809 \, a \right) 6.0$$

$$= (0.2055 \pm 0.1002) a = 0.3057 a$$
, lb-in.

$$N_r = \frac{1}{2} \text{ (N- 4)} = 14$$

$$R_{r} = 10.0 \text{ in.}$$

$$P_r = T_r \left(\frac{v_r}{R_r}\right) = \left(0.3057 \, a\right) \left(\frac{0.809 \, v}{10.0}\right)$$

- 0.02473 av, in.-lb/sec

The combined data in the entrance and exit units according to Eqs. 7–42, 7–43, and 7–44 are

$$F_e = N_e \left(\frac{\Sigma W_u}{g}\right)$$
 a,  $= \frac{3(0.37 + 0.69)}{386.4}$  0.755 a = 0.00621 a, lb

where  $\Sigma W_u = (W_e + W_{cc}) + (W_e + W_c) = (0.37 + 0.69)$ .

$$T_e = 2I_e \left(\frac{a_e}{R_e}\right) = 2 \times 0.032 \times 0.755 \, a/2.0 = 0.024160 \, a, \text{ lb-in.}$$
 
$$P_e = F_e v_e + T_e \left(\frac{v_e}{R_e}\right) = 0.00621 \, a \times 0.755 \, v + 0.02416 \, a \times 0.755 \, v/2.0 = 0.00469 \, av + 0.00912 \, av = 0.01381 \, av, \text{in.-lb/sec.}$$

The accumulated data in the chutes according to Eqs. 7-45 and 7-46 are

$$F_c = \left[ N_f(W_a + W_e) + N_p W_e + N_r(W_{cc} + W_e) \right] \left( \frac{a_c}{g} + \mu \right)$$

$$= (45 \times 0.69 + 35 \times 0.12 + 25 \times 0.37) \left( \frac{0.585 \, a}{386.4} + 0.22 \right)$$

$$= 9.79 + 0.06737 \, a, \, \text{lb}$$

where 
$$N_f = N_c = 45$$
;  $N_p = N_c = 35$ ;  $N_r = N_c = 25$ .

$$P_c = F_c v_c = 0.585 v F_c = (5.727 \pm 0.03941 a)v$$
, in.-lb/sec

The accumulated data in the transfer unit are computed according to Eqs. 7-44, 7-45, and 7-46.

$$\begin{split} F_t &= N_t (W_a + W_{cc}) a_t / g = 2(0.57 + 0.25) 0.755 a / 386.4 = 0.0032 a, \text{ lb} \\ T_t &= I_t \left( \frac{a_t}{R_t} \right) = 0.095 \times 0.755 a / 2.0 = 0.03586 a, \text{ lb-in.} \\ P_t &= F_t v_t + T_t \left( \frac{v_t}{R_t} \right) = 0.0032 a \times 0.755 v + 0.03586 a \left( \frac{0.755 v}{2.0} \right) = 0.00242 a v \\ &+ 0.01353 a v = 0.01595 a v, \text{ in.-lb/sec.} \end{split}$$

The total power required to drive the linkless feed system is

$$\begin{split} P_f &= P_a + P_d + P_r + P_e + P_c + P_t = (2.302 + 0.00041a)\nu + (8.775 + 0.01494a)\nu \\ &+ 0.02473a\nu + 0.01381a\nu + (5.727 + 0.03941a)\nu + 0.01595a\nu \\ &= 16.804\nu + 0.1093a\nu = P_\nu + P_{a\nu}, \text{in.-lb/sec} \end{split}$$

The power will be computed for several increments i taken from the tabulated values of Table 6-4, the Gun Operating Power computations. From Eqs. 7-22 and 7-23, the linear acceleration and velocity are

$$a = 2.643\alpha$$

$$v = 2.643\omega$$

The computed data are listed in Table 7-1. The two components of the total power are

$$P_{\nu} = 16.804\nu$$

$$P_{av} = 0.1093av$$

# 7-3 EXTRACTORS, EJECTORS, AND BOLT LOCKS

#### 7-3.1 EXTRACTORS

Extractors are machined components that pull the cartridge case from the chamber as the bolt recoils. Assembled near the breech face of the bolt, they are generally spring loaded to tilt toward the longitudinal axis of the bolt and thus direct a continuous clamping effort on the cartridge case. This clamping effort is sometimes supplemented by the restraining wall of the receiver or by the induced moment of the axial forces needed for extraction. The source of whatever effort is applied is determined by the type extractor.

Four types of extractor are shown in Fig. 7-20. Of these, (A) and (C) are similar insofar as spring installation is concerned but differ with respect to method of transmitting the tipping action. (A) is the extractor used in the 7.62 mm, M60 Machine Gun. The helical compression spring provides the clamping effort. The plunger transmits the spring force to the outer portion of the extractor while the bolt offers the reaction on the inner portion. Contact between extractor and bolt is effected by a boss on the extractor which rests in a recess in the bolt. The front surface of the boss is conical and is matched by its female counterpart. Tipping action uses this location as the fulcrum.

Springs must be reasonably stiff so that an appreciable effort is demanded to release the case rim. For instance, the nominal spring load is  $F_s = 15$  lb on the extractor, (M60 Machine Gun). The horizontal reaction  $H_s$  (Fig. 7–21 (A)) has the same value but since it is on a slope of  $20^{\circ}$  40', it has a vertical component.

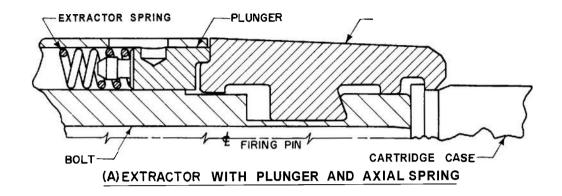
$$V_s = H_s \tan 20^{\circ} 40' = 15 \times 0.377 = 5.65 \text{ lb}$$

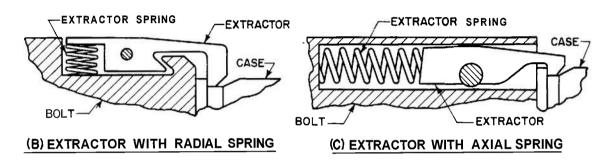
The vertical reactions on the pads at A and B (Fig. 7–21 (A)) do not contribute to the solution of  $F_e$  for the reaction at B gradually disappears as  $F_e$  increases to the value that displaces the extractor outward. The value

TABLE 7-1. POWER REQUIRED FOR LINKLESS BELT FEED SYSTEM

	α,	ω,	a,	ν,	$P_{\nu}$ ,	$P_{av}$ ,	$P_f$ ,	
	rad/sec <sup>2</sup>	rad/sec	in./sec <sup>2</sup>	in./sec	inlb/sec	inlb/sec	inlb/sec	H₽
44	200.0	34.72	528.6	91.8	1543	5304	6847	1.04
58	173.6	39.07	458.8	103.3	1737	5180	6917	1.05
60	164.6	40.41	435.0	106.8	1795	5078	6873	1.04
73	144.8	43.12	382.7	114.0	1916	4768	6684	1.01
88	118.2	46.20	312.4	122.1	2052	4169	6221	0.94
100	98.7	48.07	260.9	127.0	2134	3622	5756	0.87
120	62.1	50,66	164.1	133.9	2250	2402	4652	0.70
130	51.0	51.21	134.8	135.3	2274	1993	4267	0.65
140	34.3	51.84	90.6	137.0	2302	1357	3659	0.55
150	16.1	52.25	42.6	138.1	2321	643	2964	0.45
162	1.9	52.36	5.0	138.4	2326	76	2402	0.36

Since the maximum power required to operate the gun is 14.4 HP., at increment i = 58 (see Table 6-4) the total power for gun and feed system totals 15.45 HP.





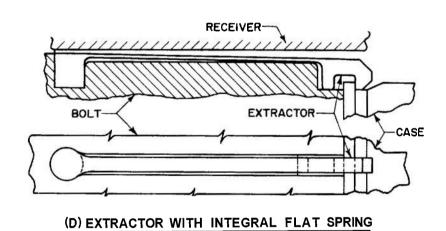
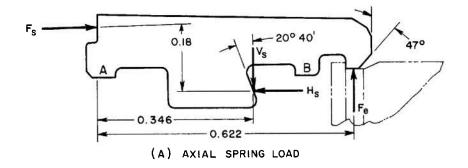
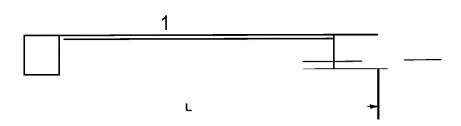


Figure 7-20. Extractors





of  $F_e$ , the maximum extractor load to clear the cartridge case, is found by balancing moments about A.

$$F_e = \frac{0.18F_s + 0.346V_s}{0.622} = \frac{2.70 + 1.96}{0.622} = 7.5 \text{ lb.}$$

If the outer slope of the lip is 8, the horizontal force on the extractor that will tilt it is

$$F_c = F_e \tan \theta$$

 $F_c$  represents the force that the new round must exert on the extractor for proper engagement during loading. In the present example  $8 = 47^{\circ}$ , therefore,

$$F_c = 7.5 \times 1.072 = 8.04$$
lb.

The other extractors in Fig. 7-20 behave similarly except for (D), the integral flat spring type. Its initial force on the cartridge case base should be such that the spring is just free of contact with the bolt. The maximum outward force will be the force needed to snap the extractor far enough outward to clear the case rim.

The sample problem involves the extractor shown in Fig. 7-21 (B). Assume the maximum load to clear the case  $F_e$  = 7.5 lb, the same as in the earlier example, and the corresponding load when the case is scated,  $F_{es}$  = 5 lb. All design data are known except for spring thickness.

L = 1.8 in., spring length

 $L_{\rho} = 0.2$  in., extractor length

 $E = 29 \times 10^6 \text{ lb/in.}^2$ , modulus of elasticity of steel

 $\Delta y = 0.032$  in , outward displacement needed to clear rim

b = 0.4 in , spring width

The spring functions as a cantilever. Far components of deflection are involved, the linear and angular deflections, both due to shear and end moment. The total deflection is

$$y = y_e + y_m + L_e \theta_e + L_e \theta_m = \left(\frac{2.66 F_e}{EI}\right)$$

where

$$y_e = \frac{F_e L^3}{3EI} = \frac{5.832 F_e}{3EI}$$
$$= \frac{1.944 F_e}{EI} \text{ , shear deflection}$$

$$y_m \equiv \frac{L_e F_e L^2}{2EI} = \frac{0.2 \text{ x } 3.24 F_e}{2EI}$$
$$= \frac{0.324 F_e}{EI} \text{, moment deflection}$$

$$\theta_e = \frac{F_e L^2}{2EI} = \frac{3.24 F_e}{2EI}$$
$$= \frac{1.62 F_e}{EI} \text{ ,angular shear deflection}$$

$$\theta_m = \frac{M_e L}{EI} = \frac{0.2 \times 1.8 F_e}{EI}$$
 
$$= \frac{0.36 F_e}{EI}$$
 , angular moment deflection

The differential deflection from  $F_{es}$  to  $F_{e}$ 

$$\Delta y = y_1 - y_2 = \frac{2.66}{EI} (F_e - F_{es})$$

$$- \frac{2.66}{29 \times 10^6 I} (7.5 - 5.0) = 0.032 \text{ in}$$

$$I = 7.16 \times 10^{-6} \text{ in.}^4$$

But 
$$I = \frac{1}{12} \left( bt_s^3 \right)$$
, therefore

 $t_{\rm s} = 0.06$  in., required spring thickness

# 7-3.2 EJECTORS

Ejectors are simple mechanisms that force the cartridge case from the receiver. They usually are spring-operated but may derive their energy from other sources such as small quantities of the propellant gas. There are perhaps as many kinds of ejectors as there are

of their immediate associates, the extractors. Ejectors may be assembled either in the bolt or they may be attached to the receiver. Fig. 7–22 shows four types of ejectors, three are housed in the bolt, one in the chamber; Fig. 7–22 (A) is like that in the 7.62 mm, M60 Machine Gun. The spring force, via the ejector, is always applied to the edge of the cartridge case base. As soon as all radial restraint is removed diametrically opposite, the ejector will flip out the case. The off-center spring force accelerates the case angularly as well as linearly. However, the recoiling velocity at the time will compensate to some degree the forward velocity derived from the spring.

# 7-3.2.1 Ejector Dynamics

Because of its mass relative to the masses of ejector and cartridge case, the spring must be considered in the dynamics of the ejection mechanism. One-third of the spring mass—when included in the expressions for energy, velocity, and time—will yield approximate but sufficiently accurate results. The equivalent mass of the whole unit is

$$M_e = \frac{1}{3} M_s + M_{ej} + \left(\frac{k^2 + \bar{r}^2}{\bar{r}^2}\right) M_{cc}$$
 (7-49)

where  $M_{cc}$  = mass of the case

 $M_{ei}$  = mass of the ejector

 $M_s$  = mass of the spring

k = radius of gyration of the case about its

 $\overline{r}$  = distance from tipping point on rim to CG of case

The equivalent mass of the case involves its mass moment of inertia since it is rotating. Fig. 7–23 shows a diagram of the pertinent dimensions. The equivalent mass may now be used in the appropriate formulas to determine the dynamics, Eq. 2–27 for the time, and the conventional equations for energy and velocity.

#### 7-3.2.2 Sample Problem of Ejector Dynamics

The sample problem illustrating the ejector dynamics involves a cal .30 cartridge case. The known data together with the diagram in Fig. 7–23 provide the needed information

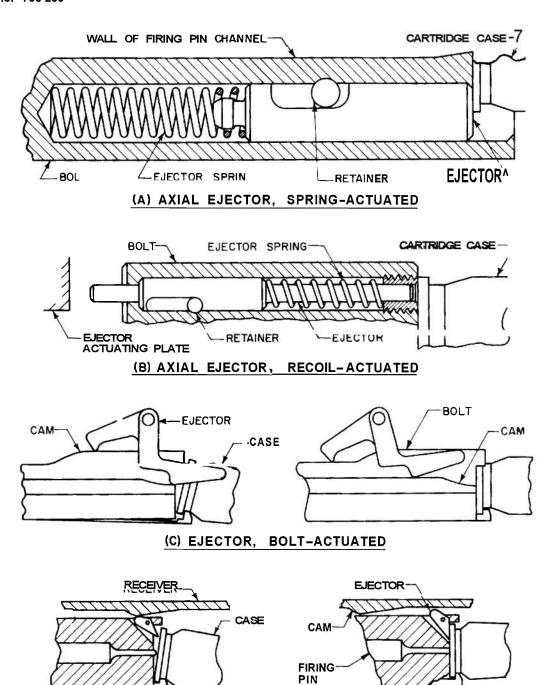


Figure 7-22. Ejectors

(D) EJECTOR, RECEIVER-ACTUATED

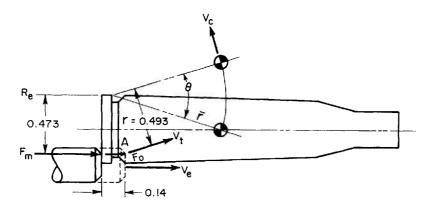


Figure 7-23. Ejector Loading Diagram

 $F_o = 14.5 \, \text{lb}$ , minimum spring force

 $F_m = 24.0$ , maximum spring force

k = 0.794 in, radius of gyration of case about its CG

K = 68 lb/in., spring constant

 $\overline{r}$  = 1.1 in., distance from tipping point on rim to CG of case

 $W_{cc} = 0.0293$  lb, weight of case

 $W_{ei} = 0.0492$  lb, weight of ejector

 $W_s = 0.0039$  lb, weight of spring

 $\Delta y = 0.14$  in, spring deflection during ejector operation

From **Eq.** 7-49,

$$M_e = \frac{1}{g} \left( \frac{1}{3} W_s + W_{ej} + \frac{k^2 + \bar{r}^2}{\bar{r}^2} W_{cc} \right)$$

$$= \frac{1}{386.4} \left[ 0.0013 + 0.0492 + \left( \frac{0.63 + 1.21}{1.21} \right) 0.0293 \right]$$

 $= 2.46 \times 10^{-4} \text{ lb-sec}^2/\text{in}.$ 

To find the time of case ejection, apply **Eq.** 2–27 and then assume that the spring is 90% effective

$$t_e = \sqrt{\frac{M_e}{\epsilon K}} \cos^{-1} \frac{F_o}{F_m} = \sqrt{\frac{2.46 \times 10^{-4}}{0.9 \times 68}} \cos^{-1} \frac{14.5}{24}$$

= 
$$2.005 \times 10^{-3} \text{ Cos}^{-1} 0.604 = 0.002005 \left(\frac{52.8}{57.3}\right)$$

= 0.00184 sec.

The velocity of the ejector at this time is found from the expressions for kinetic energy and the work done by the spring by resorting to the appropriate portions of Eq. 2-24 and solving for the velocity.

$$v_e = \sqrt{\frac{\epsilon(F_o + F_m) \, \Delta y}{M_e}} = \sqrt{\frac{0.9 \times 38.5 \times 0.14}{2.46 \times 10^{-4}}}$$

$$= 140 \,\text{in./sec}$$

During this time, with the extractor as the center of rotation, the case has traveled through the angle 8 (Fig. 7–23). The last point of contact between base of case and ejector is shown at **A**. The tangential velocity at this point, since the case is still rotating, is the component of  $\nu_e$  that is perpendicular to the turning radius r.

$$v_t = v_e \cos 8 = 140 \times 0.959 = 134.3 \text{ in./sec}$$

where 8 = Tan-' 
$$\frac{0.14}{0.473}$$
 = Tan-' 0.296 = 16'30'.

The corresponding angular velocity is

$$a = \frac{v_t}{r} - \frac{134.3}{0.493}$$
 273  $\bar{r}$  ad/sec.

If the case comes free of the extractor at this instant, the tangential velocity  $\nu_c$  becomes the linear ejected velocity.

$$v_c = \omega \bar{r} = 273 \times 1.1 = 300 \text{ in./sec}$$

This velocity is one of two components and is directed in a 16.5" angle forward. Chances are that the case will not become detached from the extractor simultaneously with the ejector, consequently the case path will be even less than 16.5". Regardless of the extractor behavior, the other velocity component, recoil velocity at the time of release may have the influence to direct the ejected case rearward.

The other three ejectors depend on the velocity of recoil for their effectiveness. The ejector in Fig. 7-22 (B) becomes active near the end of the bolt recoil. Recoil velocity here is relatively slow, therefore, this type may not operate quickly enough for fast firing guns. The remaining two, Figs. 7-22(C) and 7-22(D), can be activated at any position along the recoil stroke. These two ejectors are cam-operated and the ejection speed is dependent on bolt recoil speed and cam angle. With the cam rise being as abrupt as can be tolerated, the maximum ejection speed becomes available immediately after the cartridge case clears the chamber where useful bolt recoil velocity is highest. But ejection may be delayed because those components assembled near the breech present structural difficulties that prohibit the size opening needed for the ejection port. Many other types of ejectors have been successful but almost all depend on recoil energy directly for ejection effort or indirectly by storing latent energy in springs to be released when appropriate for ejection. Some type machine guns are particularly adaptable to incorporate an ejection effort derived directly from the propellant gas. One such gun is the revolver-type whose case can remain in the chamber and then be blown out by the next round fired. The details of this type ejection appears elsewhere in the text with the discussion on the revolver-type machine gun.

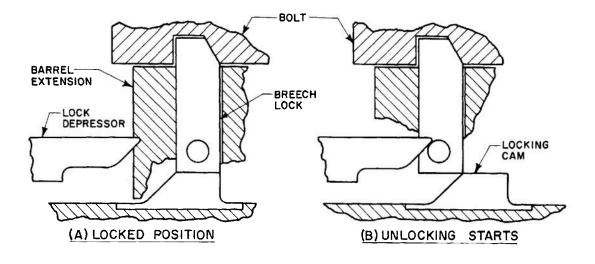
#### 7-3.3 BOLT LOCKS

The bolt is held tightly against the base of the cartridge case during firing. Lugs or some similar type of

projection bear against a cammed surface on the receiver, thereby locking it in position to provide the resistance to the rearward thrust of the propellant gas pressure. Some locking devices need not be integral with the bolt. One such is the breech lock shown in Fig. 7–24. This type, used on the M2 Cal .50 Machine Gun, has a breech lock that rises and falls in response to the action of one of two cams. Four positions of bolt and lock are illustrated. In the locked position, just before the round is fired, driving and buffer springs hold the bolt and recoiling parts in battery, with the breech lock holding them together and maintaining this state during the first part of the recoil stroke. Thus, all recoiling parts move as a unit until the lock pin, serving as a cam follower, contacts the depressor. By this time the projectile has emerged from the muzzle and gas pressures have dropped to safe levels for case extraction. When the pin first contacts the cammed surface of the depressor, it has already cleared the locking cam to permit a free downward unlocking movement which is effected by the depressor as the recoiling parts continue rearward. As soon as the lock exits from the bolt recess (Fig. 7–24 (C)), the now unattached bolt is accelerated rearward while the rest of the recoiling parts are stopped by the buffer and held in the fully recoiled position until the returning bolt releases them to reverse the activity. Shortly before reaching battery, the lock pin rides upward on the locking cam and enters the bolt recess to repeat its locking function.

Fig. 4-3 represents a bolt having integral locking lugs near its breech face. Locking and unlocking actions involve bolt rotation which is controlled by a cam cut into the wall of the bolt. The M60 7.62 mm Machine Gun has this type locking device. Bolt activity obtains all needed energy from the gas operating cylinder; the cam actuator, or follower, serving as the rigid link between operating rod and bolt. The actuator, moving rearward, rotates the bolt to unlock it according to the dictates of the cam. When the bolt is unlocked, the actuator forces it open by continued rearward motion. Bolt opening, and therefore case extraction, is delayed until propellant gas pressure drops to a safe level. Delay is controlled by: the location of the gas port along the barrel; the time needed to fill the gas chamber of the operating cylinder; and the time consumed for unlocking the bolt.

Locking action occurs during counterrecoil of the bolt. The driving spring forces the operating rod forward carrying the cam actuator and bolt with it. The locking lugs, riding in guides, prevent rotation while the concave recess at the beginning of the cam surface offers a



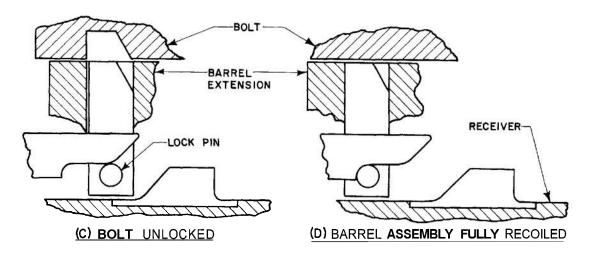


Figure 7-24. Sliding Breech Lock

convenient force transferring area. Somewhere along its return stroke, the bolt picks up a new round. Just as the cartridge case seats: the locking lugs leave the confines of the guides; angular restraint disappears; and the cam actuator, no longer restrained, leaves the recess to continue forward along the cam surface. Since the cam is forced to follow the path of the cam actuator, the bolt rotates into locked position to complete the cycle.

Several variations of the above lug type of bolt lock exist. Two such are the multiple lug lock and the interrupted thread lock. Both are adaptable to either gas- or recoil-operated machine guns. If recoil-operated, the receiver has a sleeve to perform the female function of the lock. As the gun recoils, a cam follower, integral with the sleeve, rotates it to free the lugs or interrupted threads on the bolt which then recoils by itself. The peripheral width of each lug or the length of each thread segment determines the angular distance through which the sleeve must turn to unlock the bolt. On gas-operated machine guns, the bolt is more apt to be the rotating element since the bolt, already actuated by the operating rod of the gas cylinder for linear motion, may just as readily be actuated by the rod for the angular motion of

unlocking. Actually, no set format applies to the unlocking method for any particular type gun. Design expediency usually controls the choice.

Another type of bolt lock that resorts to rotation, but in this case a tipping action, operates in the manner shown in Fig. 7–25. Rather than rotate in a vertical plane perpendicular to the bore axis, this one tips in a vertical plane along the bore axis. Locking and unlocking are readily accomplished by the action of the operating rod in a gas-operated gun. Locked in position when the round is fired, the bolt remains in this state until propellant gases in the operating cylinder force the rod and carrier rearward. This rearward action causes the unlocking link to rotate forward and pull the locking lug from its notch in the receiver.

### 7-4 FIRING MECHANISM

### 7-4.1 COMPONENTS, TYPES, AND ACTION

The firing mechanism is a linkage that releases the firing pin or its equivalent to initiate firing. It has several components including trigger, sear, hammer, firing pin, cocking device, locking device, and safety. Each may be a separate component or may be integral with another. For instance, the trigger may also provide the sear and cocking facility as in some revolvers or pistols. However, in machine guns, the sear is generally a separate link. It engages the sear notch on the hammer, firing pin, or bolt or some appendage attached rigidly to one of those components. Cocking devices are arrangements that arm the firing mechanism by retracting the pertinent

components to the position where the sear engages the sear notch to be held until triggered. Loading devices are mostly spring installations that provide the impetus to the firing pin. Safeties are machine elements that lock trigger, sear, or hammer to preclude inadvertent firing. A safety which locks the sear or hammer is more positive than one which locks only the trigger and is to be preferred. Fig. 7–26, 7–27, and 7–28 shown three types of firing mechanism.

Fig. 7–26 shows a firing mechanism similar to that of the M2, Cal SO Machine Gun. Three positions are represented: in battery, start of recoil, and fully recoiled positions. Except for a hammer, this example has all the components mentioned earlier. In battery, the spring-loaded sear holds the cocked firing pin by means of the sear notch at the end of the firing pin extension. Downward displacement of the sear releases the firing pin to be snapped toward the primer by the firing pin spring. Being somewhat remote from the sear, the trigger depresses it by lifting the tripper bar on one end thereby rotating the other end downward on the sear. The sear contacting surface of the trigger bar is cammed to minimize impact during counterrecoil when the sear end is held down for continuous firing.

Cocking the firing pin automatically is achieved by the cocking lever which rides in a stationary V-slot actuator. During recoil, the actuator flips the cocking lever forward thus rotating the lower end. The rotating lower end engages the firing pin extension and forces it rearward, meanwhile compressing the firing pin spring. In the fully recoiled position the cocking lever holds the sear beyond the sear notch to provide sufficient

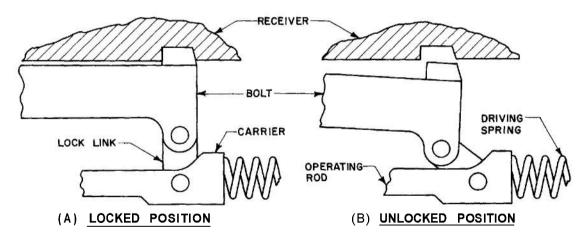


Figure 7-25. Tipping Bolt Lock

AMCP 706-260

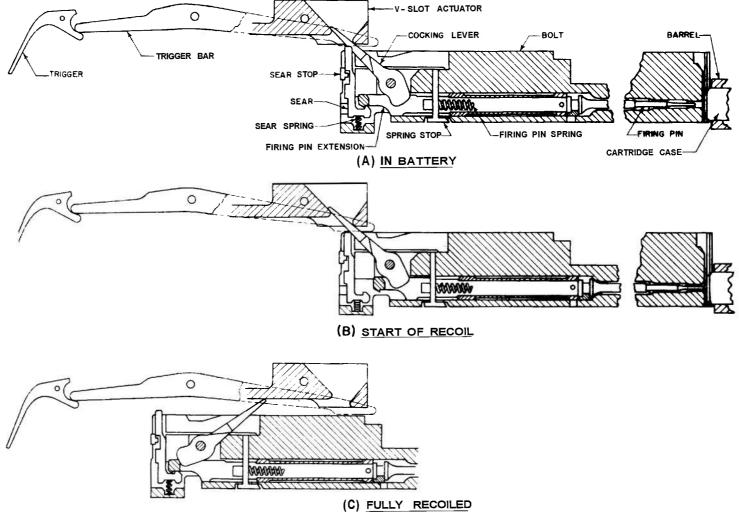


Figure 7-26. Firing Mechanism for Recoil Machine Gun

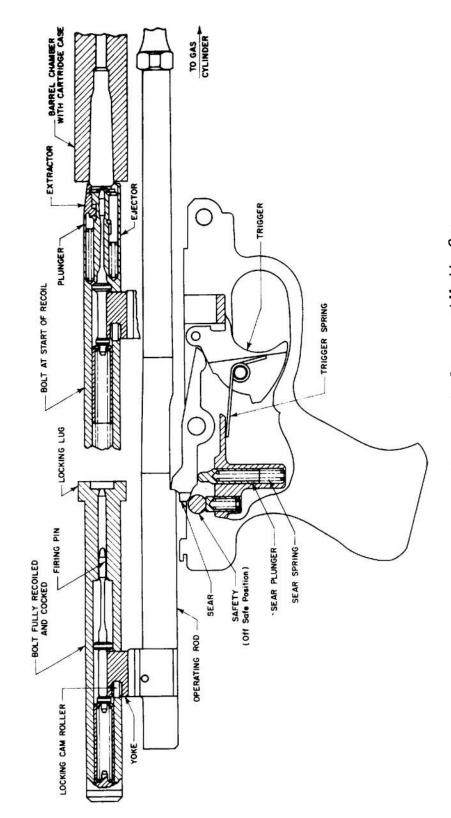


Figure 7-27. Firing Mechanism for Gas-operated Machine Gun

clearance and time for the sear to engage the notch properly thereby reducing the possibility of a prematurely released firing pin. A spring forces the sear upward into the latching position. As the bolt counterrecoils, the cocking lever continues to hold the firing pin in its most rearward position until the lever is rotated by the actuator to free the firing pin and permit it to slide forward a short distance to engage the sear notch. This action is completed when the recoiling parts are almost in battery and just short of the position where the sear passes beneath the trigger.

This firing mechanism is essentially one for automatic operation. Although adaptable to other types, this firing mechanism was designed for a recoil-operated gun, a type whose firing rate is largely determined by the inertial properties of the recoiling parts. Another limit on the firing rate is imposed by the sear spring. Since the spring force must be compatible with trigger pull, the spring may not have the capacity of lifting the sear into latching position before the cocking lever tends to release the firing pin if the bolt is moving too fast. In this event, the unrestrained firing pin will follow the cocking lever and lose the effectiveness of its spring, thus reducing the striking velocity on the primer. Should the firing pin velocity be lowered too much, the primer may not initiate, reducing the gun to inadvertent single shot operation. Planned single shot operation depends on the quick reflexes of the gunner to release the trigger before the sear hits the trigger bar during second round activity. However, positive single shot control is available by installing a bolt latch unit to the receiver. This unit latches to the recoiled bolt and retains it, thus interrupting the firing sequence until released manually. The interruption permits single shot firing.

Fig. 7-27 shows the type firing mechanism used in the M60, 7.62 mm Machine Gun. Two views of the bolt show the travel limits of it and the firing pin. Trigger and sear are shown only in the cocked position but their directions of motion and relative displacements when actuated are readily visualized in the sketch. The sear functions through the notch in the operating rod by holding rod, bolt, and all associated moving parts in the cocked position — the bolt being fully retracted except for the length of buffer travel. Here the sear engages the sear notch to stop all further counterrecoil progress. The sear pivots on a pin and is held in the cocked position by the trigger on one end and by sear plunger and safety on the other. All three are spring loaded. Trigger travel is limited on either end by a fixed limit stop. When the

trigger is squeezed, it lifts its end of the sear and depresses the other end against (1) the resistance of sear and safety springs and (2) the frictional resistance induced by the driving spring between sear and sear notch. As the sear clears the sear notch, the driving spring forces the operating rod, bolt, and firing pin forward; closing the bolt and firing the round.

A voke connects the operating rod to the bolt and firing pin. It is fastened rigidly to the operating rod but rides in a cammed slot in the wall of the bolt and cradles the firing pin. As the rod moves, the voke carries the bolt in the same direction. This action is described in detail in par. 4-3.1.2. Relative linear motion between the yoke and bolt causes the firing pin to slide inside the bolt. Only linear travel of the firing pin is essential. Any angular motion between it and its adjacent components is inconsequential, contributing nothing to firing efforts. The firing pin rests in the saddle of the yoke, the two integral collars serving as force transmitters, guides, and retainers. As retainers, they prevent relative linear motion between yoke and pin. As a guide, the front collar helps center the firing pins. As force transmitters, the front collar serves during firing activity whereas the rear one serves during retraction as well as the transmitter of the firing pin spring force. The firing pin opening becomes useful after the locking lug engages the lock to provide the necessary external reaction. This arrangement augments the driving spring effort in maintaining a counterrecoil velocity and, subsequently, a firing pin velocity conducive to rapid bolt closing and primer initiation. Designed for automatic operation only, this mechanism continues to fire as long as the trigger is held depressed. When released, all elements return to the cocked position as the sear catches the operating rod during the early part counterrecoil to stop further firing activity. Afterwards the firing mechanism may be put on safe by rotating the safety until its plunger is seated to establish a rigid link between sear and trigger housing. No matter what position the trigger now assumes, the rest of the firing mechanism is firmly locked to eliminate accidental

Fig. 7-28 illustrates a method whereby firing control is achieved by a three-position lever: the first for automatic, the intermediate for semi-automatic, and the third for putting the gun on safety. The safety is a secondary lever integral with the selector lever. It bears against the sear, holding that component firmly in the slot. When in this position, any pull on the trigger will not disturb the bolt. In either firing position, the safety swings free of the sear and offers no further interference.

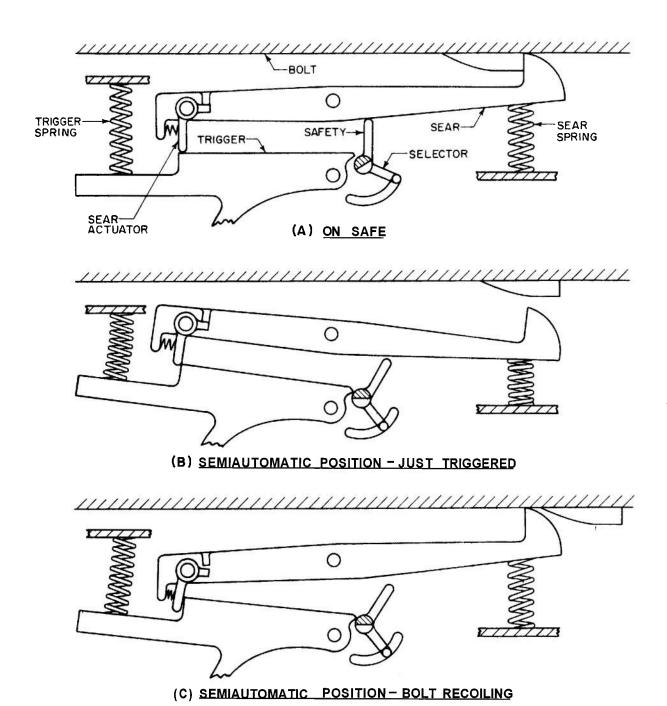


Figure 7–28. Three-positionFiring Mechanism ( 1 of 2)

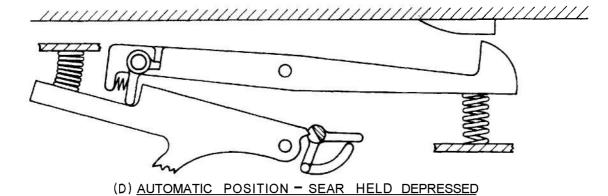


Figure 7-28. Three-position Firing Mechanism (2 of 2)

With the selector in the semiautomatic position and as the trigger is being pressed, the selector pushes the actuator upward to rotate the sear and release the bolt. As trigger and sear rotate, the actuator moves rearward on the trigger and eventually slips off the stop to release the sear and permit it to resume its normal position and latch the bolt as it begins to close again—the depressed trigger meanwhile being limited in its movement by the selector. Before the next shot can be fired, the trigger must be released so that the sear actuator too can assume its original cocked position.

Automatic firing is achieved by turning the selector until the trigger can clear it entirely and sweep through the semiautomatic position. The advanced trigger position continues pressure on the sear actuator, thereby, holding the sear in its uncocked position leaving the bolt free to travel at will in either direction, continuing to fire until the trigger is released.

### 7-4.1.1 Trigger Pull

Computing the trigger pull is primarily an exercise in statics. Fig. 7–29 represents a typical triggering mechanism showing the applied loads on the various links. The trigger pull is found by balancing the moments about S, the pivot of the sear, and therefore, resolving the reaction between sear and trigger. This reaction — when applied to the trigger as a load — and the effects of the trigger spring, determine the trigger pull by balancing the moments about 0, the pivot of the trigger. Balance moments about S.

$$1.28 R_t = 0.84 F_s + 1.30 F_{sv} + 0.13 F_{sh}$$
$$+ 0.46 F + 1.02 \mu F$$
$$= 13.4 + 26.0 + 2.6 + 12.0 + 2.7 = 56.7 \text{ lb-in}$$

where F = 26 lb, driving spring force

 $\mu F$  = 2.6 lb, frictional resistance at sear notch

 $F_{\rm s}$  = 16 lb, sear spring force

 $F_{\rm sv} = 20 \, \text{lb}$ , safety spring force

 $F_{sh}$  = 20 lb, horizontal component of safety spring force

 $R_t$  = trigger reaction on sear

 $\mu = 0.10$ , coefficient of friction

The trigger reaction on the sear is

$$R_t = \frac{56.7}{1.28} = 44.3 \, \text{lb}$$

Balance moments about 0,

$$1.06 P_t = 0.23 R$$
,  $+T+0.63 F_t$   
=  $10.0 + 1.0 + 0.6 = 11.6$ lb-in.

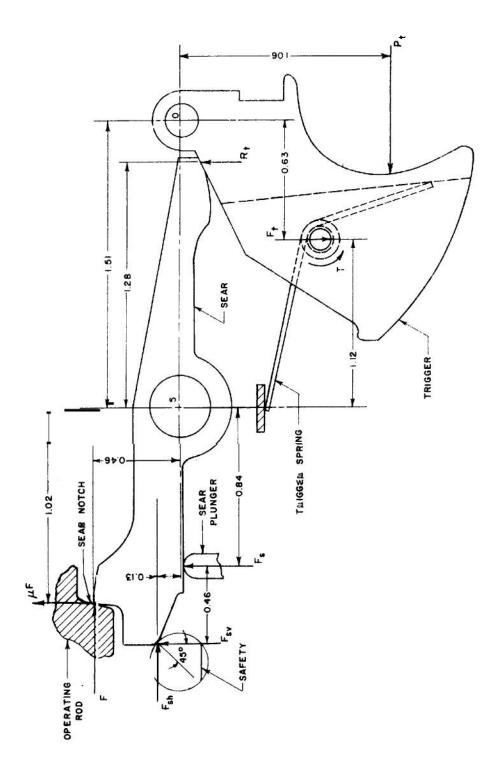


Figure 7–29. Triggering Mechanism Loading

where T = 1.0 lb-in, applied torque of trigger spring, and  $P_t$  is the trigger pull.

$$F_t = \frac{T}{1.12}$$

= 0.89 lb, vertical reaction of trigger spring pin

The trigger pull becomes

$$P_t = \frac{11.6}{11.06} - 10.91b$$

### 7-4.1.2 Firing Pin Design

Design criteria for firing pins are published elsewhere<sup>22</sup> but two basic requirements are essential for all percussion primers. A minimum amount of energy must be transmitted from firing pin to primer at a minimum striking velocity of 7 ft/sec. The energy is specified in inch-ounces. An upper limit of striking velocity also is specified to avoid puncturing the primer cap. Specifying both energy and velocity removes considerable control over the dynamics of a mechanism; control that normally should be available. For a given firing pin energy, the corresponding striking velocity is

$$\nu = \sqrt{\frac{2E}{M_e}} \tag{7-50}$$

where

E = energy available

 $M_e = \frac{W_e}{g}$  = equivalent mass of the moving parts

 $W_e$  = equivalent weight of the moving parts

A compressed coil spring provides the energy.

$$E = \frac{\epsilon \left( F_o + F_m \right)}{2} \mathbf{x} \tag{7-51}$$

where  $F_m = F_o$  **t** Kx, maximum spring force (in initial position)

 $F_0$  = minimum spring force (in final position)

K = spring constant

x = length of travel

E = spring efficiency

The time elapsed during firing pin action according to Eq. 2-27

$$t = \sqrt{\frac{M_e}{\epsilon K}} \cos^{-1} \frac{F_o}{F_m}$$
 (7-52)

Because  $M_e$  is generally small and E relatively large, the striking velocity  $\tau$  will be large. If  $\nu$  exceeds safe limits, the energy should be reduced to its lower limit and the weight of the firing pin increased to proportions that are compatible with good design. Table 7-2 lists various combinations of design parameters and how they affect the velocity and time. The firing pin energy will be held constant at E = 60 in.-oz. The efficiency of the firing pin spring system is also a constant at E = 0.80. By holding the equivalent weight constant and varying the spring characteristics to be compatible with the distance, the time interval increases with respect to distance but the terminal velocity remains constant. But when weight varies and distance is constant, the time increases while terminal velocity decreases. A review of the data in Table 7–2 indicates a wide latitude in spring selection exists for any given firing pin weight. The tabulated data also show that the striking velocity can be lowered only by increasing the firing pin weight. A word of caution should be introduced here. An increase in weight may not be helpful because the vibration of the firing pin mechanism may be out of phase with the mechanical action. Past experience has proved that correcting this type of disorder can be achieved only by reducing the weight of the firing pin; altering the spring characteristics was not effective.

### 7-5 LINKS

Early machine gun ammunition belts were made of cloth fabric but the susceptibility of cloth to adverse climatic conditions led to its replacement by the modern metallic link belts. The metal belts consist of many links joined in series by some type of mechanical fastener, such as a pin. Many belts use the rounds themselves as pins. In addition to being able to survive most climatic conditions, the metal links have other desirable characteristics, two of which are: (1) the strength needed to transmit the high accelerations imposed by the loading devices of rapid fire guns, and (2) the ability to extend belt lengths quickly by merely joining the last link of one to the first link of another belt.

TABLE 7-2. FIRING PIN DYNAMICS

$W_e$ ,	<i>x</i> ,	Κ,	$F_o$ ,	$F_m$ ,	t,	ν,
0Z	in.	lb/in.	lb	lb	sec	in./sec
0.5	0.50	13.5	C 00	10.75	0.0000	204
1.0	0.50	13.5	6.00 6.00	12.75 12.75	0.00296 0.00418	304 21.5
1.5	0.50	13.5	6.00	12.75	0.00513	175
2.0	0.50	13.5	6.00	12.75	0.00592	152
0.5	0.75	8.0	3.25	9.25	0.00445	304
1.0	0.75	8.0	3.25	9.25	0.00629	21.5
1.5	0.75	8.0	3.25	9.25	0.00771	175
2.0	0.75	8.0	3.25	9.25	0.00890	152
0.5	1.00	3.5	2.94	·6.44	0.00590	304
1.0	1.00	<b>3.</b> 5	2.94	6.44	0.00834	215
1.5	1.00	3.5	2.94	6.44	0.01022	175
2.0	1.00	3.5	2.94	6.44	0.01180	152

### 7-5.1 TYPES OF LINK

There are three general types of link: the old or extracting type, and the new push through and side stripping types. The extracting type has its round gripped in the cannelure of the cartridge case base and then pulled rearward from the link. When completely withdrawn, the round is lowered into the bolt path and rammed, by the bolt, into the chamber. The push through type depends on a rammer or bolt to push the round directly through the link toward the chamber. The round in the side stripping type link is forced out by applying a force, usually by cam action, perpendicular to the axis of the round. After leaving the link, the round continues its sidewards path until in line with rammer or bolt.

### 7-5.2 DESIGN REQUIREMENTS

Fig. 7-30 shows a link that may fit any of the above three categories. It components consist of two retaining loops, a connecting loop, and a retaining arm. The retainer loops grip the cartridge case and hold it firmly with respect to any lateral motion between round and link. The retaining arm prevents longitudinal relative motion between round and link. The connecting loop fits loosely over the preceding round to preserve the continuation of the belt. For this link configuration, the rounds are analogous to pins in a chain. Clearances between connecting loop and cartridge case determine

the amount of free flexibility in an ammunition belt. The attachment between the connecting loop and the retaining loops, if not rigid, also lend a degree of free flexibility to the belt. Free flexibility is the flexing of the belt so that it will assume a fan-like position or form a helix, made available by taking up the slack provided by the accumulated clearances in all the links. Its counterpart, induced or forced flexibility, may be either helical or fanning but the deflection is derived from the elastic deflection within the individual links. Allowable induced flexibility is determined experimentally; helical by measuring the torque necessary to twist the belt through a given angle, and fanning by fixing one end of the belt in a guided circle and hanging a weight on the other end. Either type of induced flexibility must always perform within the elastic range of the link material.

The ammunition belt may assume two positions for fanning flexibility, the nose fanning of Fig. 7–31 where touching is not permissible, and the base fanning of Fig. 7–32 where touching is permissible. Only free flexibility is represented since the ends of the belts are not constrained which is necessary to induce elastic deflection. Fig. 7–33 shows the geometry of two adjacent rounds in a base fanned belt. Free helical flexibility is shown in Fig. 7–34. Another type of belt configuration involves the fold radius. When the connector is a loop over the case (see Fig. 7–30), the linked round can rotate through a complete circle except for the interference of the adjacent round. Thus when a belt of ammunition in 7.62 mm M13 Links is housed in

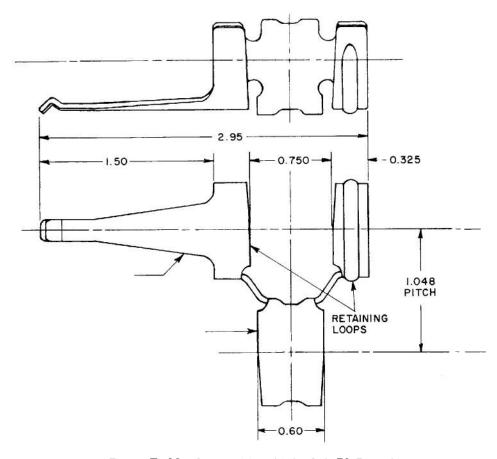


Figure 7-30. Ammunition Link, Cal .50 Round

a magazine or storage container (Fig. 7–35), little space is wasted since the belt can be stacked in horizontal rows. When the connector does not wrap around the case but instead merely joins the retaining loops of adjacent links, the rotation of one round about its neighbor is severely limited since the rotation center is near the case surface instead of being at the axis of the round. Ammunition belts made of links with this type connector will have some waste space when stored (see Fig 7–36 for 7.62 mm links). Another type connector, called a connecting member, operates similarly to a universal joint, i.e., it permits rotation between links about two perpendicular axes. All belts, so equipped, have unlimited free flexibility.

Initial link design is based on past experience. Belt strength is the most important requirement, to be followed closely by retention capability. Forces imposed on the belt are determined by the type of feed system (drum, chute, magazine) and the feed accelerations. Deflections in the ,links and, therefore, in the belt are not necessarily objectionable provided that round

retention is maintained. Any variation in pitch due to belt stretch is corrected by the holding pawl which insures constant pitch and, therefore, proper feeding. Later, the feeding pawl controls the round as it is extracted from the link.

Usage determines the configuration and type of link. If the belts are to be discarded after firing, disintegrating ones are used where the link drops from the belt immediately after the round is stripped from it, or is forced from the belt by the ejected cartridge case. If the belts are to be retained, then maintaining the empty belt as a unit may be desired. Open links may also be desired. They are good for camming out the round but are relatively poor with respect to belt strength, and round retention can be a problem. For this reason, tolerances are small, to insure a reasonable consistency in retention loads. Should these loads prove to be too high, lightening holes (see Fig. 7-34) are made to provide more flexibility and less snap-in force when joining two belts. The snap-in technique is superior to and preferred over the older push-through technique. In contrast to

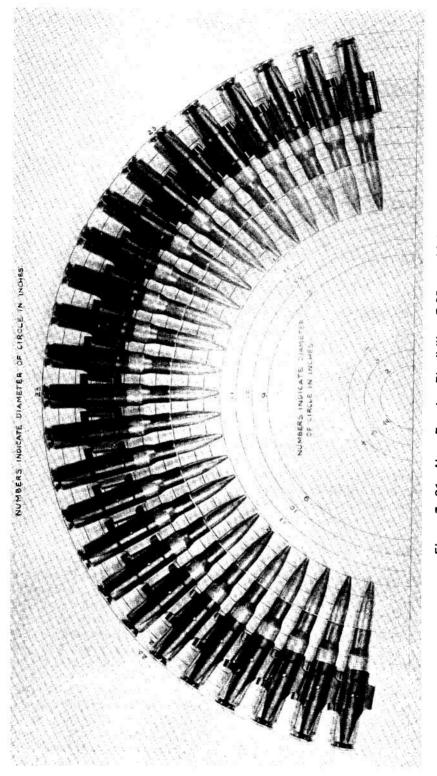


Figure 7-31. Nose Fanning Flexibility, 7.62 mm Link

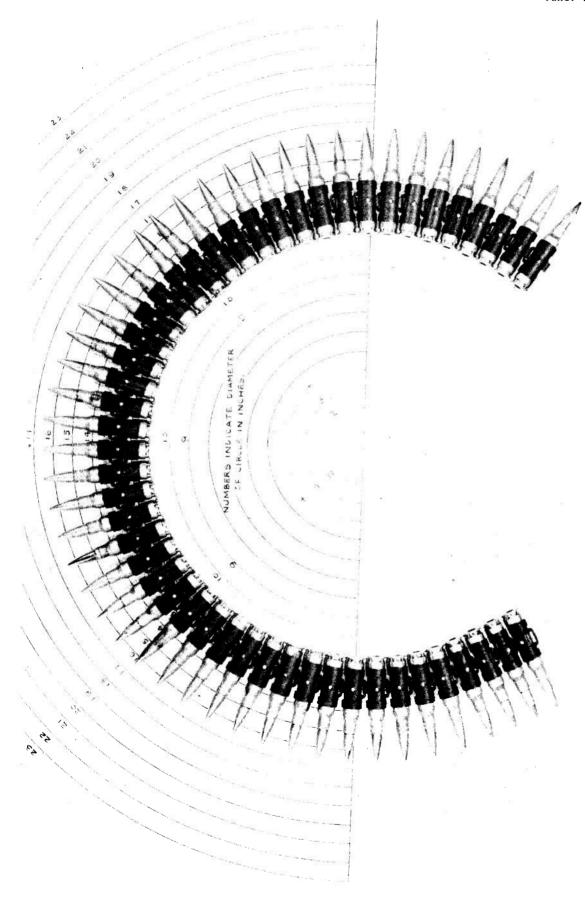


Figure 7—32. Base Fanning Flexibility, 7.62 터퍼 Link

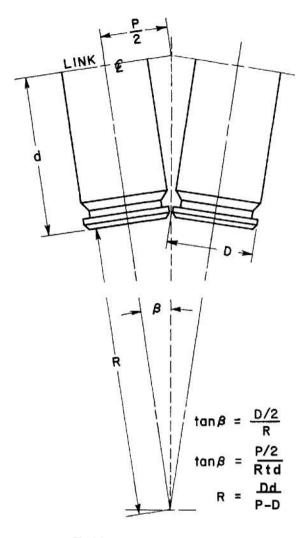


Figure 7-33. Geometry of Base Fanning

open links, closed loop links provide excellent belt strength and retentivity. Extracting the round may be a bit more troublesome than that experienced for the open loop but if a removable cover is used to complete the loop, an effective open loop link can be had by first stripping off the cover thus exposing the round to the extracting mechanism.

A unique means has been devised to protect electric primers from being initiated inadvertently. This hazard is usually associated with aircraft since radiation emanating from communication (radio), detection (radar), and fire direction (usually on shipboard) facilities are generally associated with air terminals. A compatible antenna, such as a screwdriver, with a different potential in the

established radiation field, may induce a spark at the primer to initiate it. This hazard is primarily a ground handling one which is most prevalent during loading, connecting, or breaking ammunition belts. Effective protection is available through the use of a *RADHAZ* (radiation hazard) shown in Fig. 7–37. It is merely an extension of the link bent over the primer to form a cover. The primer is thus shielded from any metal rod that is brought near it.

After the initial design or subsequent modification, pilot lots are made to determine acceptability. The links are stamped out in the annealed state, then heat treated. Extreme care must be exercised to hold the small tolerances. The pilot lots are tested in accordance with operating requirements. One of these is the catenary test to check retention under shock loads. If a free span of belt exists in the installation, a similar length of belt is lifted at midspan to a prescribed height and released to approximate belt whip. If the link is found wanting from this or any of the other tests, the design is modified to strengthen the weak areas, and the manufacturing and testing procedures repeated until an acceptable link evolves. Because of its trial and error nature and because of demanding manufacturing technique, long periods of time, in some cases more than a year, are devoted to designing and producing a successful link.

### 7-6 MOUNTS

Machine gun mounts are either fixed to vehicles or rest on the ground. Generally simple structures, mounts are adapted to the required limits of elevation and traverse and must be stable within these limits. Stability is readily achieved on vehicles by merely fastening the mount rigidly to the structure of the vehicle. But, if it rests on the ground, a mount such as the tripod type must depend on geometric proportions for stability. For this type, stability is a function of recoil force, command height, total weight, and length of the legs. If traverse is limited to the spread of the rear legs, the position of any given angle of elevation is that at zero traverse.

### 7-6.1 GEOMETRY AND RESOLUTION OF FORCES

Fig. 7-38 shows the forces involved in the side view projection. Take moments about A and solve for the reaction at B

$$R_b = \left[ D_r \left( W + F_r \sin \theta \right) - H F_r \cos \theta \right] / L \qquad (7-53)$$

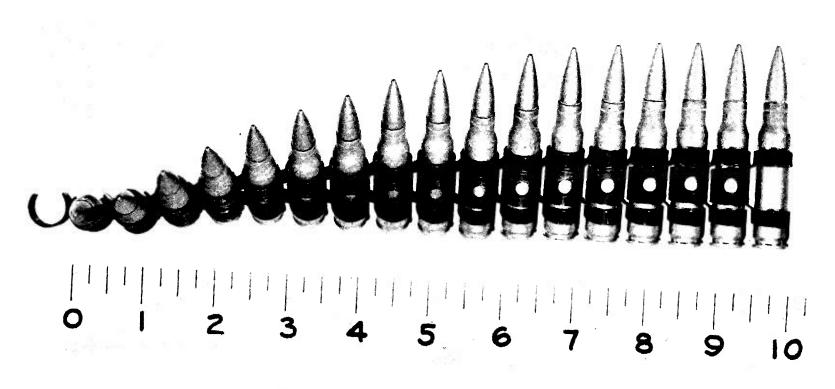


Figure 7-34. Helical Flexibility, 7.62 mm Link

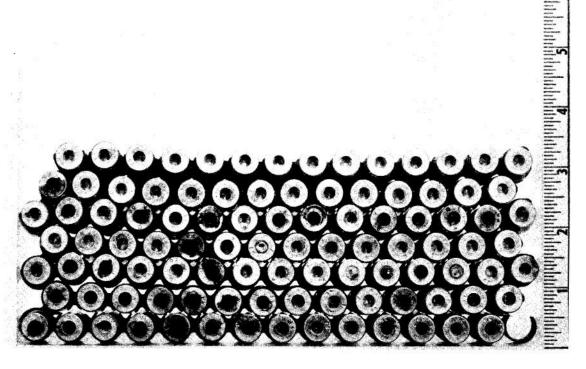


Figure 7-35. Total Folding 7.62 mm Ammunition Belt

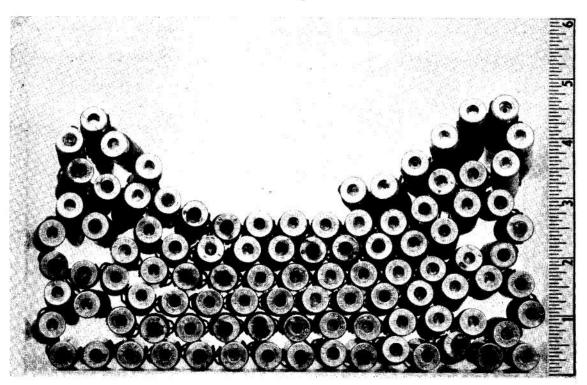


Figure 7-36. Partial Folding 7.62mm Ammunition Belt

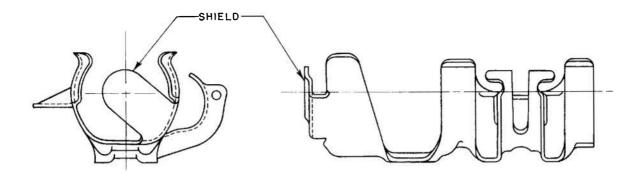


Figure 7-37. Loading Link With RADHAZ Shield

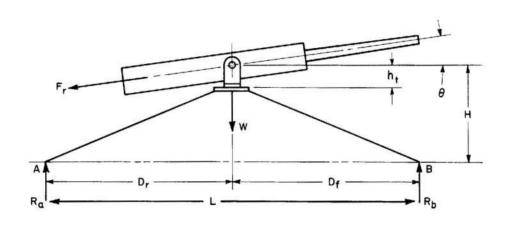


Figure 7-38. Loading Diagram of Mount

where

 $D_r$  = horizontal distance between trunnion and rear support

 $F_r$  = recoil force

H = commandheight

L = distance between front and rear leg supports

 $R_a$  = reaction at rear support

 $R_b$  = reaction at front support

 $\theta$  = angle of elevation

If  $R_a$  is positive or zero, the weapon is stable.

The recoil force  $F_r$  is assumed to be the average force during the recoil cycle. It may be computed by resolving the impulse-momentum characteristics of the recoiling parts. Add the expressions for the time recoil t, and counterrecoil  $t_{cr}$  of Eqs. 2–23 and 2–27 for the total time of one cycle  $t_c$  period of oscillation.

$$t_c = \frac{\epsilon + 1}{\sqrt{\epsilon}} \sqrt{\frac{M_r}{K}} \quad \cos^{-1} \frac{F_o}{F_m}$$
 (7-54)

7-47

where  $F_m$  = spring force at end of recoil

F = spring force at beginning of recoil

K = spring constant

 $M_r$  = mass of recoiling parts

 $\epsilon$  = efficiency of spring

The impulse on the recoiling parts induced by the propellant charge may be obtained by measuring the area under the propellant gas force-time curve or by computing the velocity of free recoil and then the momentum of the recoiling parts which is equal numerically to the impulse. The momentum of recoil

$$M_n = \left(\frac{W_r}{g}\right) v_f = (W_p v_m + 4700 W_g)/g$$
 (Ref. 23)

(7-55)

where g = acceleration due to gravity

 $v_f$  = velocity of free recoil

 $v_m$  = muzzle velocity of projectile

 $W_{\mathbf{g}}$  = weight of propellant charge

 $W_n$  = weight of projectile

 $W_r$  = weight of recoiling parts

4700 = empirical value of the propellant gas velocity in ft/sec, therefore, the other kinematic parameters must be dimensioned in ft and sec.

Since impulse is numerically equal to momentum, Eq. 2-14, the average recoil force is

$$F_r = \frac{\int F dt}{t_c} = \frac{M_n}{t_c} \quad . \tag{7-56}$$

The length of the rear legs extending from the spade to the intersection of leg and pintle is computed by first equating the weight and force moments about **A** at zero elevation.

$$D_{\ell}W = HF, \tag{7-57}$$

The projected horizontal distance between spade and trunnion is

$$D_r = \frac{HF_r}{W} \tag{7-58}$$

The rear leg length becomes

$$L_r = \sqrt{D_r^2 + (H - h_t)^2} / \cos \phi {(7-59)}$$

where h, = distance between trunnion and pintle leg intersection

 $\phi$  = half of the angular spread between the rear legs.

Half of the average force during the recoil cycle is assumed to be the applied forward acting force just as the cycle is completed. The distance needed to balance this forward upsetting moment with the weight moment is

$$D_f = \frac{HF}{2W} = \frac{1}{2} D_r . (7-60)$$

The length of the front leg is

$$L_f = \sqrt{D_f^2 + (H - h_t)^2}$$
 . (7–61)

The structural requirements of the legs, size, strength, and rigidity are satisfied through the usual procedure for computing stresses and deflections of an eccentrically loaded column of uniform cross section <sup>24</sup>. If the leg varies in cross section, the area moment of inertia of the cross section is a function of the distance, and the bending moment is a function of the distance and of the deflection. Unless some simplifying assumptions are made, the alternative rigorous analysis is performed most conveniently with a digital computer.

### 7-6.2 SAMPLE PROBLEM

Compute the recoil spring characteristics and lengths of the legs of a tripod mount for a gun having the following data:

H = 14 in., command height

h, = 5 in., height of trunnion above pintle

K = 2000 lb/in., spring constant (ring spring)

L = 0.5 in., length of recoil

 $v_m = 3000 \text{ ft/sec}$ , muzzle velocity

W = 225 lb, estimated weight of weapon

 $W_{g} = 0.09$  lb, weight of propellant charge

 $W_p = 0.2 \text{ lb}$ , weight of projectile

 $W_r = 110 \text{ lb}$ , weight of recoiling parts

E = 0.50, efficiency of ring spring

e = 0", angle of elevation

 $2\phi = 50^{\circ}$ , spread of rear legs

From Eq. 7-55, the velocity of free recoil is

$$v_f = \frac{0.2 \times 3000 + 4700 \times 0.09}{110} = 9.3 \text{ ft/sec.}$$

The energy to absorbed during recoil is

$$E_r = \frac{1}{2} \left( M_r v_f^2 \right) = \left( \frac{110}{64.4} \right)$$
 86.49 = 147.73 ft-lb.

The total average recoil force is

$$F_r = \frac{E_r}{L} = \frac{147.73 \times 12}{0.5} = 3546 \text{ lb.}$$

Since the efficiency of the spring,  $\varepsilon = 0.50$ , assists in stopping the recoiling parts, the actual average spring force is

$$F_{as} = \epsilon F_r = 1773 \, \text{lb}$$

But

$$F_{as} = \frac{1}{2} (F_o + F_m) = \frac{1}{2} (F_o + F_o + KL)$$
$$= F_o + \frac{1}{2} KL$$

$$F_o = F_{as} - \frac{1}{2} KL = 1773 - \frac{1}{2} (2000) 0.5$$
  
= 1273 lb.

$$F_m = F_o + KL = 1273 + 1000 = 2273 \text{ lb}$$

According to Eq. 7-54

$$t_c = \frac{\epsilon + 1}{\sqrt{\epsilon}} \sqrt{\frac{M_r}{K}} \quad \cos^{-1} \frac{F_o}{F_m}$$
$$= \frac{1.5}{0.707} \sqrt{\frac{110}{2000 \times 386.4}} \quad Cos^{-1} \quad 0.56005$$

 $= 2.122 \times 0.0119 \times 0.976 = 0.0246 \text{ sec.}$ 

The average impulsive force during the recoil cycle, **Eq.** 7–56, is

$$F_r = \frac{M_n}{t_c} = \frac{110 \times 9.3}{322 \times 0.0246} = \frac{1023}{0.792} = 12921b.$$

The projected horizontal distance of the rear leg, **Eq.** 7–58, is

$$D_r = \frac{HF_r}{W} = \frac{14 \times 1292}{225} = 80.4 \text{ in.}$$

The length of this rear leg, Eq. 7-59, is

$$L_r = \sqrt{D_r^2 + (H - h_t)^2}/\cos\phi = \sqrt{\frac{6545.16}{0.906}} = 89.3 \text{ in.}$$

The length of the front leg, Eqs. 7-60 and 7-61, is

$$L_f = \sqrt{D_f^2 + (H - h_t)^2} = \sqrt{1697.04} = 41.2 \text{ in.}$$

### **CHAPTER 8**

### LUBRICATION OF MACHINE GUNS

Conventional, good lubrication design practice is required in machine gun design. Excess, rather than insufficient, lubricant is to be avoided on most sliding parts. If the coat of oil or grease is too thick, dust will readily collect, cause excessive wear, and impede action sometimes to the extent of malfunction. Maintenance instructions stress this fact by emphasizing that all excess lubricant be wiped off all surfaces. Not all self-operating machine guns require reservoirs of lubrication. In some cases, the recoil adapter spring or the driving spring may be lubricated with a graphite grease. In electric or hydraulic-driven machine guns, the driving units are lubricated by applying grease or oil to the moving parts which are usually protected from exposure to dirt by their housings.

A well-designed machine gun is inherently a readily lubricated one, particularly if only a thin coating of lubricant is needed on the sliding part. The lubricant is usually applied after cleaning, which procedure follows after prolonged firing or during periodic inspection and maintenance. Because of this practice, emphasis is generally placed on the lubricant rather than on specific design practices that are controlled by lubrication requirements.

### 8-1 GENERAL CONCEPT

The machine gun designer must be cognizant of the lubrication requirements for the sliding surfaces of his design. His primary objective is smooth surfaces coupled with his acquaintance with available lubricants, and their general properties and uses. If lubricant properties and required lubricating properties are compatible, the designer's problem is solved. If a proper lubricant is not available, a search for one must be made or the weapon relegated to limited specific conditions, which normally is undesirable. Another alternative involves auxiliary equipment such as heaters to keep the viscosity level of the lubricant in an acceptable range.

The lubrication of machine guns is usually confined to applying a thin film of oil, grease, or other material to sliding surfaces with the expectation that it will last until the next general cleaning time. Military Specifications define in detail the properties of available lubricants. Substitutes are acceptable only after extensive tests prove that the new product has all the necessary proper-

ties. The Specifications enumerate all known data from preparation to delivery and storage. A general outline is prepared for illustration.

 SCOPE. Type of lubricant, general usage, and operating temperature range.

### 2. APPLICABLE DOCUMENTS

- **2.1** A list of Federal and Military Specifications supplementing the given specifications.
- 2.2 Standards prepared by accepted private organizations.

### 3. REQUIREMENTS

- 3.1 Qualification. The material must have passed qualifying tests.
- **3.2** Material. The ingredients **of** the material must conform to specification.
- 3.3 Physical and chemical requirements. Some of these are listed as flash point, pour point, viscosity at temperature limits, hydroelectric stability, oxidation stability, storage stability, rust prevention, gun performance, workmanship (homogeneous, clear, and with no visibly suspended matter).

### 4. QUALITY ASSURANCE PROVISIONS

- **4.1** Specified inspection procedure.
- 4.2 Specified tests.

### 8-2 EXAMPLES OF LUBRICANTS

Unless a smoother finish is required, an RMS (rough machine surface) of 16 to 32 pin. will provide proper sliding action when covered with a thin layer of lubricant. However, under extremely adverse conditions, the designer may be helpless to cope with the sliding surface preparation. A number of activities associated with machine gun fire at high altitudes demonstrates the difficulties experienced in attempts to eliminate malfunctions. These activities deal with lubricant rather than design.

During World War 11, high-flying airplanes had gun malfunction at temperatures below -20°F. This led to gun heaters, but the added weight and not complete reliability led to attempts to develop new lubricants that would correct the malfunctioning components' 7. The investigation yielded success in three operations. Low temperature exposure at high altitude followed by condensation at warmer levels and again freezing after returning to high altitudes caused the triggering solenoid to become frozen in place. A free-moving solenoid was assured by spraying the unit with silicone oil to prevent the water condensate from collecting. The material is an open chain methyl silicone having a viscosity of 20 cSt at 77°F and 300 cSt at -65°F, and a pour point of -75°F. Dodecane phosphoric acid (0.1 percent by weight) was added for lubrication. This material was labeled NRL S-75-G interim. In the meantime, special attention to ammunition feeders led to "trouble-free lifetime lubrication" with the application of MIL-G-15793 (BuOrd) grease. Also, synthetic oil MIL-L-17353 (BuOrd) with 2 percent by weight of trecresyl phosphate for wear prevention was discovered to perform adequately for other moving parts of the gun.

In contrast, tests conducted with the Cal SO M3 Machine Gun, to prove the reliability of removing gun heaters, when lubricated with PD 500 oil gave totally negative results' 8. Remember that this oil made feasible the removal of heaters from the 20 mm M24A1 Gun without the gun malfunctioning at low temperatures. Apparently some inherent feature in each type of gun rendered acceptance and rejection in the particular weapon. Unfortunately, the tests were not sufficiently broad in scope to determine what design features were responsible.

A semi-fluid grease and an oil blend were developed with satisfactory performance at extreme temperatures for the M61 Multibarreled Gun' <sup>9</sup>. Test results indicate that either lubricant satisfied all requirements, but the semi-fluid grease had longer life and was therefore selected as the lubricant for the M61 Gun.

Dry lubricants are recommended for slowly moving parts with relatively few cycles of operation. Tests of 18 resin systems pigmented with molybdenum disulfide were tested<sup>20</sup>. A pigment-to-resin ratio of 9: 1 was found most effective. Epoxy-phenolic and epoxy-polyamide resin systems were best for both lubrication and storage stability.

### **8-3 CASE LUBRICANT**

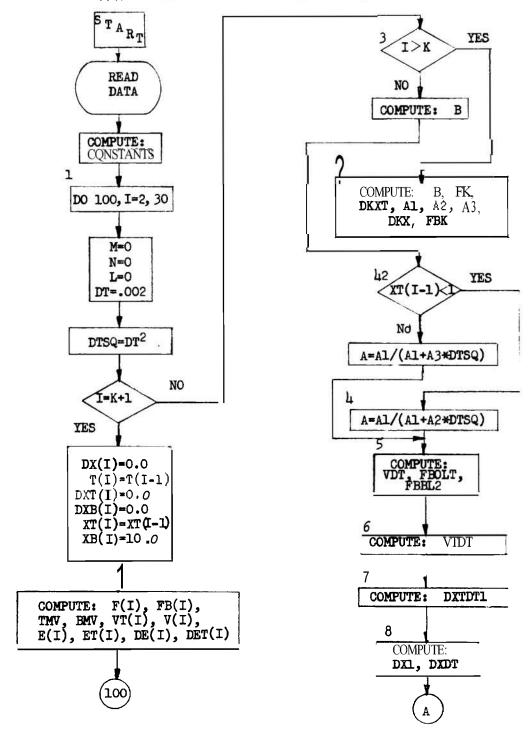
Although the gun designer is not directly involved with ammunition design, he is directly concerned with handling, loading, and extracting during firing. A smooth chamber is essential for extraction and a properly lubricated case is a decided asset. The lubricant should be a dry lubricant and should be applied at the factory. Considerable effort has been made to find suitable lubricants for this purpose. Some success has been achieved but continued search is still being advised, especially since two independent facilities are not in total agreement.

The Naval Research Laboratories conducted tests of brass and steel cartridge cases coated with films of polytetrafluoroethylene (Teflon)<sup>28</sup>. Results were outstanding in meeting required protection and lubrication properties. Laboratory results, later confirmed by firing tests, showed low friction and consequently less wear in gun barrels. Other desirable features include freedom from cartridge malfunction, no chamber deposits, decreased ice adhesion, and less chance of thermal "cook-off". Teflon can be applied to steel and brass ammunition by mass production methods. Its protective ability permits prebelting and packaging of ammunition since no further handling prior to use is necessary. Its supply is abundant and its cost reasonable. Thus the use of Teflon in this capacity seems ideal.

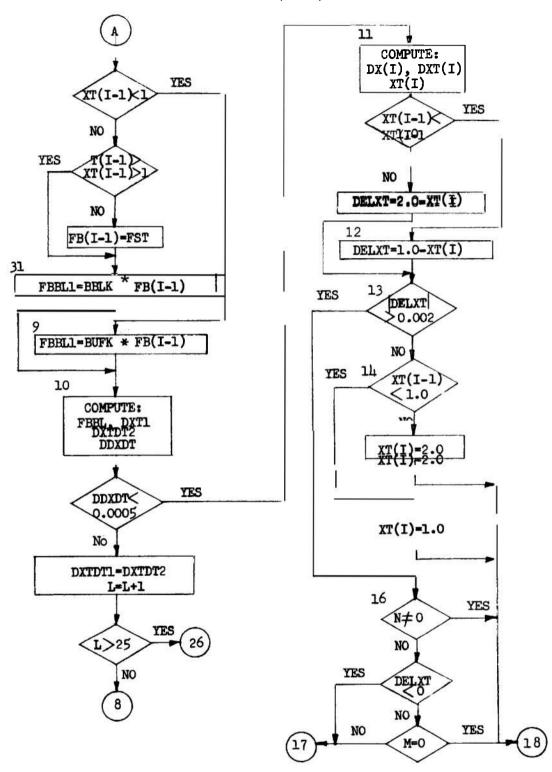
Aberdeen Proving Ground is more reserved in its appraisal of Teflon coating<sup>21</sup>. Whether or not the techniques of applying the coatings were similar, those used at APG were not free of coating defects: a high cull rate existed. When tested with cartridges coated with microcrystalline wax, ceresin wax, and uncoated ammunition; the Teflon-coated wax showed many advantages but was also found wanting in some respects. Teflon and micro-wax had better extraction properties and Teflon left a much cleaner chamber than the others: micro-wax was second best. About SO percent of the Teflon-coated cases had slight bulges after extraction: other types also were similarly damaged but with no apparent significance attached to a definite choice. For dusted ammunition, the Teflon and micro-wax were far superior to the other two types with Teflon having a slight advantage, although when fired in a comparatively rough chamber, Teflon was outperformed by all. Reiterating, the gun designer, aside from providing smooth sliding surfaces, is almost totally dependent on the physical properties of the lubricant to make his gun perform satisfactorily under all assigned conditions.

## APPENDIX A

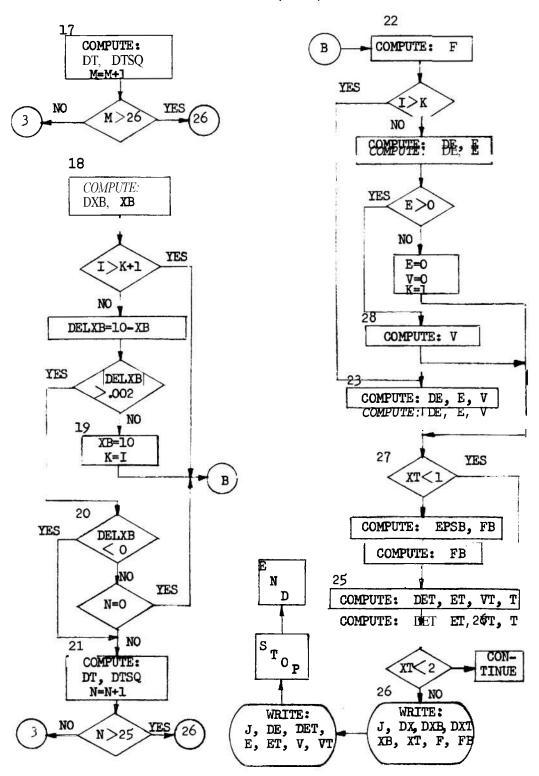
### A-1. FLOW CHART FOR DELAYED BLOWBACK







A-1. (Con't.)



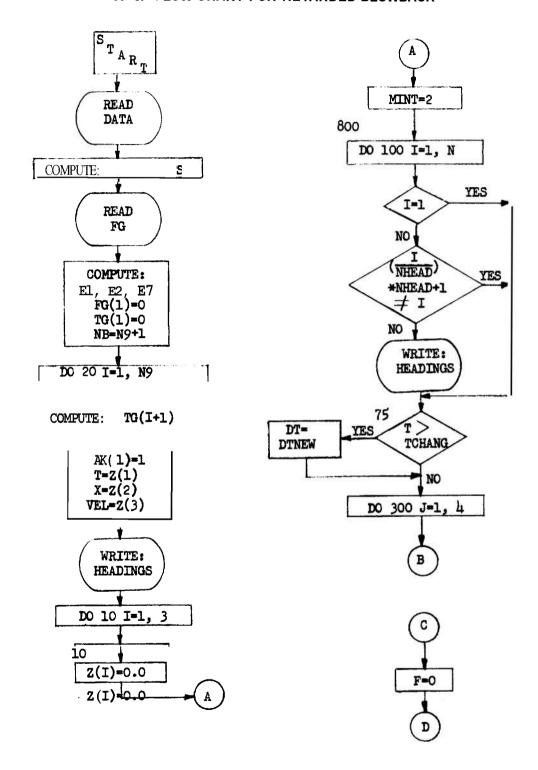
# A-2. LISTING FOR DELAYED BLOWBACK PROGRAM

00274	00272	00267	00264	00263	00261	00257	00256	00254	00252	74500	94700	44200	00243	00242	04200	00237	00236	00233	00232	00230	00227	00226	00224	00223	00220	00217	00215	41200	00212	00211	00210	90200	00205	00203	00202	00201	00177	00175	00174	00172	00171	00170 00100	19100	00163	29100	00161	00103	20100	00103	20100
75.5	72.	71.	69.	67.	65.	63.	62.	: ou	59.	57.	٠ •	, o	54	52.	50	.04	£ :	i c	\$5.	ŧ.	12.	£ .	39.	36.	36	ა ა •	نان <u>بر</u> نان •	34.	ن ا ا	29.	ν.	20.	25.	120	22.	21.	19.	16.	17.	15.	14.	13.	: -	10.	9 !	¢ .	10	5	+	G
DXT(I)=DXTI XT(I)=XT(I-1)+ IF(XT(I+1),LT-	11 DX(I)=DX1	IF(L.GT.25)GO TO 26	DXTCT1=DXTCT2	DXTDTZ#DKX1*UX	DXT1=A*(VTDT+F		01 F88LI-88LN*F81	FB(I-1)=FSI	IF(XT(I-1).GT.	DXDT=DKX*DX1*D	# [X]=8*(VDT=F80	0*(1-1)10+10+10+10+10+10+10+10+10+10+10+10+10+1	FBBL2=FRK+F(I-	FBOLT=FX*F(I=1	5 VOT=V(T=1)*DT	GO TO 5	3*DT	FBK=BULK	ロスメニーロスメーの	A3=A5	1=A4	CXXTH-DX & CR	3/18	8=81/(81+82*D)	3 IF(I.61.K)60 TO 4	GO TO 100	DE(1)=E(1)	ET(1)=0.5*EN1*	6 ( 1 ) #0 - 5 #F MG* V	VT(I)=(TMV+BMV	BMV=EMB+V(1-1)	FB(1)=FB(1-1)	F(1)=F0+10.000	XT(I)=XT(I-1)	0.0=(I)8XQ	CXT(I)=0.0	DX(I)=0.0		2 DTSQ=DT**2		7:0	N=0 100 1-2 30	T=WEBL/G	EMB = WB/6	X = 100	G = 386.4		Z V(1), VT(1), XE(1), XT(1),	1 BBLK, DKX, FU	READ (5, 101) EP
DE: TO 12		TO 26	- : -	(DXTDT2)-ABS(OXTO	BBL-DXDT)	(I-1)	1-1,	11 3	1.0)60 10 31	9	LT+DXTDT L	TRT*0790	Ė	U*DTS0	50)		50)	1 01/0 10					93	507	0 41	7.		VT(I) #2	*	)/(EMT+EMB)			*			-		<b>⊕</b> ∪				1					. A6.F	1017	SKT	PSG-EPST
	22 8 32		!	T1)) 5	( ) ( ) ( ) ( ) ( ) ( ) ( ) ( ) ( ) ( )	8						5 25 30000				S 50 · · · · · · · · · · · · · · · · · ·					The second secon				1	the same of the same of the same						A Section of the Control of the Cont				a special property of the second seco							2 - 2 - 2 - 2 - 2 - 2 - 2 - 2 - 2 - 2 -	***************************************			CR.DKXTCR.DKXCR.B3.B	DX(1).DXB(1).DXT(1).DE(1).	SKT, WB, WBBL, FO, FST, F	1.82.FK.DKXT
			i		THE REAL PROPERTY.											1		# # . O					* * * * * * * * * * * * * * * * * * * *				3									33	1										•	E(1);	F(1),FB(1),	BUFK

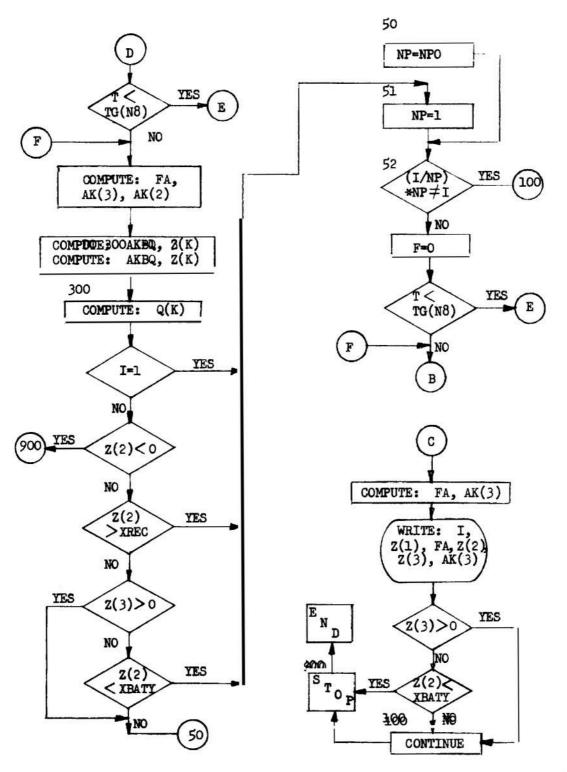
# **A-2.** (Con't.)

(30302	79.	12 DELXT=1.0-XT(1)	70
00303	80.	13 IF(ABS(DELAT).GT.0.002)GO TO 16	71-2
00305	81.	14 IF(XT(I-1).LT.1.0)GO TO 15	73
00307	62•	X1(I)=5.0	74
00310	83.	60 TO 18	75
00311	84.	15 XT(1)=1.0	76
00312	65•	GO TO 18	78
00313 00315	86. 87.	16 1F(N.WE.0)60 TO 18 IF(DELXT.LT.0.0)60 TO 17	79
00313	88.	IF(M.EG.0)60 TO 18	80
00317	89.	17 DT=ABS(DT+(DXT(I)+DELXT)/DXT(I))	81
00522	9u.	DTSG=DT**2	82
00323	91.	M=M+1	83
00324	92.	IF(M.GT.25)GO TO 26	84
00326	93.	GO TO 3	85
00327	94.	18 DXB(I)=DX(1)+DXT(I)	86
00330	95.	X3(I)=XB(I-1)+DXB(I)	87
00531	96•	IF(I.GT.(K+1))GO TO 22	88
00333	97.	DELXB=10.0-XB(I)	. 89
00334	9d.	IF(ABS(DELXB).GT.0.002)G0 TO 20	90
00336	99.	19 XB(I)=10.0	91
00537	100.	K=I	93
00340 °	"" 101. 102.	20 IF(DELXB.LT.0.0)60 TO 21	94
00341	102.	IF(N.EQ.D)60 TO 22	95
00345	104.	21 CT=ABS(DT*(DXb(I)+DELXB)/DXB(I))	96
-00346	105.	DTSQ=DT**2	97
00347	100.	N=N+1	98.
00350	107.	IF(N.GT.25)GO TO 26	99
00352	108.	GO TO 3	100
00353	109.	22 F(I)=F0+SK*XB(I)	101
00554	110.	IF(1.GT.K)60 TO 23	102
00356	111.	DE(I)=DXB(I)+(F(I)+F(I-1))/(2.0+EPS)	103
00357	112.	E(I)=E(I-1)-DE(I)	104
00360	113:	IF(E(I).6T.0.0)60 TO 28	<del>105A</del> 1058
00362	114. 1 <b>15.</b>	F(I)=0.0	105C
00364	116.	K = 1	105D
- 00365	117.	GO TO 27	-105E
00366	118.	28 V(1)=SQRT(2.0*E(I)/EMB)	105F
0036 <b>7</b>	119.	GO TO 27	106
00367 00370	119.	GO TO 27 23 DE(1)=ABS(DXB(1)+(F(I)+F(I-1))+EPS/2.0)	106 107
		23 DE(1)=ABS(DXB(1)*(F(1)+F(1-1))*EPS/2.0) E(1)=E(1-1) +DE(1)	107 108
00370 00371 00372	120. 121. 122.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0) E(I)=E(1-1) +DE(I) V(1)=-SGRT(2.0*E(1)/EMR)	107 108 109
00370 00371 00372 00373	120. 121. 122. 123.	23 DE(1)=ABS(DXB(1)*(F(I)*F(I-1))*EPS/2.0) E(1)=E(1-1) V(1)=-SGRT(2.0*E(1)/EMR) 27 IF(XT(I-1)*LT*1.0)60 TO 24	107 108 109
00370 00371 00372 00373 00575	120. 121. 122. 123. 124.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0) E(I)=E(I-1) +DE(I) V(1)=-SGRT(2.0*E(1)/EMR) 27 IF(XT(I-1).LT.1.0)G0 TO 24 EPSB=EPST	107 108 109 110 111
00370 00371 00372 00373 00575 00376	120. 121. 122. 123. 124. 125.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0) E(I)=E(1-1) +DE(I) V(1)=-SGRT(2.0*E(1)/EMB) 27 IF(XT(I-1)-LT.1.0)60 TO 24 EPSE=EPST FB(I)=FST-SKT*(XT(I)-1.0)	107 108 109 110 111
00370 00371 00372 00373 00575 00376 00577	120. 121. 122. 123. 124. 125.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0) E(I)=E(1-1) +DE(I) V(1)=-SGRT(2.0*E(1)/EMP) 27 IF(XT(I-1)-LT.1.0)GO TO 24 EPSB=EPST FB(I)=FST-SKT*(XT(I)-1.0) GO TO 25	107 108 109 110 111 - 112 113
00370 00371 00372 00373 00575 00376 00577 00400	120. 121. 122. 123. 124. 125. 120. 127.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0) E(1)=E(1-1) +DE(I) V(1)=-SGRT(2.0*E(1)/EMB) 27 IF(XT(I-1)*LT·1.0)60 TO 24 EPSB=EPST FB(I)=FST-SKT*(XT(I)-1.0) GO TO 25 24 FB(I)=FB(1)-SKD*XT(I)	107 108 109 110 111 112 113
00370 00371 00372 00373 00575 00376 00577 00400 00401	120. 121. 122. 123. 124. 125. 120. 127. 128.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0) E(I)=E(I-1) +DE(I) V(1)=-SGRT(2.0*E(1)/EMB) 27 IF(XT(I-1)*LT*.1.0)GO TO 24 EPSB=EPST FB(I)=FST-SKT*(XT(I)-1.0) GO TO 25 24 FB(I)=FB(I)-SKB*XT(I) 25 DET(I)=DXT(I)*(FB(I-1)+FB(I))*EPSB/2.0	107 108 109 110 111 - 112 113
00370 00371 00372 00373 00575 00376 00577 00400	120. 121. 122. 123. 124. 125. 120. 127.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0) E(1)=E(1-1) +DE(I) V(1)=-SGRT(2.0*E(1)/EMB) 27 IF(XT(I-1)*LT·1.0)60 TO 24 EPSB=EPST FB(I)=FST-SKT*(XT(I)-1.0) GO TO 25 24 FB(I)=FB(1)-SKD*XT(I)	107 108 109 110 111 112 113 114 115
00370 00371 00372 00373 00575 00376 00577 00400 00401 00402	120. 121. 122. 123. 124. 125. 120. 127. 128. 129.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0) E(1)=E(1-1) +DE(I) V(1)=-SGRT(2.u*E(1)/EMB) 27 IF(XT(I-1)*LT·1.0)60 TO 24 EPSB=EPST FB(1)=FST-SKT*(XT(I)-1.0) GO TO 25 24 FB(1)=FB(1)-SKB*XT(I) 25 DET(I)=CXT(I)*(FB(I-1)+FB(I))*EPSB/2.0 ET(I)=ET(I-1)+DET(I) VT(I)=SGRT(2.u*ET(I)/EMT) T(I)=T(I-1)+1000.0*DT	107 108 109 110 111 112 113 114 115
00370 00371 00372 00373 00575 00376 00577 00400 00401 00402 00403 00404 00405	120. 121. 122. 123. 124. 125. 120. 127. 128. 129. 130. 131. 132.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(I)=E(I-1) +DE(I)  V(1)=-SGRT(2.0*E(1)/EMR)  27 IF (XT(I-1)*LT·1.0)GD TO 24  EPSB=EPST  FB(I)=FST-SKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(I)=DXT(I)*(FB(I-1)*FB(I))*EPSB/2.0  ET(I)=ET(I-1)*DET(I)  VT(I)=SGRT(2.0*ET(I)/EMT)  T(I)=T(I-1)*1000.0*DT  IF(XT(I)*LT·2.0)GO TO 100	107 108 109 110 111 112 113 114 115 116 117
00370 00371 00373 00373 00575 00376 00577 00400 00401 00402 00403 00403 00405 00407	120. 121. 122. 123. 124. 125. 120. 127. 120. 130. 131. 131. 133.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0) E(1)=E(1-1) +DE(I) V(1)=-SGRT(2.0*E(1)/EMR) 27 IF(XT(I-1).LT.1.0)60 TO 24 EPSE=EPST FB(I)=FST-SKT*(XT(I)-1.0) GO TO 25 24 FB(1)=FB(1)-SKB*XT(I) 25 DET(I)=DXT(I)*(FB(I-1)+Fb(I))*EPSB/2.0 ET(I)=ET(I-1)+DET(I) VT(I)=SGRT(2.0*ET(I)/EMT) T(I)=T(I-1)+1000.0*DT IF(XT(I).LT.2.0)GO TO 100 GO TO 26	107 108 109 110 111 112 113 114 115 116 117 118 1194
00370 00371 00372 00373 00575 00376 00577 00400 00401 00402 00403 00404 00405 00407	120. 121. 122. 123. 124. 125. 120. 127. 128. 129. 131. 131. 132. 133.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(1)=E(1-1) +DE(I)  V(1)=-SGRT(2.0*E(1)/EMB)  27 IF(XT(I-1).LT.1.0)60 TO 24  EPSB=EPST  FB(1)=FST-SKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(I)=CXT(I)*(FB(I-1)+Fb(I))*EPSB/2.0  ET(I)=ET(I-1)+DET(I)  VT(I)=SGRT(2.0*ET(I)/EMT)  T(I)=T(I-1)+1000.0*DT  IF(XT(I).LT.2.0)GO TO 100  GO TO 26  100 CONTINUE	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B
00370 00371 00373 00575 00376 00577 00400 00401 00402 00403 00403 00404 00405 00407 00410	120 · 121 · 122 · 123 · 124 · 125 · 127 · 128 · 129 · 130 · 131 · 132 · 133 · 134 · 135 ·	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(1)=E(1-1) +DE(I)  V(1)=-SGRT(2.u*E(1)/EMR)  27 IF(XT(I-1)*LT·1.0)60 TO 24  EPSB=EPST  FB(1)=FST-SKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(I)=CXT(I)*(FB(I-1)*FB(I))*EPSB/2.0  ET(I)=ET(I-1)*DET(I)  VT(I)=SGRT(2.u*ET(I)/EMT)  T(I)=T(I-1)*1000.0*DT  IF(XT(I)*LT·2.0)GO TO 100  GO TO 26  100 CONTINUE  26 WRITE(6,102)	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120
00370 00371 00373 00373 00575 00376 00577 00400 00401 00402 00403 00403 00407 00410 00412	120. 121. 122. 123. 124. 125. 120. 127. 128. 139. 131. 132. 133. 134. 135.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(1)=E(1-1) + DE(I)  V(1)=-SGRT(2.0*E(1)/EMR)  27 IF(XT(I-1).LT.1.0)60 TO 24  EPSE=EPST  EB(I)=FSKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(I)=DXT(I)*(FB(I-1)+FB(I))*EPSB/2.0  ET(I)=ET(I-1)+DET(I)  VT(I)=SGRT(2.0*ET(I)/EMT)  T(I)=T(I-1)+1000.0*DT  IF(XT(I).LT.2.0)GO TO 100  GO TO 26  100 CONTINUE  26 WRITE(6.102)  WRITE(6.103)(U.DXB(U).DXB(U).XT(U).XB(U).XT(U).FB(U).	107 108 109 110 111 112 113 114 115 116 117 118 1194 1198 120
00370 00371 00373 00373 00575 00376 00577 00400 00401 00403 00403 00404 00405 00401 00412 00414 00414	120. 121. 122. 123. 124. 125. 120. 127. 120. 130. 131. 132. 133. 134. 135.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(1)=E(1-1) +DE(I)  V(1)=-SGRT(2.0*E(1)/EMR)  27 IF(XT(I-1).LT.1.0)60 TO 24  EPSB=EPST  FB(I)=FST-SKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(I)=CXT(I)*(FB(I-1)+Fb(I))*EPSB/2.0  ET(I)=ET(I-1)+DET(I)  VT(I)=SGRT(2.0*ET(I)/EMT)  T(I)=T(I-1)+1000.0*DT  IF(XT(I).LT.2.0)GO TO 100  GO TO 26  100 CONTINUE  26 WRITE(6,102)  WRITE(6,103)(U,GX(U),DXB(U),XB(U),XT(U),F(U),FB(U),  1 J = 1,I)	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122 123
00370 00371 00372 00373 00575 00577 00400 00401 00402 00403 00403 00404 00405 00414 00414 00414 00431	120. 121. 122. 123. 124. 125. 120. 127. 128. 139. 131. 132. 133. 134. 135. 136. 137.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(1)=E(1-1) +DE(I)  V(1)=-SGRT(2.u*E(1)/EMR)  27 IF(XT(I-1)*LT·1.0)60 TO 24  EPSB=EPST  FB(1)=FST-SKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(I)=CXT(I)*(FB(I-1)+Fb(I))*EPSB/2.0  ET(I)=ET(I-1)+DET(I)  VT(I)=SGRT(2.u*ET(I)/EMT)  T(I)=T(I-1)+1000.0*DT  IF(XT(I)*LT·2.0)60 TO 100  GO TO 26  100 CONTINUE  26 WRITE(6,102)  WRITE(6,103)(J,DX(J)*DXB(J)*DXT(J)*XB(J)*XT(J)*,F(J)*FB(J)*  1 J = 1*I)  WRITE(6,104)	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122
00370 00371 00373 00373 00575 00376 00577 00400 00401 00402 00403 00407 00410 00414 00414 00414 00413	120. 121. 122. 123. 124. 125. 120. 127. 129. 130. 131. 132. 133. 134. 135. 136. 137. 138.	23 DE(1)=ABS(DXB(1)*(F(1)+F(I-1))*EPS/2.0)  E(1)=E(1-1) +DE(1)  V(1)=-SGRT(2.u*E(1)/EMR)  27 IF(XT(I-1)*LT·1.0)60 TO 24  EPSB=EPST  FB(1)=FST-SKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(1)=CXT(I)*(FB(I-1)*FB(I))*EPSB/2.0  ET(1)=ET(I-1)*DET(I)  VT(1)=SGRT(2.u*ET(I)/EMT)  T(1)=T(I-1)*1000.0*DT  IF(XT(I)*LT·2.0)GO TO 100  GO TO 26  100 CONTINUE  26 WRITE(6,102)  WRITE(6,103)(J,DX(J)*DXB(J)*DXT(J)*XB(J)*XT(J)*, F(J)*FB(J)*  1 J = 1;I)  WRITE(6,104)  102 FORMAT(1H1/12X*57HTABLE 2-5 COUNTERRECOIL DYNAMICS OF DELAYED BLOW	107 108 109 110 111 112 113 114 115 116 117 118 119A 120 121 122 123 124
00370 00371 00372 00373 00575 00577 00400 00401 00402 00403 00403 00404 00405 00414 00414 00414 00431	120. 121. 122. 123. 124. 125. 120. 127. 128. 139. 131. 132. 133. 134. 135. 136. 137.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(1)=E(1-1) +DE(I)  V(1)=-SGRT(2.u*E(1)/EMR)  27 IF(XT(I-1)*LT·1.0)60 TO 24  EPSB=EPST  FB(1)=FST-SKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(I)=CXT(I)*(FB(I-1)+Fb(I))*EPSB/2.0  ET(I)=ET(I-1)+DET(I)  VT(I)=SGRT(2.u*ET(I)/EMT)  T(I)=T(I-1)+1000.0*DT  IF(XT(I)*LT·2.0)60 TO 100  GO TO 26  100 CONTINUE  26 WRITE(6,102)  WRITE(6,103)(J,DX(J)*DXB(J)*DXT(J)*XB(J)*XT(J)*,F(J)*FB(J)*  1 J = 1*I)  WRITE(6,104)	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122 123 124 125A
00370 00371 00373 00575 00376 00577 00400 00401 00403 00405 00407 00410 00414 00414 00413 00433 00433	120. 121. 122. 123. 124. 125. 120. 127. 129. 130. 131. 132. 133. 134. 135. 136. 137. 138. 139. 140. 141.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(1)=E(1-1) +DE(I)  V(1)=-SGRT(2.0*E(1)/EMR)  27 IF(XT(I-1).LT.1.0)60 TO 24  EPSE=EPST  FB(1)=FSKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SK6*XT(I)  25 DET(I)=DXI(I)*(FB(I-1)+Fb(I))*EPSB/2.0  ET(I)=ET(I-1)+DET(I)  VT(I)=SGRT(2.0*ET(I)/EMT)  T(I)=T(I-1)+1000.0*DT  IF(XT(I).LT.2.0)GO TO 100  GO TO 26  100 CONTINUE  26 WRITE(6,102)  WRITE(6,103)(J,DX(J),DXB(J),DXT(J),XB(J),XT(J),F(J),FB(J),  1 J = 1,I)  WRITE(6,104)  102 FORMAT(1H1/12X.57HTABLE 2-5 COUNTERRECOIL DYNAMICS OF DELAYED BLOW  1 BACK GUN//  2 14X.63H RELATIVE DELTA DELTA TOTAL TOTAL D  3RIVING BARREL/77H INCRE— DELTA BOLT BARREL 80L	107 108 109 110 111 112 113 114 115 116 117 118 1194 120 121 122 123 124 1254 1258 126 127
00370 00371 00373 00575 00376 00577 00400 00401 00403 00403 00407 00410 00414 00414 00414 00433 00433 00433	120. 121. 122. 123. 124. 125. 120. 127. 128. 130. 131. 132. 133. 134. 135. 136. 137. 138. 140. 141. 142.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(1)=E(1-1) + DE(I)  V(1)=-SGRT(2.u*E(1)/EMB)  27 IF(XT(I-1).LT.1.0)60 TO 24  EPSB=EPST  FB(1)=FST-SKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(I)=CXT(I)*(FB(I-1)*Fb(I))*EPSB/2.0  ET(I)=ET(I-1)+DET(I)  VT(I)=SGRT(2.u*ET(I)/EMT)  T(I)=T(I-1)+1000.0*DT  IF(XT(I).LT.2.0)GO TO 100  GO TO 26  100 CONTINUE  26 WRITE(6.102)  WRITE(6.103)(J.DX(J).DXB(J).DXT(J).XB(J).XT(J).F(J).FB(J).  1 J = 1.I)  WRITE(6.104)  102 FORMAT(1H1/12X.57HTABLE 2-5 COUNTERRECOIL DYNAMICS OF DELAYED BLOW  1 BACK GUN//  2 14X.63H RELATIVE DELTA DELTA TOTAL TOTAL D  3RIVING EARREL/77H INCRE- DELTA BOLT BARREL 80L	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122 123 124 125A 125B
00370 00371 00373 00575 00376 00577 00400 00402 00403 00403 00410 00412 00414 00414 00433 00433 00433	120. 121. 122. 123. 124. 125. 120. 127. 128. 139. 131. 132. 135. 136. 137. 138. 139. 140. 141. 142. 143.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(1)=E(1-1) + DE(I)  V(1)=-SGRT(2.0*E(1)/EMR)  27 IF(XT(I-1).LT.1.0)60 TO 24  EPSB=EPST  FB(1)=FST-SKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(I)=CXT(I)*(FB(I-1)+Fb(I))*EPSB/2.0  ET(I)=ET(I-1)+DET(I)  VT(I)=SGRT(2.0*ET(I)/EMT)  T(I)=T(I-1)+1000.0*DT  IF(XT(I).LT.2.0)GO TO 100  GO TO 26  100 CONTINUE  26 WRITE(6.102)  WRITE(6.103)(U,DX(U),DXB(U),DXT(U),XB(U),XT(U),F(U),FB(U),  1 J = 1,I)  WRITE(6.104)  102 FORMAT(111/12X.57HTABLE 2-5 COUNTERRECOIL DYNAMICS OF DELAYED BLOW  1 BACK GUN//  2 14X.63H RELATIVE DELTA DELTA TOTAL TOTAL D  3RIVING BARREL/77H INCRE- DELTA BOLT BARREL BOL  4T BARREL SPRING SPRING/6X.70H MENT TRAVEL TRAVEL T  5RAVEL TRAVEL TRAVEL FORCE FORCE/BX.1HI,7X.60H INCH I	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122 123 124 125A 125B 126 127 128
00.370 00.371 00.373 00.575 00.376 00.577 00.400 00.401 00.402 00.403 00.407 00.412 00.414 00.414 00.433 00.433 00.433 00.433 00.433	120. 121. 122. 123. 124. 125. 120. 127. 129. 130. 131. 132. 133. 134. 135. 136. 137. 138. 139. 140. 141. 142. 143.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(1)=E(1-1) +DE(I)  V(1)=-SGRT(2.0*E(1)/EMR)  27 IF(XT(I-1).LT.1.0)GD TO 24  EPSE=EPST  FB(1)=FST-SKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(I)=EXI(I)*(FB(I-1)+Fb(I))*EPSB/2.0  ET(I)=EXI(I)*(FB(I-1)+Fb(I))  VT(1)=SGRT(2.0*ET(I)/EMT)  T(1)=T(I-1)+1000.0*DT  IF(XT(I).LT.2.0)GO TO 100  GO TO 26  100 CONTINUE  26 WRITE(6.102)  WRITE(6.103)(J.DX(J).DXB(J).DXT(J).XB(J).XT(J).F(J).FB(J).  1 J = 1,I)  WRITE(6.104)  102 FORMAT(1H1/12X.57HTABLE 2-5 COUNTERRECOIL DYNAMICS OF DELAYED BLOW  1 BACK GUN//  2 14X.63H RELATIVE DELTA DELTA TOTAL TOTAL D  3RIVING BARREL/77H INCRE- DELTA BOLT BARREL BOL  4T BARREL SPRING SPRING/6X.70H MENT TRAVEL TRAVEL T  5RAVEL THAVEL TRAVEL FORCE FORCE/8X.1H1.7X.60H INCH I  6NCH INCH INCH POUND POUND//)	107 108 109 110 111 112 113 114 115 116 117 118 119A 120 121 122 123 124 125A 125B 126 127 128 129 130
00370 00371 00373 00575 00376 00577 00400 00401 00402 00403 00407 00414 00414 00414 00433 00433 00433 00433 00433	120. 121. 122. 123. 124. 125. 120. 127. 120. 131. 132. 131. 135. 136. 137. 138. 139. 140. 141. 142. 143. 144.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(1)=E(1-1) + DE(I)  V(1)=-SGRT(2.0*E(1)/EMR)  27 IF(XT(I-1).LT.1.0)60 TO 24  EPSE=EPST  FB(I)=FSC+SKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(I)=CXT(I)*(FB(I-1)+Fb(I))*EPSB/2.0  ET(I)=ET(I-1)+DET(I)  VT(I)=SGRT(2.0*ET(I)/EMT)  T(I)=T(I-1)+1000.0*DT  IF(XT(I).LT.2.0)GO TO 100  GO TO 26  100 CONTINUE  26 WRITE(6.102)  WRITE(6.103)(J,DX(J),DXB(J).DXT(J),XB(J),XT(J),F(J),FB(J),  1 J = 1:I)  WRITE(6.104)  102 FORMAT(1H1/12X.57HTABLE 2-5 COUNTERRECOIL DYNAMICS OF DELAYED BLOW  1 BACK GUN//  2 14X.63H RELATIVE DELTA DELTA TOTAL D  3RIVING BARREL/77H INCRE- DELTA BOLT BARREL BOL  4T BARREL SPRING SPRING/6X.70H MENT TRAVEL TRAVEL T  5RAVEL TRAVEL TRAVEL FORCE FORCE/8X.1HI.7X.60H INCH I  6NCH INCH INCH INCH POUND POUND//)  103 FORMAT(19:F12.3.2F9.3):F9.3;F9.2;F10.1)	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122 123 124 125A 125B 127 128 129 130
00370 00371 00373 00575 00376 00577 00400 00403 00403 00403 00412 00414 00414 00431 00433 00433 00433 00433 00433	120. 121. 122. 123. 124. 125. 120. 127. 120. 131. 132. 134. 135. 136. 137. 138. 139. 140. 141. 142. 143. 144. 145.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(1)=E(1-1) + DE(I)  V(1)=-SGRT(2.0*E(1)/EMR)  27 IF(XT(I-1).LT.1.0)60 TO 24  EPSB=EPST  FB(I)=FS(-SKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(I)=CXT(I)*(FB(I-1)+Fb(I))*EPSB/2.0  ET(I)=ET(I-1)+DET(I)  VT(I)=SGRT(2.0*ET(I)/EMT)  T(I)=T(I-1)+1000.0*DT  IF(XT(I).LT.2.0)GO TO 100  GO TO 26  100 CONTINUE  26 WRITE(6,102)  WRITE(6,103)(J,DX(J),DXB(J),DXT(J),XB(J),XT(J),F(J),FB(J),  1 J = 1,I)  WRITE(6,104)  102 FORMAT(111/12X.57HTABLE 2-5 COUNTERRECOIL DYNAMICS OF DELAYED BLOW  1 BACK GUN//  2 14X.63H RELATIVE DELTA DELTA TOTAL TOTAL D  3RIVING BARREL/77H INCRE- DELTA BOLT BARREL 80L  4T BARREL SPRI'NG SPRING/6X.70H MENT TRAVEL TRAVEL T  5RAVEL TRAVEL TRAVEL FORCE FORCE/8X.1HI.7X.60H INCH I  6NCH INCH INCH INCH POUND POUND//)  103 FORMAT(IHI/9X.62HTABLE 2-5 CONTD-COUNTERRECOIL DYNAMICS OF DELAYED	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122 123 124 125A 125B 126 127 128 129 130 131
00.370 00.371 00.372 00.373 00.575 00.376 00.577 00.400 00.401 00.402 00.403 00.407 00.412 00.414 00.413 00.433 00.433 00.433 00.433 00.433 00.433 00.433	120. 121. 122. 123. 124. 125. 120. 127. 129. 130. 131. 132. 133. 134. 135. 136. 137. 138. 139. 140. 141. 142. 143. 145. 140. 147. 148.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(1)=E(1-1) + DE(I)  V(1)=-SGRT(2.0*E(1)/EMB)  27 IF(XT(I-1).LT.1.0)60 TO 24  EPSB=EPST  FB(1)=FST-SKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(I)=CXT(I)*(FB(I-1)*Fb(I))*EPSB/2.0  ET(I)=ET(I-1)+DET(I)  VT(I)=SGRT(2.0*ET(I)/EMT)  T(I)=T(I-1)+1000.0*DT  IF(XT(I).LT.2.0)GO TO 100  GO TO 26  100 CONTINUE  26 WRITE(6.102)  WRITE(6.103)(J.DX(J).DXB(J).DXT(J).XB(J).XT(J).F(J).FB(J).  1 J = 1.1)  WRITE(6.104)  102 FORMAT(1H1/12X.57HTABLE 2-5 COUNTERRECOIL DYNAMICS OF DELAYED BLOW  1 BACK GUN//  2 14X.63H RELATIVE DELTA DELTA TOTAL TOTAL D  3RIVING BARREL/77H INCRE- DELTA BOLT BARREL 80L  4T BARREL SPRING SPRING/6X.70H MENT TRAVEL TRAVEL T  5RAVEL TRAVEL TRAVEL FORCE FORCE/BX.HII.7X.60H INCH I  6NCH INCH INCH INCH POUND POUND//)  103 FORMAT(191512.3.259.3.F1U.3.F9.3.F9.2.F10.1)  104 FORMAT(191512.3.259.3.F1U.3.F9.3.F9.2.F10.1)  105 FORMAT(191512.3.259.3.F1U.3.F9.3.F9.2.F10.1)  106 FORMAT(191712.3.259.3.F1U.3.F9.3.F9.2.F10.1)	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122 123 124 125A 125B 126 127 128 129 130 131
00370 00371 00373 00575 00376 00577 00400 00403 00403 00403 00412 00414 00414 00431 00433 00433 00433 00433 00433	120. 121. 122. 123. 124. 125. 120. 127. 120. 131. 132. 134. 135. 136. 137. 138. 139. 140. 141. 142. 143. 144. 145.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0)  E(1)=E(1-1) + DE(I)  V(1)=-SGRT(2.0*E(1)/EMR)  27 IF(XT(I-1).LT.1.0)GD TO 24  EPSE=EPST  FB(I)=FSKT*(XT(I)-1.0)  GO TO 25  24 FB(1)=FB(1)-SKB*XT(I)  25 DET(I)=DXT(I)*(FB(I-1)+FB(I))*EPSB/2.0  ET(I)=ET(I-1)+DET(I)  VT(I)=SGRT(2.0*ET(I)/EMT)  T(I)=T(I-1)+1000.0*DT  IF(XT(I).LT.2.0)GO TO 100  GO TO 26  100 CONTINUE  26 WRITE(6.102)  WRITE(6.103)(J.DX(J).DXB(J).DXT(J).XB(J).XT(J).F(J).FB(J).  1 J = 1.I)  WRITE(6.104)  102 FORMAT(1H1/12X.57HTABLE 2-5 COUNTERRECOIL DYNAMICS OF DELAYED BLOW  1 BACK GUN//  2 14X.63H RELATIVE DELTA DELTA TOTAL TOTAL D  3RIVING BARREL/77H INCRE- DELTA BOLT BARREL BOL  4T BARREL SPRING SPRING/6X.70H MENT TRAVEL TRAVEL T  5RAVEL TRAVEL TRAVEL FORCE FORCE/BX.1HI.7X.60H INCH I  6NCH INCH INCH INCH POUND POUND//)  103 FORMAT(19.F12.3.2F9.3.F1U.3.F9.3.F9.2.FIG.1)  104 FORMAT(1H1/9X.62HTABLE 2-5 CONTD-COUNTERRECOIL DYNAMICS OF DELAYED  1 BLOWBACK GUN//  2 25X.14H DELTA DELTA/6X.6HINCRE13X.53H BOLT BARREL	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122 123 124 125A 125B 126 127 128 129 130 131
00370 00371 00373 00575 00376 00577 00400 00402 00403 00407 00412 00414 00414 00414 00433 00433 00433 00433 00433 00433	120. 121. 122. 123. 124. 125. 120. 127. 128. 130. 131. 132. 133. 134. 135. 136. 137. 138. 140. 141. 142. 143. 145. 140. 147. 148. 149.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0}  E(1)=E(1-1) +DE(I) V(1)=-SGRT(2.0*E(1)/EMR)  27 IF(XT(I-1).LT.1.0)GO TO 24 EPSE=EPST FB(1)=FSKT*(XT(I)-1.0) GO TO 25  24 FB(1)=FB(1)-SKB*XT(I) 25 DET(I)=CXI(I)*(FB(I-1)+Fb(I))*EPSB/2.0 ET(I)=ET(I-1)+DET(I) VT(I)=SGRT(2.0*ET(I)/EMT) T(I)=T(I-1)+1000.0*DT IF(XT(I).LT.2.0)GO TO 100 GO TO 26  100 CONTINUE 26 WRITE(6.102) WRITE(6.103)(J.DX(J).DXB(J).DXT(J).XB(J).XT(J).F(J).FB(J). 1 J = 1,I) WRITE(6.104)  102 FORMAT(1H1/12X.57HTABLE 2-5 COUNTERRECOIL DYNAMICS OF DELAYED BLOW 1 BACK GUN// 2 14X.63H RELATIVE DELTA DELTA TOTAL TOTAL D 3RIVING BARREL/77H INCRE- DELTA BOLT BARREL BOL 4T BARREL SPRING SPRING/6X.70H MENT TRAVEL TRAVEL T 5RAVEL TRAVEL TRAVEL FORCE FORCE/BX.1HI.7X.60H INCH I 6NCH INCH INCH INCH POUND POUND//) 103 FORMAT(19:F12.3.2F9.3:F10.3:F9.2:F10.1) 104 FORMAT(19:F12.3.2F9.3:F10.3:F9.2:F10.1) 105 FORMAT(19:F12.3.2F9.3:F10.3:F9.2:F10.1) 106 FORMAT(1H1/9X.62HTABLE 2-5 CONTD-COUNTERPCOIL DYNAMICS OF DELAYED 1 BLOWBACK GUN// 2 25X.14H DELTA DELTA/6X.6HINCRE-,13X.53H BOLT BARREL 3 BOLT BARREL BOLT BARREL/6X.74H MENT TIME ENE 4RGY ENERGY ENERGY VELOCITY VELOCITY/9X.71H.7X.755H	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122 123 124 125A 125B 126 127 128 129 130 131
00370 00371 00373 00575 00376 00577 00400 00401 00402 00403 00407 00414 00414 00414 00433 00433 00433 00433 00433 00435 00435	120. 121. 122. 123. 124. 125. 120. 127. 128. 130. 131. 132. 133. 134. 135. 136. 137. 138. 140. 141. 142. 143. 145. 140. 147. 148. 149. 150.	23 DE(1)=ABS(DXB(1)*(F(I)+F(I-1))*EPS/2.0} E(1)=E(1-1) + DE(I) V(1)=-SGRT(2.0*E(1)/EMR) 27 IF(XT(I-1).LT.1.0)GD TO 24 EPSE=EPST FB(I)=FST-SKT*(XT(I)-1.0) GO TO 25 24 FB(1)=FB(1)-SKB*XT(I) 25 DET(I)=DXT(I)*(FB(I-1)+Fb(I))*EPSB/2.0 ET(I)=ET(I-1)+DET(I) VT(I)=SGRT(2.0*ET(I)/EMT) T(I)=T(I-1)+1000.0*DT IF(XT(I).LT.2.0)GO TO 100 GO TO 26 100 CONTINUE 26 WRITE(6.102) WRITE(6.103)(J.DX(J).DXB(J).DXT(J).XB(J).XT(J).F(J).FB(J). 1 J = 1.I) WRITE(6.104) 102 FORMAT(1H1/12X.57HTABLE 2-5 COUNTERRECOIL DYNAMICS OF DELAYED BLOW 1 BACK GUN// 2 14X.63H RELATIVE DELTA DELTA TOTAL TOTAL D 3RIVING DARREL/77H INCRE- DELTA BOLT BARREL 80L 4T BARREL SPRING SPRING/6X.70H MENT TRAVEL TRAVEL T 5RAVEL TRAVEL TRAVEL FORCE FORCE/BX.1HI.7Xx.60H INCH I 6NCH INCH INCH INCH POUND POUND//) 103 FORMAT(19:F12.3.2F9.3:F1U.3:F9.3.F9.2:FID.1) 104 FORMAT(1H1/9X.62HTABLE 2-5 CONTD-COUNTERRCOIL DYNAMICS OF DELAYED 1 BLOWBACK GUN// 2 25X.14H DELTA DELTA/6X.6HINCRE13X.53H BOLT BARREL 3 BOLT BARREL BOLT BARREL/6X.74H MENT TIME ENE 4RGY ENERGY ENERGY ENERGY VELOCITY VELOCITY/8X.71H.7X.63H 5 MSEC 1N-LB IN-LP 1N-LB IN-LB IN/SEC IN/SEC//)	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122 123 124 125A 125B 126 127 128 129 130 131 132A 132B 133 134 135 136
00370 00371 00373 00575 00376 00577 00400 00401 00403 00403 00405 00414 00414 00414 00431 00433 00433 00433 00433 00433 00433 00435 00435 00435	120 · 121 · 122 · 123 · 124 · 125 · 120 · 127 · 120 · 130 · 131 · 132 · 133 · 134 · 135 · 137 · 138 · 140 · 141 · 142 · 145 · 140 · 147 · 145 · 140 · 151 · 151 · 152 ·	23 DE(1)=ABS(DXB(1)*(F(I)*F(I-1))*EPS/2.0) E(1)=E(1-1)	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122 123 124 125A 125B 126 127 128 129 130 131 132A 132B 133 134 135 136 137
00.370 00.371 00.373 00.373 00.375 00.376 00.401 00.402 00.403 00.403 00.407 00.414 00.414 00.414 00.433 00.433 00.433 00.433 00.433 00.433 00.433 00.433 00.433 00.435 00.435 00.435 00.435 00.435 00.435 00.435 00.435	120. 121. 122. 123. 124. 125. 120. 127. 129. 130. 131. 132. 133. 134. 135. 136. 137. 138. 139. 140. 141. 145. 140. 147. 148. 149. 1501.	23 DE(1)=ABS(DXB(1)*(F(I)*F(I-1))*EPS/2.0) E(1)=E(1-1) V(1)=-SCRT(2.0*E(1)/EMR) 27 IF(XT(I-1).LT.1.0)60 TO 24 EPSB=EPST FB(1)=FST-SKT*(XT(I)-1.0) GO TO 25 24 FB(1)=FB(1)-SKB*XT(I) 25 DET(I)=CXT(I)*(FB(I-1)*Fb(I))*EPSB/2.0 ET(I)=EXT(I)+DET(I) VT(I)=SCRT(2.0*ET(I)/EMT) T(1)=T(I-1)*1000.0*DT IF(XT(I).LT.2.0)GO TO 100 GO TO 26 100 CONTINUE 26 WRITE(6.102) WRITE(6.103)(J.DX(J),DXB(J),DXT(J),XB(J),XT(J),F(J),FB(J), 1 J = 1,1) WRITE(6.104) 102 FORMAT(1H1/12X.57)TABLE 2-5 COUNTERRECOIL DYNAMICS OF DELAYED BLOW 1 BACK GUM// 2 14X.63H RELATIVE DELTA DELTA TOTAL TOTAL D 3RIVING BARREL/77H INCRE- DELTA BOLT BARREL BOL 4T BARREL SPRING SPRING/6X.70H MENT TRAVEL TRAVEL T 5RAVEL TRAVEL FORCE FORCE/8X.1HI.7X.60H INCH I 6NCH INCH INCH POUND POUND//) 103 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 104 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 105 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 106 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 107 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 108 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 109 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 109 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 100 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 101 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 102 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 103 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 104 FORMAT(19.F12.3.ZF9.3.F10.3.F9.3.F9.2.F10.1) 105 FORMAT(19.F12.3.ZF9.3.F10.3.F9.3.F9.2.F10.1) 106 FORMAT(19.F12.3.ZF9.3.F10.3.F9.3.F9.2.F10.1) 107 FORMAT(19.F12.3.ZF9.3.F10.3.F9.3.F9.2.F10.1) 108 FORMAT(19.F12.3.ZF9.3.F10.3.F9.3.F9.2.F10.1) 109 FORMAT(19.F12.3.ZF9.3.F10	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122 123 124 125A 125A 125B 126 127 128 129 130 131 132A 132B 133 134 135 136 137 138
00370 00371 00373 00575 00376 00577 00400 00401 00402 00403 00407 00414 00414 00414 00433 00433 00433 00433 00433 00433 00435 00435 00435	120. 121. 122. 123. 124. 125. 120. 127. 128. 130. 131. 132. 133. 134. 135. 136. 137. 138. 140. 141. 142. 143. 145. 140. 147. 148. 149. 150. 151. 150.	23 DE(1)=ABS(DXB(1)*(F(1)+F(1-1))*EPS/2.0) E(1)=E(1-1)	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122 123 124 125A 125B 126 127 128 129 130 131 132A 132B 133 134 135 136 137 137
00.370 00.371 00.373 00.373 00.375 00.376 00.401 00.402 00.403 00.403 00.407 00.414 00.414 00.414 00.433 00.433 00.433 00.433 00.433 00.433 00.433 00.433 00.433 00.435 00.435 00.435 00.435 00.435 00.435 00.435 00.435	120. 121. 122. 123. 124. 125. 120. 127. 129. 130. 131. 132. 133. 134. 135. 136. 137. 138. 139. 140. 141. 145. 140. 147. 148. 149. 1501.	23 DE(1)=ABS(DXB(1)*(F(I)*F(I-1))*EPS/2.0) E(1)=E(1-1) V(1)=-SCRT(2.0*E(1)/EMR) 27 IF(XT(I-1).LT.1.0)60 TO 24 EPSB=EPST FB(1)=FST-SKT*(XT(I)-1.0) GO TO 25 24 FB(1)=FB(1)-SKB*XT(I) 25 DET(I)=CXT(I)*(FB(I-1)*Fb(I))*EPSB/2.0 ET(I)=EXT(I)+DET(I) VT(I)=SCRT(2.0*ET(I)/EMT) T(1)=T(I-1)*1000.0*DT IF(XT(I).LT.2.0)GO TO 100 GO TO 26 100 CONTINUE 26 WRITE(6.102) WRITE(6.103)(J.DX(J),DXB(J),DXT(J),XB(J),XT(J),F(J),FB(J), 1 J = 1,1) WRITE(6.104) 102 FORMAT(1H1/12X.57)TABLE 2-5 COUNTERRECOIL DYNAMICS OF DELAYED BLOW 1 BACK GUM// 2 14X.63H RELATIVE DELTA DELTA TOTAL TOTAL D 3RIVING BARREL/77H INCRE- DELTA BOLT BARREL BOL 4T BARREL SPRING SPRING/6X.70H MENT TRAVEL TRAVEL T 5RAVEL TRAVEL FORCE FORCE/8X.1HI.7X.60H INCH I 6NCH INCH INCH POUND POUND//) 103 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 104 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 105 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 106 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 107 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 108 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 109 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 109 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 100 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 101 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 102 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 103 FORMAT(19.F12.3.2F9.3.F10.3.F9.3.F9.2.F10.1) 104 FORMAT(19.F12.3.ZF9.3.F10.3.F9.3.F9.2.F10.1) 105 FORMAT(19.F12.3.ZF9.3.F10.3.F9.3.F9.2.F10.1) 106 FORMAT(19.F12.3.ZF9.3.F10.3.F9.3.F9.2.F10.1) 107 FORMAT(19.F12.3.ZF9.3.F10.3.F9.3.F9.2.F10.1) 108 FORMAT(19.F12.3.ZF9.3.F10.3.F9.3.F9.2.F10.1) 109 FORMAT(19.F12.3.ZF9.3.F10	107 108 109 110 111 112 113 114 115 116 117 118 119A 119B 120 121 122 123 124 125A 125A 125B 126 127 128 129 130 131 132A 132B 133 134 135 136 137 138

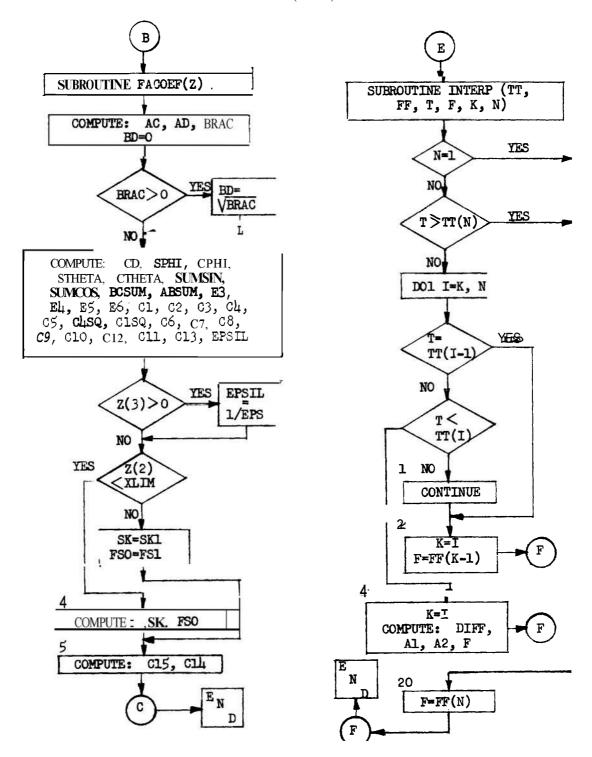
### A-3. FLOW CHART FOR RETARDED BLOWBACK



A-3. (Con't.)



### A-3. (Con't.)



# A-4. LISTING FOR RETARDED **BLOWBACK** PROGRAM

		and the second s	
00101	1.	DIMENSION FG(96),Z(3),Q(3),AK(3),TG(96),A(4),B(4),C(4)	1
00103	2	COMMON AZ,ABC,ABSQ,AB,BC,EYEB,E1,E2,EYEC,E7,EMR,EPS,XLIM,SK1,FS1,	8
-00103		1SK2;FS2;E3;E4;E5;E6;C1;C2;C3;C4;C5;C6;C7;C8;C9;C10;C11;C12;C13;C14	3
00103	4.	2,C15,AC,AD,BD,CD,FS0,SUMSIN,SUMCOS,SPHI,CPHI,STHETA,CTHETA	4
00404	-	TOURIST 17(1) -1 (7(2) H) (7(3) NELL	•
00104	<b>5</b> .	EQUIVALENCE (Z(1),T),(Z(2),X),(Z(3),VEL)	2
00105	6.	DATA A(1)+C(1)+C(4)+B(1)+B(4)+B(2)+B(3)+A(3)+C(3)+A(2)+C(2)+A(4)/	3
00105	7.	D 3*.5,2*2.,2*1.,2*1.70710678,2*.292893219,.166666667/	4
00122	8.	READ(5,1)n,DT,N9,DTFG,NP0,TCHANG,DTNEW,NHEAD	5
00134	9.	1 FORMAT(16,E12.0,16,E12.0,16,2E12.0,16)	6
00135	10.	READ(5,2)XREC,XLIM,AB,BC,WB,WAB,WBC,G,SK1,SK2,FS1,FS2,AZ,EPS,XBATY	7
00156	11.	ABSQ = AB*AB	88
00157	12.	BCSQ = BC*BC	88
00160	13.	ABC = ABSQ - BCSQ	8C
00161	14.	EMB = WB/G	80
00162	15.	EMAB = WAB/G	8E
00163	16•	EMR = EMB + EMAB	8F
00164	17∙	EYEB = EMAB*ABSQ/12.0	86
00165	18a	EMBC = WBC/G	8н
00166	19.	EYEC = EMBC*BCSQ/12.0	81
00167	20∙	2 FORMAT(6E12.0)	9
00170	21.	READ(5,15)(FG(I+1),I=1,N9)	10
00176	22•	15 FORMAT(9F8+0)	11
00177	23.	EI = EMAB*AB/2.0	12A
00200	24.	E2=EMBC*BC/2.U	128
-00201	25.	E7=EYEC/BC-E2/2.0	
			12c
00202	26 a	FG(1)=0.0	13A
00203	27•	TG(1)=0.	13B
00204	26.	N8=N9+ 1	13C
00205	29∙	DO 20 I=1,N9	14
00210	30.	20 TG(I+1)=TG(I)+DTFG	15
00212	31.	AX (1)=1.0	16
00212	32.	C T=Z(1)	17
00212	33.	č x=z(2)	18
00212	34.	C VEL=Z(3)	19A
00212	35.	WRITE(6,3)	198
00215	36•	3 FORMAT(1H1/25X,37H TABLE 2-8 RETARDED BLOWBACK DYNAMICS/)	_19C
00216	37.	WRITE (6,708)	190
00220	38.	708 FORMAT(30X,23HAPPLIED DISTANCE/15X,4HTIME,12X,57HFORCE	19E
00220	39∙	1 FROM BREECH VELOCITY ACCELERATION/20H ■ S	19F
00220	4U.	2ECOND:11X5HPOUND:11X4HINCH:11X:25H IN/SEC IN/SEC/SEC)	19G
00221	41.	UO 10 I=1,3	20
00224	42.	Q(I)=0.0	21
00225	43.	10 Z(1)=0.0	22
00227	44.	MINT=2	23
00227	45.	800 DO 100 I=1•N	24A
00230	46.		
		IF(I.EQ.1)60 TO 75	248
00235	47.	IF((I/NHEAD)*NHEAD+1.NE.I)GO TO 75	25A
00237	48.	WRITE(6,707)	25B
00241	49.	WRITE (6.708)	25C
00243	50.	707 FORMAT(1H1/22x,444 TABLE 2-8 CONTD. RETARDED BLOWBACK DYNAMICS/)	250
00244	51∙	75 1F(T.GT.TCHANG)DT=DTNEW	25E
00246	52∙	DO 300 J=1,4	26
00251	53.	CALL FACOEF(Z)	52
00252	54.	F = 0.0	64
00253	55.	IF(T.LT.TG(NB))CALLINTERP(TG,FG,T,F,MINT,NB)	65 -
00255	56•	FA = F+(C14+C15*Z(2))	
	57.		55
00256		AK(3)=(FA+C13*Z(3)**2)/C11	56
00257	58•	AK(2)=Z(3)	67
00260	59•	DO 300 K=1.3	60
00263	60•	AK(U) = ( ( ) ) = ( ( ) ) = ( ( ) )	69
00264	61•	Z(K)=Z(K)+DT*AKBQ	70
00265	62•	300 Q(K)=Q(K)+3.0*AKBQ-C(J)*AK(K)	71
		· · · · · · · · · · · · · · · · · ·	

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# A-4. (Con't.)

00270	63•	IF(I.EQ.1 )60 TO 51	71X
00272	64.	IF(Z(2).LT.0.0)GO TO 900	72
00279	65•	IF(Z(2).GT.XREC)GO TO 51	73A
00276	66•	IF(Z(3).GT.0.u)GO TO 50	73B
00300	67.	IF(Z(2).LT.XBATY)GO TO 51	73c
00302	68•	50 NP=NP0	730
00303	69.	GO TO 52	73E
00304	70∙	51 NP=1	74
00305	7 1∙	52 IF((I/NP)*NP·NE·I)GO TO 100	15
00307	72•	F = 0.0	71
00310	73.	IF(T.LT.TG(N8))CALLINTERP(TG.FG.T.F.MINT.N8)	71
00312	74.	CALL FACOEF(Z)	72
00313	75∙	FA = F+(C14+C15*Z(2))	73
00314	76.	AK(3)=(FA+C13+Z(3)+*2)/C <sup>1</sup> 1	74
00315	77•	WRITE(6+6)I+Z(1)+FA+Z(2)+Z(3)+AK(3)	76
00325	78.	IF(Z(3).GT.0.)GO TO 100	
00327	79.	IF(Z(2).LT.XBATY)STOP	77A
00331	80.	100 CONTINUE	77
00333	81•	6 FORMAT(16.F15.7.F15.1.F17.6.F16.1.F17.1)	78
00334	82.	900 STOP	79
00335	83•	END	00

INPUT CARD COUNT

### A-4. (Con't.)

SUBROUTING INTERP(TT.FF.T.F.K.M)
OIMENSION TT(1).FF(1) IF (N.EG.1)60 TO 20 IF(T.GE.TT(N))GO TO 20 DO 1 1=K,N IF(T.EG.TT(I-1))GO TO 2 1F(1.L1.TT(1))G0 T0 4 CONTINUL K=I F=F+(K-1) RETURN DIFF=TT(K)-TT(K-1) A1=(T-T)(K-1))/DIFF A2=(TT(K)-T)/DIFF 15 F=A1\*FF(K)+A2\*FF(K=1) RETURN F=FF(N) 277- ----19 HETUHN 20 END

```
00101
                                  SUBROUTINE FACOEF (2)
                2.
3.
 00103
                                  COMMON AZ.ABC.ABSQ.AB.BC.EYEB.E1.E2.EYEC.E7.EMR.EPS.XLIM.SK1.FS1.
 00103
                                15K2;F52;E3;E4;E5;E6;C1;C2;C3;C4;C5;C6;C7;C8;C9;C10;C11;C12;C13;C14
2;C15;AC;AD;BD;C0;F50;SUMSIN;SUMCOS;SPHI;CPHI;STHETA;CTHETA
 00103
 00104
                5.
                                  DIMENSION Z(3)
                                                                                                                                                    54
27
                6 •
7.
                                 AC=AZ=Z(2)
AD=(ABC+AC**2)/(2.0*AC)
 00105
 06106
                                                                                                                                                    28
 00107
                8.
                                  BRAC=ABSQ-AD**2
                                                                                                                                                  29A
29B
 00110
                9.
                                 BD=0 .
               10.
00111
                                  IF(BRAC.GT.O.)BD=SQRT(BRAC)
                                                                                                                                                   29C
                                 CD = AC-AD
SPHI = BO/AB
CPHI = AO/AB
STHETA = BD/BC
CTHETA = CO/BC
 00113
               11<sub>e</sub>
                                                                                                                                                    30
31
 00114
               12e
00115
               13.
                                                                                                                                                    32
 00116
                                                                                                                                                    33
 00117
               15.
                                                                                                                                                    34
                                 SUMSIN = STHETA*CPHI + CTHETA*SPHI
SUMCIN = CTHETA*CPHI - STHETA*SPHI
BCSUM = BC*SUMSIN
               16.
17.
 00120
                                                                                                                                                    35
 00121
                                                                                                                                                    36
 00122
                                                                                                                                                    37
 00123
               19.
                                  ABSUM = AB*SUMSIN
                                                                                                                                                    38
00124
                                 E3 = (EYE6 + E1*AB/2.0)/AC
               20 e
                                                                                                                                                  39A
00125
               21.
                                  E4=E1*SPHI/AC
                                                                                                                                                  39B
                                 E5=E2*ABSUM/AC

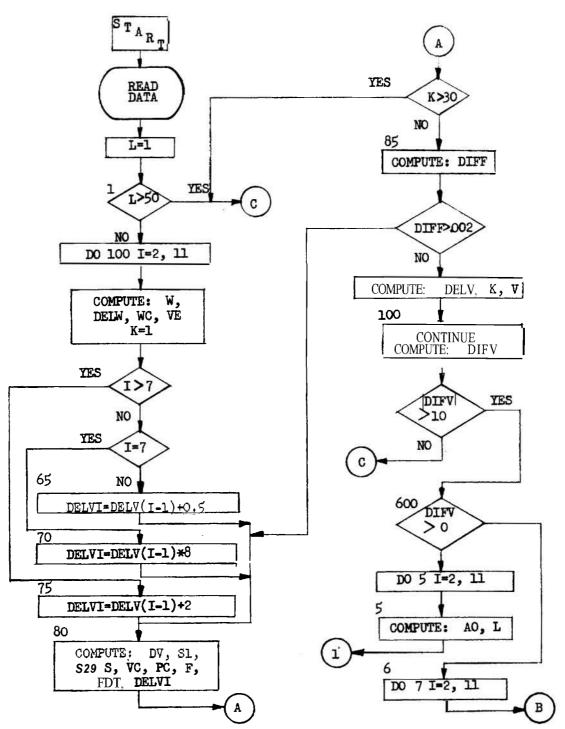
E6 = (E2*(AB*SUMCOS + BC/2.0) - EYEC)/AC

C1 = CPH1/BCSUM
00126
              22e
                                                                                                                                                  39c
              23e
24e
00127
                                                                                                                                                  390
00130
                                                                                                                                                   40
                                 C2 = -AB/BCSUM
C3 = -SUMCOS/SUMSIN
C4 = CTHETA/ABSUM
00131
               25 •
                                                                                                                                                  414
               26.
00132
                                                                                                                                                  41B
00133
               27.
                                                                                                                                                    42
                                 C5 = -BC/ABSUM
C450 = C4**2
00134
               28e
                                                                                                                                                   43
44
00135
               29 -
                                 C450 = C4**2
C150 = C1**2
C6 = C2*C450+C3*C150
C7 = C5*C150+C3*C450
C8=E3*C4+E6*C1-E4
00136
               30e
                                                                                                                                                  45A
00137
               3 1e
                                                                                                                                                  455
              32e
33e
                                                                                                                                                    46
00141
                                                                                                                                                    47
00142
               34.
                                 C9=E3*C7+E6*C6-E5*C1SQ
                                 C10=(C8*CTHETA+E7*C1)/STHETA
C12=(C9*CTHETA+E7*C6)/STHETA
C11=EMR+E2*C1*STHETA-E1*C4*SPHI+C10
C13=E1*C4$Q*CPHI+E1*C7*SPHI=E2*C1$Q*CTHETA-E2*C6*STHETA-C12
00143
              35.
                                                                                                                                                    49
00144
               36<sub>e</sub>
                                                                                                                                                    50
00145
               37a
00146
              38-
                                                                                                                                                   52
53
00147
               39.
                                 EPSIL = EPS
                                 IF(2(3).GT.0.0)EPSIL=1.0/EPS
1F(2(2).GT.XLIM)GO TO 4
00150
              40 e
00152
              41
                                                                                                                                                   55
57
00154
              42.
                                 SK = SK1
FSO = FS1
00155
               43.
                              GO TO 5
4 SK - SK1+SK2
00156
              44 .
                                                                                                                                                    59
00157
              45e
                                                                                                                                                   60
                              FSO = FS1+FS2-SK2*XLIM

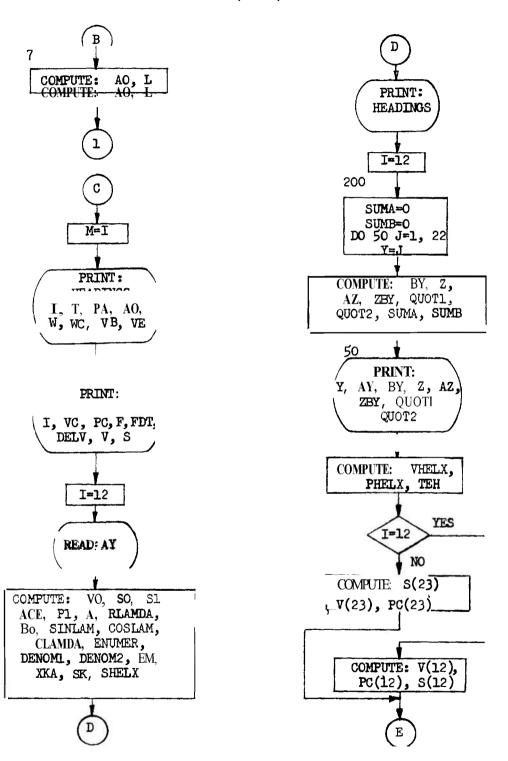
5 C15 = -SK*EPSIL

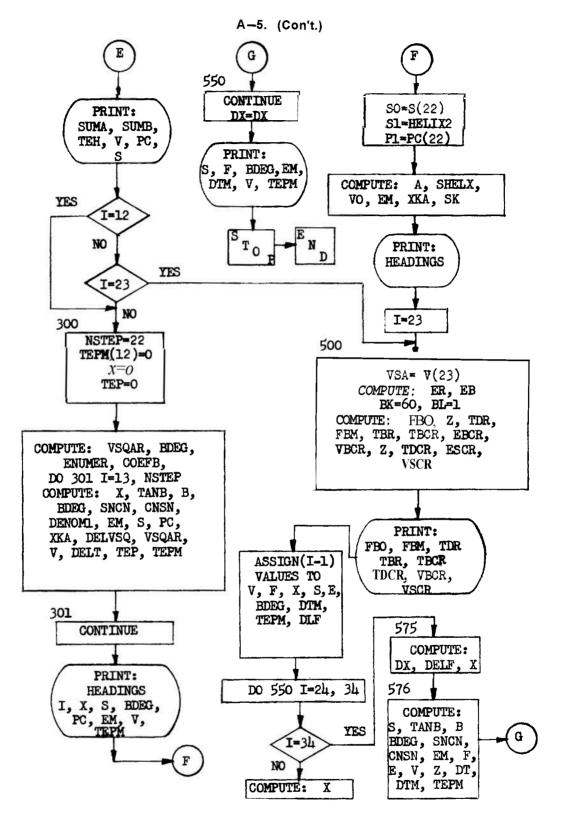
C14 = -FS0*EPSIL
00160
              46e
47.
                                                                                                                                                   6 1
00161
                                                                                                                                                   62
63
              48 e
00162
              49.
00163
                                 RETURN
                                                                                                                                                  54B
00164
                                 END
                                                                                                                                                  549
```

A-5. FLOW CHART FOR CUTOFF EXPANSION



A-5. (Con't.)





# A-6. LISTING FOR CUTOFF EXPANSION PROGROM

```
$65$9NF 0 & 8 75 0 4 0 NF 0 & 8 76 0 1 4 0 NF 0 X 8 76 0 1 4 0 NF 0 X 8 76 0 1 4 0 NF 0 X 8 76 0 1 4 0 NF 0 X 8
DEINENSION T(50) DELT(50) AO(50) APE(50) AVE(50) AVE(5
                                                                                                                                                                                                                                                                                                                                                                                                                                                    ( 深 L / G / L ) ・
```

# A-6. (Con't.)

000 45	47.	60 E TEO. 11	
00247		υο 5 I=2,11	46
00252	48.	5 AO(1)=AO(1)+0.0010	47
700254	49.		48
00255	5u.	GO TO 1	49
00256	51.	6 DO 7 I=2:11	50
00261	52.	7 AO(I)=AO(1)=0.U010	51
00263	55.	L=L+1	52
00264	54.	GO TO 1	53
00265	- 55.	2 M=1	54
00266	56.	PRINT 23,(1,T(1),PA(1),AO(1),W(1), WC(1),VB(1),VE(1),I=2,11)	55
00303	57.	PRINT 24, (1, vc(1), PC(1), F(1), F(1), DELV(1), V(1), S(1), I=2,11)	56
00303	28.	230FORMAT (1H1/ 9x+46H TABLE 4-5 COMPUTED DYNAMICS BEFORE GAS	57
	59.		
00320		1 CUTOFF//33x+31H GAS GAS EQUIV EQUIV/24X+39H PORT F	58A
00520	60.	2LOW IN BORE CYL/ 7x 56H TIME PRES	588
- <del>00320</del>	61.	35 AREA RATE CYL VOL VOL764H I MSEC PS	59
00320	62.	4I SG=IN LB/SEC LB CU-IN CU-IN//(I4:F8:3:F9:0:F9:4	60
00320	65.	5+F8+3+F9+5+F8+3+F9+4))	61
00321	64.	240FORMAT(//bx/23H CYL CYL PISTON/12X/20HDELTA ROD ROD	62
00521	65.	1/8X+57H VOL PRESS FORCE IMPULSE VEL VEL TRAVEL/6	63
00321	60.	23H 1 CU-IN PSI LO LB-SEC IN/SEC IN/SEC IN/	64
00321	67	4/(14)F9.4)2F9.1)F8.3)F9.2)F8.1)F9.47	65
00322	68.	1=12	66
00323	69.	112 J50 (AY(J),J=1,22)	67
00331	7u.	V0=V(11)	68
00332	71.	S0=S(11)+SCYL	69
00333	74.	SI=HELIXI -S(iI)	70
" <b>0</b> 0334	73.	ACE=2.6*AC/0.3	71
00335	74.	P1=PC(11)	72
00336	75.	A=1.0+S1/SG	73
00537	70.	KLAMDA=DLAMDA/57.296	74
00340	71.	HO=ATAN(TANBO)	75
00341	70.	SINLAM=SIN(RLAMDA)	76
00342	79.	COSLAM=COS (RLAMDA)	
00342	80.	CLAMUA=SII:LAM-EMUS*COSLAM/(COSLAM+EMUS*SINLAM)	78
	81.		79
00344		ENUMER = wt *RADGYR ** 2* TANIO / RC	
00345	۵∠.	UEHOM1=(KC-EMUS*R)*(COS(DO)-EMUR*SIN(BO))/(SIN(BO)+EMUK*COS(BU))	80
0034ь	83.	DENOM2=CLARIDA*(RL-EMUS*R)	81
00347	84.	EM(12)=(WC+WH+ ENUMER/(DENOM1+DENOM2))/G	82
00350	85.	XKA=ACE*P1*SU**1.3/EM(12)	83
00351	₫∪•	SK = S0**1.15/SQRT(XKA)	84
00352	67.	SHELX=SCYE+HELIX1	85
Ob353	60.	PRINT 41	86
00555	69.	41 FORMAT(IH1 /	87
00355	90.	1 17X.45H TABLE 4-6 COMPUTED DYNAMICS AFTER GAS CUTOFF/21X.37H BOL	88
00355	91.	27 UNLUCKING DURING HELIX TRAVERSE// 3x,2H Y,6x,3H-AY,7X,3H BY,	- 89
00355	92.	37x,2H Z, Dx.311 AZ,7x,4H 2BY,6x,6H QUOT1, 5x,6H QUOT2/)	90
00356	93.	I=12	91A
00357	94.	≥00 SUMA=0	918
00360	95.	SUMB = 0	92
00301	90.	DO 50 J = 1.2≥	93
00364	97.	Y=J	94
00365	96.	HY = (1.0 + (VU**2/XKA)*50**0.3)**Y	95
00366	99.	Z = 1.0 - 0.3*Y	96
00367	100.	AZ = A**Z	97
00370	101.	2BY = Z*8Y	98
00370	102.	QUOT1 = AY(J)/ZBY	99
	102.		100
00372		QUOT2 = AZ*QUOT1	
Ob373	104.	SUMA = SUMA + QUOT1	101

## A-6. (Con't.)

00374	105.	SUMB = SUMb + GUOT2	102
00375	106.	50 PRINT 21:Y:AY(J):BY: Z: AZ: ZBY: QUOT1: QUOT2	103
00410	107.	21 FORMAT (FC.1, 2F10.4, F8.1, F10.4, 3F11.4)	104
00411	108.	VHELX=SQRT(XKA*((1.0/SU**0.3)-1.0/SHELX**0.3)+V0**2)	105
00412	109.	PHELX=P1*(S0/SHELX)**1.3	106
00413	110.	TEH= SK*(A+SUMB - 1.0-SUMA)	107
00414	111.	1F(I.LG.12)G0 TO 201	108
00416	112.	5(23)=5(22)+HcLIX2	109A
00417	- <sub>1</sub>	v(23)=VHELX	109B
00420	114:	PC(23)=PHELX	110
00421	115.	GO TO 202	111
00421	116.	201 V(12)=VHELX	
			112
00423	117.	PC(12)=PHELX	113A
00424	118.	S(12)=SHELX	113B
00425	119.	2U2 PRINT 51, SUMA, SUMB, TEH, V(T), PC(I), S(I)	114
00435	12 <b>u</b> .	51 FORMAT(//49X:oHTOTALS:2F11.4//9X:44HEXPANSION TIME OURING HELIX TR	115
00435	121.	1AVERSE (TEH) = F8.5/6H SECONDS //9X/3HV =F7.2/7H IN/SEC/5X/5H PC =	116
00435	122.	2F7-1:4H PSI:5x:3HS =F7-4:4H IN.)	117
00436	123.	IF(I.E.9.12)GU TO 300	118
00440	124.	IF(1.EG.23)GO TO 500	
00442	125.	300 NSTEP=22	$=\frac{119}{5}$
00443	120.	TEPM(12)=0.0	121
00444	127.	X(I)=0.0	122
00445	126.	TEP = 0.0	123A
00446	129.	VSQAR=V(12)**2	12 <b>3</b> B
00447	150.	BDEG(12)=0.4426	124
00450	131.	ENUMER=WB*RADGYR**2/RC	125
00451	132.	COEFB=RC-EMUS*R	126
00452	133.	DO 301 I=13,NSTEP	127
00455	134.	X(I)=x(I-1)+DX	128
00456	135.	TANB=2.632*X(I)+TANBO	129
00457	130,	b=ATAN(TANB)	130
00460	137.	BDEG(I)=57.296*B	
00461	130.	SNCN =SIN(b)+EMUR*COS(b)	132
00462	139.	CNSN =COS(b)-EMUR*SIN(B)	133
00463	140.	DENOM1=CUEFB≠CNSN/SNCN	134
00464	141.	EM( D=(wo+Enumer*Tanb/(DENom1+DENom2))/G	135
00465	144.	S(I)=S(I-1)+DX	136
00466	143	PC(1)=PC(1-1)*(S(1-1)7S(1))**1 *3	<del>- 137</del>
00467	144.	XKA=ACE*PC(I)/EM(I)	
			138
00470	145.	DELVSG=XKA*(S(I-1)-S(I-1)**1.3/S(I)**0.3)	139
00471	146.	VSQAR=DELVSQ+VSQAR	140
00472	147.	V(I)=SQRT(VSQAR)	141
00473	148.	DELT=2.0*LX/(V(I)+V(I-1))	142
00474	149.	TEP = TEP+DELT	143
00475	150.	TEPM(I)=1000.0*TEP	144
00476	151.	301 CONTINUE	145
00500	152.	PRINT 302,(I,X(I),S(I),BUEG(I),PC(I),EM(I),V(I),TEPM(I),I=13,22)	146
00515	153.	3020F0RMAT(1H1/	147A
00515	154.	1 12X,45H TABLE 4+7 COMPUTED DYNAMICS AFTER GAS CUTOFF/14X,40H BOL	147B
00515	155.		
		21 UNLOCKING DURING PARABOLA TRAVERSE//14X.6H EQUIV.21X.6H EQUIV.55	148
00515	156.	3H PARAB CYL CAM CYL RECOIL ROD/65H	149
00515	157.	4 DIST LENGTH SLOPE PRESS MASS VEL TIME/65H	150
00515	158.	51 IN IN DEG PSI W/G IN/SEC MSEC// (	151A
00515	159.		1518
00516	160.	405 S0=S(22)	152
-00517	161.	SI=HELTX2	153
00520	162.	P1=PC(22)	154A
00320	102.	I ATI VIEE	134A

## A-6. (Con't.)

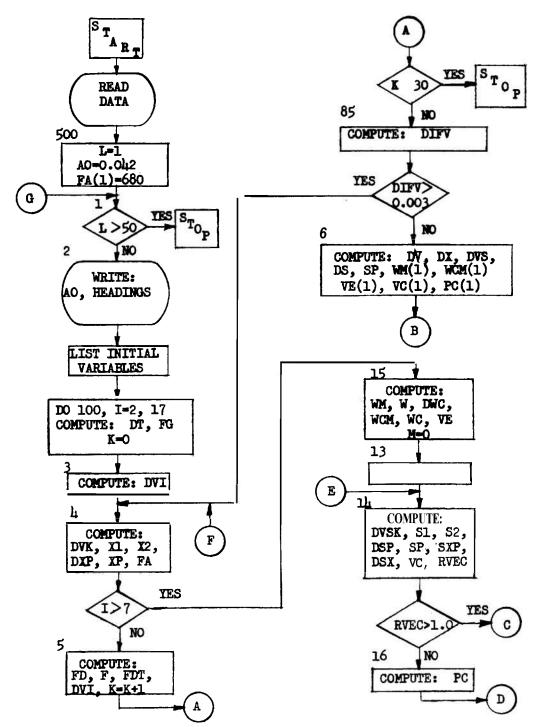
00521	165.	A=1.0+51/5t	1548
00522	104.	SHELX=50+het1x2	154C
-00523	165.	V0=V(22)+W0/(%0+W3)	155
00524	160.	EM=(WU+ND)/G	156
00525	107•	XKA=ACE *P1*S0**1.3/EM	157
00526	160.	SK=SU**1.15/SGRT(XKA)	158
00527	169.	PRINT 410	159A
00531	17u.	1=23	159B
00532	171.	60 TO 200	159C
00533	1/4.	41U0FORMAT(1)1/ 17X,45H TABLE 4-8 COMPUTED DYNAMICS AFTER GAS C	160
00533	173.	1UTOFF/17X,46H BOLT AND ROD UNIT RECOILLING AFTER CAM ACTION//3X,2H	161
00533	174.	2 YIOXI3H AYI7XI3H BYI7XI1HZIDXI3H AZI7XI4H ZBYIGXI6H QUOTTI5XI6H Q	162
0 U533	175.	30012/ )	163
00534	170.	500 VSA=V(23)	164
00535	177.	ERZEM*VSA**2/2.0	165
00536	175.	EBEER-562.U	166
00537	17Y•	BK=60.0	167
00540	180.	BL=1.0	168
00541	181.	6E-1•0 FBU=EPS*Eb-BK+BL/2•0	169
00541	182.	Z=SGR((3807.0+20.4*ER)	170
	183.		171
		TDR=0.00203*(ASIN(97.4/Z)-ASIN(61.7/Z1)	172
01,544	184.	FBM=F00 +EK*OL	
00545	185.	TBR=0.00837*ACOS(FB0/FBM)	173
00546	180.	TBCR=0.01675*ACOS(FB0/FBM)	174
00547	187.	EBCR=(FBM+FBU)/4.0	175
00550	180.	VBCK=5GRT(2.0*EBCR/EM)	176
00551	189.	E-24// 13 / 27 / 27 / 27 / 27 / 27 / 27 / 27 / 2	177
00552	190.	TDCR=U.04061*(ASIN(97.4/2)-ASIN(51.5/Z))	178
00553	191.	ESCR=EBCR+167.5	179
00554	192.	VSCR=SGRT(2.0+ESCR/EM)	180
00555	195.	PRINT 501.FB0.FBM.TDR.TBK.TBCR.TDCR.VBCR.VSCR	181
005 <b>67</b>	194.	5010FORMAT(///20x+23H MINIMUM BUFFER FORCE =F7.1+3H LB/20X+23H MAXIMUM	182
00367	195.	1 BUFFCR FGKCE =F7.1.3H LU/20X.29H DRIVING SPRING RECOIL TIME =F9.6	183
00567	196	2.4H SEC/20x, 21H UUFFLH RECOIL TIME = F9.6.4H SEC/20x, 28H BUFFER COU	184
00567	197.	3NTERRECOIL TIME =F9.6.4H SEC/20X.31H DR SPRING COUNTEHHECOIL TIME	185
00567	196.	4= F9.6.4H SEC/20X.32H BUFFER COUMTERRECOIL VELOCITY =F7.2.7H IN/SE	186
00567	199.	5C/20X.32H LR SPR COUNTERRECOIL VELOCITY =F7.2.7H IN/SEC)	187
00570	20u.	510 V(23)=VSCR	188
-00571	201:	F(23)=51.5	189
00572	202 .	x(23)=0.5	190
00573	203.	\$(23)=0.0	191A
00574	204.	E=ESCK	1918
005 15	205.	80≿6(23)≐52•9∠6 🔛	192
00576	200.	F(23)=51.5	193
00577	207.	DTM(25)=0.0	194
00600	208.	TEPM(23)=0.0	195
00601	209.	DELF=DRK*UX	196
00602	210.	NSTEP=34	197
00603	211.	UO 550 I=24•NSTEP	198
00606	212.	IF(I.EG.NSTEP)GO TO 575	199
00010	215.	X(1)=X(1-1)=DX	500.~
00611	214.	GO TO 576	201
00612	215.	575 DX=HELIX1	202
00613	216.	DELF = DRK*DX	203A
00614	217.	X(I)=0.0	2036
00615	210.	576 S(1)=S(1-1)+DX	204
00016	214.	TANE = 2.032*X(I) + TANBU	205
00617	220.	B = ATAN(TANE)	206

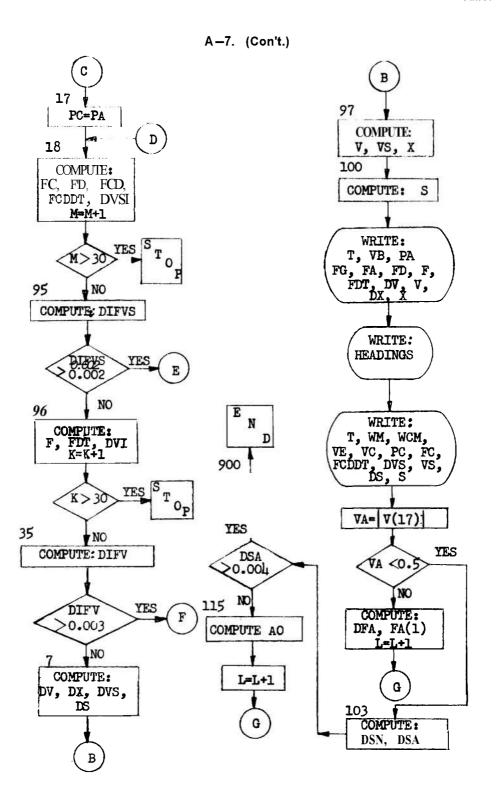
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### A-6. (Con't.)

00620	221.	BDEG(I)=57.296*B	207
00621	222.	SNON = SIN(B)+EMUR*COS(B)	208
00622	225.	CNSN = COS(B)-EMUR*SIN(B)	209
00623	224.	EM(1)=.00647 +(0.000345*TANB/(0.203*CNSN/SNCN-0.1149))	210
00624	225.	F(I)=F(I-1)-DELF	211
00625	220.	E=E+0.25*(F(I-1)+F(I))*DX	212
00626	227.	V(I)=SGRT(2.0*E/EM)	213
00627	228.	Z=SGRT(F(I=1)**2+40.8*E)	214
00630	229.	DT=0.4428*SQRT(EM)*(ASIN(F(I-I)/Z)-ASIN(F(I)/Z))	215
00631	230.	DTM(I)=1000.0*DT	216
00632	231.	TEPM(I)=TEPM(I-1)+DTM(I)	217
00633	232.	550 CONTINUE	218A
00635	233.	DX=DX	218B
00636	234.	PRINT 551, (S(I), F(I), BDEG(I), EM(I), DTM(I), V(I), TEPM(I), I=24, NSTEP)	219
00652	235	551 FORMAT (IH1/	220
00652	236.	1 15x,42H TABLE 4-9 COMPUTED DYNAMICS, COUNTERRECOIL/17x,37HBOLT LOC	221
00652	237.	2king during Parabola Traverse// 2x,6hTravel,4x,5hForce,6x,4hBeTa,	222
00052	238.	36x.5HMASS .6X.6HDELTAT.4X.8HVELOCITY.5X.4HTIME./3X.4HINCH.5X.5HPOU	223
00652	239.	4ND,5X,6HDEGREE,5X,5H1000X,6X,6HMILSEC,5X,6HIN/SEC,5X,6HMILSEC//	224
00652	240.	5 (F7.2.F10.2, F11.3, F11.5, F11.4, F11.2, F11.4))	225
00653	241.	STOP	226
00654 .	242.	END	227

#### A-7. FLOW CHART FOR OPERATING CYLINDER





### A-8. LISTING FOR OPERATING CYLINDER PROGRAM

MAIN PROGRAM		NTRY POINT	000000								
	-										
STORAGE USED		AME F LENGT	<u> </u>								
		00610									
		00000									
EXTERNAL REFE	RENCES (B)	OCK NAME	)								
	NRDCS										
	NI025										
	NSTOP\$										
	NPRTB NEXP65										
	NWDU\$										
STORAGE ASSIGN							000557	1031	0001	00000	. 1
0001 00003 0001 00001 0001 00030 0001 00010 0000 R 00064 0000 R 00062 0000 R 00062 0000 R 00063 0000 R 00063	6 1L 4 113G 3 17L 5 4L 5 DFA 6 DVI 7 DWC 3 FA 5 FDT	0000 0001 0001 0000 R 0000 R 0000 R 0000 R 0000 R	000652 10F 000024 1216 000305 18L 000413 97L 000624 DIFV 000636 DSP 000617 DVK 000336 DS 000524 FC 000273 F6 000021 PA	0000 0001 0001 0000 0000 R 0000 R 0000 R 0000 R	001133 101 000235 14L 000436 301 001006 98P 000643 DIF 000640 DSX 000231 DVS 000622 DXP 000642 FCD 0006037 PC	9 0001 9 0000 78 0000 0000 0000 0000 0000 0000	000557 000212 000501 001017 R 000566 R 000614 R 000613 R 000613 R 000613 R 000643	3246 DS DVSI EME FCDDT KVEC	0000 R 0000 R 0000 R	000647 000216 000633 000314 000252	3: 3: 0: 5
0001 00003 0001 00001 0001 00030 0001 00010 0000 R 00064 0000 R 00064 0000 R 00062 0000 R 00062	6 1L 4 1136 3 17L 5 4L 5 DFA 6 DSN 6 DVI 7 PWC 3 FA 5 FDT 1 M	0000 0001 0001 0000 R 0000 R 0000 R 0000 R 0000 R 0000 R	000652 10F 000024 1216 000305 18L 000413 97L 000624 DIFV 000636 DSP 000617 DVK 000536 DX 000524 FC	0000 0001 0001 0000 0000 R 0000 R 0000 R 0000 R	001133 101 000235 14L 000436 301 001006 98F 000643 DIFV 000231 DVS 000232 DXP 000642 FCD	9 0001 9 0001 9 0000 78 0000 0000 0000 0000 0000 0000 0	000212 000501 001017 R 000566 R 000614 R 000632 R 000612 R 000545	3246 DS DVSI EME FCDDT RVEC 52 VC	0001 0000 0000 R 0000 R 0000 R 0000 R	000647 000647 000647 000647 000633 000633 000633 000646 000000	3 D
0001 00003 0001 00001 0001 00030 0001 00010 0000 R 00064 0000 R 00064 0000 R 00062 0000 R 00062	6 1L 4 113G 3 17L 5 4L 5 DFA 6 DSN 6 DVI 7 DWC 3 FA 5 FDT	0000 0001 0001 0001 0000 R 0000 R 0000 R 0000 R	000652 10F 000024 1216 000305 18L 000413 97L 000624 DIFV 000636 DSP 000617 DVK 000536 DX 000524 FC	0000 0001 0001 0000 R 0000 R 0000 R 0000 R	001133 101 000235 14L 000436 301 001006 98F 000643 DIFV 000231 DVS 000232 DXP 000642 FCD	9 0001 9 0001 9 0001 7S 0000 7S 0000 0000 0000	000212 000501 001017 R 000566 R 000614 R 000632 R 000612 R 000545	324G TYF DS DT DVSI EME FCDDT	0001 0000 0000 R 0000 R 0000 R 0000 R	00065 00064 00064 00064 00065 00065	700

# A-8. (Con't.)

00131	11.	1-IF(LeGT.50)STOP	13
00133	12.	2 PRINT 10, AO	14
			15
88139	13:		16
-00140	15.	V(1) = 0.0	17
0.0.1.4.1	16.	S(1) = 0.0	18
00142	- 17.	VS(1) = 0.0	- iğ
00142	18.	T(1) = 0.0	20
00144	19.		á-
		DV(1) - 2.0	
_ 00145	20.	EME ≈ 0.2285	22
00146	21.	VCO = 0.50	23
00147	22.	10 FORMAT(1H1/16X,74HTABLE 2-12 COMPUTED RECOIL AND OPERATING CYLINDE	24
00147	23.	1R DATA FOR ORIFICE AREA OF F5.3.6H SQ IN//21X.86HAVERAGE PROP	25
00147	2 4 e	2 URTVING RESULT DIFFER DIF	26
00147	25.	3FER/12X:105H LORE BORE GAS ADAPTER SPRING: RECO	27
00147-	26.	41L RECOIL RECOIL RECOIL RECOIL/117H TIME	28
00147	27.	5 VOLUME PRESSURE FURCE FORCE FORCE IMPUL	29
Ω0147—	28.	6SE VEL VEL TRAVEL TRAVEL/115H MILSEC CU IN	30
00147	29.	7 PSI LB LB LB LB LB LB-SEC IN/SE	31
00147	30.	8C IN/SEC IN IN/)	32
00150	31.	no 100 T=2.17	-33 -
00153	32.	DT =(T(1)-T(1-1))/1000.0	34
00154	33.	FG(I) = 0.515*PA(I)	35
00155	34.	K = 0	36
00156	35.	3 DVI = DV(I-1)	37
00157	30. 30.	4 6VK = DVI 1	38
00160	37.	xi = V(I-1)*UT	39
00161	38.	X2 = 0.5*CVK*DT	40
00162	39.	DXP= X1 + X2	41
00163	40.	XP = DXP + X(I-1)	42
00164	41.	FA(I) = FA(I-1) + 1780.0*DXP	43
00165	42e	IF(1.6T.7)G0 TO 15	44
00167	4.3.	$5 \text{ FD}(1) = \text{FD}(1-1) + 40.0 \pm 0.0 \pm 0.0$	45
00170	44.	F(I) = FG(I)-FA(I)/0.45-FD(I)/0.80	46
00171	45.	FDT(I) = F(I)*DT	47
. 00172	46.	CVI = 4.025 *FDT (I)	48
00173	47.	K = K+1	49
00174	48.	IF(K.GT.30)STOP	50
00176	. 49 e	a5 DIFV = ABSTIDVI-DVK)/DVI)	51
00177	50.	IF(CIFV.GT.0.003)60 TO 4	52
00201	51.	6  DV(1) = 0 VI	53
00202	52.	DX(I) = DXP	54
00203	53.	OVS(1) = CV(1)	55
00204	54.	DS(1) = DX(1)	56
- 00205	55.	_ SP = XP	57
00206	56.	wM(1) = 0.0	58A
- 00207	57.	WCM(1) ± 0.0	58B
00207	57. 58.	VE(1) = 0.0	58C
		VC(1) = 0.0	58D
00211	59.		
00212	60.	PC(I) = 0.0	58E
00213	61.	GO TO 97	
00214	62.	15 wM(I) = 1.92*AO*PA(I)	60A
00215	63.	W = WM(I)/1000.0	60B
00216	64 -	DWC = W*DT	61
00217	b5.	WCM(I) = WCM(I-1) + 1000-0*DWC	62A
00220	66 e	WC = WCM(I)/1000.0	62B
00221	67.	VE(I) = I4.0*WC+VB(I)	63
00222	68•	M = 0	64
		100 to 1 to 12 to 13 to 14 to	

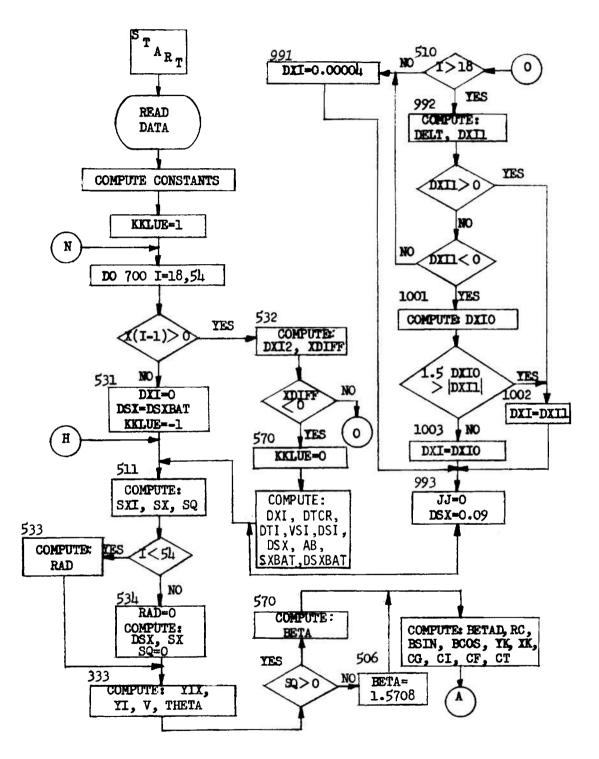
# A-8. (Con't.)

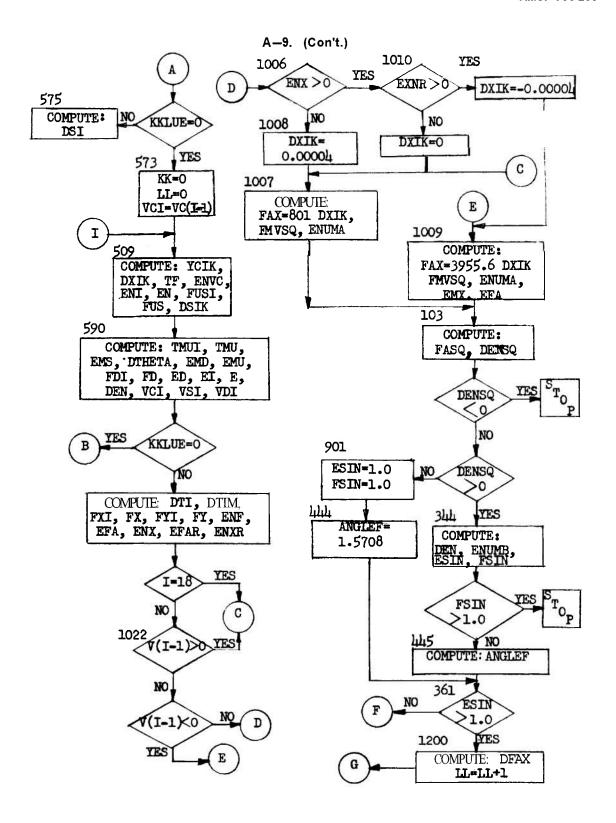
- 00223	69.	13 DVSI = DVS(I-I)	65
00224	<b>7</b> 0.	14 OVSK = DVSI + DVI S1 = VS(I=1)*DT	66
00225	71•	\$1 = V\$(I-1)*0T \$2 = 0.5*DV\$K*DT	68
_ 00226	72•	05P= 51 + 52	- 69
00227	73.		70+71
00230	74.	SP = 0SP + S(I-1)	70 + 71
00231	75.	SXP = SP = XP	73
00232	76•_	DSX = DSP - DXP VC(I) = VCO + 1.767*SXP	<del></del>
00233	77.	VL(1) = VLU + 1.70/*5AP	75
00234	78. 79.	RVEC = (VE(I)/VC(I))**1.3 IF(RVEC.GT-1.00G0 TO 17	76
00235	80.	16 PC(I) = PA(I) *RVEC	77
00237	81.	16 PC(I) = PA(I)*RVEC 60 TO 18	78
00240	62•	17 PC(I) = PA(I)	79
00241	83.	13 56731 - 1 767456731	80
00242	84.	FC(I) = FD(I-1) + 40.0*D5P FCD = FC(I) - FD(1)/0.80 FCDDT(I) = FCD*DT	81
00243	05.	FCD = FC(1) = FD(1)/0.80	82
00244	80.	FCDOT(I) = FCU+DT	83
00245	87.	OVSI = 35.127*FCDOT(I)	84
00248	88.	u = MAT	85
-00250	89.	IF(M.GT.30)STOP	86
00252	90.	95 DIFVS = ABS((DVSI - DVSK+ DVI)/DVSI )	87
00252	91.	IF (DIFVS.GT.0.002) GO TO 14	88
00255	92•	96 F(I) = FG(I) - FA(I)/0.45 - FC(I)	89
00256	93	FOT(I) = F(I)*DT	90
00257	94.	DVI = 4.546*FDT(I)	91
00257	95	K = K+1	92
00261	96.	IF(K.GT.30)STOP	93
60263	97.	35 DIFV = ABS((DVI-DVK)/DVI)	94
00264	98•		95
-03266	99.	7 DV(1) = DVI	96
00267	100.	DX(I) = DXP	97
00270	101.	DVS(I) = DVSI	98
00271	102.	DS(1) = DSP	99
00272	103.	97 V(1) = V(1-1) + DV(1)	100
00273	104.	VS(I) = VS(I-1) + DVS(I) $V(I) = VS(I-1) + DVS(I)$	101
00274	105.	$\chi(1) = \chi P$	102
00275	106.	100 S(I) = SP	103
00277	107.	_ OWRITE(6,98)(T(1),VB(1),PA(1),FG(1),FA(1),FD(1),F(1),FDT(1),	104A
00277	108.	iDV(I),V(I),DX(I),X(I),I=2,17)	1048
00320	109.	WRITE(6, 99)	105
00322	110.	OWRITE(6,101)(T(I),WM(I),WCM(I),VE(I),VC(I),PC(I),FC(I),FCDDT(I),	106A
00322	111.	10VS(I), VS(I), DS(I), S(I), I=2,17)	1098
00343	112.	98 FORMAT(F8.3,F10.1,2F10.0,2F9.0,F10.0,F10.2,2F10.1,2F10.4)	107
00344	113.	990FORMAT(7714X+73HGAS OPER EQUIV OPER OPER O	108
00344	114.	1PER OPER DIFFER: 13x:7H DIFFER/12x:105H FLOW CYL	109
- OD344	115.	2 CYL CYL CYL PISTON CYL SLIDE SLIDE	110
00344	110.	3 SLIDE SLIDE/117H TIME RATE GAS VOLUME	111
7 00344	<b>-117.</b>	4VOLUME PRES FORCE IMPULSE VEL VEL TRAVEL	115
00344	118.	5 TRAVEL/115H MILSEC LB/SECXM LBXM CU IN CU IN	113
00344	119.	6 PSI LB LB-SEC IN/SEC IN/SEC IN IN/	
00345	120.	101 FORMAT (F8.3,F10.1,3F10.3,2F10.0,F9.3,2F10.1,2F10.3)	115
00346	121.	VA = ABS(V(17))	116
00347	122.	IF(VA-LT-0-5)GO TO 103	117
00351	123.	105 DFA =0.30*EME*V(17)7(T(17)/1000.0)	
00352	124.	FA(1) = FA(1) + DFA	119
00353	125. 126.	L= L+1 60 TO 1	120 121
00354			

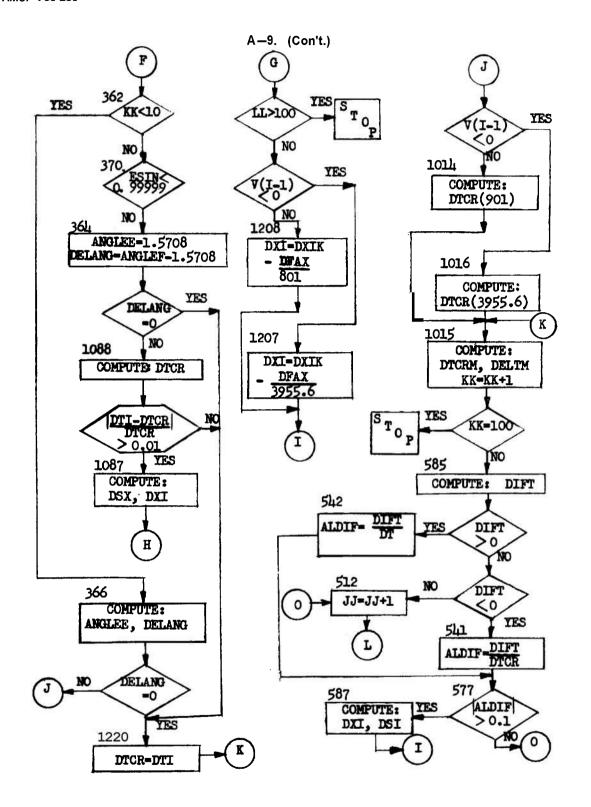
## A-8. (Con't.)

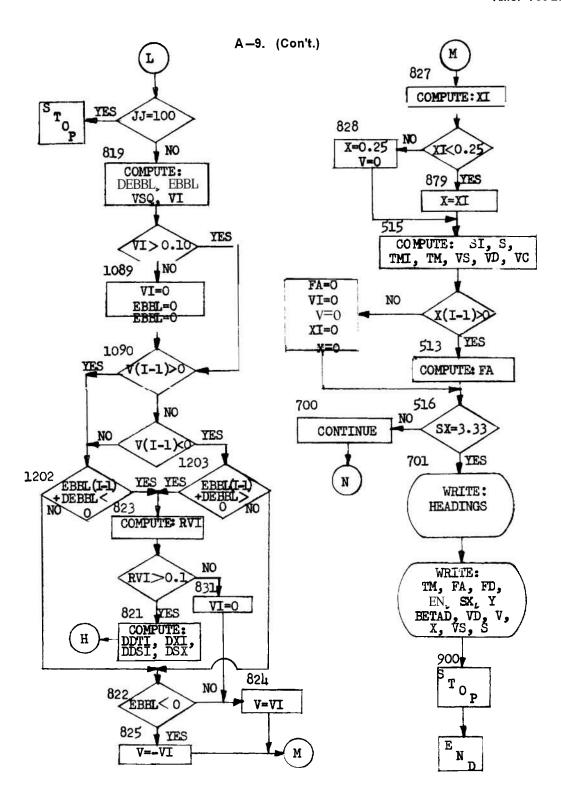
00355	127.	103 DSN :	5(17)-1.67	122
00356	128.	DSA :	= ABS(DSN)	123
00357	129.		A.LT.0.00415TOP	 124
00361	130.		AO*(1.0 - DSN/1.67)	125
00362	131.	L = 1	The second secon	 126
00363	132.	60 Ti		127
00364	133.	900 STOP		128
00365	134.	END		129
	- 100-0	LISTING.	0 *DIAGNOSTIC* MESSAGE(S).	
	END OF	LISTING.	0 *DIAGNOSTIC* MESSAGE(S).	 
PHASE	END OF 1 TIME : 2 TIME :	LISTING. = 2 SEC. = 0 SEC.	0 *DIAGNOSTIC* MESSAGE(S).	
PHASE	END OF	LISTING. = 2 SEC. = 0 SEC. = 3 SEC.	0 *DIAGNOSTĮC* MESSAGE(S).	
PHASE PHASE PHASE	END OF 1 TIME : 2 TIME : 3 TIME :	LISTING. = 2 SEC. = 0 SEC. = 3 SEC. = 0 SEC.	0 *DIAGNOSTĮC* MESSAGE(S).	

#### A-9. FLOW CHART FOR CAM AND DRUM DYNAMICS DURING RECOIL









## A-10. LISTING FOR CAM AND DRUM DYNAMICS DUR NG RECOIL

- 00	000 R 002331 FDI	0000 n 002347 Fi	MVSQ 0000 R	002354 FS1N	0000 R	001210 F	US 0000	R	002322	FUSI
. 00	000 t <b>002</b> 002 FX	0000 x 002337 F			0000 R	002340 F			002255	
- 00	100 1 002266 JJ	0000 1 002312 ki	K 0000 1	002254 KKLUE	0000 I	002313 L	L 0000	R (	0σ2277	RAD
00	000 € 002303 RC	0000 ₹ 002244 R	0000 R	002372 RVI	0000 R	000066 S	0000	K	002376	SI
00	005 R 000000 SIN	U000 ₹ 002276 St	0 0003 к	000000 SWKT	0000 R	000660 S	X 0 <b>0</b> 00	R (	002274	<b>SXBAT</b>
- 00	000 R 002275 SXI	ასსი რ 002317 T	F 0000 €	002245 16	0000 R	001452 T	HETA 0000	R (	000572	TM
00	100 R 002377 TMI	0000 K 001276 Tr	3 0000 P	002324 TMUI	000J R	000154 V	0000	R (	001540	VC
0.0	000 R 002314 VCI	_ ບົບປີ R 002315 V	CIK 0000 R	001626 VU	000J R	002335 V	DI 0000	R	002371	VI
	000 R 000242 VS	UUUO K 002271 V	SI 0000 R	002370 VSQ	0000 R	000000 X	0000	R (	002262	XDIFF
0	000 R 002375 XI	0000 R 002305 XI	K 0000 R	000746 Y	0000 R	0023ul Y	1 0000	R	002300	XIY
0.0	000 R 002304 YK		5							

00101	1.	ODIMENSION X(54),S(54),V(54),VS(54),FA(54),FD(54),EN(54),TM(54),	1
00101	2.	15X(54),Y(54),BETAD(54),BSIN(54),FUS(54),TMU(54),E(54),THETA(54),	ž
00101	3.	2VC(54), VU(54), BCOS(54), FX(54), FY(54), EBBL(54)	
00103	4.	READ(5,360)RD, TG, EMR. DIE, CY, CX, DF, EMSL, X(16), X(17), S(17), VS(17),	4
00103	5.	1VC(17),FA(17),FD(17),TM(17)	
00125	6.	360 FORMAT (8F10.U)	16
00126	7.	V(17) = 0.0	
00127	8.	EN(17) = 0.0	
00130	9.	SX(17) = 0.0	
00131	10.	E(17) = 0.5 * EMSL * VS(17) * * 2	10
00132	11.	$F_{X}(17) = 0.0$	1:
00133	12.	FY(17) = 0.0	1:
00134	13.	Y(17) = 0.0	1:
00135	14.	FUS(17) = 0.0	1
00136	15.	TMU(17) = TG	1
00137	16.	EBBL(17)=0.0	10
00140	17.	KKLUE = 1	1
00141	18.	DO 700 1 = 18.54	18
00144	19.	if(x(I-1).6T.0.0)GO TO 532	19
00146	20.	531 DXI = 0.0	-20
00147	21.	DSX = USXBAT	2:
00120	22.	KKLUE = -1	2:
00151	23.	GO TO 511	2:
00152	24.	532  DX[2 = 2.0*(X(1-2)-X(1-1))	2
00153	25.	XDIFF=X(1-1)-UXI2	2
00154	26.	1F(XD1FF.LT.0.0)GO 10 570	2
00156	27.	510 IF(I.GT.18)GO TO 992	2
00160	28.	991 DXI = 0.00004	28
00161	29.	GO TO 993	29
00162	30.	992 DELT - (TM(I-1)-TM(I-2))/IDOD.D	30
00163	31.	DXI1 = V(I-1)*DELT	31
00164	32.	IF(DX11.61.0. GO TO 1002	3: 3:
00166	33.	IF(DXI1-LT-0-0)60 TO 1001	33
00170	34.	GO TO 991	34
00171	35.	1001 OXIO = 0.25-x(1-1)	35
00172	36.	IF(1.5*DXIU.G:ABS(DXII))GO TU 1002	36
00174	37.	1003 DXI = DXIO	3,
00175	38.	GO TO 993	38
00176	39.	1002 DXI = DXI1	3.9
00177	40.	993 JJ=0_	40
00200	41.	DSX = 0.09	417
00201	42.	GO TO 511	418
00202	43.	570 KKLUE = 0	42

_	00203	44.		$DXI = \lambda(I-1)$	43
	00204	45.		DTCR = DXI/V(1-1)	44
_	00205	46.		DTI = DTCR	45
	00206	47.		VSI = VS(I-1)	46
	00207	48.		USI = VSI*UTI	47
	00210	49.		USX = DS1 + DXI	48
_	00211	50.		AB = 1	49
	00212	51.		SXBAT = 54.0 - AB	50
_	00213	52.		USXBAT = (5.0 - SX(I-1) - DSX)/SXBAT	51
	00214	53.		SX I = SX(I-1) + DSX	52
_	00215	54.		SX(1) = SXI	53
	00216	55.		SQ = 11.0889 - SX(I)**2	54
	00217	50.		IF(I.LI.54)60 10 533	350
	00221	57.	534	RAD = 0.0	56
	00222	50.		USX=3,33-SX(53)	57
	00223	59.		SX(I)=3.33	58
	00224	60.		Sw = 0.0	59.
	00225	61.		60 TO 333	60
_	00225	62.		RAD=SURT(SG)	61
	00227	63.		YIX= 0.6456*RAD	62
_	00227	64.		$\frac{71}{71} = 2.15 - \frac{71}{71}$	63
	00230 00231	65.		$\lambda(1) = \lambda 1$	64
_	00232	60.		THETA(1) = 19.0987*Y(1)	-65
	00232	67.		IF(SQ.6T.0.0)60 TO 507	66
-	00235	60.		DETA = 1.5708	67
	00236	69.	200	60 TO 508	68
	00237	- <del>70</del> :	5.17	BETA = ATAN(0.6456*SX(I)/RAD)	69
	00237	71.		BETAD(I) = 57.296*BETA	70
	00241	72.	300	KC = (11.0889 - 0.5831*SX(1)**2)**1.5/7.1595	1350 - 1571 - 1571 - 1571 - 1571 - 1571 - 1571 - 1571 - 1571 - 1571 - 1571 - 1571 - 1571 - 1571 - 1571 - 1571
	00241	73.		LISTN(1) = S1.1 (BETA)	72
	00242	74.		BCOS(1) = COS(BETA)	73
	00243	75.		YK = BCGS(1) - 0.05*BSIN(1)	. 74
	00245	76	· · · · · · · · ·	XK = 651N(1) + 0.05*BCOS(1)	75
	00243	77.		CG = CY*YK - CX*XK	76
	00247	78.		CI = DIE*ECUS(I)/(RD*RC*CG)	- 10 - 11 - 12 - 12 - 12 - 12 - 12 - 12
	00250	79.		CF = 6.15*YK	78
_	00251	80.		CT = CX*AK + D.1*YK	79
	00252	61.		IF (KKLUE-LG-D)GO TO 573	80
_	00252	- 82	K75	USI = DSX - UXI	
	00234	83.		KK = U	82
_	00256	54.		TL = J	83
	00238 00257	85.		vc1 = vc(1-1)	84
_	00237		500	VC1k = VC1	85
	00200	8/.		DX1K = DX1	86
	00201	60		TF = TG/C6	87
	00202	59.		FWAC = C1*AC1K**5	. 88
	00203	- 90.		ENI = ENVC + TF	
		9		EN(I) = ENI	90
_	00205	-52.		FUSI = CF*EN(I)	91
	00266 00267	93.		FUS(1) = FUS1	92
	00287	94.	- 65-	DSIK = USI	93
		95.			94
_	00271	90.	240	TMUI = CT*E;;(I) + TG	
	00272				96
_	00∠73	91.	(0.10)	EMS = 0.5*(FUS(I-1) + FUS(I))*USIK	97
	00274	90.			98
_	00275	99.		END = G.5*(THU(I-1) + TMU(I))*DTHETA	99
	00276	Iuu.		ENU = EMS + EMU	100

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00502 104. 00503 105. 00504 105. 00505 107.	•	TO THE PERSON OF
1		E1 - (1-11 - FM) - FM
7		11
		VCI = SaRT(E(I)/DEN)
•	•	11
		VDI = VCI*ESIN(I)
		IF (KKLUE.EG.0) GO TO 512
00512 111.	572	117
.211 1100		UTIK = 1060.0*DTI
00314 113		FXI = EN(I) *XA
00315 114.		FX(I) = FXI
00316 115.		TY1   EN(1)*Y
00317 116.		FY(I) = FYI
_		ENE II 0.0* (FX(1-1)+FX(1))
ï		11
		111
		EFAR = E4(1-1)/0.45
-		п
Ī		FG. 18) GC
-	1022	15 (V(1-1) -6T-1
		1 - 1 - 1 - 1 - 1 - 1 - 1 - 1 - 1 - 1 -
•	1005	TERENY OF CO. O. O. TO. TO. TO.
1		000000000000000000000000000000000000000
1		- 1
		IL LENY
	1101	- 1
•		
	1001	FAX = 60
1		801
***************************************	•	FLOOR THAN + ENX
1		200
133	. 1009	FAX II 39
10000		1
•	•	4
		n i
•		1 4 4
1	. 1013	FASO = FINX ** 2
7	•	
	•	
00361 144.		IF (DENSG 6T 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
00363 145.	. 901	ESIN = 1.c
00364 146.		LSIN III NISI
00365 147.	•	50 TO 444
	344	DENOR
-		ENITE I
		i
		1 1
1		- NTC
1		
		60 10 361
-		
	190	IF (ESI
		60 TO 362
_	1200	CFAX
00403 128	•	ן היי

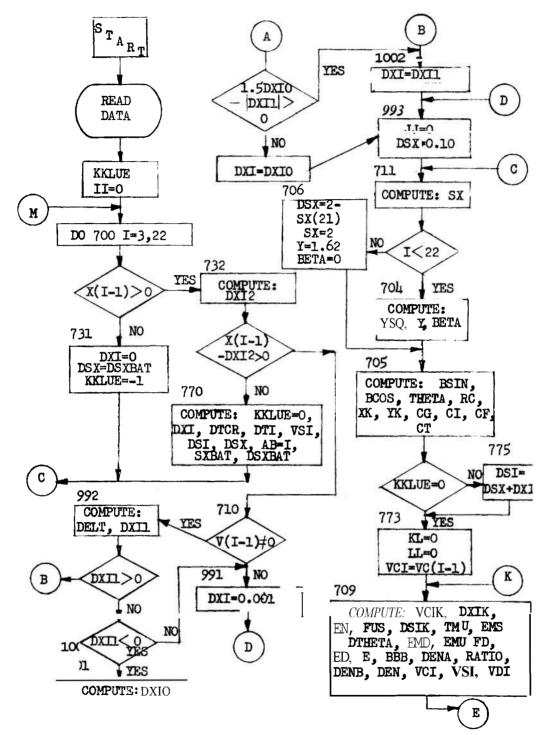
00404	16u.	IF (LL • EQ • 100) STOP	158
00404	161.	1201. IF(V(I+1).LT.0.0)60 TO 1207	159
00410	162.	1208 DXI = DXIK - DFAX/801.0	150
00411	163.	60 TO 509	161
00412	164.	1207 GXI = UXIK - DFAX/3955.6	162
00413	105.	GO TO 509	163
00414	166.	362 IF(KK.LT.10)GO TO 366	164
00416	167.	370 IF(ESIN.LT.0.999990)GO TO 366	165
00420	168.	364 ANGLEE = 1.5708	166
00421	169.	DELANG=ANGLEF-1.5708	167
00422	170	IF(DELANG.GT.0.0)GD TO 1088	167 168
00424	171.	IF(DELANG.LT.U.0)GO TO 1088	169
00426	172.	GO TO 1220	170
00427	173.	1088 DTCR= (SQRT(EMR/801.0))* ABS(DFLANG)	171
06430	173.	IF((ABS(DTI-DTCR)/DTCR).GT.D.D1)GO TO 1087	172A
00432	175.	GO TO 1220	1728
00433	176.	1087 DSX=DTCR*(VS(I-1)+VSI)/2.0	173
00434	177.	DXI =V(I-1)*DTCR/2.0	174
00435	178.	GO TO 511	175
00436	179.	366 ANGLEE=ASIN(ESIN)	176
00437	180.	446 DELANG = ANGLEE ANGLEE	111
00440	181.	IF(DELANG.GT.0.0)GO TO 1017	178
00442	182.	IF(DELANG.LT.0.0)GO TO 1017	179
00444	183.	1220 DTCR=DTI .	180
00445	184.	GO TO 1015	181
00446	185.	1017 IF(V(I-1).LT.0.0)G0 TO 1016	182
00450	186.	1014 DTCR = (SQRT(EMR/801.0)) * ABS(DELANG)	183
00451	187.	GO TO 1015	184
00452	168.	1016 DTCR= (SQRT(EMR/3955.67))* ABS(DELANG)	185
00453	189.	1015 DTCRM = 1000.0*DTCR	186_
00454	190.	DELTM = DTIM - DTCRM	187
00455	. 191.	KK = KK + 1	188
00456	192.	IF(KK.EQ.100)STOP	189
00460	193.	585 DIFT = DTI T DTCR	190
00461		IF(DIFT.GT.0.0)GO TO 542	191
00463	195.	IF(DIFT.LT.0.0)60 TO 541	192
00465	196. 197.	GO TO 512	193
00467	198.	541 ALDIF = (DIFT/DTCR)  GO TO 5rl	194
			195
00470 00471	199. 200.	542 ALDIF = (DIFT/DTI) 577 IF(ABS(ALDIF)-GT.0.01)GO TO 587	196 197A
00473	201.	GO TO 512	1978
00474	202.	587 DXI = DXIK*(1.0 + ALDIF/4.0)	198
	202.	DSI = DSX + DXI	199
00475 00476	204.	GO TO 509	200
00477	205.		201
00500	<del>- 206</del>	512 JJ=JJ+1 IF(JJ-Eq-100)STOP	<del>2ŏ2</del> -
00502	207.	819 DEBBL = ABS(DXIK)*(-ENUMA)	203
00503	208.	EBBL(I) = EBBL(I-1) + DEBBL	204
00504	209.	VSQ = 2.0*EBBL(I)/EMR	20s
00505	210.	VI = SQRT(ABS(VSQ))	205
00506	211.	IF(VI.GT.0.10)GO TO 1090	207
00510	212.	1089 VI=U.U	208
00511	213.	EBBL(1)=0.0	209 <b>210</b>
00512	214.	1090 IF(V(I-1).6T.0.0)GO TO 1202	
99544	<b>21</b> 5√.•	IF(V(I-1).LT.0.0)60 TO 1203	211
00516	216.	GO TO 822	515
00517	217.	1202 IF(EBBL(I-1)+DEBBL.LT.0.0)GO TO 823	213

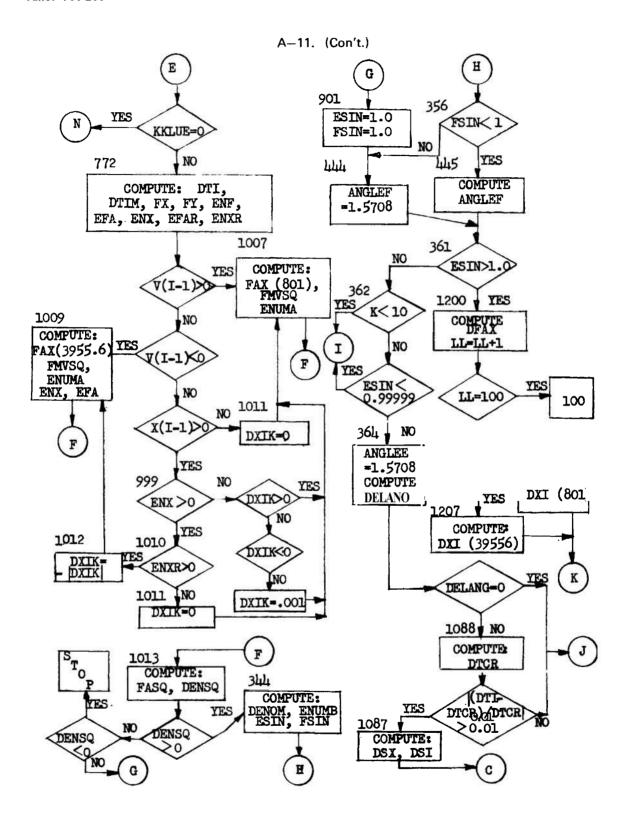
Δ	_1	n	-	(C)	۸n	11	١
_	_	v			vu		

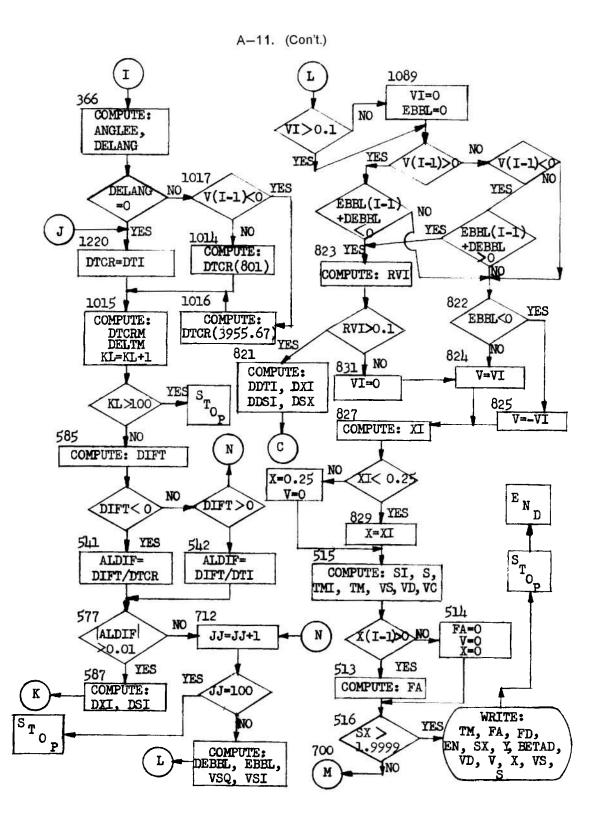
00521	218.	60 TO 822	
00522	219.	1203 IF((EBBL(I-1)+DEBBL).6T.0.0)GO TO 823	:
00524	220.	GO TO 822	
00525	221.	823 RVI = VI/ABS (V(I-1))	
00526	222.	IF(RVI.GT.0.10)60 TO 821	
00530	223.	831 VI = 0.0	
<b>005</b> 31	224.	GO TO 824	
00532	225.	821 $\overrightarrow{DDT1} = \overrightarrow{DT1} * (1 \cdot 0 - (ABS(V(1-1))) / ((ABS(V(1-1)) + VI) * 4 \cdot 0)))$	
00533	226.	DXI = V(I=1)*DDTI	
00534	227.	DDSI = VS(I-1)+DDTI	
00535	228.	DSX = DOSI + DXI	
00536	229.	GO TO 511	
00537	230.	822 IF(EBBL(I).LT.0.0)GO TO 825	
00541	231.	824 V(I) = VI	
00542	232.	GO TO 827	
00543	233.	825 V(I) = -VI	
00544	234.	5 -11 -	
00545	235.	IF(XI.LT.0.25)GO TO 829	
00547	236.	828 X(I) = 0.25 V(I) = 0.0	
00550	237.		
00551	238.	GO TO 515	_
00552	239.	829 X(I) = XI	
00553	240.	515 SI = S(I-1) + DSIK	
00554	241.	S(I) = SI	
00555	242.	TMI = TM(I-I)+ 1000.0*DT1	
00556	243.	TM(I) = TMI	
00557	244.	VS(1) - VS1	
00560	245.	AD(I) = ADI	
00561	246.	VC(1) - VC1	
00562	247.	IF(X(I-1).GT.0.0)GO TO 513	
00254	240.	D14 FA(1) 0+0	_
00565	249.	VI = 0.0	
00566	250.	A(1) = A1	
00567	251.	XI = 0.0	
00570	252.	X(1) - X1	
00571	253.	GO TO 516	
00572	254.	513 FAI = 880.0 + 1780.0*X(17	
00573	255.	FA(I) = FAI	
00574	255.	31b IF(SX(1).G1.3.33)G0 (0 701 700 CONTINUE	
00576	257.		
00600	258.	701 WRITE 16, 110)	
00602	259.	110 FORMAT (1H1/38X, 46HTABLE 5-13 CAM AND DRUM DYNAMICS DURING RECOIL//	
00602	260.	113X, 46HRECOIL DRIVING NORMAL AXIAL PERIPH, 22X, 17HCOUNT	
00602	261.	ZER COUNTER/12X:105H ADAPTER SPRING CAM CAM CAM	
00602 00602	263.	3 LAM UKUM RECOIL RECOIL SLIDE SLIDE/	
		43X,114H TIME FORGE FORCE FORCE TRAVEL TRAVEL	
00602	264.	5 SLOPE VEL VEL POSITION VEL TRAVELY	
00602	265.	62X+113H MILSEC LB LB IN IN	
00602	266.	7 DEGREE IN/SEC IN/SEC IN IN/SEC IN/)	
00603	267.	WRITE(6,702)(TM(I),FA(I),FD(I),EN(I),SX(I),Y(I),BETAD(I),VD(I),	
00603	268.	17(1), x(1), vs(1), s(1), 1=18.54)	
00624	269.	7020FORMAT (F10.5+F9.0+F9.1+F11.0+2F10.4+F8.1+F10.1+2F10.4+F10.1+	
00624	270.	1F10.3)	
00625	271.	900 STOP	
00626	272.	END	

END OF LISTING. U \*UIAGNOSTIC\* MESSAGETS)
PHASE 1 TIME = 4 SEC.

A-11. FLOW CHART FOR CAM AND DRUM DYNAMICS DURING COUNTERRECOIL







### A-12. LISTING FOR CAM AND DRUM DYNAMICS DURING COUNTERRECOIL

8888 R 888382 FOS	0000 R 001035 FAX 0000 R 000642 FX	0000 R 000306 FD 0000 R 000670 FY	0000 R 001036 FM∀\$@ 0000 I 000756 I	0000 R 001045 ESIN
8888 # 888777 RC	0000 I 000754 KKLUE 0000 R 000744 R0	8888 ¥ 881886 ¥¥ı	8888 ¥ 883894 ¥	00000 R 001065 SI
0005 R <b>000000</b> si 0000 R 000130 THETA	999 R 800436 TM	0000 R 000102 SX 0000 R 001066 TMI	0000 R 000770 SXBAT 0000 R 000410 TMU	0000 R 000745 T6
8888 ₹ 8895 <b>8</b> 8	8888 R 881916 VSI	8888 R 881911 VCIK	8888 R 881854 VSe	8000 R 800000 XOI
0000 R 001064 XI	0000 K 001000 XK	0000 R 000026 Y	00CO R 001001 YK	0000 R 000776 150

00101	1.	ODIMENSION X(22) .Y(22) .S(22) .SX(22) .THETA(22) .BETAD(22) .BSIN(22) .	
00101	2.	1BCOS(22) •FA(22) •FD(22) •EN(22) •FUS(22) •TMU(22) •TM(22) •E(22) •V(22) • 2VC(22) •VS(22) •VD(22) •FX(22) •FY(22) •EBBL(22)	
001 <b>01</b> 00103	<u>3.</u>	READ(5,370)RD.TG.EMR.DIE.CY.CX.DF, EMSLR.X(2).SX(2).	
00103	5.	1FA(2),FD(2),EN(2),V(2),V(2),VS(2),FX(2),FX(2),FU(2),VD(2),E(2),	
			—
00141	٠ 7:	2TM(2).TMU(2).Y(2).BETAD(2).TM(1).X(1) 370 FORMAT (6F12.0)	
00142 00143	. 8:	11 = 0	
00144	10.	DO 700 I = 3,22	
00147	11.	IF(X(I-1).GT.0.0)60 TO 732	1
00 <b>151</b> 00152	13:	731 DXT 0.0 DSX = OSXBAT	
00153	14.	KKLUE1	1
00154	15.	60 TO 711	
00155	16.	732 DXI2 = $2.0*(X(1-2)-X(1-1))$	1
00156	17.	IF((X(I-1)-DXI2).67.8.0)60 TO 710	1
00160	18.	770 KKLUE = 0	1
00161	19.	DXI = X(I-1)	
00162 00163	21.	DTCR = DXT/V(I-1) DTI = OTCR	2
00164	22.—	VSI = VS(1-1)	
00165	23.	DSI = VSI+OTI	2 <b>2</b>
00166	24.	DSX = USI = DXT	
00167	25.	AB = I	2
00170	26.	SXBAT = 22.0 - AB	2
00171	27.	OSXBAT = (2.0 - SX([-1) - DSX)/SXBAT	2
001.72	28.	GO TO 711'	2
00173 00175	<del>29.</del>	710 IF(V(I-1),GT.0.0)60 TO 992 IF(V(I-1).LT.0.0)60 TO 992	2 3
00175 00177	31.	991 DXI = 0.001	3
00200	32.	60 10 993	3
00201	33.	992 DELT = (TM(I-1)-TM(I-2))/1000.0	3
00202	34.	DXI1 = V(I-1)*DELT	3
00203	35.	IF(DXI1.67.0.0)60 To 1002	3
00205	36.	IF(0XI1-LT-0-0)60 To 1001	3
00207	37.	GO TO 991	3
00210	38.	1001 DX10 = 0.25-X(1-1)	3
00211	39.	IF((1.5*DXIO-ABS(DXI1)).GT.0.0)GO TO 1002	3
00213	40.	1003 DXI = DXIO	.4
00214 00215	41.	60 TO 993 1002 DXI = DXI1	4
00215 00216	43.	993 JJ=0	4
00218	44.	DSX = 0.10	4
00220	45.	711  SX(1) = SX(1-1) + DSX	4

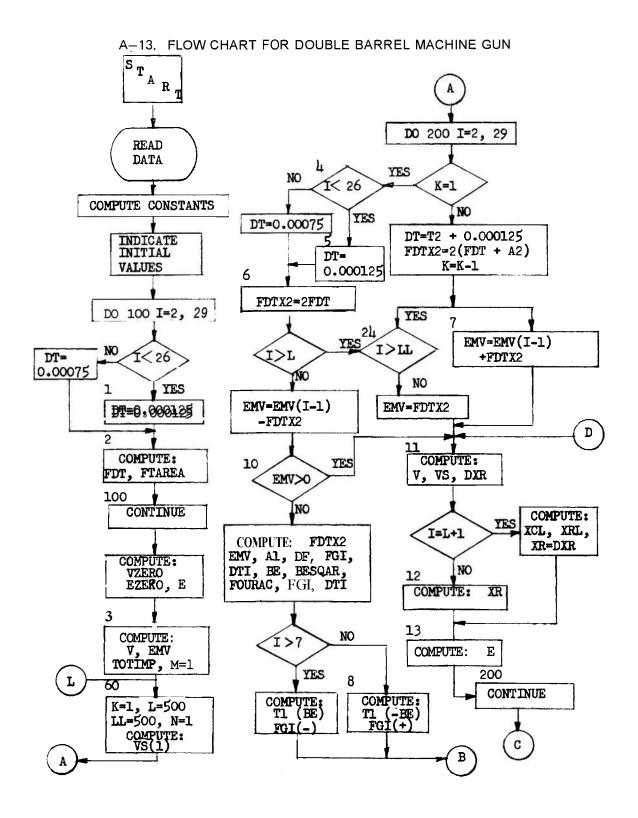
)

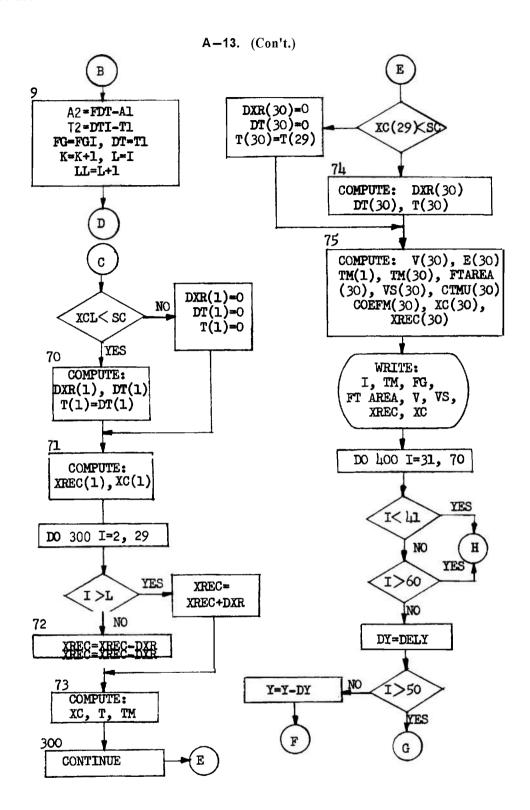
00221	46.	IF(I.LT.22)GO TO 704	46
00223	47.	706  DSX = 2.0 - 5X(21)	47
00224	48.	SX(1) - 20	48
00225	49.	Y(I) = 1.62	49
00226	50.	BETA = 0.0	50
00227	51.	GO TO 705	51
00230	52.	704 YSQ = SQRT(4.0-(2.0 - SX(1))*+2)	52
00231	53.	$Y(\tilde{I}) = 0.81 * YSQ$	53
00232	54.	BETA = ATAN(0.81*(2.0-SX(1))7750)	54
00233		BETAD(I)=57.296*BETA	55
00233	55. 56.	705 BSIN(I) = SIN(BETA)	56
		705 051417 = 34400147	
00235	57.	BCOS(I) = COS(BETA)	57
00236	58.	THETA(1) = 19.0987*(Y(1)+2.15)	58
00237	59.	RC = (4.0 - 0.3439*(2.0-5x(1))**2)**1.5/3.24	59
00240	60.	XK - B21V(1) -0.02*8CO2(1)	60
00241	61.	YK = BCOS(I) + 0.05*BSIN(I)	<u> </u>
00242	- 62 <b>.</b>	CG = CY*YK T CX*XK	62
00243	63.	CI = DIE+gCoS(I)/(Rp+RC+CG)	63
00244	64.	CF = 0.15*YK	- 54
00245	65.	CT = CX * XK + 0.1 * YK	65
00246	66.	IF(KKLUE.EG.U )GO TO 773	66
00250	67.	775 DSI = DSX +DXI	67
00251	08.	7/3 RL - U	- 68
00252	69.	LL = 0	69
00253	10.	<del>VE1 - VC(1-1) </del>	70
00254		-	71
00255	71.	709 VCIK = VCI DXIK = DXI	72
	72.		
00256 00257	75. 74.	EN(I)= ABS(CI*VCIK**2 + TG/CG)	73
		FUS(I) = CF*EN(I)	76
00260	75.	GSIK = DSI	75
00261	76.	TMU(I) - CT*EN(I) + 16	76
00262	77.	EMS = 0.5*(FUS(I-1) + FUS(I))*DSIK	77
00263	78.	DTHETA - (Y(I) = \$1[=1))/RD	It)
00264	79.	EMD = 0.5*(TMU(I-1)+ TMU(I))*DTHETA	79
00265	80.	EMU - EMS + EMD	ВО
00266	81.	FD(I) = FD(I-1) - 40.0*DSIK	81
00267	82.	EU - (FD(1-1)+FD(1))*0.40*DS1K	82
00270	83.	E(I) =E(I-1)+ED-EMU	83A
00271	84.	888=800\$417	63B
00272	85.	DENA=EMSLR*886**2	84A
00273	86.	RATIO=BSIN(I)/RD	848
00274	87.	DENB=DIE*RATIO**2	840
00275	88	DEN=0.5*(DENA*DENU)	840
00276	89	VCI = SQRT(E(I)/DEN)	85
(m) (m) (m) (m) (m)		VCI - 50R(VE\177 DEN)	55
00217	91		87
00300	91	VDI = VCI*BSIN(I)	
00301		IF (KKLUE EQ.U) GU TO 711	88
00303	93.	772 DII = DSIK/( (VSI + VS(I-1)) *0.5)	89
00304	94.	DIIM - 1000.0*DTI	90
00305	95	FX(I) = EN(I) * XK	91
00308	30.	FT(1) EN(1)*YK	92
00307	97.	ENF = 0.5*(FX(I-1)+FX(I))	93
00310	98.	LFA - U.45*FA(1-	94
00311	99.	ENX = ENF-EFA	95
00312	100.	EFAR - FA(1-1)/0.45	96
00313	101.	ENXR = ENF = EFAR	97
00314	102.	IF(V(I=1),61.0.0)G0 TO 1007	שע
00316	103.	IF(V(I-1).LT.0.0)GO TO 1009	99

80740	104	1007 15/VIX-IV 02 0 0100 YA 000	100
00320	104.	1006 IF(X(1-1),GT.0,0)GO TO 999 GO TO 1011	100
00322	105.		101
00323	106.	999 IF(ENX.GT.0.0)GO TO 1010 3007 IF(DXIK.GT.0.0)GO TO 1007	102
00325	108.	IF(DXIK.LT.0.0)60 TO 1012	104
00327	109.	3008 DXIK=0.001	105
00331	110.	GO 70 1007	106
00332	111.	1010 IF(ENXR.GT.0.0)GO TO 1012	100
00335	<del>-112.</del>		108
00336	113.	1011 DXIK = 0.0	
00337	114.	GO TO 1007	109
00337	115.	1012 DXIK = - ABS(DXIK) GO TO 1009	110 111
00341	116.	1007 FAX = 801.0*DXIK	112
00342	117.	FMVSQ = 801.0*EMR*V(I-1)**2	113
00342	118.	ENUMA: FAX + ENX	114
00344	119.	GO TO 1013	115
00345	120.	1009 FAX = 3955.6*DXIK	116
00346	121.	FMVSQ = 3955.6*V(I-1)**2*EMR	.117
00347	122.	ENUMA = FAX + ENXR	118
00350	123.	ENX = ENXR	119
00351	124.	EFA = EFAR	120
00352	125.	1013 FASQ = ENX**2	121
00353	126.	DENSG = FASG + FMVSG	122
00354	127.	IF(DENSQ.GT.0.0)GO TO 344	123
00356	128.	IF(DENSG.LT.0.0)STOP	124
00360	129.	GO TO 901	125
00361	130.	344 DENOM = SQRT (DENSQ)	126
00362	131.	ENUMB = ENX	127
00363	132.	ESIN = ABS(ENUMA/DENOM)	128
00364	133.	FSIN = ABS(ENUMB/DENOM)	129
00365	134.	GO TO 356	130
00366	135.	901 ESIN = 1.0	131
00367	136.	FSIN =1.0	132
00370	137.	GO TO 444	133
00371	138.	356 IF (FSIN-LT-1-0)GO TO 445	134
00373	139.	444 ANGLEF = 1.5708	135
00374	140.	GO TO 361	136
00375	141.	445 ANGLEF =ASIN(FSIN)	137
00376	142.	361 1F(ESIN.GT.1.0)GC TO 1200	138
00400	143.	GO TO 362	139
00401	144.	1200 DFAX = (ENUMA - DENOM)	140
00402	145.	LL = LL+1	141
00403	146.	IF(LL.EG.100)STOP	142
_00405	147.	1201 IF(V(I-1),LT:0.0)GO TO 1207	143
00407	148.	1208 DXI = DXIK - DFAX/801.0	144
00410	149.	GO TO 709	145
00411	150.	1207 DXI = DXIK - DFAX/3955.6	146
00412	151.	GO TO 709	147
00413	152.	362 IF(KL.LT.10)GO TO 366	148
00415	153.	1370 IF(ESIN-LT-0-999990)GO TO 366	149
00417	154.	364 ANGLEE = 1.5708	150
00420	155.	DELANG=ANGLEF~1.5708	151
00421	156.	IF(DELANG.GT.0.0)GO TO 1088	152
00423	157.	IF(DELANG.LT.0.0)GO TO 1088	153
00425	158.	GO TO 1220	154
00426	159.	1088 DTCR= (SGRT(EMR/801.0)) + ABS(DELANG)	155
00427	160.	IF ((ABS(DTI-DTCR)/DTCR).GT.0.01)GO TO 1087	156
00431	161.	60 TO 1220	157

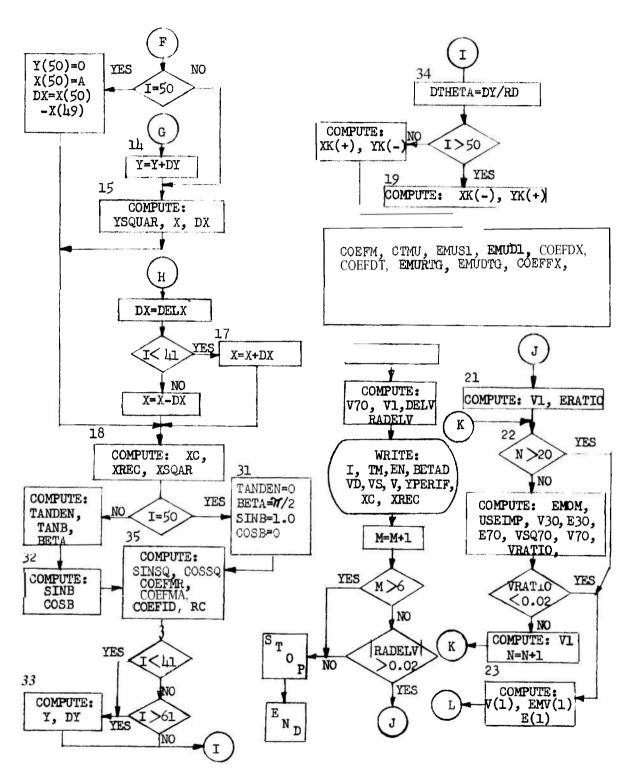
00432	162,	1087 DSX=DTCR*(VS(I-1)+VSI)/2.0	158
00433	163.	DXI = Y(I-1) *DTCR/2.0	159
00435	165.	366 ANGLEE-ASIN(ESIN)	161
00436	166.	446 DELANG = ANGLEF = ANGLET	162
00437	167.	IF (DELANG, GT.0.0) GO TO 1017	
00441	-168	IF (DELANG, LT. 0, 0) 60 TO 1017	163 164
00443	169.	1220 DTCR=DTI	165
00444	170:	GO TO 1015	168
00445	171.	1017 IF(V(I-1),LT.0.0)GO TO 1016	167
00447	172.	1014 DTCR = (SQRT(EMR/801.0)) # ABS(DELANG)	168
	173.		169
00450 00451	-174:-	GO TO 1015 1016 DYCR= (SGRY(EMR/3955.67)) * ABS(DELANG)	170A
06452	175.	1015 DTCRM = 1000.0*DTCR	1708
00453	176.	DECIM = DTIM - DTCRM	- 1/1
00454	177.	KL = KL +1	
00455	178.	IF(KL.GE.100)STOP	173
00457	179.	585 DIFT = DTI - DTCR	174
00460	180.	IF(DIFT.LT.0.0)GO TO 541	174 175
00462	181.	IF(DIFT.GT.0.0)GO TO 542	164
00464	182.	GO 10-712	177
00465	183.	541 ALDIF = (DIFT/DTCR)	179
00466	184.	GO TO SEL	178
00467	185.	542 ALDIF = (DIFT/DTI)	180
00470	180.	577 IF( ABS(ALDIF).GT.0.01)GO TO 587	180 181
00472	187.	GO TO 712	182
700473	188.	587 UXI = UXIK*(1.0 + ALDIF74.0)	103
00474	189.	DSI = DSX + DXI	184
00475	190.	GO 10 709	184 185
00476	191.	712 JJ=JJ+1	186
00477	192.	1F(JJ.EQ. 0')\$TOP	186
00501	193.	819 DEBBL = ABS(DXIK)*(~ENUMA)	188
00502	194.	EBBL(1) = EBBL(1-1) + DEBBL	188 189
00503	195.	VSQ = 2.0*EBBL(I)/EMR	190
00504	196.	VI=SQRT(ABS(VSQ))	191
00505	197.	IF(VI.GT.0.10)GO TO 1090	19 19
00507	198.	1089 VI=0.0	<del>- 19</del> 3
00510	199.	EBBL(I)=0.0	194
00511	200.	1090 IF(V(I=1).61.0.0)GO TO 1202	195
00513	201.	IF(V(I-1).LT.0.0)G0 TO 1203	196
00515	202.	60 10 822	197
00516	203.	1202 IF((EBBL(I-1)+DEBBL).LT.0.0)60 TO 823	198 199
00520	204.	60 10 822	
00521	205.	1203 IF((EBBL(I-1)+DEBBL).GT.0.0)G0 TO 823	<del>20</del> 1
00523	206.	60 10 822	201
00524	207.	823 RVI = VI/ ABS(V(I-1))	202
.00525	208.	IF(RVI.GT.0.10)GO TO 821	203
00527	209.	GO TO 831	204
00530	210.	821 DDTI - DTI*(1.0 = (ABS(V(I=1))/(( ABS(V(I=1)) + VI)*4.0)))	205
06531	211.	DXI = V(I-1)*DDTI	206
00532	212.	00% - 7007 - 10071	207
00533	213.	GSX = DDSI + DXI	208
00534	214.	60 10 711	209
00535	215.	831 VI = 0.0	210
00536	216.	00 10 824	211
00537	217.	822 IF(EBBL(I).LT.0.0)GO TO 825	212
00541	218.	854 A(I) = AI	213
00542	219.	GO TO 827	214

		5 V(I) = -VI	2
		7 X  = X(I-1) - DX	2
	22.	IF(XI-LT-0-25)60 TO 829	2
		3 X(I) = 0.25	2.
	24.	$\mathbf{V}(\mathbf{I}) = 0.0$	2
	25.	© T0 515	_ 2
		$\Theta(\mathbf{I}) = XI$	2
		5 S   = S(1-1) - DSIK	2
	28.	\$(1) = \$1	2
	30.	TMI = TM(I-1)+ 1000.0*DTI	2
		TM(I) = TMI	
	31.	VS(I) = VSI	2
00560 2 00561 2	33,	VD(1) = VD1 VC(1) = VCL	2
	:34,	IF(X(I-1).GT.0.0)G0 TO 513	2
		21.11.1 - 11.11	2
	35. 51 <u>4</u>	$\frac{4 \text{ FA(I)}}{\text{V(I)}} = \frac{0.0}{0.0}$	2
	37.	$\mathbf{X}(\mathbf{I}) = 0 \cdot 0$	2
	38.	© TO 516	- 2
		3 FA(I)≈880.0 + 1780.0*X(I)	2
		6 IF(5X(1).6T.1.9999) <sub>GO</sub> TO 701	2
		CONTINUE	_ 2
		WRITE (6, 170)	- 2
	243. 170	FORMAT(1H1/34x.53HTAREF 5_14 CAM AND DRUM DYNAMICS DURING COUNTERR	
	44.	D FORMAT(1H1/34x,53HTABLE 5-14 CAM AND DRUM DYNAMICS DURING COUNTERR L PERIPH	- <u>2</u>
00577		2 COUNTER COUNTER/	2
00577 2		3 12X, 105H ADAPTER SPRING CAM CAM CAM	- 2
00577	46:	4 CAM DRUM RECOIL RECOIL SLIDE SLIDE/	2
00577 2	48.	53X,114H TEE FORCE FORCE TRAVEL TRAVEL	2
	49.	6 SLOPE VEL POSITIONN VEL TRAVEL/	2
	50.	72X,113H MILSEC LB LB LB N IN	2
	251.	A DEGREE IN/SEC IN/SEC IN IN/SEC IN	2
00600	53:	WRITE(6,702)(TM(I),FA(I),FD(I),EN(I))SX(I),Y(I),BETAD(11,VD(I))	2
		1V(I),X(I),VS(I),S(I),I=3,22)	
		2 FORMAT(F10.5,F9.0,F9.1,F10.0,F10.3,f11.4,F8.1,F10.1,F10.4,F10.4.	2
	255	1F10.1,F10.3)	_ 2
		0 STOP	2
00623	257.	END	2
		-	
	D OF-LISTIN		
PHASE 1		SEC•	
PHASE 2		SEC.	
PHASE 3		5EC•	
PHASE 4		SEC.	
PHASE 5		SEC.	
PHASE 6	11ME = 3 S	SEC.	





A-13. (Con't.)



A-45

### A-14. PROGRAM LISTING FOR DOUBLE BARREL MACHINE GUN

0000 R 003344 0000 R 003312	RT 0000	R 003301 R	0005	R 003310 R 000000	SIN 000	0 R 003 <b>322</b> 0 R 003403	SINB	0000 R 0	03405
0003 R 000000 0000 R 003325	TG 0000	R 003317 SF R 003420 TO		R 002373 R 003047		0 R 003402 0 R 003352		0000 R 0	03372
0000 R 003360 0000 R 003434		R 003447 US		R 000454 R 003454		0 R 003440 0 R 002032		0000 R 0	
0000 R 003350 0000 R 003276	VZERO 0000	R 003442 V	0000	R 003450 R 002506	V30 000	0 R 003441 0 R 003373	V70	0000 R 0	13277
0000 R 001015 0000 R 003415	XR 0000	R 002621 XF R 003162 YF	REC 0000	R 003374 R 003377	XRL 000	0 R 003400		0000 R 0	
0000 K 003*15	11 0000	N 003102 1	- U000	N 003377	TOWORK				

00101 00101	2.	1 .EN(75) .Y(75) .X(75) .BETA(75) . COEFM(75) .CTMU(75) .VS(75) .VD(7	<b>3</b> Ĝ	
00101 00101	3. 4.	25), BETAD(75), T(75), XC(75), XREC(75), FTAREA(75), 3TM(75), YPERIF(75)	3D	
88193	5:	READ 50:(FG(1): 1=1:29) READ 50:WR: WA: DI: RL: CL: A: B: RHO: RB: RCH: RP: RR: RT: RD:	5Å	
00111 00135	7. 8•	IFGRES /EMU /G/SR 50 FORMAT(6F12.0)	58 76	**
88139	18:	EMR=MR/8	7B	
88149	łż:	BTRPB≣ERUPRPORR	7g	-
00142 00143	13. 14.	C10=017R0 Tg=FGRES*(RCH-EMU*RB)*EMU	9 10	
00144 00105	15.	CY=RO = EMU*RB CX=EMU*(RT+RD*RPORR)	11 12	
00146 00147	17.	RDSq=RD**2 EMURB=EMU*RB	13 14	
00150 00151	19 <b>.</b> 20.	CMUF=EMU*(RPORR+1.0/RHO) SC =CL+A	15 18	
00152 00153	21.	DELY=0.0866025*B DELX=A/20.0	18	
00154 00155	23.	ASQUAK=A*A BSGUAR=B*B	19	
00156 00157	25.	AOVERB=A/B BOVERA=B/A	21 22	
00160 00161	27. 28.	AB=A*U RCFRAC=(ASQUAR - BSQUAR)/ASQUAR	23 24	-
00162 00163	29.	RHOSQ=RHO**2 EFMR =0.5*EMR/RHOSQ	25 26	
00164 00165	31.	EFMA =0.5*EMA/RHOSQ EFID=0.5*DI/(RDSQ + RHOSQ)	21 28	
00166 00167	33.	XR(1)=0.0 T(1)=0.0	29 30	
00170 00171	35. 36.	EN(30)=0.0 EN(70)=0.0	31 32	. 25
00172 00173	37.	FGT3U7=0.0 FTAREA(30)=0.0	<b>33</b> 34	
00174 00175	39.	VD(30)=0.0 YPERIF(30)=0.0	35 36	
00176 00177	41.	BETAD1301=0.0 COEF M(30)=0.0	37 38	<del></del>

00200 43. 00201 44.	CTMU(30)=0.0 Y(30)=B	39 40
	x(30)=0.0	41
	FTAREA(1)=0.0	42
00203 46. 00204 47.	DO 100 I=2,29	43
		44
. 00207 48.	IF(I.LT.26)60 TO 1	
00211 49.	DT(I)=0.00075	45
. 00212 50.	GO TO 2	46
00213 51.	1 DT(1)=0.000125	47
_ 00214 52.	2 FDT(I) =0.5*(FG(I)+FG(I=1))*DT(I)	48
00215 530	FTAREA(I)=FTAREA(I-1)+FDT(I)	49
0021654.	100 CONTINUE	50
00220 55.	VZERO=FTAREA(29)/EMR	51
. 00221 56.	EZERO = 0.5*EMR*VZERO**2	52
00222 57.	E(1)=0.7*EZERO	53
00223 50.	3 V(1)=SQRT(2.0*E(1)/EMR)	54
00224 59.	EMV(1)=EMR*V(1)	55A
_ 00225 60•	TOTIMP = 2.0*FTAREA(29)	558
00226 610	M=1	56
00227 62.	60 K=1	57
00230 63.	L=500	58A
_ 00231 64.	LL=500	58B
00232 65.	N = 1	58¢
00233 66.	VS(1)=V(1)*RHO	59
00234 67.	00 200 1=2:29	60
00234 60.	IF(K.EQ.1)GO TO 4	61
00237 68.	DT(I)=T2+0.000125	62
00241 09. 00242 7u.		63
	FDTX2=2.0*(FDT(I)+A2)	64
00243 71.	K = K-1	65
00244 72.	60 TO 7	
00245 73.	4 IF(I.LT.26)60 TO 5	66
00247 74.	DT(1)=0.00075	67
00250 75.	60 TO 6	68
00251 76.	5 LT(1)=0.000125	69
00252 <u>7</u> 7.	6 FDTX2 = 2.0*FUT(1)	70
00253 78•	IF(I.GT.L)GO TO 24	71
00255 79.	EMV(1)=EMV(1-1)-FDTX2	72
00256 BU•	- 60 TO 10	73A
- 00257 B1·	24 1F(1.GT.LL)60 TO 7	7 <b>3</b> B
00261 82•	EMV(I)=FDTX2	73C
00262 83.	GO TO 11	730
. 00263 84.	7 EMV(I)=EMV(I-1)+FOTX2	73E
00264 85.	60 TO 11	74
00265 86.	10 IF(EMV(I).GT.0.0)GO TO 11	75
00267 87.	FDTX2 = EMV(1-1)	76
00270 B8.	EMV(I)=0.0	77
00271 89.	A1=FDTX2/2.0	78
00272 90.	DF= ABS(FG(I)-FG(I-1))	79A
00273 91.	FGI = FG(I)	79B
00273 92.	DII=DI(I)	79C
- 00275 93	BE= FGI*DTI/DF	80
00275 95.	BESQAR=BE**2	81
00276 94.	FOURAC=2.0*DTI*A1/DF	82
		83
00300 96.	FG1=FG(I-1)	
00301 97.	DTI=DT(I)	84
00302 98.	IF(I.LE.7)60 TO 8	85
00304 -43.	TI=BE-SQRT(BESQAR-FOURAC)	86
00305 100.	FGI=FGI-DF*T1/DT1	87

00306	101.	GO TO 9	88
00307	102.	8 T1=-BE+SQRT(BESQAR+FOURAC) FGI=FGI+DF*T1/DTI	89 90
00310	103.	9 A2=FDT(I)-A1	91
00312	105.	T2=DTI-T1	92
00312	105.	FG(I)=FGI	93
00314	107.	DT(I)=T1	94
00315	108.	K=K+1	95
00316	109.	L=I	OFA
00317	110.	LL=L+1	968
00320	111.	11 V(I)=EMV(I)/EMR	97A
00321	112.	VS(I)=V(I)*RHO	97B
00322	113.	DXR(I)=0.5*(V(I-1)+V(I))*DT(I)	98
00323	114.	IF(I.NE.(L+1))GO TO 12	994
00325	115.	XCL=XR(L)*RHO	99B
00326	116	XRL=XR(L)	990
00327	117.	XR(I)=DXR(I)	9 <b>9</b> 0
00330	118.	GO TO 13	100
00331	119.	12 XR(I)=XR(I-1)+DXR(I)	101
00332	120.	13 E(I)=EMR*V(I)**2/2.0	102
00333	121.	200 CONTINUE	103
00335	122.	IF(XCL-LT-SC)GO TO 70	104
00337	123.	DXR(1)=0.0	105A
00340 00341	124. 125.	DT(1)=0.0 T(1)=0.0	1058
00341	126.	GO TO 71	105C 105D
00343	127.	70 DXR(1)=SR-XRL	106A
00344	128.	DT(1)=DXR(1)/V(1)	106A
00345	129.	T(1)=DT(1)	1060
00346	130.	71 XREC(1)=XRL	107A
00347	131.	XC(1)=XREC(1)+RHO	107B
00350	132.	00 300 I=2,29	108A
00353	133.	IF(I.LE.L)GO TO 72	108B
00355	134.	<pre>xREC(I)=XREC(I-1)+DXR(I)</pre>	108C
00356	135.	GO TO 73	1080
00357	136.	72 XREC(I)=XREC(I-1)-DXR(I)	108€
00360	137.	73 XC(I)=XREC(I)*RHO	108F
00361	138.	T(I)=T(I-1) +OT(I)	1086
00362	139.	TM(I)=1000.0*T(I)	108H
00363	140.	300 CONTINUE	1081
00365	141.	IF(XC(29).LT.SC)GO TO 74	109A
00367	142.	0xR(30)=0.0	109B
00370	143.	OT(30)=0.0	1090
00371 00372	144.	1(30)=1(29) 60 10 75	109D 109E
00372	145.	74 DXR(30)=SR -XR(29)	109E 110A
00374	147.	DT(30)=DXR(30)/V(29)	1108
00375	148.	T(30)=T(29)+DT(30)	1100
00376	149.	75 v(30)=v(29)	1100
00377	150.	E(30)=E(29)	110E
00400	151.	TM(1)=1000.0*T(1)	110F
00401	152.	TM(30)=1000.0*T(30)	110G
00402	153.	FTAREA(30)=0.0	110H
00403	154.	VS(30)=VS(29)	1101
00404	155.	CTMU(30)=CX+CTRIG+EMURB	110J
00405	156.	COEFM(30)=CMUF	110K
00406	157.	XC(30)=SC	111A
00407	158.	XREC(30)=XC(30)/RHO	1118

)

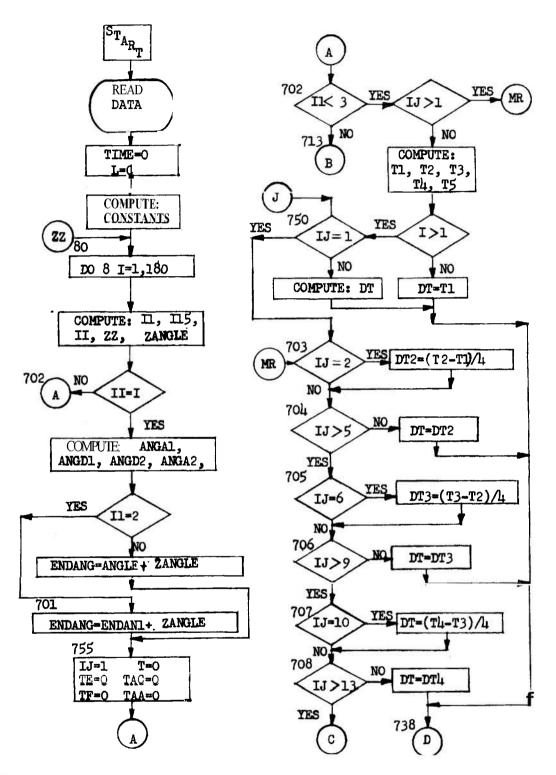
		. W S	
00410	159.	PRINT 105. ( TM(I), FG( FTAREA(I), V(I), VS(I), XREC(I), XC(I),	111C
00410 00425	160 · 161 ·	105 FORMAT(1H1/12x, 47H TABLE 2-11 DOUBLE BARREL MACHINE GUN DYNAMICS	1110 111E
00425	162	1 //14X+11H PROPELLANT+19X+6H AXIAL+13X+6H AXIAL/17X+4H GA	111F
00425	163.	25.14X.33H RECOIL CAM RECOIL CAM/70H ■ TIME FOR	1116
00425	164.	3CE IMPULSE VEL VEL TRAVEL TRAVEL/68H MSEC	111H
00425	105.	4 LB LP-SEC IN/SEC IN/SEC IN IN//	1111
00425	166. 167.	5(13,F9.3,F11.1,F9.2,2F9.1,2F10.4)) GO 400 I=31,70	_1114
00426 <b>0</b> 04 <b>3</b> 1	T		112 113
00431	168 · 169.	IF(I.LT.41)GO TO 16 IF(I.GT.60)GO TO 16	114
00435	_ 170	DY=DELY	113
88436	171 172.	IF(I.GT.50)G0 TO 14	116
		25 Y(I)=Y(I-1)-DY	117
00441 00443	173. 174.	IF(1⋅NE.50)GO TO 15 Y(50)=0⋅0	118A 1188
00444	175.	X(50)=A	118C
00445	176.	DX = X(50) - X(49)	1180
00446	177.	GO TO 18	119
00447	178	14 Y(I)=Y(I-1)+DY	120
00450	179.	15 YSQUAR=Y(I)**2	121
00451	180•		122A 1228
8845 <u>2</u>	182:	DX = ABS(X(I-1) - X(I)) GO TO 18	1220
00454	183.	16 DX=DELX	124
00455	184.	IF(I.LT.41)GO TO 17	125
00457	185.	X(I)=X(I-1)-DX	126
00460 00461	187.	GO TO 18 17 x(I)=x(I-1)+Dx	127 128
		· · · · · ·	
00462 00463	188. 189.	XREC(I)=XC(I)/RHO	129A 129B
00464	190.	XSQUAR=X(1) **2	129C
00465 00467	191. 192.	IF(I.EQ.50) GO TO 31  TANDEN=SORT(ASQUAR-XSQUAR)	1290
00407	195.	TANR=BOVERA*X(I)/TANDEN	131
00471	194.	BETA(I) =ATAN(TANB)	132
00472	195.	GO TO 32	133
00473	196.	31 TANDENTO: 0	134A
00474	197.	BETA(1)=1.570756	1348 1340
00475 00476	198. 199.	SINB=1.0 COSB=0.0	134D
00477	200.	GO TO 35	135A
00500 00501	201.	32 SINH=EIN(BEIA(I))	135B
	202.		135C
00502 00503	203. 204.	35 S NSO=SINB**2 COSSO=COSB**2	1350 135E
00503	204.	COEFMR=EFMR*COSSQ	135F
00505	200.	COEFMA=EFMA*SINSO	1356
00506	207.	COEFID=EFID+SINSO	135H
00507 00510	209:	RC=(ASQUAR-XSQ <u>UAR*RCFRAC)**1.5/AR</u> F( L1.41760 T0 33	136
00510	209.	IF(I.6T.60)60 TO 33	137A 1378
00512	210.	GO TO 34	137C
00515	212.	33 Y(1)=BOVERA+TANDEN	137
00516	213.	DY=ABS(Y(I=I)-Y(I))	138
00517	214.	34 DTHETA=DY/RD	139
00520	215.	IF(1.67.50)60 TO 19	140
00522	216.	XK=SINB+CTRIG*COSB	141

00523	217.	YK = COSB - CTRIG*SINB	142
0,05,24	218.	GO TO 20	143
00525	219.	19 XK=SINB-CTRIG*COSB	144
00526 00527	220.	YK=COSB+CTRIG*SINB 20 DENOMN=ABS(CY*YK-CX*XK)	<u>145</u> 146
00527	222.		147
00531	223.	COEFVC=CID*COSB/(RC*DENOMN) - TGN=TG/DENOMN	148
00532	224.	COEFM(I)=CMUF*YK	149
00533	225.	CTMU(I)=(CX*XK + EMURB*YK)	150
00534	226.	EMUS1=C0EFM(I-1)*EN(I-1)*DX/2.0	151
00535	227.	EMUD1=CTMU(I-1)*EN(I-1)*DTHETA/2.0	152
00536 00537	228+	COEFDX=COEFM(I) *DX/2:0	153
00537	229. 230.	COEFDT=CTMU(I)*DTHETA/2.0 EMURTG=(COEFDX+COEFDT)*TGN	154 155
00541	231.	EMUDTG=TG*DTHETA	156
		COEFFX=COEFDX+COEFVC	157
00542 00543	232 • 233.	čŏĒFTĢ=čŏĒFĎŶ÷čŏĒFVČ	158
00544	234.	HALFFE=EMUS1+EMUD1+EMURTG+EMUDTG	159
00545	235.	EI=E(I=I)-HALFFE	160
00546	236.	VCCOEF=COEFMR+COEFID+COEFFX+COEFTQ	161 162
00547	237.	VCSQ=EI/VCCOEF —	163
00550 00551	238. 239.	EMUR2=COEFFX*VCSQ	164
00552	240.	ESUBMUTHALFFE + EMUR2 + EMUD2	165
00553	241.	E(I)=E(I-I) ESUBMU	166
00554	242.	VC=SQRT(VCSQ)	167
00555	243.	VS(I)=VC*COSB	168
00556	244.	VD( D=VC*SINB	169 176
00557	245.	V(I)=VS(I)/RH0	171
00560 00561	246. 247.	EN(I)=COEFVC*VCSO + TGN YPERIF(I)=YPERIF(I-1)+ABS(DY)	172
00562	248.	BETAD(1)=57.296*BETA(1)	173
00563	249.	OT(1)=2.0*DX/(VS(1-1) + VS(1))	- I n -
00564	250.	T(I)=T(I-1) +_DT(I)	175
00565	251.	TM(I)=1000.0*T(I)	176A 1768
00566 00570	252 · 253 ·	400 CONTINUE	1760
00570	254.	V1=V(1)	176D
00572	255.	DELV=V1-V70	176E
00573	256.	RADELV-DELV/VI	176F
00574	257.	IF(ABS(RAUELV).GT.0.02)G0 TO 36	1766
00576 00576	258 • 259.	36 PRINT 110.(I,TM(I).EN(I).BETAD(I).VD(I).VS(I).V(I).YPERIF(I) 1.XC(I).XREC(I).I=31.70)	177 <b>178</b>
00576	260.	110 FORMAT(1H1/20x,53H TABLE 2-11 CONT. DOUBLE BARREL MACHINE GUN DYN	179
00615	261	1AMICS //18X.7H NORMAL, 11X, 15H PERIPH AXIAL, 12X, 17H PERIPH	-180-
00615	262.	2 AXIAL/19X,71H CAM CAY DRUM CAM RECOIL DRUM	181
00615	263.	3 CAM RECOIL/90H I TIME FORCE SLOPE VEL	182
00615	264.	4 VEL VEL TRAVEL TRAVEL TRAVEL/88H MSEC	183
00615	265.	5 LB DEG IN/SEC IN/SEC IN IN	184
00615	266 •	6 IN//(I3.F11.4.F10.1.F9.2.3F9.1.3F10.4))	185 <b>-6</b> - 1 <b>87</b> -
00617	268.	M-M+1 IF(M•GT•6) GO TO 30	- <b>167</b> 188
00621	269.	IF(ABS(RADELV).GT.0.02)GO TO 21	189
00623	270.	GO TO 99	190
00624	271.	21 V1= (V1+V70)/2.0	191
00625	272.	ERATIO = E(70)/E(30)	192
00626	273.	22 IF (N.6T.20160 TO 23	193 194
00630	274.	EMOM=V1*EMR	154

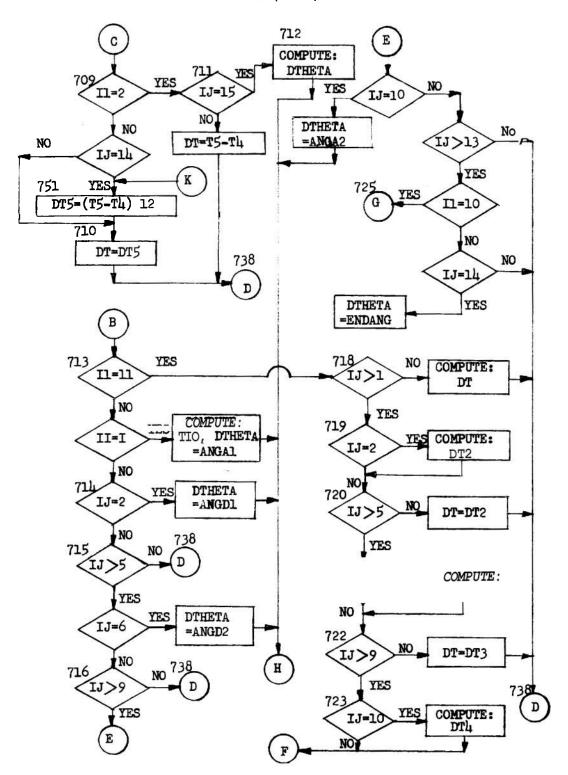
	00631 275.	USEIMP=TOTIMP-EMOM	195
	00632 276.	V30=USEIMP/EMR	196
	00633 277.	E30=EMR*V30**2/2.0	197A
-	00634 278.	E70=ERAT10*E30	197B
	00635 279.	V5070=2.0*E70/EMR	197C
	00636 280.	V70=SQRT(VSQ70)	197D
	00637 '281.	VRATIO=A6S(1.0-V1/V70)	197E
	00640 282.	IF(VRATIO-LT.0.02)GO TO 23	197F
	00642 283.	V1=(V1+V70)/2.0	1976
	00643 284.	N=11+1 .	198
•	00644 285.	60 TO 22	199
	00645 286.	23 V(1)=V1	200
-	00646 287.	EMV(1)=EMR*V(1)	201
	00647 288.	E(1)=EMR*V(1)**2/2.0	202
-	00650 289.	GO TO 60	203
	00651 290.	30 PRINT 80.V(1).T(70).RADELV.M.N	204
	00660 291.	80 FORMAT(////3E18.8.215)	205
	00661 29L.	99 STOP	206
-	00b62 293.	END	207
	END OF L	MST NG. 0 *DIAGNOSTIC* MESSAGE(S).	
_	PHASE 1 TIME =	3 SEC.	
	PHASE 2 TIME =	1 SEC.	
	PHASE 3 TIME #	5 SEC.	
-	PHASE 4 TIME =	o SEC.	
	PHASE 5 TIME ≠	4 SEC.	
	PHASE 6 TIME =	4 SEC.	
		51 8 R 51 51 51 W M F	
	TOTAL COMPILATI	ON TIME = 17 SEC	

AMCP 706-26

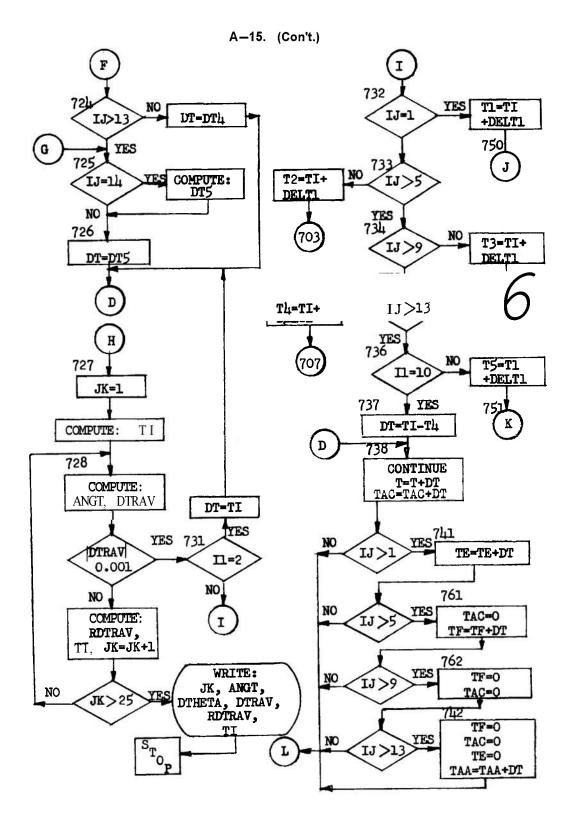
A-15. FLOW CHART FOR MULTIBARREL POWER

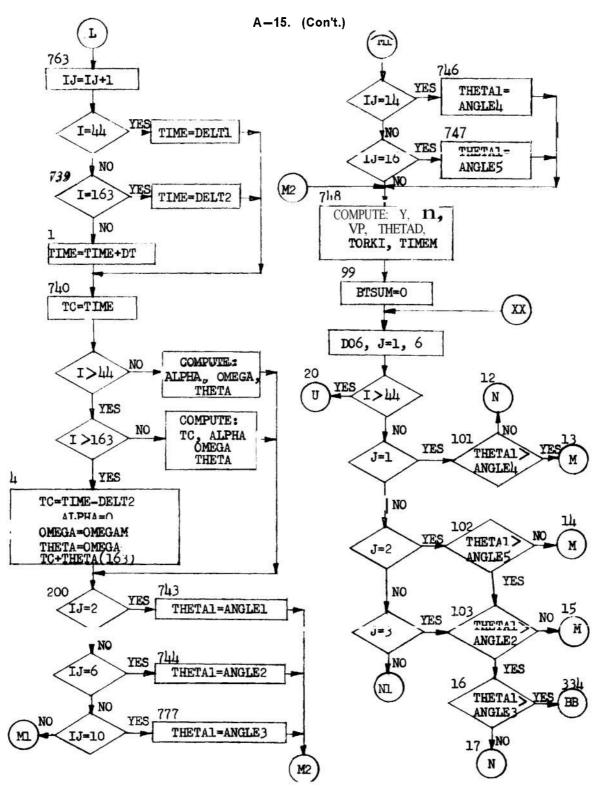


A-15. (Con't.)

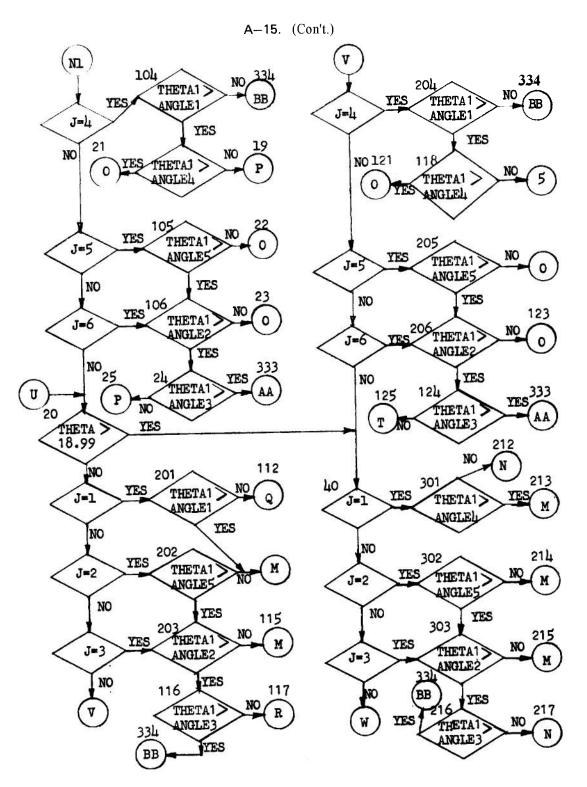


A-53

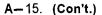


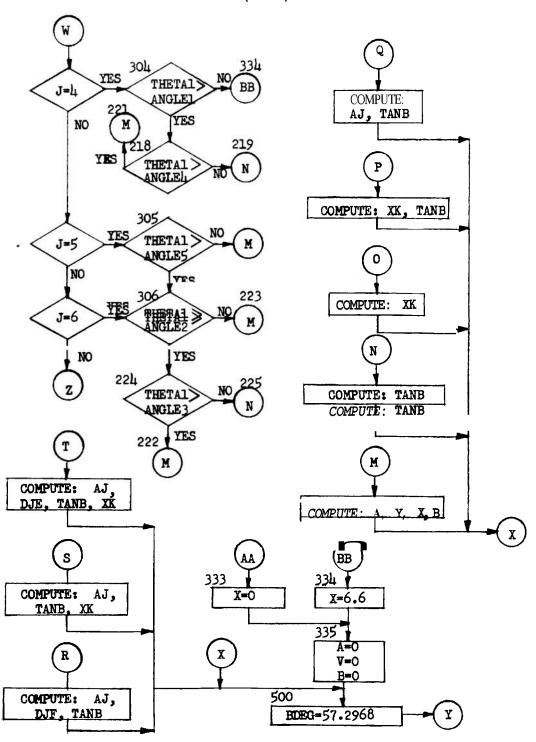


A-55



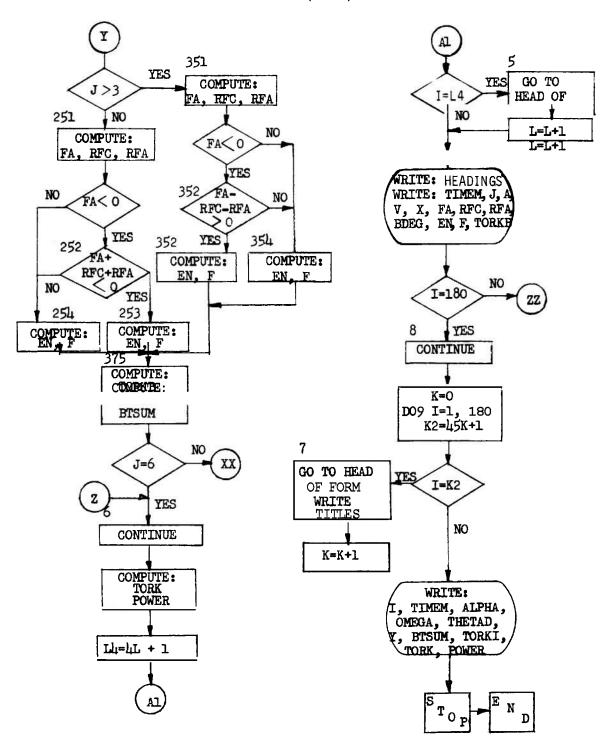
A-56





A-57

A-15. (Con't.)



### A-16. PROGRAM LISTING FOR MULTIBARREL POWER

		INPUT CARD COUNT
DIMENSION TIMEM(180);ALPHA(180);OMEGA(180);THET.	TA(180),THFTAD(180), 3	1
IBTSUM(180),TORK[(180),TORK(180),X(6), V(6),A 2FA(6),RFC(6),RFA(6),EN(6),F(6),B(6),TORKB(6),P0	(6),Y(180),BDEG(6),4-	<b>2</b> 3
UREADTS,75) AFK, DFK, AEK, DEK, AK, C1, C2, C3, A		
ANGLES, ANGLES, ANGLES, EL, R.		5
ZWSE, COEFCI, COEFCZ, COEFS1, COEFS2, ALPHAO, OMEGA		
3 X1F, X2F, TANBF, TANBE, Y1E, Y2E, X1E,	X2E • G • 10	7
DELTI, DELT2, ENDAN1, EMUR, EMUS, EMUT,		8
75 FORMAT (9F8.0)	12	9
TIME = 0.0	13	10
RCAI = RC*ANGLEI	15A	11 12
RCTF = KC*TANBF	15B	13
RCTE = RC+TANBE	15C	14
RSQ = RC**2	15D	15
VJF = OMEGAM*RCTF	15F	16
VJE = -UMEGAM*RCTE	156	17
AJA3 = 2.0*RC**2*OMEGAM**2	15A	18 19
AJAF = AJA3/AFK AJDF = AJA3/DFK	15I 15J	20
AJAE = TAJA3/AEK	155 15K	21
AJDE = AJA3/DEK	15L	
AJAP = MCTF*ALPHAD	15M	23
AJAN = "RCTE + ALPHAD	15N	24
XK1F = KCTF*(ANGLE5-ANGLE4)	150	25
XK1E = RCTE*(ANGLE5=ANGLE4)	15P	26
XK2F = KCTF*(2.0*ANGLE5*ANGLE4)  XK2E = KCTE*(2.0*ANGLE5-ANGLE4)	150	27 28
XK3F = XK2F + RCTF*ANGLE2	15R 15S	29
XK3E = XK2E + RCTE + ANGLE2	157	30
YF2 = 2.0*Y2F*RC	150	99000 <b>31</b>
YEZ = 2.0*Y2E*RC	15V	32
AYF2 = YF2*ALPHAO	15W	33
AYE2 =YE2*ALPHA0	15X	34
AJ3 = 3.0*RC**2*ALPHA0**2  AJ3F = AJ3/AFK	157 15Z	35 36
AJ3E = AJ3/AEK	152 15AA	36 37
DJ2F = AYF2/DFK	15BB	38
DJ2E = AYE2/DEK	15AC —	39
DJ3F = AJ3/DFK	15AD	40
DJ3E = AJ3/DEK	15AE	41
AJT4 = 5.0*R\$0*AK**2/6.0	15AF	42
AJT3 = 10.0*RSQ*AK*C1/3.0	15AG	43
AJT2 = KSQ*(4.0*AK*C2 +3.0*C1**2) AJT1 = 2.0*RSQ*(AK*C3 + 3.0*C1*C2)	15AH	45
AJTD = 2.0*RSQ*(C1*C3 + C2**2)	15A1 15AJ	46
BX=C2/C1	15AK	47
BSQ=BX**2	15AL	
CX=2.0/C1	15AM	49
80 DO 8 1=1.180	16	50
I1 = (I~1)/15	A1	51
115 = 15*11	A2	52
II = I15 + 1 ZZ = II	A3 A4	53 54
ZZ - II ZANGLE = ZZ*ANGLE5	A4 A5	55

	F(11.NE.1)GO TO 702	A6	51
	NGA1 = ANGLE1 + ZANGLE	A7	5
	NGD1 = ANGLE2 + ZANGLE	AB	50
	INGU2 = ANGLE3 + ZANGLE	A9	
	NGAZ = ANGLE4 + ZANGLE	A10	6
	F(I1.EQ.2)GO TO 701	A11	61
	NDANG = ANGLES + ZANGLE	A12	5.
	60 TO 755	A13	63
701 E	NDANG = ENDAN1 + ZANGLE	AI4	60
	J=1	A15A	65
T	=0.0	A15B	60
T	E=0.0	A15C	67
	AC=0.0	A15D	61
T	F=0.0	A15E	69
	AA=0.0	Alse	71
	F(I1.GE.3)GO TO 713	A16	71
	F(IJ.GT.1)60 TO 703	A17	72
	1 = SQKT(2.0+ANGA1/ALPHA0)	A18	73
	2 = SGRT(2.0*ANGD1/ALPHAD)	A19	71
	3 = SQRT (2.0*ANGD2/ALPHA0)	AZO	75
	4 = SQRT(2.0*ANGA2/ALPHA0)	ÄŽŽ	76
		A22	
	5 = SQRT(2.0 = ENDANG/ALPHAO)		<del></del>
	F(1.61.1)60 to 750	A23A	79
	)T = T1	A23B	
	60 10 738	A23C	80
	F(IJ.NE.1)GO TO 703	A23D	81
	T = T1 - TIMEM(I-1)/1000.0	A24	82
	GO TO 738	A25	83
703 1	FIJ.NE.2)GO TO 704	A26	84
1	T2 = (12-T1)/4.0	A27	85
704 I	F(1J.GT.5)GO TO 705	A28	88
	OT = DT2	A29	87
(	60 TO 738	A30	88
	IF(IJ.NE.6)GO TO 706	A31	89
C	T3 = (13-T2)/4.0	A32	90
	F(1J.G1.9)GO TO 707	A33	91
	OT = DT3	A34	
	60 TO 738	A35	93
	IF(IJ.NE.10)GO TO 708	A36	<del></del>
	)T4 = (14-T3)/4.0	A37	95
	F(IJ.61.13)60 TO 709	A38"	91
	OT = DT4	A39	ý:
	50 TO 738	A40	98
		A41	ģ
	IF(I1.EQ.2)GO TO 711	A42	100
	(F(I).NE.14)GO TO 710	A43	101
	DT5 = (15-T4)/2.0	A43-5	
	T = DT5	, , , , , , , , , , , , , , , , , , ,	10
	30 10 738	A46	103
	IF (IJ.E0.15)GO TO 712	A47	10
	OT = T5-T4	A48	10:
	GO TO 738	X49	100
	DTHETA = 3.0*ANGLE5	A50	107
(	GO TO 727	A51-2	100
713	IF(I1.E0.11)GO TO 718	A53	109
	IF(II.NE.I)GO TO 714	A54	110
	TIO=TIMEM(I-1)/1000.0-DELT1	A55	111
	DTHETA = ANGAL	A56	112
	GO TO 727	A57-8	11.

714 IF(IJ.NE.2)GO TO 715	A59	<u>-</u> 114
DTHETA = ANGD1	A60	115
60 TO 727	A61	116
715 IF(IJ.LE.5)GO TO 738	A62	117
IF(IJ.NE.6)GO TO 716	A63	118
DTHETA = ANGD2	A64	119
GO TO 727		- Tzu—
	A65	121
716 IF(1J.LE.9)GO TO 738	A66	
IF(IJ.NE.10)GO TO 717	A67	122
DTHETA = ANGA2	A68	123
60 10 727	A69	125—-
717 IF(IJ.LE.13)GO TO 738	A70	125
IF(11.E9.10)GO TO 725	A71	126
1F(IJ.NE.14)60 TO 745	A72	127
DTHETA = ENDANG	A73	128
GO TO 727	A74	129
745 GO TO 738	A75-8	130
718 IF(1J.GI.1)GO TO 719	A79	131
DT = ANGLE1/OMEGAM	A80	132
GO TO 738	A81	<b>– 133</b>
719 IF(IJ.NE.27GO TO 720	A82	134
DT2 = (ANGLE2 - ANGLE1)/(4.0*OMEGAM)	A83	135
720 IF([J.6T.5]60 TO 721	A84	136
DI = DIS		137
GO TO 738	A85	138
	A86	139
721 1F(1J.NŁ.6)GO TO 722	A87	no-
DT3 = (ANGLE3 - ANGLE2)/(4.0+OMEGAM)	A88 -	
722 IF(IJ.61.9)60 TO 723.	A89	141
DT = DT3	A90	142
60 TO 738	A91	1 V 3
152 TE (10:10-10) 10 124	A92 -	144
DT4 = (ANGLE4 - ANGLE3)/(4.U+OMEGAM)	A93	145
724 IF (IJ.61.13)60 TO 725	A94	146
DT = DT4	A95	147
	A96	148
725 IF(IJ.Nt.14)GO TO 726	A97	149
DT5 = (ANGLE5 - ANGLE4)/ (2.0*OMEGAM)	A98	150
726 DT = DT5	A99	151
60 10 738	AIDO	
727 JK = 1	A101	153
TI=SQRT(BSQ+CX+(DTHETA-C3))-BX	A102	_ 154
728 ANGT = AK*TI**3/6.0 + C1*T1**2/2.0 + C2*TI + C3	A103	155
OTRAV = DTHETA - ANGT	A1D4	156
1F(ABS(UTRAV).LT.0.001)G0 TO 731	A105	157
ROTRAV = DTRAV/(DTHETA-C3)	A106 ·	158
TI =TI*(1.0 + RDTRAV)	A107	159
JK = JK+1	A108	160
		161
1F(JK.G1.25)G0 TO 729	A109	- 162
GO TU 728	A110 A111	163
729 WRITE(6,730) JK, ANGT, DTHETA, DTRAV, RDTRAV, T1		
730 FORMAT(13,5E15.8)	A112	164
GO 10 900	A113	165
731 IF(11.N≥.2)60 TO 732	A114	166
DT = T1 - T5	A115	167
	A115	168
60 <i>TO</i> <b>7</b> 38	_ A116	169
732 IF(IJ.NE.1)60 TO 733	A117	170
T1 = T1+DELT1	A118	171

	GO TO 750		AI19	172
	IF(IJ.G1.5)GO TO 734		A120	173
	TZ = TI*DELTI		A121	174
	GO TO 703	2 . 3	A122	175
	IFTIU.GT.9160 TO 735		A123	176
	T3 = TI+UELT1		A124	177
	GO TO 705		A125	178
735	IF(IJ.G  -13)GO TO 736		A126	179
	T4 = TI+DELTI		A127	180
	60 TO 707		A128	181
736	IF(II.E@.10)GO TO 737	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	A129	182
	T5 = TI+DELT1		A130	183
	GO TO 751		A131	184
737	DT = TI-T4		A132	185
738	CONTINUE		A133	186
	T=T+DT		A134	187
	TAC=TAC+DT		A135	188
	IF(IJ.GI.1)GO TO 741		A136A	189
	GO TO 763		A1368	190
	TE=TE+DI		A136C	191
	IF(1J.61.5)GO TO 761		A137	192
	60 TO 763		A138	193
	TAC=0.0	25 (6)	A139	194
	TF=TF+D1		A140	195
	IF(1J.61.9)60 TO 762		A141	196
	60 TO 763		A142	197
	TF=0.0		A143	198
	TAC=0.0		A144	199
	IF(IJ.GT.13)GO TO 742	-	A145	200
	60 TO 763		A146	201
	TF=0.0	B1 *	174	202
	TAC=0.0		17B	203
	TE=0.0		17c	204
	TAA=TAA+DT		170	205
	IJ=IJ+1		175	206
	IF(I.NE.44)GO TO 739		17F	207
			176	208
	TIME = DELTI		174	209
	GO TO 740		171	210
	IFTI.NE.163) GO TO 1		17J	211
	TIME = UELT2		17K	212
	GO TO 740		18	213
	TIME = IIME+DT	9 MA W. S. M	19A	214
	TC= TIME		198	215
	IF(1.GT-44)GO TO 2		20	
	ALPHA(I) = ALPHAO			216
	OMEGA(I) = ALPHA(I) +TC	100	21	217
	THETA(1) = OMEGA(1) *TC/2.0		22	218
	60 TO 200	and the same of th	23	219
	IF(1.GT-163)GO TO 4		24-5	220
	TC= TIME - DELT1		26	221
	ALPHA(I) = AK*TC+ C1		27	222
	OMEGA(1)=AK*TC**2/2.+C1*TC+C2		28	223
	THETA(I)=AK+TC++3/6.+C1+TC++2/2.+	C2*TC*C3	29	224
	GO TO 200		30	225
	TC= TIME - DELTE		31-2	226
	ALPHA(I) = 0.0		33	227
	OMEGA(I) = OMEGAM		34	228
	THETA(I) = OMEGA(I) *TC+ THETA(163		35	229

200 IF(IJ.EQ. 2)60 TO 743 IF(IJ.EQ. 6)60 TO 744	36A 36B	230 231
IF(IJ.EG.10)GO TO 777	36C	232
IF(IJ.EQ.14)GO TO 746	36D	233
IFTIJ.E0.16)G0 TO 747	36E	234
Tritta = TUTTA (1) - 747		
THETA1 = THETA(I)-ZANGLE	37A	235
60 TO 748	37B	236 237
743 THETA1 = ANGLE1	38A	
G0 T0 748	388	238
744 THETA1 = ANGLE2	38C	239
GO TO 748	380	240
777 THETA1 = ANGLE3	39A	241
GO TO 748		242
746 THETA1 = ANGLE4	39C	243
GO TO 748	390	244
747 THETA1 = ANGLES	39E	245
748 Y(I) =RC+THETAI	40A	246
YI = Y(I)-RC*ANGLE2	40B	247
VP = RC*OMEGA(1)	40 <b>C</b>	248
THETAD(1) = 57.296*THETA(1)	41	249
TORKI(I) = EYE*ALPHA(I)	42	250
TIMEM(I) = 1000.0 * TIME	43	251
99 BTSUM(I)=0.0	44	252
DO 6 J=1.6	45	253
IF(I.GT.44)GO TO 20	46	254
10 GO TO (101: 102: 103: 104: 105: 106):J	47	255
IUI IF(THETAI.GT.ANGLE4)60 TO 13	48	256
12 A(J)=AJ3F*T **2	49	257
TANB = 2.0*Y(I)/AFK	50A	
V(J)=VP**TANB	50B	
X(J) = T(1)*+2/AFK	51	<del></del>
B(J) = ATAN (TANB)	52	261
GO TO 500	53	262
	54	£02
13 A(J) = AJAP		263
VTJ) = TANBF*VP		265 265
X(J) = X1F + ((Y(I)-Y1F)*TANBF)	56	
B(J) = 8F1	57	
GO TO 500	58	267
102 IF(THETAL.GT.ANGLES)GO TO 103	59	268
14 A(J) = AJAP	60	269
V(J) = TANBF*VP	61	270
X(J) = Y(1)*TANBF + X1F + XK1F	62	271
B(J) = BFI	63	272
60 TO 500	64	273
103 TF(THETAI:6T.ANGLE27GO TO 16	65	274
$15 \times (J) = Y(I) * TANBF + X1F + XK2F$	66	275
A(U) = AJAP	67	276
V(J) = VP*TANBF	68	277
B(J) = BFI	69	278
60 TO 500	70	279
16 IF (THETA1.GT. ANGLES) GO TO 334	71	280
17 A(J)=DJ2F+DJ3F*TE **2	72	281
TANB = 2.0*(Y2F-YI)/DFK		282
V(J)= TANB*VP	73B	283
X(J)=X2F-(Y2F-YI)**2/DFK+X1F+XK3F	74	284
B(J) = ATAN (TANB)	75	285
GO TO 500		286
00 10 300	- 10	200

18 IF THETAL GT. ANGLE 4760 TO 21	78	58
19 A(J) = "AJ3E+TE ++2	79	20
TANE = 2.0+(Y(1)-RCA1)/AEK	80A	29
V(J) = TANB*VP XK = (Y(I)-RCAI)**2/AEK	808	29
	81	29
$X(J) = F\Gamma - XK$	82	29
B(J) = ATAN (TANB)	83	29
GO TO 500	84	29
21 ALJ) = AJAN	85	29
V(J) = "TANBE*VP	06	29
XK = X1E + ((Y(I) - Y1E - RCAI) + TANBE)	87	29
X(J) = EL-XK	88	29
B(J) = BEI	89	30
GO TO 500	90	30
105 IF (THETAL-GT-ANGLES) GO TO 106	91	30
22 A ( 1) - A 1AAc	92	30
V(J) = TANBE + VP	93	30
XK = XIL + Y(I) *TANBE + XK1E	94	30
X(J) = EL - XK	9 s	30
B(J) = /BE1	96	30
60 TO 5ug	97	30
106 IF(THETA1.GT.ANGLE2)GO TO 24	90	30
23 A(J) = AJAN	99 -	31
V(.) = TANRE*VP	100	31
XK = XIL+XK2E+(Y(I)*TANBE)	101	31
X(J) = EL-XK	102	31
B(J) = BE1	103	31
60 TO 500	104	31
24 IF(THETA1.GT.ANGLE3)GO TO 333	105	31
25 A(J)=-DJ2E+DJ3E+TF **2	106	31
TANB = 2.0*(Y2E-Y1)/DEK	107A	31
V(J)=-TANB*VP	107B	31
XK=XIE+XK2F+X2E-(Y2E-Y1) **2/DEK	108	32
X(J) = FF-XK	109	32
B(J) = ATAN (TANB)	- 110	32
GO TO 500	111	32
20 TF(I-6T-163)60 TO 40	112	
	113	32
30 GO TO (201,202,203,204,205,206),J 201 IF(THETAL.GT.ANGLE4)GO TO 113	113	200
201 IF (HEIMI-01-ANGLE4/60 TO 113	1770 7010	32
AJ = AJ14*T**4 + AJT3*T**3 + AJT2*T**2 + AJT1*T + AJT0	116A	32
A(J)= AJ/AFK	116B	32
TANB = 2.0*Y(1)/AFK	117	32
V(J)= TAND+VP		33
$\chi(J) = \Upsilon(I) **2/AFK$	119	33
B(J) = ATAN (TANB)	120	33
GO TO 500	121	33
113"A(J)=RCTF*(AK*TAA+C1)	122	33
V(J) = VP*TANBF	123	33
X(J) = X1F+(Y(I)-Y1F)*TANBF	124	33
B(J) = BFI	125	33
GO TO 500	126	
202 1F(THETA1.GT.ANGLE5)GO TO 203	127	33
A(J)=RCTF*(AK*T +CI)		34
V(J) = VP*TANBF	129	34
X(J) = XIF + Y(I) *TANOF + XKIF	130	34
B(J) = 6F1	131A	34
60 70 500		34

A(J)=RCTF*(AK*TAC+C1) V(J) = VP*TANBF	133 134	346 347
X(J) = XIF + Y(I)*TARRF + XK2F	135	348
B(J) = BF1	136	349
GO 10 500	137	350
116 IF(THETAL.GT.ANGLE3)GO TO 334	138	351
	139	352
117 DJF = YF2*(AK*TF+C1)		353
AJ = AJ14+TF++4 + AJT3+TF++3 + AJT2+TF++2 + AJT1+TF + AJT0	140	
$\lambda(J) = (DJF - AJ)/DFK$	141	354
TANb = 2.0*(Y2F-Y1)/DFK	142	355
V(J) = VP*TANB	143	356
X(J)=X2F=(Y2F=YI)**2/DFR+X1F+XK3F	144	357
B(J) = ATAN (TANB)	146	358
GO TO 500	147	359
204 IF (THETAI.LE. ANGLEI) GO TO 334	148	360
118 IF (THETA1.GT.ANGLE4)GO TO 121	149	361
		362
AJ = AJT4*TE**4 + AJT3*TE**3 + AJT2*TE**2 + AJT1*TE + AJT0	150	
A(J) = -AJ/AEK	151	363
TANB = 2.0*(Y(I)-RCA1)7AEK	152	364
V(J) = -VP*TANB	153	365
XK=(Y(I)-RCAI)**2/AEK	154	366
X(J) = EL - XK	155	367
B(J) = ATAN (TANB)	156	368
GO TO 500	157	369
121 A(J)=-RCTE*(AK*TAA+C1)	158	370
TEL HIOL- WAICHIMMAN	159	371
V(J) =-VP*TANBE		372
XK = X1E + (Y(1)-Y1E-RCA1) *TANBE	160	
X(J) = EL - XK	161A	373
B(J) = BE1	1618	374
GO TO 500	162	375
205 IF (THETAL GT. ANGLES) GO TO 206	163	376
A(J) = RCTE * (AK*T + C1)	164	377
V(J) =-VP*TANBE	165	378
XK = X1E + Y(1) + TANBE + XK1E	166	379
	167	380
X(J) = EL-XK		381
B(J) = BE1	168	
60 70 500	169	382
206 IF(THETA1.GT.ANGLE2)GO TO 124	170	383
A(J)=-RCTE*(AK*TAC+CI)		384
V(J) =-VP*TANBE	172	385
XK = X1E + XK2E + (Y(I) * TANBE )	173	386
X(J) = FF - XK	174	367
B(J) = BE1	175	388
	176	389
60 10 500		390
124 IFTTHETAL.GT.ANGLE3/GO TO 333	177	
0TLA + 7T*1TLA + S**TF*2TLA + 6**7T*ETLA + 4**T**1LA = LA	178	391
125 DJE = YE2*(AK*TF +C1)	179	392
A(J) = (DJE + AJ)/DEK	180	393
TANB = 2.0*(Y2E-Y1)/DEK	181	394
V(J)=-YP*TANB	182	395
BUJEATAN (TANB)	183	396
	184	397
XK=X1E+XK3E+X2E-(Y2E-YI)**2/DEK		398
X(J) = EL-XK	185	
GO TO 500	186	399
40 GO TO 1301,302,303,304,305,306),J	187	400
301 IF(THETA1.GT.ANGLE4)GO TO 213	188	401
001 1 THE THE THE TOTAL TO TO E30		
212 ACUT = AJAF	189	402

V(J) = VP*TANB	1908	4
X(J) = Y(I) **2/AFK	191	4
	192	<del>-</del>
B(J) = ATAN (TANB)		4
GO TO 500	193 194	
Z13"A(J)"= U		
V(J) = VJF	195	4
X(J) = XIF + (Y(I)-YIF)*TANBF	196	4
B(J) = BF1	197	4
GO 10 500	198	
	199	4
302 IF (THETA1.GT.ANGLE5)GD TO 303		
214 A(J) = U	200	
V(J) = VJF	201	4
X(J) = Y(I) *TANBF + XIF + XK1F	202	4
B(J) = 8F1	203	4
60 TO 500	204	4
303 IF (THETA1.GT.ANGLE2)GD TO 216	205	4
215 A(J) = U	206	4
V(J) = VJF	207	4
	208	
X(J) = Y(I) *TANBF + X1F + XK2F		
B(J) = BF1	209	4
GO TO 500	210	4
216 IF(THETA1.GT.ANGLE3)GO TO 334	211	4
217 A(J) = AUDF	212	
TANB = 2.0*(Y2F-YI)/DFK	213A	4
V(J) = VP+TANB	213B	
X(J)=X2F-(Y2F-YI)++2/DFK+X1F+XK3F	214	4
	215	
B(J) = ATAN (TANB)		4
GO TO 500	216	
304 IF (IMEIAT-LE-ANGLEI/GO TO 334	217	
218 IF(THETA1.GT.ANGLE4)GO TO 221	218	4
219 A(J)= AJAE	219	
TANE = 2.0*(Y(1)-RCA1)/AEK	220A	4
V(J)=-VP*TANB	2208	
X(J)= EL-(Y(I)-RCA1)**2/AEK	221	4
B(J)= ATAN (TANB)	222	
BIO/- AIAN (IAND)		4
GO TO 500 221 AUJ = 0	223	
	224	*
A(Y) =AYE	225	4
X(J) = EL-(XIE + (Y(I)-YIE-RCAI)+TANBE)	226	4
B(J) = 8E1	227	4
GO TO 500	228	
305 IF (THETAL.GT.ANGLES) GO TO 306	229	i i
	230	
222 A(J) = 0		Ž.
V(J) =VJE	231	
X(J) = EL - (X1E + Y(I) * TANDE + XK1E)	232	4
B(J) = BE1	233	4
GO TO 500	234	1 AN U 18 18 14
306 IF (THETA1.GT.ANGLE2)GO TO 224	235	4
223 A(J) = 0	236	4
	237	4
V(J) = VJE	238	
X(J) = EL - (XIE+XK2E+Y(I)*TANBE)		
B(1) = REI	239	4
60 10 500	240	4
224 IF(THETA1.GT.ANGLE3)G0 TO 333	241	- 4
225 A(J) = AJDE	242	5 N 15 15 15 14
	243	4
		4
TANB = 2.0*(Y2E-Y1)/DEK V(J) = -VP*TANB X(J)=EL-X1E-XK3E-X2E+(Y2E-Y1)**2/DEK	244	

B(J) = ATAN (TANB) GO TO SUD	246 247	462 463
353 X(J) = U,0	248A	461
6Q TO 335	248B	46
334 X(J) = 6,6	248C	461
335 V(J) = 0.0	249	467
A(J) = 0.0	250	468
B(J) = 0.0	251	46
500 BDEG(J) = 57.296*B(J)	252	470
IF(J.GT.3)GO TO 351	253	47
251 FA(J) = A(J)*(WB+WST)/6	254	47
RFC(J) = R*OMEGA(I)**2*(EMUT*WB+EMUS*WST)/G	255	473
REATU) = R*ALPHATI) * (EMUT*WB+EMUS*WST)76	256	470
IF(FA(J).GE.0.)GO TO 254	257	479
252 IF (FA(J)+RFC(J)+RFA(J))253,253,254	258	470
253 EN(J)=(FA(J)+RFC(J)+RFA(J))/(-COEFC2*COS (B(J))-COEFS2*SIN (B(J)))		47
F(J) =EN(J)*(EMUR*COS (B(J))-SIN (B(J)))	260	478
GO TO 3/5	261	479
254 EN(J)=(FA(J)+RFC(J)+RFA(J))/(COEFC1*COS (B(J))-COEFS1*SIN (B(J)))	262	480
F(J) =EN(J)*(SIN (B(J))+EMUR*COS (B(J)))	263	481
GO TO 375	264	483
351 FA(J) = A(J)*(WB + WSE)/G	265	483
RFC(J) = R*OMEGA(I)**2*(EMUT*WB+EMUS*WSET7G	266	48
RFA(J) = R*ALPHA(1)*(EMUT*WH+EMUS*WSE)/G	267	489
IF (FA(J) .GE . D . D) GO TO 354	268	481
352 IF(FA(J)-RFC(J)-RFA(J))354,354,353	269	48
353 EN(J)=(FA(J)-RFC(J)-RFA(J))/(COEFC2*COS (B(J))*COEFS2*SIN (B(J)))	270	481
F(J)=EN(J)*(EMUR*COS (B(J))-SIN (B(J)))	271A	489
GO TO 375	2718	491
354 EN(J)=(FA(J)-RFC(J)-RFA(J))/(COEFS1*SIN (B(J))-COEFC1*COS (B(J)))	272	491
F(U)=EN(U)*(SIN (B(J))+EMUR*COS (B(J)))	273	49;
375 TORKB(J) = F(J)*RC	274	49:
BTSUM(I) = BTSUM(I)+TORKB(J)	275A	49
6 CONTINUE	275B	495
TORK(I) = BTSUM(I) + TORKI(I)	276	491
POWER(I) = TORK(I)*OMEGA(I)/6600.0	27 <b>7</b>	49*
L3 = L∓3+1	278	49
803 IF(1.NE-L3)GO TO 66	279	149
5 WRITE(6*501)	280	501
Ľ = L+1 · · · ·	281	50:
501 FORMAT(1H1/37X,43HTABLE 6-2 OUTPUT OF EACH BOLT AT GIVEN TIME//)	282	50
66 WRITE(6:601)TIMEM(1),(J:A(J),V(J),X(J):FA(J):RFC(J):RFA(J):BDEG(J)	283	50
I.EN(J).F(J).TORKE(J).J=I.6)	284	50
601 FORMAT( /41X,15HCAM OYNAMICS AT F7.2,13H MILLISECONDS//33X74HBOLT	285	50
I AXIAL NORMAL ANGULAR CAM CAM CAM	286	500
2BOLT/108H BOLT BOLT BOLT AXIAL INERTIA FRICTI	287	50
30N INERTIA CURVE NORMAL DRIVING DRIVING/108H NO ACCE	288	50
4LERATION VELOCITY TRAVEL FORCE FORCE ANGL	289	50
SE FURCE FORCE TORQUE/7X.10UHIN/SEC/SEC IN/SEC	290	51
FINCH POUND POUND POUND UEGREE POUND POUND	291	51
7 LB=IN7/(I47F12.0.F12.27F10.3.F9.0.2F10.07F10.3.3F10.07)	595	51:
F CONT INUL	293A	51
κ = 0	293B	514
DO 9  = le180	293C	51
K2 = K*45+1	2930	31
IF(1.NE.1)60 TO 1051	293E 293F	- 51 - 51
WRITE(6,1052)	293F	517

TARRA MARINETTAL BOURAGE & T. A.M. ADROLATIVE DADES IN		
1052 FORMAT(1H1/33X,29HTABLE 6-3 GUN OPERATING POWER/)	293н	520
802 FORMAT(1H1/30X,35HTABLE 6-3 CONTD GUN UPERATING POWER/)	2931	521
1051 IF (I.NE . K2)GO TO 9	294	522
7 WRITE(6:802)	295A	523
1054 WRITE(6:1053)	2958	524
K = K+1	296	525
9 WRITE(6.801)1, TIMEM(I).ALPHA(I).OMEGATI).THETAD(I).Y(I).BTSUM(I)	297	526
1.TORKI(1).TORK(I).POWER(I)	298	527
1053 FORMAT ( 19X, 46HROTOR ROTOR	299	528
1 ROTOR BOLT TOTAL/5H IN-:13X:78HANGULAR ANGULAR AN	300	529
ZGULAR PERIPHERAL CAM ROTOR REQUIRED REQUIRED/95H CRI-	301	530
5 TIME ACCELERATION VELOCITY TRAVEL TRAVEL TORQUE TORQ	302	531
4UE TORQUE HORSE-/94H MENT MILSEC RAD/SEC/SEC RAD/SEC	303	532
5DEGREE INCH LB-IN LB-IN LB-IN POWER/)	304	533
801 FORMAT (14,F9.3,2F11.2,F11.1,F10.3,3F9.0,F11.1)	305	534
900 STOP	306	535
END	307	536

#### APPENDIX B

# AUTOMATIC CONTROL OF ROUNDS IN A BURST FOR WEAPON EFFECTIVENESS

Since it is not generally possible to automatically vary the number of rounds in a burst from modern automatic weapons, it is of interest to know whether or not advantage could be taken of such a capability to increase the cost effectiveness of such weapons.

In the most general case, hit probability  $(Pr)_{eh}$  is a variational problem because hit probability is represented as

$$(Pr)_{eh} = 1 - \int_{0}^{1} \left[ 1 - \frac{A}{2\pi\sigma_{d}^{2}} \times \frac{\sigma_{b}^{2}/\sigma_{d}^{2}}{} \right]^{n} dx$$
(B-1)

where

 $(Pr)_{eh}$  = engagement hit probability

A =area of target

 $\sigma_d^2$  = variance of dispersion

 $\sigma_b^2$  = variance of bias

n = number of rounds in burst (each round assumed independent)

$$x = \exp \left[ r^2 / 2 \sigma_b^2 \right]$$

r = radial distance from target center

The reference for Eq. B-1 and its derivation is Eq. 4-413, AMCP 706-327, Fire Control Systems - General.

Observe that  $(Pr)_{eh}$  is a function of, among other parameters, n. Thus, there is an optimum value of n for a burst. To exceed this optimum value of n increases the use and cost of rounds without appreciably increasing the hit probability. Use of an n smaller than the optimum value decreases hit probability, thereby, decreasing the effectiveness of the weapon.

Extensive studies to date with plotted curves for various values of n have shown that, in terms of  $(Pr)_{eh}$ , a tight control of n should reduce an excess use of ammunition. Since the value of n is generally under the trigger control of the gunner who cannot concentrate on or control discrete number of rounds in most circumstances, it appears logical that consideration should be given to the evaluation and design of a capability in the trigger or sear area to easily preselect an automatic number of rounds in a burst. Fig. B-1 illustrates the nature of  $(Pr)_{eh}$  in relation to the number of rounds n in a burst. In interpreting this figure

$$\alpha = \frac{A}{2\pi \sigma_d^2}$$

$$R = \frac{\sigma_b^2}{\sigma_d^2}$$

For additional information on effectiveness vs the number of rounds in a burst for point fire refer to

- 1. Summary of Test Data and Effectiveness Evaluation for Special Purpose Individual Weapon, Ballistic Research Laboratories Technical Note 1542, Aberdeen Proving Ground, Md., August 1964.
- Dispersions for Effective Automatic Small Arms
   Fire and a Comparison of the M14 Rifle With a
   Weapon Yielding Effective Automatic Fire, Ballistic Research Laboratories Technical Note 1372,
   Aberdeen Proving Ground, Md., January 1961.

The methods for automatically controlling the number of rounds in a burst are limited only by the ingenuity of the designer. Several methods that have been successfully employed are described briefly:

a. The M61A1 Vulcan Machine Gun employs a burst length control device which is essentially an electrical accessory that is preset by the operator. The accessory controls the length of time that power is supplied to the gun drive and firing circuits. The original design required

bursts of 10, 30, 60, and 100 rounds. These were later reduced to 10 and 60 because of operational difficulties.

b. A second type which performed successfully is a burst circuit located on the side of the gun cradle, which counts the number of rounds and then cams the trip lever down on the last round fired to end the burst. As the gun returns to full battery position, a torsion spring is activated which sets the circuit for the next burst. The number of rounds per burst is manually set only once. On the assumption that the circuit is set for a 10-round burst and the trigger is released after 6 rounds have been

fired, the lug will cam the lever down and the sear will move over the trip lever. The gun will now settle into full battery position, and the circuit reset and ready to count 10 rounds. The trigger must be pulled and released for each burst.

c. A third type, more applicable to self-powered guns, consists of an escapement mechanism which is preset to some desired number of rounds up to maximum capacity. As each round is fired, the escapement rotates closer to zero or to stopping the gun through holding of the sear or trigger control.

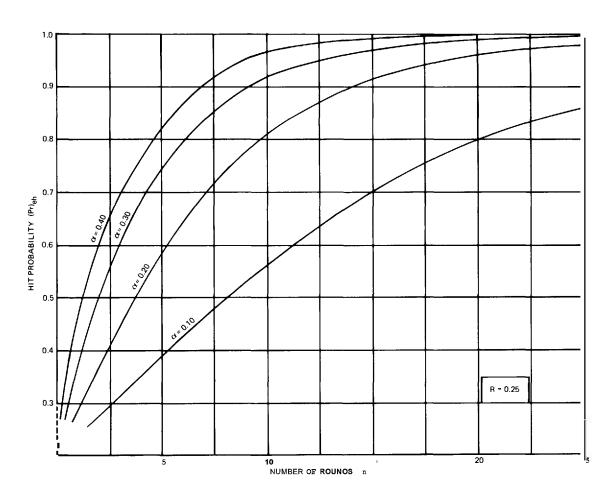


Figure B-1. Hit Probability vs Number of Rounds in a Burst

#### **GLOSSARY**

accelerator. A cam arrangement that converts barrel momentum to bolt momentum thereby increasing bolt velocity and decreasing time.

automatic weapon. A rapid, self-firing weapon.

barrel spring. The driving spring equivalent for the barrel.

belt, ammunition. Fabric or metal band with loops for carrying cartridges that are fed from it to an automatic weapon.

belt, disintegrating. An ammunition belt whose empty links are detached as the individual rounds are removed.

**blowback.** The class of automatic weapon that uses the propellant gas pressure on the cartridge case base to force the bolt open, barrel and receiver remaining relatively fixed.

blowback, advanced primer ignition. A blowback gun that fires before the round is fully chambered.

**blowback**, **delayed**. A blowback gun that keeps the bolt locked until the projectile leaves the muzzle.

**blowback**, **retarded**. A blowback gun that has a linkage to provide a large, early resistance to recoil.

blowback, simple. A blowback gun that relies on bolt inertia for early recoil resistance.

breech closure. Complete closing of the breech by bolt or breechblock.

**buffer spring.** A spring that augments either driving or barrel spring during the last stages of either bolt or barrel travel.

**compression time.** The time during which a spring becomes compressed.

cutoff. The closing of the gas port between bore and operating cylinder.

**cutoff expansion system.** An expansion system that has a valve to close the gas inlet port after the operating piston moves a prescribed distance.

**counterrecoil time.** Time required for a counterrecoiling part to return to battery.

critical pressure. The pressure on the discharge end of a nozzle at which flow rate becomes independent regardless of how much the down stream pressure is reduced.

**cycle, time of.** The time required for a gun to negotiate the firing cycle.

driving spring. The spring that stores some of the bolt recoil energy, stops the recoiling bolt, then drives it into the in-battery position.

**ejector.** A device in the breech mechanism which automatically throws out an empty cartridge case or unfired cartridge from the breech or receiver.

**expansion system.** An operating cylinder of a machine gun that has an initial expansion chamber at the gas inlet port.

**external power unit.** A unit that drives some or all operating components of an automatic weapon by deriving its power from a source other than the propellant gases.

**extractor.** A device in the breech mechanism that pulls an empty cartridge case or unfired cartridge from the chamber.

firing cycle. The sequential activity that takes place from the time a round is fired until the next round is about to be fired.

firing mechanism. The mechanism that actuates and controls the firing of a gun.

firing pin. The component of a firing mechanism that contacts the primer and relays the detonating energy of the firing mechanism to the primer.

**flexibility.** The flexing of an ammunition belt so that it will assume a fan-like attitude or form a helix.

**flexibility, base fanning.** The fan-like flexibility where the cartridge case bases form the inner arc.

**flexibility**, **free**. The flexibility that becomes available by taking up the slack provided by the accumulated clearances of the links.

flexibility, helical. The flexibility that forms a helix.

**flexibility, induced or forced.** The flexibility that is derived from the elastic deflection of the individual links.

**flexibility, nose fanning.** The fan-like flexibility where the cartridge noses form the inner arc.

gas filling period. The time of gas activity in the operating cylinder.

gas-operated. The class of automatic weapon that uses propellant gases vented through the barrel wall to operate all moving components.

hammer. The striking component of a firing mechanism.

**impingement system.** A gas-operated gun that has no initial expansion chamber at the gas inlet port.

link. The unit of an ammunition belt that firmly holds and carries one round.

**link, extracting type.** A link from which the round is removed axially by pulling it rearward.

**link, push through type.** A link from which the round is removed axially by pushing it forward by bolt or rammer.

line, side stripping type. A link from which the round is removed perpendicular to the axis.

**locking cam, bolt.** The cam that controls the locking and unlocking of the bolt.

**locking period.** The time needed to lock the bolt in its closed position.

machine gun. An automatic weapon that can sustain relatively long bursts of firing.

magazine, box. A magazine, usually detachable, of rectangular construction and of small capacity.

magazine, drum. A magazine of drum construction whose capacity is larger than that of the box magazine.

**operating cylinder.** The gas pressure system that powers a gas-operated machine gun.

**override.** The clearance between bolt face and cartridge case base when the bolt is in its rearmost position.

**propellant gas period.** The time that propellant gas pressures are effective.

rate of fire. The number of rounds fired per minute.

**recoil, long.** A recoil-operated gun that has the barrel recoiling as far as the bolt, both recoiling as a unit but counterrecoiling separately.

recoil-operated. The class of automatic weapon that uses the energy of all recoiling parts to operate the gun.

recoil, short. A recoil-operated gun that has the barrel recoiling a short distance, with barrel and bolt moving as a unit for part of that distance, whereupon the bolt is released to continue its rearward motion.

**recoil time.** The time required for a recoiling part to negotiate its rearward travel.

recoil time, accelerating. The time required to accelerate the recoiling parts.

recoil time, decelerating. The time required to stop the recoilingparts.

sear. The component of a firing mechanism that releases the hammer.

safety. A locking or cutoff device that prevents a weapon from being fired accidentally.

**semiautomatic.** A gun that functions automatically except that each round fired must be triggered manually.

specific impetus. The unit energy, ft-lb/lb, of a propellant.

surge time. The period of time required for a compression wave to traverse a spring.

**tappet system.** An impingement system that has a very short piston travel.

**trigger.** The component of a firing mechanism that releases the sear to initiate all firing.

trigger pull. The force that is required to actuate the trigger.

**velocity of free recoil.** The maximum velocity that a recoiling part would attain if left unimpeded during recoil.

**unlocking period.** The time needed to release the bolt from its closed position.

wall ratio. The ratio of outer to inner diameter of a hollow cylinder.

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